

IoT Homework 2024/2025
PART 2 – Exercise 2: 802.15.4

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Exercise 2 (1/2)

Consider the following pseudocode for a ESP32-based IoT monitoring system

```
// Global Timer Handle
declare timer_handle as esp_timer_handle_t

// Initialization
function setup_camera():
    initialize_camera(QVGA)

function setup_timer():
    declare timer_config as esp_timer_create_args_t
    set timer_config.callback to process_frame
    set timer_config.name to "10_sec_timer"
    call esp_timer_create(&timer_config,
    &timer_handle)
    call esp_timer_start_periodic(timer_handle,
    10_000_000) // 10s

function app_main():
    call setup_camera()
    call setup_timer()
    loop forever:
        delay(100 ms)

// Called every 10 seconds
function process_frame(arg):
    image = capture_camera_frame()
    person_count = estimate_number_of_people(image)
    if person_count == 0:
        payload = create_message(size=1KB)
    else if person_count == 1:
        payload = create_message(size=3KB)
    else:
        payload = create_message(size=6KB)
```

Exercise 2 (2/2)

Assuming the system is operated with IEEE 802.15.4 in beacon-enabled mode (CFP only) and that the number of people present in the camera frame at any instant follows a Poisson distribution with an average rate of $\lambda = 0.15$ persons/frame

1. Compute the Probability Mass Function of the output rate of the ESP32 $P(r = r_0)$, $P(r = r_1)$, $P(r = r_2)$, where r_0 , r_1 and r_2 are the output rates when there are 0, 1 or more than 1 persons in the captured frame, respectively.
2. Based on the output rate PMF, compute a consistent slot assignment for the CFP in a monitoring system composed of 1 PAN coordinator and 3 camera nodes. Assume nominal bit rate $R=250$ kbps, packets of $L=128$ bytes, 1 packet fits exactly in one slot. Compute T_s (slot time), Number of slots in the CFP, T_{active} , $T_{inactive}$ and the duty cycle of the system.
3. How many additional cameras can be added to keep the duty cycle below 10%?

1. For Poisson distribution we have the formula:
probability to get k person/ people in the captured frame

$$P(X=k) = \frac{e^{-\lambda} \cdot \lambda^k}{k!} \text{ For us } \lambda = 0.15$$

So with $r_0 = 0$, $r_1 = 1$, $r_2 = \text{more than one 1 person}$.

$$P(X=0) = \frac{e^{-0.15} \cdot 0.15^0}{0!} = 0.8607 \rightarrow P(r = r_0) = 0.8607$$

$$P(X=1) = \frac{e^{-0.15} \cdot 0.15^1}{1!} = 0.1291 \rightarrow P(r = r_1) = 0.1291$$

$$P(X=2) = \frac{e^{-0.15} \cdot 0.15^2}{2!} = 0.0097$$

So for more than 2 people the probability is less than 1 percent, so we can approximate:

$$P(r = r_2) = 0.0097$$

2. $R=250\text{kps}$ $L=128\text{bytes}$

$$T_s = L/R = 128*8/250 = 4.096\text{ms}$$

Minimum rate: 1KB every 10 second so $1000*8/10 = 800\text{bits/s}$

$$BI = \text{packet size} / \text{minimum rate} = 128*8 / 800 = 1.28\text{s}$$

N_{cfp} = rate of the worst case / min rate = 6KB every 10 seconds / 1KB every 10 seconds = 6

But this is for each camera, we have 3 cameras so in total $6*3 = 18$ for the entire system

$$T_{active} = (1+N_{cfp}) * T_s = 19 * 4.096\text{ms} = 77.824\text{ms}$$

$$T_{inactive} = BI - T_{active} = 1.28\text{s} - 77.824\text{ms} = 1.202\text{s}$$

$$Duty_cycle = T_{active}/BI = 77.824\text{ms} / 1.28\text{s} = 0.0608 = 6.08\%$$

3. With a duty cycle of 10%, we should have a T_{active} of $0.1*BI = 0.1*1.28\text{s} = 0.128\text{s}$

Adding a camera, we have:

$$T_{active} = (1+18+6(\text{one more camera})) * T_s = 25*4.096\text{ms} = 0.1024\text{s} < 0.128\text{s} \text{ that's ok}$$

Adding two cameras, we have:

$$T_{active} = (1+18+6*2) * T_s = 31*4.096\text{ms} = 0.1269\text{s} < 0.128\text{s} \text{ that's ok}$$

Adding three cameras we have:

$$T_{active} = (1+18+6*3) * T_s = 37*4.096\text{ms} = 0.1515\text{s} > 0.128\text{s} \text{ the duty cycle would be more than 10\%}$$

So the maximum we can add is 2 cameras