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Thèse de doctorat

# Search of the $0\nu\beta\beta$ decay with the SuperNEMO demonstrator

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# Chapter 6

## Detector commissioning

The commissioning of the SuperNEMO demonstrator has begun in 2019 and first calorimeter data was taken.

The calorimeter of SuperNEMO is segmented in 712 optical modules (OM), each composed by a coupling between a photomultiplier tube (PMT) and a polystyrene scintillator bloc (see Sec. 3.1.5 for more details). The divider of a PMT is connected to 2 cables, one providing the high voltage (HV), the other one, called signal cable, is a coaxial cable collecting and transporting the charge provided by the PMT.

By the summer 2020, the SuperNEMO demonstrator will be encapsulated in an anti radon tent. The so called *patch panel* will insure passage of cables from the inside, to the outside of the anti radon tent, therefore doubling the amount of cables needed for the calorimeter. We refer to the cables running from detector to patch panel as *internal* cables, and the cables from patch panel to the electronic boards as *external* cables. Consequently, regarding only the calorimeter part, 2848 cables were cut, assembled, connector-mounted, transported and installed at LSM. Then the check of every cable condition is mandatory to control and eventually fix them.

### 6.1 Reflectometry analysis

#### 6.1.1 Goal of the reflectometry analysis

Taking into account the final demonstrator design, each coaxial length was determined, cables were cut and labelled in LAL, Orsay. All external coaxial cables were designed to be 7 meters-long – the distance between electronic boards and patch panel being the same for all channels at electronic boards – and internal cable lengths have been adapted to fit the distance from the patch panel to each optical module. Then, cutting and labelling all cables lasted several weeks. After all cables were transported and installed at LSM, we had to check each coaxial cable condition, for several reasons:

- check if no cable was damaged during the transport and the installation;

- control if no swap between cables has been made during cable labelling or calorimeter cabling,
- check if the coaxial cable was cut at the right length,
- more importantly estimate the signal time delay due to the cable lengths: knowing that the velocity of electrons in the coaxial cables has a known constant value, the longer is the cable, the more the signal takes time to travel from the PMT to the electronic channel. Therefore, each coaxial cable length has to be characterised, especially if we want to do time coincidences between two signals in two different channels.

To do so, a pulse, called *primary* pulse, is generated at the electronic board readout. The signal will travel all along the coaxial cable, from the electronic board to the PMT divider. Whether the cable is correctly connected to the PMT or not, the signal reflects at the other end. Then the signal travels back from the PMT to the

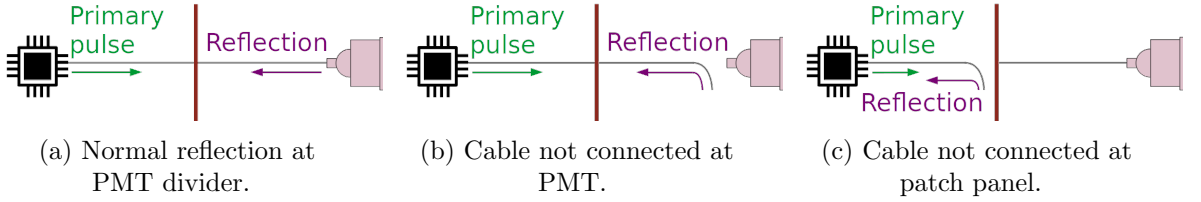


Figure 6.1: A representation of pulses sent in a cable for the reflectometry analysis is given. The electronic boards are symbolised by the black chip, and the patch panel by the red vertical bar. Three scenarios where a primary pulse is sent in one cable (represented in grey), are represented. (a) The cable is well connected at the patch panel and at the PMT. The signal reflects at the PMT divider. (b) The cable is not connected at PMT and the signal is reflected at the end of the cable. (c) The cable is not connected at patch panel and the signal is reflected at the end of the external cable.

electronic board channel, where it is recorded by the acquisition. We called this recorded reflected pulse *secondary* pulse. An example of the total recorded signal is displayed in Fig. 6.3a. In order to accumulate enough statistics, we send thousands of pulses in each coaxial cable. The analyses of the shape and of the arrival time of those secondary pulses for each channel is called *reflectometry*, and allow us to check the coaxial cable conditions and to control their lengths.

### 6.1.2 Pulse timing: controlling cable lengths

The first step of this analysis is to experimentally determine the length  $l_j^m$  for all signal cables  $j$  installed on the demonstrator. This length is defined as

$$l_j^m = 0.5 t_j v_p, \quad (6.1)$$



where  $t_j$  stands as the time made by the electrons to do a round trip between one electronic channel and one PMT, and  $v_p$  is the velocity of electrons in the coaxial cables, which can be expressed as a fraction of light speed in vacuum,  $c$ . The time difference  $t_j$  between the primary pulse and the secondary pulse is written as

$$t_j = \langle t_{\text{secondary pulse}} - t_{\text{primary pulse}} \rangle_p, \quad (6.2)$$

$\langle \rangle_p$  being the average over all pulses sent in one single cable  $j$ . The velocity  $v_p$  is supplied by the cable manufacturer as

$$v_p = \frac{c}{\sqrt{\epsilon_r}},$$

with  $\epsilon_r$  the relative dielectric constant of the material. Therefore, this celerity depends on the components. For the coaxial cables chosen in the demonstrator design, the data sheet of the cable gives  $v_p = 0.69c$ . A study is performed to verify experimentally the value of  $v_p$ . Three cables of different lengths are measured with a precision of 1 cm. A thousand of primary pulses are sent in each of the three cables, then the time for each secondary pulse is recorded. At the end, we have three independent measures of the velocity  $v_p$  in the used coaxial cables. On Fig. 6.2 is displayed the lengths  $l_j$  as a function of the times  $t_j$ . The fitted value of  $v_p/c = 0.697 \pm 0.0011$  is

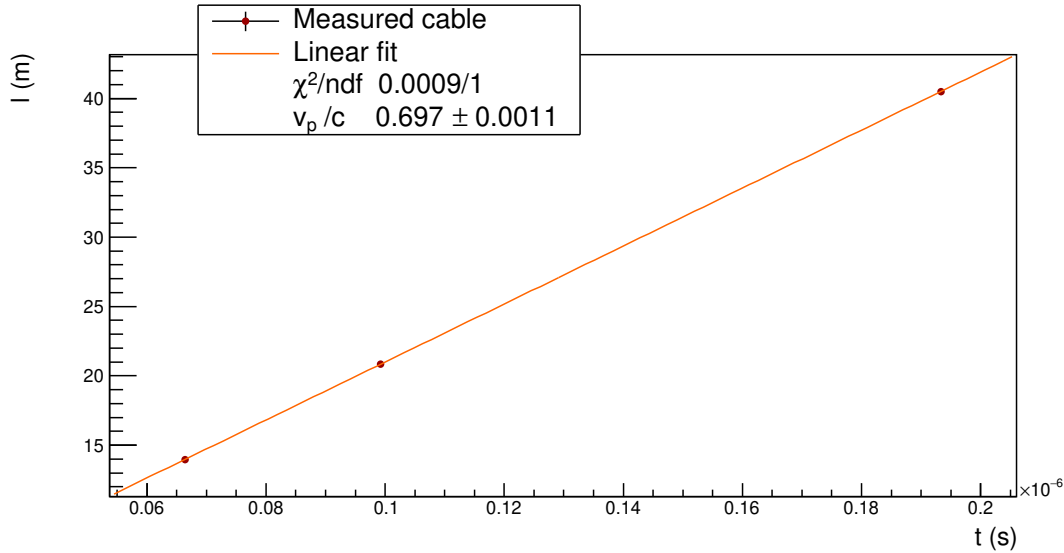


Figure 6.2: Three different lengths  $l_j$  of cables are measured. Pulses are sent inside all cables. The lengths  $l_j$  are plotted as a function of the time differences  $t_j$  between primary and secondary pulses. The value of  $v_p/c$  fitted from the data points is displayed. This value of  $0.697 \pm 0.0011$  shows the compatibility with the one supplied by the constructor, of  $0.69c$ .

displayed and shows a compatibility up to  $7\sigma$  with the data sheet.

As we want to determine the time interval  $t_j$ , we have to define what is the *time* of a pulse. In this analysis, we use a technique called Constant Fraction Discriminator (CFD), providing an amplitude-independent information about time of a pulse. This algorithm aims at tracking a signal and defining its time arrival at a given fraction  $f$  of its maximal amplitude. The two main advantages of this technique is that it provides an efficient rejection of the noise in the acquisition window, and gives a good resolution on the measured time. Nevertheless, the possible influence of the chosen value for the  $f$  parameter on this time resolution has to be investigated. We perform such a study in Sec. ???. We concluded that the highest precision on the time measurement arises for  $f = 40\%$ , and we adopt this value for the following analysis. A graphic representation of the CFD time search is given in fig. 6.3b. As we want to measure the installed cable lengths  $l_j^m$ , and compare them to the initially designed ones,  $l_j^d$ , we define the length difference  $\Delta L_j$  as:

$$\Delta L_j = l_j^m - l_j^d. \quad (6.3)$$

On Fig. 6.4 is displayed the distribution  $\Delta L$  for all the measured lengths. In hypothetical perfect conditions, all the cables should fit the design length, in other words,  $l_j^d = l_j^m$ . Consequently the  $\Delta L$  distribution should a peak at zero, as materialised by the black dashed line. However, in real conditions, the measured length can be different from the designed one, leading the  $\Delta L$  distribution plotted in orange solid line. We conclude that the observed cable length  $l^m$  differs from  $l^d$  by  $+10.9 \pm 0.3$  cm, meaning that cables are longer than expected in average. This may reveal a bias coming from the device used to cut the cables. In fact, during cable cutting work, we noticed that the cutting device had a tendency to slip, probably leading to cables with extra lengths. We assumed the cutting device has a given probability to slip for one meter of cable. If this is the case, the probability for the device to give extra length should increase with the cable length.

