

FINANCIAL MANAGEMENT (MGT-1029)

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J COMPONENT REVIEW-3

PROJECT TITLE: BITCOIN PRICE PREDICTION USING MACHINE LEARNING ALGORITHMS

RESEARCH PROBLEM

- ▶ To find an appropriate dataset historical dataset for bitcoin.
- ▶ Do the required pre-processings to work further on the data for analytics as well as predictions.
- ▶ Predict the close price of bitcoin for the given dataset using multiple machine learning techniques.
- ▶ Compare and analyze as to which machine learning algorithm works well for the given bitcoin historic data.

MOTIVATION FOR THE STUDY

- ▶ In today's times of automated investing and data- driven decision making, it is vital to explore and formulate a way to make investing more informative.
- ▶ Bitcoin has been gaining traction since inception and the bull-run during FY21 has brought in more retail investors into this space. Since cryptocurrencies is a new concept many of these investors are prone to bad investments. Automated investing can solve this problem.
- ▶ Bitcoin price changes being volatile by nature, has been difficult to predict. Through this project, we aim to test various training algorithms to achieve a method that will return the least error when predicting the price.

LITERATURE SURVEY

Paper-1:

Bitcoin price prediction using machine learning- An approach to sample dimension engineering:

The paper uses a set of high-dimension features including property and network, trading and market, attention and gold spot price for Bitcoin daily price prediction, while the basic trading features acquired from a cryptocurrency exchange are used for 5-minute interval price prediction. Statistical methods including Logistic Regression and Linear Discriminant Analysis for Bitcoin daily price prediction achieved an accuracy of 66%, outperforming more complicated machine learning algorithms. Compared with benchmark results for daily price prediction, a better performance with highest accuracies of the statistical methods and machine learning algorithms of 66% and 65.3% were achieved. Machine learning models including Random Forest, XGBoost, Quadratic Discriminant Analysis, Support Vector Machine and Long Short-term Memory for Bitcoin 5-minute interval price prediction are superior to statistical methods, with accuracy reaching 67.2%.

Reference: Zheshi Chen, Chunhong Li, Wenjun Sun, Bitcoin price prediction using machine learning: An approach to sample dimension engineering, Journal of Computational and Applied Mathematics, Volume 365, 2020, 112395, ISSN 0377-0427, <https://doi.org/10.1016/j.cam.2019.112395>.

Paper-2:

Bitcoin price prediction using machine learning:

This paper attempts to predict the Bitcoin price accurately taking into consideration various parameters that affect the Bitcoin value. For the first phase of our investigation, it aims to understand and identify daily trends in the Bitcoin market while gaining insight into optimal features surrounding Bitcoin price. The data set consists of various features relating to the Bitcoin price and payment network over the course of five years, recorded daily. For the second phase of the investigation, using the available information, it predicts the sign of the daily price change with highest possible accuracy. They have acquired bitcoin values from two different databases namely: Quandl and CoinmarketCap. After acquiring this time-series data recorded daily for five years at different time instances, it is normalized and smoothened. For this, they have implemented different normalization techniques like log transformation, z-score normalization, boxcox normalization, and so on. After this, data is smoothened over the complete time period, and the prediction is done.

Reference: S. Velankar, S. Valecha and S. Maji, "Bitcoin price prediction using machine learning," 2018 20th International Conference on Advanced Communication Technology (ICACT), 2018, pp. 144-147, doi: 10.23919/ICACT.2018.8323676.

Paper -3:

A Comparative Study of Bitcoin Price Prediction Using Deep Learning:

In this paper, various state-of-the-art deep learning methods such as a deep neural network (DNN), a long short-term memory (LSTM) model, a convolutional neural network, a deep residual network, and their combinations are used for Bitcoin price prediction. Experimental results showed that although LSTM-based prediction models slightly outperformed the other prediction models for Bitcoin price prediction (regression), DNN-based models performed the best for price ups and downs prediction (classification). In addition, a simple profitability analysis showed that classification models were more effective than regression models for algorithmic trading. Overall, the performances of the proposed deep learning-based prediction models were comparable.