To verify this assumption, we plot on Fig. 6.5 the length difference  $\Delta L$  as a function of the initial design length  $l^d$  (cyan). From those data points, we compute a linear fit (orange solid line), parameterised as  $y = \alpha x + \beta$ , revealing that the cutting device presents two different biases. The value of  $\beta$  shows that the cutting device systematically took away 3.4 cm of each cable. Nevertheless, as the shortest cable was designed to be 10 meters long, there are no important consequences of this bias on the length difference  $\Delta L$ . Besides, the slope  $\alpha = 0.010 \pm 0.002$  of the linear fit reveals that the cutting device adds one centimetre for every meter of cable, being compatible with the hypothesis on the cutting device sliding. Hopefully this bias is not problematic as it makes most of the actual cable lengths longer than the design, while shorter lengths could have lead to systematic connection issues to PMTs. However, we notice that a few cables have been cut too short by mistake, the worse of them being 80 centimetres shorter than expected. Fortunately, this cable was successfully connected to PMT despite this deficit. On the contrary, few cables have a large extra length. This probably is due to human punctual mistakes on top of the observed bias, but without any strong consequences for the calorimeter operation.

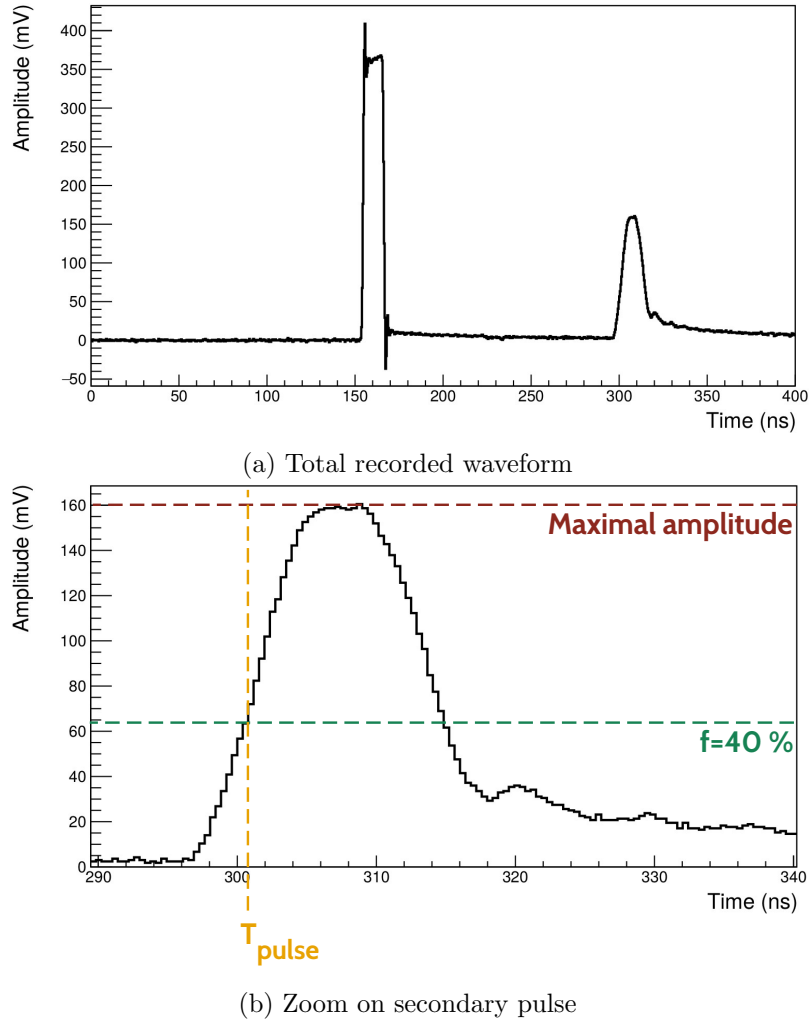


Figure 6.3: (a) Total recorded waveform: primary pulse (left) and secondary the pulse (right). (b) Zoom on the secondary pulse. A representation of time computed with a Constant Fraction Discriminator (CFD) is provided. Its maximal amplitude (red dotted line) and its fraction for  $f = 40\%$  (green dotted line) are displayed. The time  $T_{\text{pulse}}$  (orange dotted line) represents the time of arrival of the secondary pulse computed with CFD, with the fraction  $f = 40\%$ .

In conclusion, no important mistakes have been made when cutting cables, and we had no issue for connecting the only problematic cable.

If the main goal of this study is to check the lengths of coaxial cables, it also aims at correcting the time of recorded events, from the time made by the signal to travel from a PMT to an electronic channel. taking into account the time for the signal to travel through cables. This become possible with the reflectometry study we performed. Knowing real lengths of cables and using the celerity of the signal, we deduce the time needed for the signal to travel from one given PMT divider to

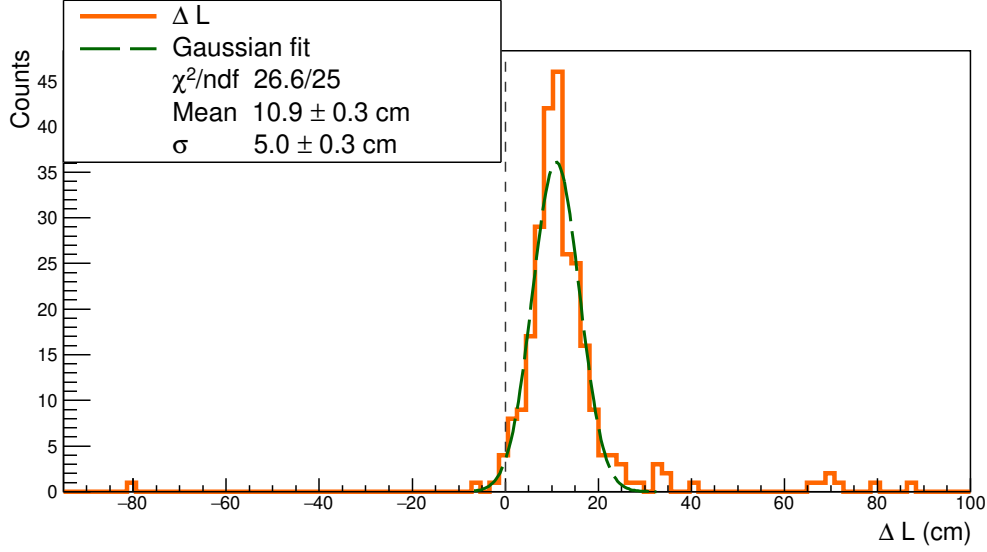


Figure 6.4: The distribution of difference between the measured lengths  $l^m$  and the expected lengths  $l^d$  is displayed in orange solid line. The black dashed line represents the case where  $l_j^m = l_j^d \forall j$ . The Gaussian fit (green dashed line) presents a mean of  $10.9 \pm 0.3$  cm. Some data points considered as outliers are beyond  $3\sigma$ .

the electronic boards. Then we can correct event times.

As explained previously, the time  $t_j$  gives information about the length of the cable  $j$ . We remind the coaxial cables are divided in two parts, one external and one internal, both linked by the so-called patch panel. Thus we can use that travel time to detect possible disconnection of a cable at patch panel. In fact, if one cable is not connected at the patch panel – this case is illustrated in Fig. 6.1c, – the pulse reflects at the end of the external cable part, going back to the electronic board. This very short time, giving information about the location of the reflection, is used to tag a patch-panel disconnection. Then, a simple check onsite can confirm this observation, and the external part of the cable can be connected to the patch panel.

This study allowed us to control and record the lengths of all coaxial cables installed on the SuperNEMO demonstrator at LSM, and gave information on the status of cable connections at patch panel. We also have understood the main results on measured cable lengths and the functioning and biases of the cutting device that we used.

### 6.1.3 Signal attenuation

The attenuation of an electric signal is a problem common to all electronic fields, and comes from the charge loss of an electromagnetic wave travelling in a medium. For a coaxial cable, this attenuation mainly depends on the signal frequency  $f$  in

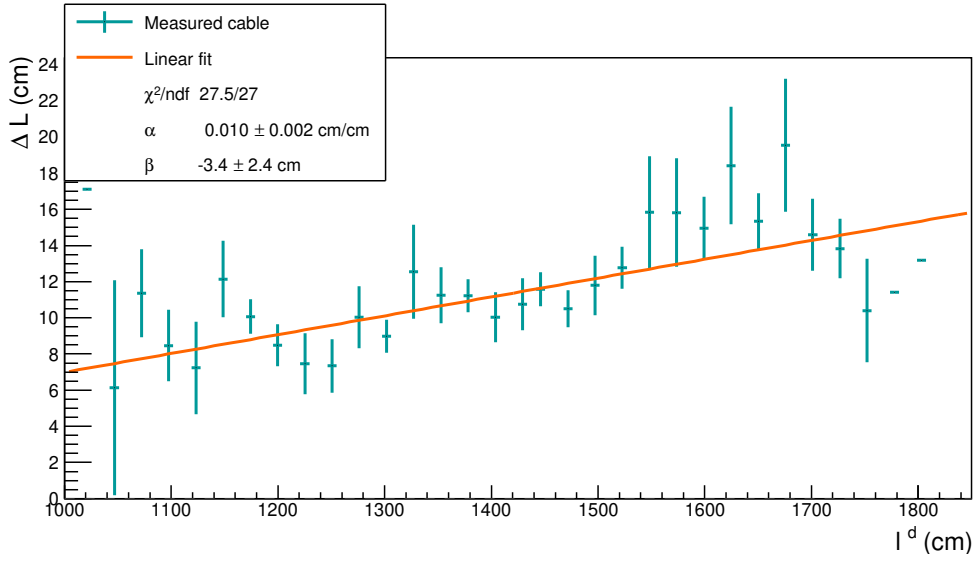


Figure 6.5:  $\Delta L$  is plotted with  $l^d$  (cyan), where  $l^d$  is averaged for all the lengths designed to have the same value, being at the origin of vertical error bars. In black dashed line is represented the case where  $l^m = l^m$ . Data points are fitted by  $\alpha x + \beta$ , with  $\alpha > 0$  and  $\beta < 0$ , revealing the two biases of the cutting device.

MHz and on the cable characteristics. For the coaxial cables, the theoretical linear attenuation  $\alpha_{\text{att}}^{\text{th}}$ , so be it the attenuation by metre of cable in dB/m, is supplied by the constructor as

$$\alpha_{\text{att}}^{\text{th}} = f\sqrt{\epsilon}\left(\frac{a}{\sqrt{f}} + b\right), \quad (6.4)$$

where the factor  $a$  depends on the diameter of the dielectric material on one side, and of the diameter of the conductor material on the other side, and where  $b$  is function of the dielectric loss factor, characterising the material's dissipation of electromagnetic energy. For the used coaxial cables, and with a frequency  $f$  of few GHz for the signal pulses sent in cables, we calculate this attenuation as  $\alpha_{\text{att}}^{\text{th}} = 1.22$  dB/m. In a more general manner, the attenuation of a signal in dB is defined with the decimal logarithm of a power ratio. We use this definition to determine the attenuation in the framework of the reflectometry analysis, defining the attenuation  $\mathcal{A}$ , for a given length of cable  $l$ , as

$$\mathcal{A} = 10 \log_{10} \frac{V_{\text{primary pulse}}}{V_{\text{secondary pulse}}}, \quad (6.5)$$

where  $V_i$  is a quantity representing the intensity of the signal.  $V$  can correspond to the maximal amplitude of the pulse, as well as the *integrated charge* of the pulse, defined as the amount of current received by the acquisition over a given time window. As the provided data sheet does not specify the attenuation of which quantity (amplitude or charge) represents  $\alpha_{\text{att}}^{\text{th}}$ , we decide to investigate both in the following. Then, we

define the linear attenuation  $\alpha_{\text{att}}^{\text{R}}$ , measured by reflectometry in dB/m, with

$$\mathcal{A} = f_r + \alpha_{\text{att}}^{\text{R}} l, \quad (6.6)$$

with  $f_r = -10 \log_{10} R$ , where  $R$  is the reflection factor characterising the pulse reflection on the PMT divider. In fact, as the circuit is opened, the pulse is reflected at the PMT divider, but only partially. A part of the signal is not reflected but lost through the divider. This reflection is characterised by  $R$ , which is function of the impedance  $Z_c$  of the cable, and of the impedance  $Z_d$  at the divider level, where the pulse is reflected. It is written as

$$R = \frac{Z_d - Z_c}{Z_d + Z_c}, \quad (6.7)$$

where we have the limit

$$\lim_{Z_d \rightarrow \infty} f_r = 0 \text{ and } R = 1, \quad (6.8)$$

expressing a total reflection occurring when the impedance at the PMT divider is infinite. The main goal here is to determine the value of  $\alpha_{\text{att}}^{\text{R}}$ , using the reflectometry data, and to compare it with  $\alpha_{\text{att}}^{\text{th}}$ . Moreover, the impedance  $Z_d$  value at PMT divider can be estimated from the determination of  $f_r$ . On Fig. 6.6 is shown the linear dependence between the attenuation  $\mathcal{A}$  and the cable length  $l$ , and two data set are presented. The cyan scattered markers represent the attenuation calculated from the amplitude ratio  $A_{\text{primary pulse}}/A_{\text{secondary pulse}}$ , and the magenta markers correspond to the attenuation calculated from the charge ratio  $Q_{\text{primary pulse}}/Q_{\text{secondary pulse}}$ . The amplitude  $A_i$  is given in mV and the charge  $Q_i$  in mV.ns. The values of  $\alpha_{\text{att}}^{\text{R}}$  and  $f_r$ , for both amplitude and charge cases, are displayed in the legend. Firstly, the two linear fits reveal that, whether calculated with the amplitude, or with the charge, the linear attenuation  $\alpha_{\text{att}}^{\text{R}}$  is smaller than the calculated one  $\alpha_{\text{att}}^{\text{th}}$  (for the amplitude case,  $\alpha_{\text{att}}^{\text{th}} \simeq 5 \times \alpha_{\text{att}}^{\text{R, amp}}$ , and for the charge case  $\alpha_{\text{att}}^{\text{th}} \simeq 7 \times \alpha_{\text{att}}^{\text{R, ch}}$ ). That means the signal is less affected, when transmitted by the cable, than expected. Secondly, the attenuation in charge is less important than the attenuation in amplitude. This can be easily explained: as it is integrated over time, the charge is a quantity less affected by amplitude variations than the amplitude itself. For the same reason, the charge data set points are less spread than the amplitude ones, meaning that we are less sensitive to cable length variations when using the charge quantity.

This work achieved, we want to verify if no cable was damaged after installation. Reflectometry also aimed at checking cable conditions by performing waveform shape analysis on secondary pulses.

#### 6.1.4 Pulse shape analysis

On Fig. 6.3 is displayed an example of *normal* pulse, which corresponds to the case represented in Fig. 6.1a. In this case, the pulse sent in the cable travels to the PMT, and goes back to the acquisition after reflection on the divider.

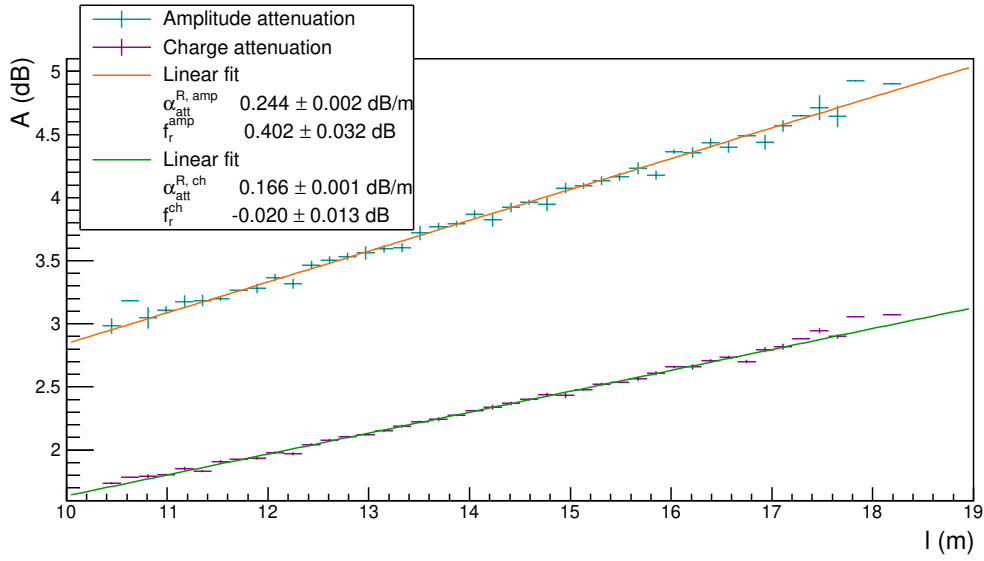


Figure 6.6: The amplitude  $\mathcal{A}$  is displayed as a function of the measured cable length  $l$ . The data set calculated with the amplitude (charge) is given in cyan (magenta) and fitted by a linear function in orange (green). The values of the slope, which represent the linear attenuation of the coaxial cables in dB/m, are respectively  $\alpha_{\text{att}}^{\text{R, amp}} = 0.241 \pm 0.000 \text{ dB/m}$  and  $\alpha_{\text{att}}^{\text{R, ch}} = 0.166 \pm 0.000 \text{ dB/m}$ . The two  $y$ -intercept values, which represent the reflection of the pulse on the PMT divider, are  $f_r^{\text{amp}} = 0.402 \pm 0.032 \text{ dB}$  and  $f_r^{\text{ch}} = -0.020 \pm 0.013 \text{ dB}$ .