Reference: Ji, S.; Kim, J.; Im, H. A Comparative Study of Bitcoin Price Prediction Using Deep Learning. *Mathematics* 2019, 7, 898. <https://doi.org/10.3390/math7100898>

Paper-4:

Machine Learning Models Comparison for Bitcoin Price Prediction:

This research aims to discover the most efficient and highest accuracy model to predict Bitcoin prices from various machine learning algorithms. By using 1-minute interval trading data on the Bitcoin exchange website named bitstamp from January 1, 2012 to January 8, 2018, some different regression models with scikit-learn and Keras libraries had experimented. The best results showed that the Mean Squared Error (MSE) was as low as 0.00002 and the R-Square (R^2) was as high as 99.2%. In this research, regression machine learning model was chosen due to continuous values of Bitcoin price. With the scikit-learn library, the best two regression models; Theil-Sen Regression and Huber Regression were selected to compare. For deep learning based regression models, Keras library was used to create LSTM and GRU models.

Reference: T. Phaladisailoed and T. Numnonda, "Machine Learning Models Comparison for Bitcoin Price Prediction," 2018 10th International Conference on Information Technology and Electrical Engineering (ICITEE), 2018, pp. 506-511, doi: 10.1109/ICITEED.2018.8534911.

Paper-5:

Next-Day Bitcoin Price Forecast:

This study analyzes forecasts of Bitcoin price using the autoregressive integrated moving average (ARIMA) and neural network autoregression (NNAR) models. Employing the static forecast approach, it forecasts next-day Bitcoin price both with and without re-estimation of the forecast model for each step. For cross-validation of forecast results, it considers two different training and test samples. In the first training-sample, NNAR performs better than ARIMA, while ARIMA outperforms NNAR in the

second training-sample. Additionally, ARIMA with model re-estimation at each step outperforms NNAR in the two test-sample forecast periods. The Diebold Mariano test confirms the superiority of forecast results of ARIMA model over NNAR in the test-sample periods. Forecast performance of ARIMA models with and without re-estimation are identical for the estimated test-sample periods. Despite the sophistication of NNAR, this paper demonstrates ARIMA enduring power of volatile Bitcoin price prediction.

Reference: Munim, Z.H.; Shakil, M.H.; Alon, I. Next-Day Bitcoin Price Forecast. J. Risk Financial Manag. 2019, 12, 103. <https://doi.org/10.3390/jrfm12020103>

Paper-6:

Bitcoin Price Prediction: An ARIMA Approach:

This paper aims at revealing the usefulness of traditional autoregressive integrative moving average (ARIMA) model in predicting the future value of bitcoin by analyzing the price time series in a 3-years-long time period. Empirical studies reveal that this simple scheme is efficient in sub-periods in which the behavior of the time-series is almost unchanged, especially when it is used for short-term prediction, e.g. 1-day. On the other hand, when the ARIMA model is trained to a 3-years-long period, during which the bitcoin price has experienced different behaviors, or when it is used for a long-term prediction, it is observed that it introduces large prediction errors. Especially, the ARIMA model is unable to capture the sharp fluctuations in the price, e.g. the volatility at the end of 2017. Then, it calls for more features to be extracted and used along with the price for a more accurate prediction of the price. The paper further investigates the bitcoin price prediction using an ARIMA model, trained over a large dataset, and a limited test window of the bitcoin price, with length w , as inputs.