### 6.1.5 Comparison with $^{60}\text{Co}$

## 6.2 Calibrating the electronic boards

### 6.2.1 Principle

### 6.2.2 Measuring the time offset of front end boards

### 6.2.3 Results

## 6.3 Energy calibration

## 6.4 Baseline studies

## 6.5 Light Injection System





# Chapter 7

## Characterisation of the calorimeter time resolution

The precise knowledge of the different particle interaction times in the optical modules of the SuperNEMO calorimeter is important to better understand and reject the background. For example, the study of electron time-of-flight allows us to distinguish internal events (occurring within the source foils) from external events (radioactive decays occurring outside the source foils, for example in the PMTs or in the external iron shielding).

During the commissioning phase, a lot of work, presented in Chapter 6, was achieved to calibrate the detector. Following on from this task and completing it, a great part of the present thesis was allocated to determine the time resolution of the SuperNEMO calorimeter, and give tools to pursue this analysis.

In this chapter we present different studies conducted in order to characterise the time response of the SuperNEMO optical modules. Despite the goal of the presented studies is to characterise the time resolution of the SuperNEMO calorimeter, some detector adjustments were still ongoing at the time of the acquisition, that could influence the presented results. Especially, the energy calibration described in Sec. 6.3 was not complete, and the Light Injection System presented in Sec. ?? was not yet fully operational. However, all the work presented here is necessary in the framework of the first calorimeter calibration. Moreover, I provide all the analysis tools for the collaboration, with a view to doing a possible update, once all the demonstrator will be complete.

The first study presented in this Chapter focuses on the characterisation of the time resolution of a part of the SuperNEMO calorimeter, using an external calibration source. A second analysis aims to study the possibility of using the Light Injection System, a setup initially designed to calibrate in energy the calorimeter, to give information on the calorimeter time resolution.

## 7.1 Time characterisation with a Cobalt source

The study presented in this section was conducted using a Cobalt 60 source, a man-made isotope with a 5.27 years half-life, of which we give the main interesting properties. This unstable nucleus decays through  $\beta^-$  decay, emitting an electron with a maximum energy of 0.32 MeV, into an excited state of the stable Nickel 60. A simplified decay scheme for this atomic element is given in Fig. 7.1. From this en-

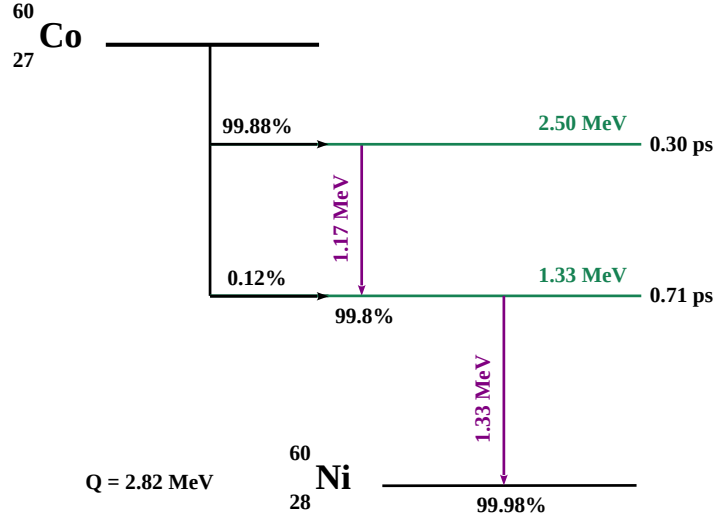


Figure 7.1: A simplified decay scheme for Cobalt 60. The Cobalt decays, through  $\beta^-$ , predominantly to the 2.50 MeV state. Then, two  $\gamma$ 's (whose energy levels are represented in green) are emitted in 99.66% of the cases. The two photons have an energy of 1.17 MeV and 1.33 MeV, respectively. As the life times of these two energy levels are short ( $< 1$  ps), the two photons can be considered as emitted in coincidence, with respect to the timing precision of the calorimeter. We use this property to calibrate in time the demonstrator optical modules.

ergy level, a transition into another excited state takes place with emission of a 1.17 MeV photon, then the ground state is reached with emission of a photon of 1.33 MeV. The life times of these two energy levels are very short, so the two photons are considered as emitted in coincidence with respect to the expected timing precision of the calorimeter.

This section is dedicated to detail the time resolution study performed using a Cobalt 60 source, exploiting the time characteristic of the two emitted photons. A great proportion of the total SuperNEMO demonstrator was successfully characterised using this radioactive source.

### 7.1.1 Time response of optical modules

A calorimeter block of SuperNEMO, composed of a scintillator and a photomultiplier, measures the scintillation light generated by the interaction of incoming particles. Charged particles (electrons, alphas, electrons produced by Compton interaction of gammas) can be stopped in the scintillator. The optical photons produced by the scintillating material are converted in electrons at the photomultiplier photocathode. After amplification, electrons are collected by the anode which delivers an electric signal whose charge is proportional to the initial amount of incident photoelectrons. This signal is then transmitted, via the PM voltage divider, to the electronic readout, where the signal is sampled. Energy and time of arrival of the incident particle can be extracted from the signal waveform analysis. Especially, the arrival time of the particle, defined in Fig 6.3b in Sec. 6.1, can be estimated. Each step, from the incident particle interaction inside the scintillator, to the signal sampling at the electronic readout, can have an impact on this arrival time measurement, and therefore on the calorimeter time resolution. On this section, we focus on the time resolution  $\sigma_t$  induced by the optical module, and written as

$$\sigma_t = \sqrt{\sigma_{t,\text{sc}}^2 + \sigma_{t,\text{PM}}^2}, \quad (7.1)$$

where the two terms  $\sigma_{t,\text{sc}}$  and  $\sigma_{t,\text{PM}}$  represent the time resolutions of the scintillator and of the PMT, respectively. We detail the physical origins of those terms.

#### Scintillator time dispersion

The temporal dispersion  $\sigma_{t,\text{sc}}$  in Eq. (7.1) is based on the scintillator operating principle. When a particle interacts in the scintillator, two successive mechanisms of light absorption/re-emission take place. The excitation of scintillator molecules leads to the creation of fluorescence photons. Those photons are then absorbed and re-emitted by the POPOP agent at higher wavelengths. These two processes follow the same temporal distribution

$$\mathcal{N}_{\text{photons}} = A \times e^{-t/\tau}, \quad (7.2)$$

with  $\mathcal{N}_{\text{photons}}$  the number of generated photons at time  $t$ ,  $A$  a normalisation constant and  $\tau$  the fluorescence characteristic time of the considered process.

Another important phenomenon comes with the uncertainty on the interaction point location in the scintillator, which depends on the incident particle type. Depending on whether the incident particle is a photon or an electron, the term  $\sigma_{t,\text{sc}}$  has a different contribution on the total time resolution  $\sigma_t$ . To picture this, we display the radiation length of photons and electrons in polystyrene on Fig 7.2. These figures highlight that, at a given energy, a photon has roughly 10 times less probability to interact with polystyrene than an electron. Therefore, an electron has a high probability to be stopped in the first few millimetres of the scintillator, while a photon can interact in a large range of depth inside the detector volume.

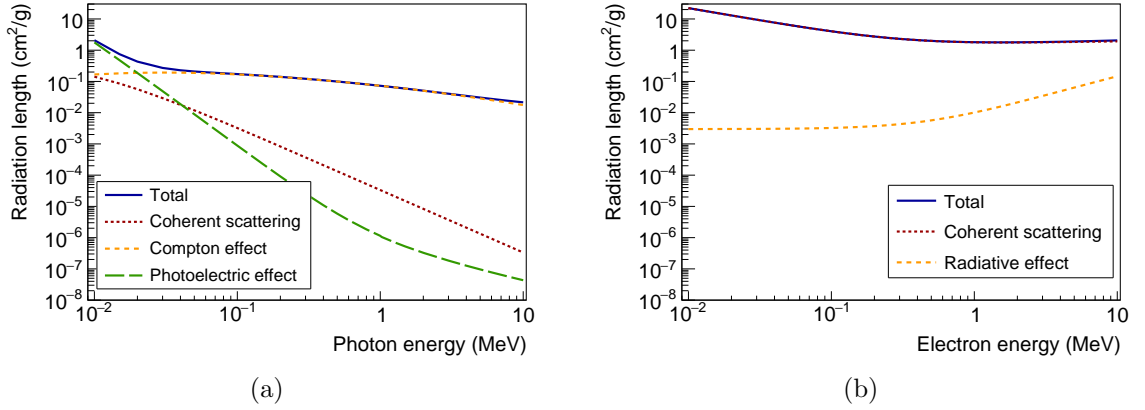


Figure 7.2: (a) Cross section of photons in polystyrene: coherent scattering (red dotted line), Compton effect (orange dotted line), photoelectric effect (green solid line) and total contribution (blue solid line). (b) Stopping power for electrons in polystyrene: coherent scattering (red dotted line), radiative effect (orange dotted line) and total contribution (blue solid line). At the considered energy range 10 keV – 10 MeV, the interaction of photons with matter is dominated by Compton effect, while the electrons interact mainly through coherent scattering. At same energies, a photon crosses roughly 10 times more polystyrene than an electron.

On Fig 7.3 are schemed the interactions of a photon and that of an electron in a SuperNEMO scintillator. When the charged particle interacts in the scintillator, the absorbed energy leads to the emission of scintillation photons. They propagate inside the scintillator, in all directions from the interaction point, at the speed  $c/n_{sc}$ , with  $n_{sc}$  the optical index of the scintillator material and  $c$  the speed of light in vacuum. Depending on their initial direction, some of those photons propagate straight to the PMT, while others are first reflected on the scintillator internal surface before entering the PMT, leading to time delay.

To illustrate this phenomenon and give an order of magnitude of this effect, we take the example of a photon interacting in the middle of the scintillator. A photoelectron travelling straight to the PM reaches the glass surface at  $t_s = \frac{L}{2c/n_{sc}}$ ,  $L$  being the scintillator width. Now let consider a photoelectron emitted in the opposite direction. It will propagate, reflect on the scintillator surface, and reach the PM at  $t_r = \frac{3L}{2c/n_{sc}}$ . This photon is then delayed of  $\Delta t^{\text{pair}} = t_r - t_s = \frac{L}{c/n_{sc}}$ . Taking the width  $L = 25$  cm and  $n_{sc} = 1.5$ , we obtain 1.25 ns of delay. Moreover, the more the incident particle interacts deeply inside the scintillator, the more those *reflected photons* are delayed. This mechanism increases the signal rising time collected at the PM anode, and impacts the scintillator time dispersion  $\sigma_{t,sc}$ . In addition, giving the cross sections of particles in polystyrene, this effect is more important for incoming photons than for incoming electrons, for which it is quite negligible. Therefore, we have  $\sigma_{t,sc}^{\gamma} > \sigma_{t,sc}^{e^-}$ .

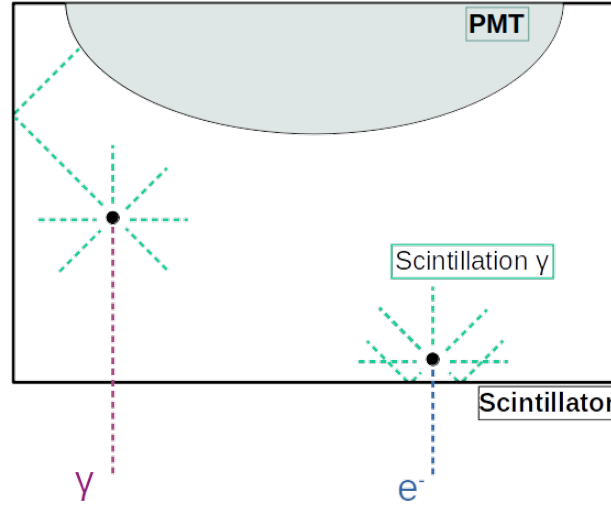


Figure 7.3: A scheme of interaction of particles in a scintillator. The photon case is displayed on the left in rose dotted line, and the electron case is on the right in dark blue dotted line. Both particles enter in the scintillator through the front face. Examples of interaction points inside the scintillator are represented by the black dots. The photons of scintillation emitted after the interaction are materialised by the bright green dotted lines. Due to different interaction probabilities in matter, the two particles are stopped at different depths inside the calorimeter. The photon can interact deeply inside the volume of the scintillating material while the electron has a high probability to interact within the first few millimetres.

### Photomultiplier time dispersion

The second term  $\sigma_{t,PM}$  in Eq. (7.1) describes the uncertainty on time measurement taken by the PM. A photomultiplier is a photodetector: after the light is collected and converted at the photocathode, the photoelectrons are multiplied. The time response depends on the transit time for the photoelectrons emitted at the photocathode to reach the anode after being multiplied. This parameter influences only the absolute value of the time measurement and do not play a role in Eq. (7.1). However, this transit time fluctuates for each photoelectron, this fluctuation being called the transit time spread (TTS). It leads to an uncertainty on the time measurement and so has an influence on the photomultiplier time dispersion  $\sigma_{t,PM}$ .

In this study, we want to characterise the time dispersion brought by the optical module on the time measurement. To do so, we used a Cobalt 60 source.

#### 7.1.2 Experimental setup

The initial activity of the source we used to achieve this setup was 447.4 kBq in February 2014. Given the half-life of the Cobalt isotope, this activity was reduced

to 232 kBq at the time of the data taking.

The main goal of this study is to provide a time calibration for a proportion of optical modules. We focused on the characterisation of calorimeter the French main wall of the SuperNEMO demonstrator. First of all because, at this time, the acquisition was possible only with the main calorimeter walls, as X-Wall and  $\gamma$ -Veto parts were in assembly phase. Then, after some energy calibration issues, the Italian main wall data were unusable in the framework of this study.

Simulations, detailed in Sec. 7.1.3, were performed to determine the amount of data we needed to characterise the time resolution of a best part of optical modules. As the demonstrator was closed at this time, setting the Cobalt source inside the detector, at source foils level, was not possible. Therefore, in order for all PMs to detect Cobalt decay  $\gamma$ s, two bunches of data acquisitions were taken: the source was placed at 9 different positions on the 2 main calorimeter walls, approximately one meter behind. Therefore, 19 data acquisitions were taken in total, 18 with the Cobalt source and 1 without, to characterise the background with current calorimeter settings. Each acquisition was about 20 minutes long.

The data acquisition using a Cobalt source took place in two weeks, during the summer break 2019. The source, initially used for teaching purposes, was loan by IPN laboratory, Orsay, for two weeks. Currently the demonstrator is not protected from the laboratory light by the anti-radon tent. As light would damage undervoltage photomultipliers, a temporary solution is used: two removable black curtains are deployed on top of the detector, making data taking possible while allowing possible necessary repairs. To not disturb on site activities and to make the loan time profitable, a SuperNEMO team and I performed night shifts to take acquisition data.

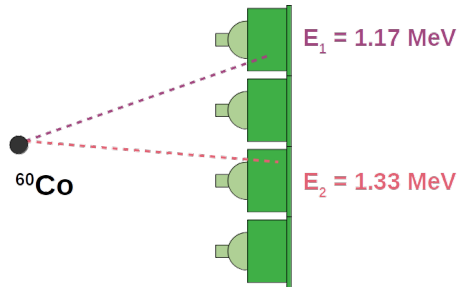


Figure 7.4

### 7.1.3 Simulated data

In order to monitor and compare the results obtained using the Cobalt 60 source, I performed  $^{60}\text{Co}$  event simulations in the SuperNEMO demonstrator, using the Falaise

software. To match the real data, the simulated source has been placed behind one of the two calorimeter main walls of the detector. In fact, at this time, the simulated detector is symmetrical in terms of detection performances. Therefore, simulations of  $^{60}\text{Co}$  events behind the two main walls are equivalent. Consequently, we only simulated the  $^{60}\text{Co}$  source behind the Italian main wall, and used these simulations for both main calorimeter walls. The Falaise and Root softwares have been employed to analyse the simulated data.

### 7.1.4 Energy calibration of optical modules

As described in Sec. 7.1.1, the collected charge at PM voltage divider is proportional to the amount of incident photoelectrons, and then to the initially deposited energy inside the scintillator. Once optical modules were assembled (optical coupling, packing, shielding integration), they were individually tested at Bordeaux laboratory, CENBG, with an electron spectrometer [ref]. Their energy resolutions for 1 MeV-electrons at the centre of scintillator front face were determined. High voltages were set to optimal values, to obtain an amplitude of 300 mV for 1 MeV electrons. However, after calorimeter integration, due to different environment, amplitude spectra of each optical block have to be re-aligned. This work was performed by Axel Pin, PhD student at CENBG. We give in this section a summary of this energy calibration study.

\*A finir

\*A bouger dans partie commissioning

### 7.1.5 Background estimation

At the time of data taking, the calorimeter of SuperNEMO was in commissioning phase, with some implications for the current analysis. Firstly, the external shielding was not yet installed, so the calorimeter was not protected from background coming from laboratory. Secondly, the energy calibration discussed in Sec. 7.1.4 was not completed, and optical modules' gains were not all aligned. These two statements may impact this study's results.

In this section, we want to estimate the amount of background events for each optical module for the data taking time period. The main background type are  $\gamma$ 's emitted during disintegration of  $^{208}\text{Tl}$ ,  $^{214}\text{Bi}$  and  $^{40}\text{K}$  isotopes, coming from natural radioactivity ( $^{238}\text{U}$  and  $^{232}\text{Th}$  decay chains respectively).

Unfortunately, we do not have a background acquisition for this time period. However, we can extract informations on background events from data acquisitions taken with the Cobalt source placed behind the wall. We suppose the more one optical block is far from the source, the more the ratio signal over background decreases. The idea here is to look only at the data taken with the part of optical modules *far* from the source. We want to check if this approximation is correct.

\* A finir \* plot hit energy/distance with source?

*idea : regarder la stat/forme du spectre en fonction de la coupure*

## 7.1.6 Detector efficiency

As described in Sec. 3.3 of chapter 3, the SuperNEMO collaboration developed its own simulation, reconstruction and analysis environment. The Falaise software, specifically designed by and for the SuperNEMO collaboration, holds the C++ library for the event reconstruction and analysis of simulated and real data. Especially, it contains the geometry, the detector material, the event data model, the reconstruction algorithms and the data analysis. Finally, the SNFee software is a tool package for the configuration, control and monitoring of the SuperNEMO front-end electronics. All this software environment has been used in the framework of the current Cobalt analysis.