Reference: arXiv:1904.05315 [cs.SI] (or arXiv:1904.05315v1 [cs.SI] for this version) <https://doi.org/10.48550/arXiv.1904.05315>

Paper-7:

Bitcoin price prediction using ensembles of neural networks:

This paper explores the relationship between the features of Bitcoin and the next day change in the price of Bitcoin using an Artificial Neural Network ensemble approach called Genetic Algorithm based Selective Neural Network Ensemble, constructed using Multi-Layered Perceptron as the base model for each of the neural network in the ensemble. To better understand the practicality and its effectiveness in real-world application, the ensemble was used to predict the next day direction of the price of Bitcoin given a set of approximately 200 features of the cryptocurrency over a span of 2 years. Over a span of 50 days, a trading strategy based on the ensemble was compared against a “previous day trend following” trading strategy through back-testing. The former trading strategy generated almost 85% returns, outperforming the “previous day trend following” trading strategy which produced an approximate 38% returns and a

trading strategy that follows the single, best MLP model in the ensemble that generated approximately 53% in returns.

Reference: E. Sin and L. Wang, "Bitcoin price prediction using ensembles of neural networks," 2017 13th International Conference on Natural Computation, Fuzzy Systems and Knowledge Discovery (ICNC-FSKD), 2017, pp. 666-671, doi: 10.1109/FSKD.2017.8393351.

Paper-8:

Deep Learning Approach to Determine the Impact of Socio Economic Factors on Bitcoin Price Prediction:

In this paper, a comparative study of the various parameters affecting bitcoin price prediction is done based on Root Mean Square Error (RMSE) using various deep learning models like Convolutional Neural Network (CNN), Long Short Term Memory (LSTM) and Gated Recurrent Unit (GRU). It studies the effect of Gold price on the price of bitcoin. In their proposed methodology, the paper includes both social and financial factors to predict the bitcoin price to ease out predictions associated with bitcoin over years. It also used a new parameter Gold in predicting the price of bitcoin. Gold is one of the most important financial aspects which has a great influence in determining a country's economy. Therefore, the trends of gold price in the international market can also be seen as a parameter to give a better approach for bitcoin price prediction.

Reference: A. Aggarwal, I. Gupta, N. Garg and A. Goel, "Deep Learning Approach to Determine the Impact of Socio Economic Factors on Bitcoin Price Prediction," 2019 Twelfth International Conference on Contemporary Computing (IC3), 2019, pp. 1-5, doi: 10.1109/IC3.2019.8844928.

Paper-9:

A Deep Learning-based Cryptocurrency Price Prediction Scheme for Financial Institutions:

A cryptocurrency is a network-based digital exchange medium, where the records are secured using strong cryptographic algorithms such as Secure Hash Algorithm 2 (SHA-2) and Message Digest 5 (MD5). It uses blockchain technology to make the transactions secure, transparent, traceable, and immutable. Due to these properties, the cryptocurrencies have gained popularity in almost all the sectors especially in financial sectors. In this paper, a LSTM and GRU-based hybrid cryptocurrency prediction scheme is proposed, which focuses on only two cryptocurrencies, namely Litecoin and Monero. The results depict that the proposed scheme accurately predicts the prices with high accuracy, revealing that the scheme can be applicable in various cryptocurrencies price predictions.

Reference: Mohil Maheshkumar Patel, Sudeep Tanwar, Rajesh Gupta, Neeraj Kumar, A Deep Learning-based Cryptocurrency Price Prediction Scheme for Financial

Institutions, Journal of Information Security and Applications, Volume 55, 2020, 102583, ISSN 2214-2126, <https://doi.org/10.1016/j.jisa.2020.102583>.

Paper-10:

Systematic Erudition of Bitcoin Price Prediction using Machine Learning

Techniques:

This paper conducts an in-depth study on evolution of Bitcoin and also a systematic review is done on various machine learning algorithms used for predicting the prices. Comparative analysis envisions to select optimal technique to forecast prices more precisely. The models used in the paper are as follows: Auto-Regressive Integrated Moving Average Model, Regression model, Latent Source Model, Binomial Generalized Linear Model, Generalized Autoregressive Conditional Heteroskedasticity Model, Support Vector Machine Model, Long Short Term Memory Network Model and the Non-linear Auto-Regressive with Exogenous Input Model. The solutions provided in many of the existing system gives 60- 70% accuracy. Although some techniques are not considered as the accuracy obtained by them is very less, the overall study is very promising and can help investors to invest accordingly. The accuracy of NARX Model is the best model in predicting the Bitcoin prices, according to the study conducted in this paper.