### 7.1.6.1 Cuts on data events

As we said, the main goal of this study is to use the  $^{60}\text{Co}$  decay to calibrate in time the optical modules. Then, the signal we are looking for is the detection of the 2 photons of 1.17 MeV and 1.33 MeV we described above. To maximise the ratio signal over background, some cuts have been applied on the real and simulated data.

- Coincidence time criterion:  
we define the coincidence time window by events occurring in a 62.5 ns-long time interval. This allows to avoid accidental coincidence events.
- Trigger criteria:  
we are interested in events that passed both the low and high thresholds, corresponding to 150 keV and 300 keV, respectively. Moreover, we only keep events with exactly two triggering electronic channels in the selected coincidence time window and for the given trigger conditions.
- Individual energy cuts:  
given the two photon energies, we only select individual calorimeter hit energies greater than 0.7 MeV, to reject double Compton interactions of one single photon in different optical modules.
- Geometrical cut: we do not look at events with calorimeter hits in two neighbouring optical modules. In fact, we want to avoid background event where one single  $\gamma$  interacts in two different scintillators (by two successive Compton interactions). Such events occur predominantly in neighbouring scintillators. With a well calibrated detector, the individual energy cut would have been sufficient to prevent such events to be selected. But, at this time, the detector was not fully calibrated in energy, and some calorimeter hit energies could be badly reconstructed, therefore some background events could pass this cut.



In Fig. 7.5, we compare the real and simulated energy spectra for  $^{60}\text{Co}$  events satisfying to the four criteria described above. The simulated data are normalised to

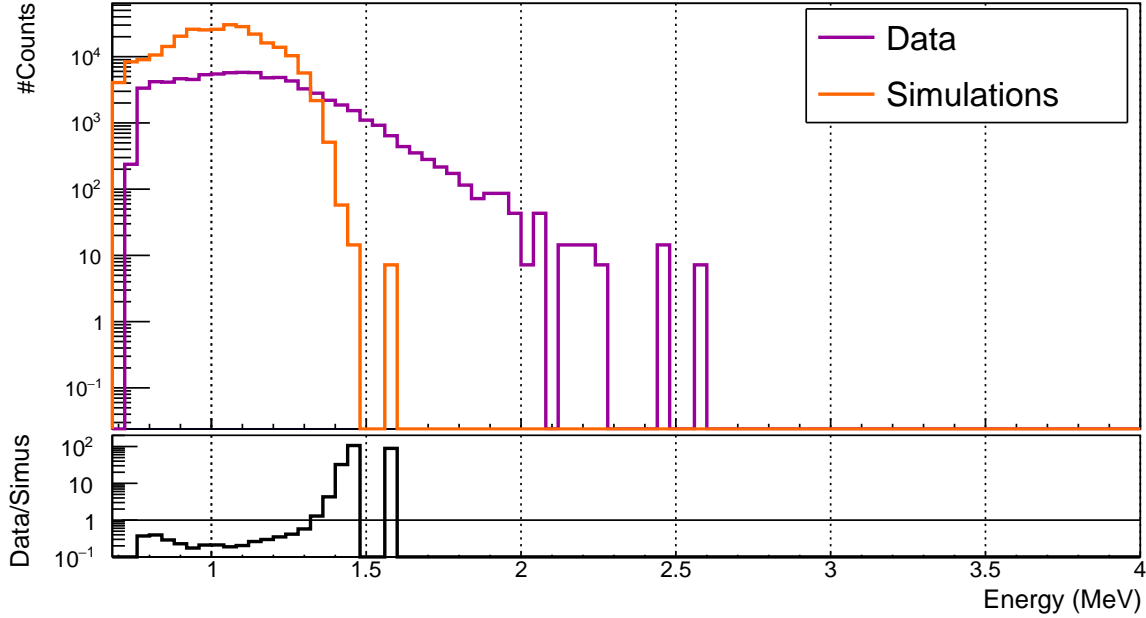


Figure 7.5: Top pad: energy spectra for simulated data (orange solid line) and real data (purple solid line) in logarithmic scale. Bottom pad: ratio of real data over simulated data for each bin in logarithmic scale.

the source activity and the acquisition time. On the simulated energy spectrum, we observe three different energy peaks. The first one, located around 0.95 MeV, is the Compton edge of the 1.17 MeV energy photon. The second peak stands around 1.1 MeV. It is a mixing between the energy of first photon <sup>1</sup>, and second photon Compton edge. Finally, the third energy peak, around 1.3 MeV, represents the detection of the second photon. However, on the real data energy spectrum, we do not distinguish the three energy peaks. This may be caused by several reasons. Firstly, the energy resolution of the calorimeter blocks. Secondly, at the time of the data taking, optical modules were not equalised in gain. The real data energy spectrum is also characterised by a high energy part. This may be due to external background events, which are not taken into account in the simulated data. In Sec. 7.1.5 is presented a background analysis to investigate the high energy part of the energy spectrum, and better understand the data.

\*tableau efficacités cuts

\* a finir \*

<sup>1</sup>Looking at Fig 7.1, the first photon to be emitted after the Cobalt  $\beta$  decay is the one at 1.17 MeV. Then, we name it *first* photon, the one of 1.33 MeV being called the *second* photon.

### 7.1.7 Determination of the individual timing resolution of each optical module

#### Time difference distributions

The final goal of this analysis is to determine the time resolution of optical modules, due to the scintillator time dispersion. As displayed in Fig. 7.1, the two photons of Cobalt 60 are emitted in coincidence. The cuts described in Sec. 7.1.6 aim to maximise the ratio signal over background, the signal being the detection of two  $\gamma$ s interacting in two different optical modules. The two  $\gamma$ s, travelling at speed of light in air, reach the two optical modules at two different times. The time of a calorimeter hit  $t_i^\gamma$ , describes in Fig. 6.3 in Chapter 6, is defined from the amount of charge collected at PM anode and received by the electronic readout. We then look for topologies where two calorimeter hits occurred in a given time window of 62.5 ns. This coincidence time window where chosen to select the two Cobalt  $\gamma$ s coincidence events, avoiding accidentals. A first event occur in one of the scintillator of the wall, meaning the amount of charge is high enough to pass the high amplitude threshold. In the considered coincidence time window, a second particle interacts in another scintillator. This topologies are likely to happen for all combinations of pairs of PMs (given the distance between the two optical modules). Therefore, we can construct a  $\Delta t^{\text{pair}}$  distribution for each pair of OM, defined as the time difference between two calorimeter hits  $\Delta t^{\text{pair}} = t_A^\gamma - t_B^\gamma$ . Here, one of the two optical modules, namely the A, is chosen as reference.

In Fig. 7.6 is presented an example of a  $\Delta t^{\text{pair}}$  distribution, for a given pair of optical modules, both for the simulated and real data, with the Cobalt source placed at the central position behind the calorimeter wall. The two distributions present different behaviours in terms of means and standard deviations. This can be explained by two distinct concepts.

Firstly, as exposed in Sec. 7.1.1, in the framework of this study, the calorimeter part of the SuperNEMO demonstrator was considered as perfect in terms of time reconstruction. All optical modules' time resolutions, whose main contributions are presented in Sec. 7.1.1, were set to 0 ns. We retrieve such a setting in the  $\Delta t^{\text{pair}}$  distribution for simulated data. In fact, the standard deviation, for this pair of optical module, is higher for real data than for simulated data. Even though the case presented is just an example for a given pair of OM, we will see this is a general result for all pairs of optical modules.

Secondly, at this time, some differences remain between what is simulated and the real demonstrator performances. In fact, as the demonstrator is in commissioning phase, some detection characteristics are not yet included in the Falaise simulations, and affect the real data results. We observe such differences in the two distributions presented: the two fitted means are different by one order of magnitude. This result was expected: for the moment, the Falaise software does not take into account, in the reconstruction process, the time made by the electric signal to travel from a

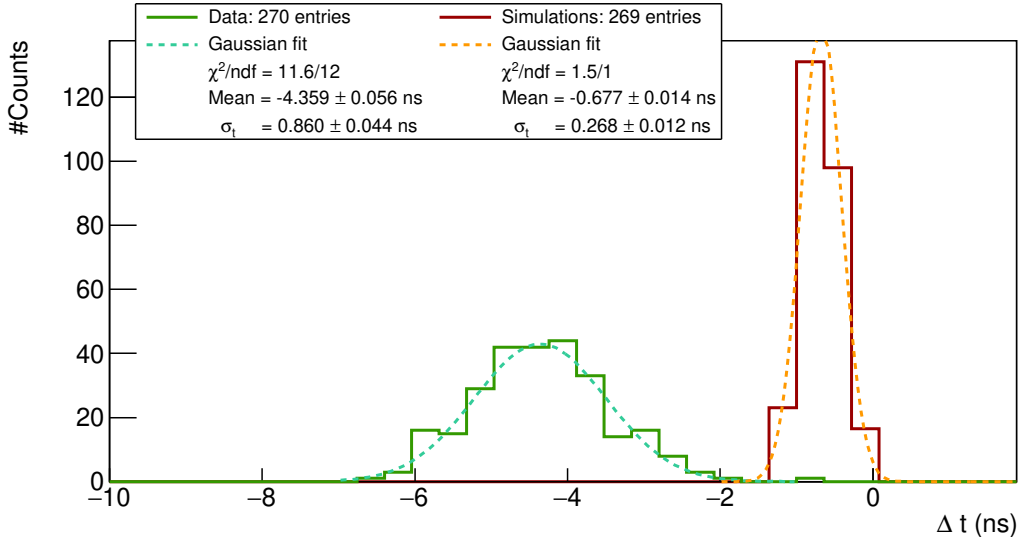


Figure 7.6:  $\Delta t^{\text{pair}}$  distributions for real data (green solid line) and simulated data (dark red solid line). Two Gaussian fit (orange dotted line) are displayed and fit parameters are given in the legend. The two distributions are not centred on the same  $\Delta t$  values because optical modules are not aligned in time. However, this does not disturb the time resolution measurements.

PM divider to the electronic readout, discussed in Sec. 6.1 of Chapter 6. In other words, the time difference distribution for a given pair of optical module is affected by the difference of lengths of the two coaxial cables. This is an important parameter directly affecting the mean time difference between two distinct optical modules detecting particles in coincidence. Despite simulations do not perfectly picture the full detector performances, real data and simulation can be compared, since we understand these differences. Moreover, both the real and simulated data are affected by parameters such as the distance from the Cobalt source to the wall, or the distance between the two considered optical modules.

A  $\Delta t^{\text{pair}}$  distribution exists for each pair of optical module detecting two events in the time coincidence window. The least square method is used to fit data points, which minimises the difference between the measured value and the fitted value. A mean and a standard deviation is then defined for each pair of optical module whose fitted data has  $\chi^2/\text{dof} < 4$ . Therefore, each pair of optical module is characterised by the mean and standard deviation of its corresponding  $\Delta t^{\text{pair}}$  distribution. The standard deviation, noted as  $\sigma_t^{\text{pair}}$  in the figure legend, corresponds to the uncertainty on time measurement for this peculiar pair of OM. Therefore, a value of the time uncertainty  $\sigma_t^{\text{pair}}$  can only be given for a proportion of total optical modules.

As the detector in commissioning phase, the acquisition was taken with 254 optical modules<sup>2</sup>. In this study, we only consider 8 inches PMs, hence this analysis aims

<sup>2</sup>Three OMs are damaged on the French wall (\*ref commissioning\*) and three photomultipliers

to characterise the time resolution of 214 OMs, representing 45796 possible combinations of pairs. In Fig.7.7 are presented the  $\sigma_t^{\text{pair}}$  values, both for simulated and real data. In the first place, we notice the mean  $\sigma_t^{\text{pair}}$  value for simulations is lower than

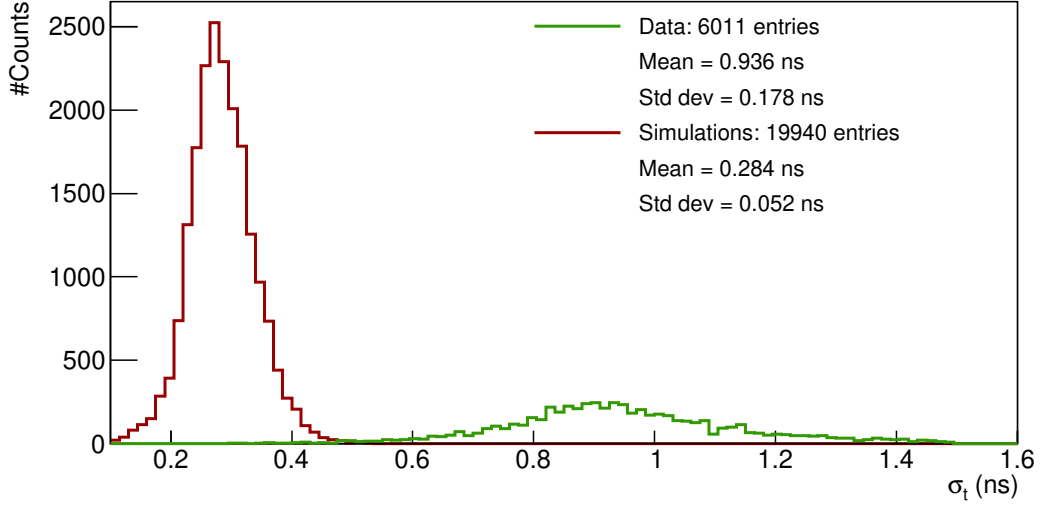


Figure 7.7:  $\sigma_t^{\text{pair}}$  distribution for pairs of optical modules.

for real data. As explained above, this difference is caused by the perfect calorimeter time resolution for simulations on one side, and by the detector characteristics not yet implemented in the simulation software on the other side. This second statement is also behind the larger value of the real data distribution's standard deviation. In fact, for the simulated case,  $\Delta t$  distributions, of which an example is given in Fig. 7.6, have comparable  $\sigma_t^{\text{pair}}$  values, for all pairs of optical modules. This is not the case for the real data: the  $\sigma_t^{\text{pair}}$  value for a given pair of OM depends on the difference between the two coaxial cable lengths. And this length difference being specific for each pair of optical module.

Moreover, we succeeded characterising  $\sigma_t^{\text{pair}}$  values for 13% of pairs of optical blocks for real data, against 43% for simulations. In fact, the more one optical module is from the source, the more it is background dominated. As we explained, such a value is provided for a OM pair only if the fit of the corresponding  $\Delta t^{\text{pair}}$  distribution is of high-quality. Therefore, the optical modules for which the fit successes are the ones around the source. This is not valid for simulations as we only have Cobalt events, and no background is simulated.

In Fig.7.8 is displayed the number of characterised optical blocks, with the distance between the reference block and the Cobalt 60 source, in units of block width. For a given distance from the source, the amount of characterised OM is lower for the real data case than for the simulated one. This explains the different amount of

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were not well aligned in gain at this time, and had to be removed from the analysis.

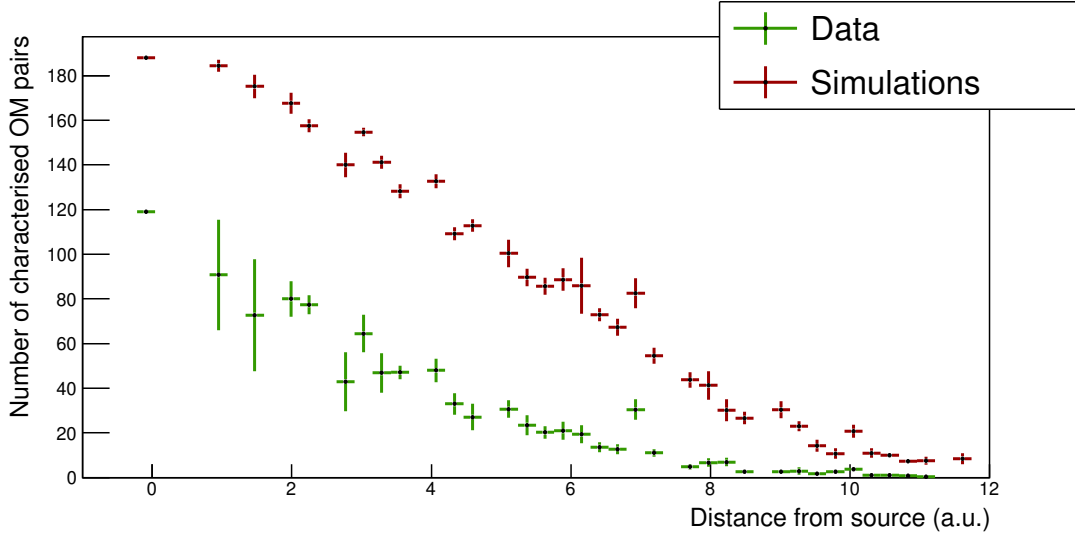


Figure 7.8: Number of characterised OM pairs, with the distance between reference OM and source.

characterised OMs for real and simulated data.

We presented results on the uncertainty on time measurement for pairs of optical module,  $\sigma_t^{\text{pair}}$ . However, we are interesting in providing such values, independently for each optical modules. Therefore, in the following, we present the algorithm we used to provide  $\sigma_t^{\text{indep}}$  values.

### Decoupling of $\sigma_t^{\text{pair}}$ values

We have determined  $\sigma_t^{\text{pair}}$  for some of the pairs of OMs on the French wall. For example, if we take the source closest OM (OM located at the centre of the French main calorimeter wall), it has coincidence events with a certain number of other optical blocks. Among them, 119 different  $\Delta t^{\text{pair}}$  distributions are fitted, therefore 119 values of  $\sigma_t^{\text{pair}}$  are stored. And this work is done for each counting optical modules taken as reference. All following steps aim to determine the individual  $\sigma_t^{\text{indep}}$ .