Reference: P. V. Rane and S. N. Dhage, "Systematic Erudition of Bitcoin Price Prediction using Machine Learning Techniques," 2019 5th International Conference on Advanced Computing & Communication Systems (ICACCS), 2019, pp. 594-598, doi: 10.1109/ICACCS.2019.8728424.

RESEARCH GAP

- ▶ Price prediction tool have been around for a while but they have either been inaccessible to the public or are too technical to understand.
- ▶ In stock-trading price-predictor models, indicators such as the ichimoku cloud and pattern prediction have been used. But in case of cryptocurrencies, due to its high volatility and assets being concentrated in few individual wallets (whales), it is difficult to come up with a trading strategy that involves data predictions.
- ▶ There are price predictors that use time series predictions. But price predictors that use ML algorithms are currently unavailable or are vastly inaccurate.

OBJECTIVE OF THE STUDY

- ▶ As already stated, bitcoin has gained traction for the last few years and the bull run has bought more retail investors to the space. These non-professionals and newbie buyers have less experience in the field of the bitcoin market.

Therefore prior forecast of the bitcoin price or the prediction of the trend might help them buy and sell them accordingly.

- ▶ Use different machine learning algorithm on the bitcoin dataset to find which is efficient and predict the close price of the bitcoin at the end of the day.
- ▶ Minimize the error in the dataset using appropriate scaling and optimization techniques.
- ▶ Use the live dataset of the bitcoin to predict or forecast the current trend in the close price at the end of the day.
- ▶ Compare the results obtained using different prediction or forecast algorithms and differentiate them accordingly.

DATA EXPLANATION AND SOURCE

The dataset has been obtained from the following source:

<https://finance.yahoo.com/quote/BTC-USD/history/>

A sample screenshot of the dataset:

| | A | B | C | D | E | F | G |
|----|------------|-------------|-------------|-------------|-------------|-------------|-------------|
| 1 | Date | Open | High | Low | Close | Adj Close | Volume |
| 2 | 20-04-2021 | 55681.79297 | 57062.14844 | 53448.04688 | 56473.03125 | 56473.03125 | 67849323955 |
| 3 | 21-04-2021 | 56471.12891 | 56757.97266 | 53695.46875 | 53906.08984 | 53906.08984 | 54926612466 |
| 4 | 22-04-2021 | 53857.10547 | 55410.23047 | 50583.8125 | 51762.27344 | 51762.27344 | 74798630778 |
| 5 | 23-04-2021 | 51739.80859 | 52120.79297 | 47714.66406 | 51093.65234 | 51093.65234 | 86668667320 |
| 6 | 24-04-2021 | 51143.22656 | 51167.5625 | 48805.28516 | 50050.86719 | 50050.86719 | 49014494781 |
| 7 | 25-04-2021 | 50052.83203 | 50506.01953 | 47159.48438 | 49004.25391 | 49004.25391 | 46117114240 |
| 8 | 26-04-2021 | 49077.79297 | 54288.00391 | 48852.79688 | 54021.75391 | 54021.75391 | 58284039825 |
| 9 | 27-04-2021 | 54030.30469 | 55416.96484 | 53319.1875 | 55033.11719 | 55033.11719 | 49448222757 |
| 10 | 28-04-2021 | 55036.63672 | 56227.20703 | 53887.91797 | 54824.70313 | 54824.70313 | 48000572955 |
| 11 | 29-04-2021 | 54858.08984 | 55115.84375 | 52418.02734 | 53555.10938 | 53555.10938 | 46088929780 |
| 12 | 30-04-2021 | 53568.66406 | 57900.71875 | 53129.60156 | 57750.17578 | 57750.17578 | 52395931985 |
| 13 | 01-05-2021 | 57714.66406 | 58448.33984 | 57052.27344 | 57828.05078 | 57828.05078 | 42836427360 |
| 14 | 02-05-2021 | 57825.86328 | 57902.59375 | 56141.90625 | 56631.07813 | 56631.07813 | 38177405335 |
| 15 | 03-05-2021 | 56620.27344 | 58973.30859 | 56590.87109 | 57200.29297 | 57200.29297 | 51713139031 |

Description of the attributes:

Date - The date at which the bitcoin prices are registered.

Open - When an exchange starts for the day, the opening price is the price at which a securities trades for the first time.

High - The highest price of bitcoin registered on that day.

Low - The lowest price of bitcoin registered on that day.

Close - The price of a security in a financial market at the end of the day's trading.

Adj Close - The adjusted closing price adjusts a stock's closing price to reflect its value after any corporate actions have been taken into account.

Volume - It's computed by adding up all of the dollars traded in each transaction (price multiplied by the number of shares traded) and then dividing by the total number of shares traded.

SAMPLE TIME-PERIODS AND VARIABLES TO BE CONSIDERED IN STUDY

- ▶ Sample time periods: Each row of the data contains a single day's bitcoin price, its high, low value, etc. So the sample's time period is one day.
- ▶ Variables to be considered: Variables to be considered for the study are open price, close price, volume, the high value of the bitcoin, low value of the bitcoin, and change in the percentage of the value of the bitcoin in comparison to the previous day.

CODE AND METHODOLOGY

The coding is implemented using the Jupyter notebook interface where all the data preprocessing work and the Machine Learning models are developed.

Initially, the libraries are imported to get started with the work:

Importing the required libraries for the analysis

```
from functools import reduce
import pandas as pd
import numpy as np
import pmdarima as pmd
from sklearn.model_selection import train_test_split
from sklearn.linear_model import LinearRegression
from sklearn.tree import DecisionTreeRegressor
from sklearn import svm
from sklearn.ensemble import RandomForestRegressor
from sklearn.neighbors import KNeighborsRegressor
from statsmodels.tsa.statespace.sarimax import SARIMAX
from sklearn.metrics import confusion_matrix
from sklearn.metrics import mean_absolute_error
import matplotlib.pyplot as plt
import seaborn as sb
from statsmodels.tsa.arima.model import ARIMA
import statsmodels.api as sm
```

The csv file of the bitcoin price data is read into the Jupyter notebook, and the datatypes of the various attributes present in the dataset are observed:


```
data
```

| | Date | Open | High | Low | Close | Adj Close | Volume |
|-----|------------|--------------|--------------|--------------|--------------|--------------|-------------|
| 0 | 2021-04-20 | 55681.792969 | 57062.148438 | 53448.046875 | 56473.031250 | 56473.031250 | 67849323955 |
| 1 | 2021-04-21 | 56471.128906 | 56757.972656 | 53695.468750 | 53906.089844 | 53906.089844 | 54926612466 |
| 2 | 2021-04-22 | 53857.105469 | 55410.230469 | 50583.812500 | 51762.273438 | 51762.273438 | 74798630778 |
| 3 | 2021-04-23 | 51739.808594 | 52120.792969 | 47714.664063 | 51093.652344 | 51093.652344 | 86668667320 |
| 4 | 2021-04-24 | 51143.226563 | 51167.562500 | 48805.285156 | 50050.867188 | 50050.867188 | 49014494781 |
| ... | ... | ... | ... | ... | ... | ... | ... |
| 361 | 2022-04-16 | 40552.316406 | 40633.679688 | 40078.425781 | 40424.484375 | 40424.484375 | 16833150693 |
| 362 | 2022-04-17 | 40417.777344 | 40570.726563 | 39620.894531 | 39716.953125 | 39716.953125 | 19087633042 |
| 363 | 2022-04-18 | 39721.203125 | 40986.320313 | 38696.191406 | 40826.214844 | 40826.214844 | 33705182072 |
| 364 | 2022-04-19 | 40828.175781 | 41672.960938 | 40618.632813 | 41502.750000 | 41502.750000 | 25303206547 |
| 365 | 2022-04-20 | 41453.355469 | 41510.558594 | 41282.078125 | 41282.078125 | 41282.078125 | 24289802240 |