We want to evaluate this value for the closest OM from the source, let us number it 0. We have access to the number of coincidence events this OM has with each other OMs. We pick up the two OM that have the more coincidence events with this reference OM, with their associated  $\sigma_t^{\text{indep}}$  and mean energies. We number them as 1 and 2. Therefore, to find the value of  $\sigma_t^{\text{indep}}$ , we have to solve a set of 3 linear

equations:

$$\begin{aligned}(\sigma_t^{0,1})^2 &= \frac{(\sigma_t^0)^2}{\bar{E}_0} + \frac{(\sigma_t^1)^2}{\bar{E}_1} \\(\sigma_t^{0,2})^2 &= \frac{(\sigma_t^0)^2}{\bar{E}_0} + \frac{(\sigma_t^2)^2}{\bar{E}_2} \\(\sigma_t^{1,2})^2 &= \frac{(\sigma_t^1)^2}{\bar{E}_1} + \frac{(\sigma_t^2)^2}{\bar{E}_2},\end{aligned}\tag{7.3}$$

where  $\sigma_t^i$  is the individual uncertainty on time measurement for the block  $i$ . Solving simultaneously these equations comes down to diagonalise the matrix  $S$  defined as

$$S = \begin{pmatrix} 1/\bar{E}_0 & 1/\bar{E}_1 & 0 \\ 1/\bar{E}_0 & 0 & 1/\bar{E}_2 \\ 0 & 1/\bar{E}_1 & 1/\bar{E}_2 \end{pmatrix}.\tag{7.4}$$

We now generalise this method to all possible combinations of OM pairs for which we have informations on  $\sigma_t^{\text{pair}}$ .

## 7.2 The Light Injection System

The SuperNEMO demonstrator is designed to have a long exposure time. In this context, calibration systems are necessary to control and calibrate the response of the detector. The so called *Light Injection* (LI) System will monitor the stability of the calorimeter response in energy to 1%. It consists in 20 Light Emitting Diodes (LED) at 385 nm, injecting light in each scintillator block via optical fibers. A set of reference optical modules (PMTs coupled with scintillator blocks), receiving light from both LEDs and  $^{241}\text{Am}$  sources, monitors the stability of the LEDs. A scheme of the complete LI calibration system is given in Fig. 7.9.

First LI commissioning data was taken in March 2019.

### 7.2.1 Light injection system commissioning

In the LI system design, the SuperNEMO demonstrator has been segmented in 10 areas. Each area receives light from one given LED

Primary/secondary Each LED lights Group LEDs/area

### 7.2.2 Time resolution of optical modules

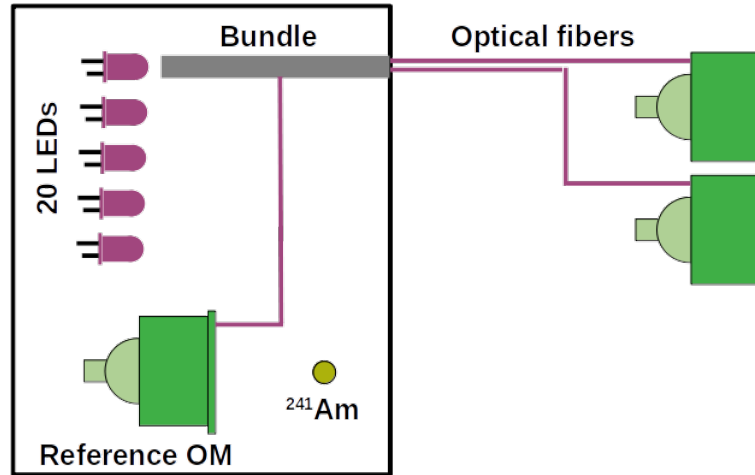


Figure 7.9: The Light Injection (LI) calibration system is schematised. More than 1300 fibers, distributed in 20 bundles, carry the light from 20 LEDs to each scintillator block of the demonstrator. Reference OMs coupled with  $^{241}\text{Am}$  sources monitor the LED light.

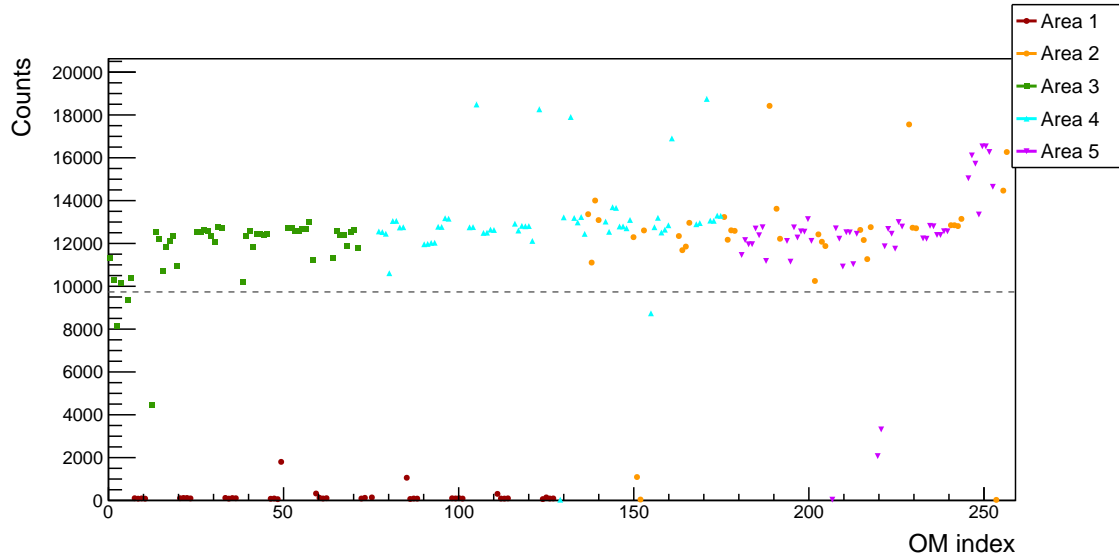


Figure 7.10: The number of counts is displayed for each optical module, labelled by the *OM index*. Each coloured marker represents counting rates for one area of the detector, that is to say one group of optical modules lighted by the same LED. The area #1 (dark red dots) is not receiving light from its corresponding LED.

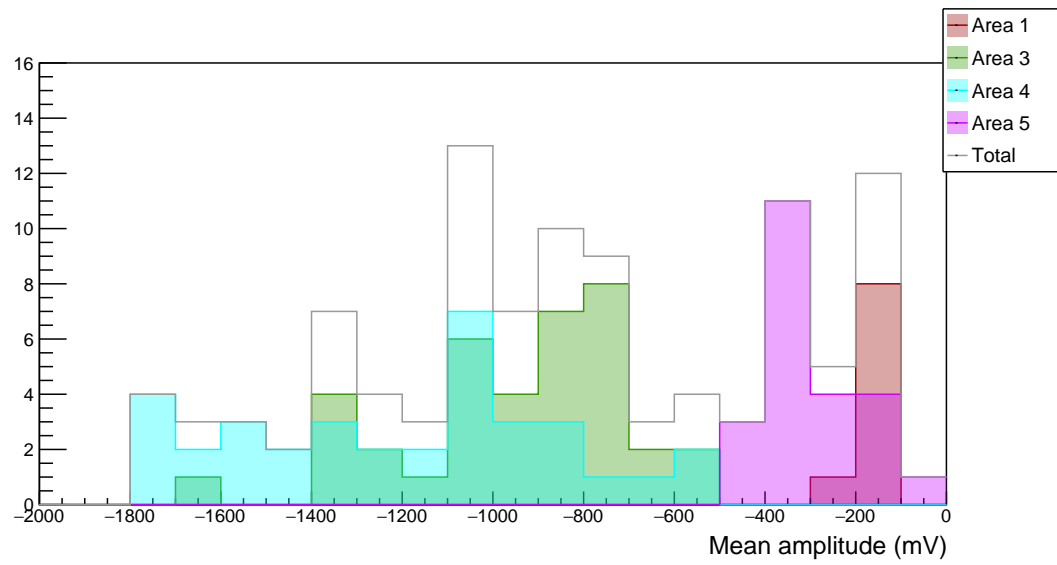


Figure 7.11: The mean signal amplitude distribution for each optical module is presented. One colour stands for one area of the half detector. In Grey is the total mean amplitude distribution.





# Bibliography

- [1] M. et al. Agostini. Probing majorana neutrinos with double- $\beta$  decay. *Science* 365, 1445, 2019.
- [2] S.I. et al. Alvis. Search for neutrinoless double-beta decay in  $^{76}\text{Ge}$  with 26 kg-yr of exposure from the majorana demonstrator. *Phys. Rev. C*, 100, 2019.
- [3] O. et al. Azzolini. First result on the neutrinoless double- $\beta$  decay of  $^{82}\text{Se}$  with cupid-0. *Phys. Rev. Lett.*, 120:232502, Jun 2018.
- [4] C. et al. Alduino. First results from cuore: A search for lepton number violation via  $0\nu\beta\beta$  decay of  $^{130}\text{Te}$ . *Phys. Rev. Lett.*, 120:132501, Mar 2018.
- [5] J. B. et al. Albert. Search for neutrinoless double-beta decay with the upgraded exo-200 detector. *Phys. Rev. Lett.*, 120:072701, Feb 2018.
- [6] A. et al. Gando. Search for majorana neutrinos near the inverted mass hierarchy region with kamland-zen. *Phys. Rev. Lett.*, 117:082503, Aug 2016.