366 rows × 7 columns

```
data.dtypes
```

```
Date          object
Open          float64
High          float64
Low           float64
Close         float64
Adj Close     float64
Volume        int64
dtype: object
```

Checking using the correlation map to find out how the columns in the dataset are dependent on each other (A value close to 1 indicating strong relationship and a value close to 0 indicating weak relationship):

Plotting the heatmap for the correlation of the dataset

```
corr = data.corr()  
corr.style.background_gradient(cmap='coolwarm')
```

| | Open | High | Low | Close | Adj Close | Volume |
|-----------|----------|----------|----------|----------|-----------|----------|
| Open | 1.000000 | 0.992602 | 0.985523 | 0.979704 | 0.979704 | 0.239840 |
| High | 0.992602 | 1.000000 | 0.984882 | 0.990655 | 0.990655 | 0.270608 |
| Low | 0.985523 | 0.984882 | 1.000000 | 0.990554 | 0.990554 | 0.145477 |
| Close | 0.979704 | 0.990655 | 0.990554 | 1.000000 | 1.000000 | 0.208262 |
| Adj Close | 0.979704 | 0.990655 | 0.990554 | 1.000000 | 1.000000 | 0.208262 |
| Volume | 0.239840 | 0.270608 | 0.145477 | 0.208262 | 0.208262 | 1.000000 |

The closing price of bitcoin is the dependent variable, which will be predicted using the various other independent variables present in the dataset. And the date column has been removed from the dataset as it does not contribute towards building the ML model for predicting the price of a bitcoin:

```
: y=data["Close"]  
del data["Date"]
```

The dataset is then split into training and testing data. The ML models will be trained using the training dataset and its performance will be measured using the test data.

Dividing the test and train split

```
: X_train, X_test, y_train, y_test = train_test_split(x, y, test_size=0.1, shuffle = False, stratify = None)  
print(X_train.shape, X_test.shape, y_train.shape, y_test.shape)  
(329, 5) (37, 5) (329, 1) (37, 1)
```

MODEL BUILDING AND PREDICTING THE PRICE OF THE BITCOIN:

An object for linear regression is created and the training data is fit into the object.

1. Building the linear regression model

```
model=LinearRegression()  
model.fit(X_train,y_train)
```

LinearRegression()

After the object model is created, the test data is used to predict the prices of the bitcoin, and the predicted value is compared with the actual prices of the test data.

Predicting and analysing the difference with the test data

```
: y_pred=model.predict(X_test)  
val={  
    "Predicted": reduce(lambda z, y :z + y, y_pred.tolist()),  
    "Actual": reduce(lambda z, y :z + y, y_test.values.tolist())  
}  
ans=pd.DataFrame(val)  
ans
```

```
:  
      Predicted      Actual  
0  39338.785156  39338.785156  
1  41143.929688  41143.929688  
2  40951.378906  40951.378906  
3  41801.156250  41801.156250  
4  42190.652344  42190.652344  
5  41247.824219  41247.824219  
6  41077.996094  41077.996094  
7  42358.808594  42358.808594  
8  42892.957031  42892.957031  
9  43960.933594  43960.933594  
10 44348.730469  44348.730469
```

Next, the decision tree algorithm is used to predict the prices, and the actual vs predicted prices are observed:

2. Building the decision tree regression model

```
regressor = DecisionTreeRegressor(random_state = 0)  
regressor.fit(X_train, y_train)
```

DecisionTreeRegressor(random_state=0)

Predicting and analysing the difference with the test data

```
y_pred=regressor.predict(X_test)
val={
    "Predicted": y_pred.tolist(),
    "Actual": reduce(lambda z, y :z + y, y_test.values.tolist())
}
ans=pd.DataFrame(val)
ans
```

| | Predicted | Actual |
|----|--------------|--------------|
| 0 | 39400.585938 | 39338.785156 |
| 1 | 40869.554688 | 41143.929688 |
| 2 | 41034.542969 | 40951.378906 |
| 3 | 41821.261719 | 41801.156250 |
| 4 | 42197.515625 | 42190.652344 |
| 5 | 41626.195313 | 41247.824219 |
| 6 | 41034.542969 | 41077.996094 |
| 7 | 42375.632813 | 42358.808594 |
| 8 | 42909.402344 | 42892.957031 |
| 9 | 43949.101563 | 43960.933594 |
| 10 | 44338.796875 | 44348.730469 |

K Nearest Neighbour algorithm:

3. Building the KNN regression model

```
neigh = KNeighborsRegressor(n_neighbors=30)
neigh.fit(X_train, y_train)
```

KNeighborsRegressor(n_neighbors=30)

Predicting and analysing the difference with the test data

```
y_pred=neigh.predict(X_test)
val={
    "Predicted": reduce(lambda z, y :z + y, y_pred.tolist()),
    "Actual": reduce(lambda z, y :z + y, y_test.values.tolist())
}
ans=pd.DataFrame(val)
ans
```

| | Predicted | Actual |
|----|--------------|--------------|
| 0 | 41868.330078 | 39338.785156 |
| 1 | 47189.765560 | 41143.929688 |
| 2 | 38589.714714 | 40951.378906 |
| 3 | 45900.532682 | 41801.156250 |
| 4 | 38831.392513 | 42190.652344 |
| 5 | 38787.365300 | 41247.824219 |
| 6 | 42804.990755 | 41077.996094 |
| 7 | 47622.347005 | 42358.808594 |
| 8 | 43788.262630 | 42892.957031 |
| 9 | 47412.395833 | 43960.933594 |
| 10 | 47066.029427 | 44348.730469 |

Support Vector Machine algorithm:

4. Building a support vector model for regression

```
: support=svm.SVR()
support.fit(X_train, y_train)
```

Predicting and analysing the difference with the test data

```
: y_pred=support.predict(X_test)
val={
    "Predicted": y_pred.tolist(),
    "Actual": reduce(lambda z, y : z + y, y_test.values.tolist())
}
ans=pd.DataFrame(val)
ans
```

```
:

```

| | Predicted | Actual |
|----|--------------|--------------|
| 0 | 44683.846114 | 39338.785156 |
| 1 | 44702.728639 | 41143.929688 |
| 2 | 44681.813646 | 40951.378906 |
| 3 | 44696.567129 | 41801.156250 |
| 4 | 44679.570821 | 42190.652344 |
| 5 | 44679.991502 | 41247.824219 |
| 6 | 44684.601740 | 41077.996094 |
| 7 | 44693.546465 | 42358.808594 |
| 8 | 44685.312033 | 42892.957031 |
| 9 | 44692.340031 | 43960.933594 |
| 10 | 44691.753427 | 44348.730469 |

Random Forest algorithm:

5. Building random forest regressor model

```
regressor = RandomForestRegressor(n_estimators = 100, random_state = 0)
regressor.fit(X_train, y_train)
```

Predicting and analysing the difference with the test data

```
: y_pred=regressor.predict(X_test)
val={
    "Predicted": y_pred.tolist(),
    "Actual": reduce(lambda z, y : z + y, y_test.values.tolist())
}
ans=pd.DataFrame(val)
ans
```

```
:

```

| | Predicted | Actual |
|----|--------------|--------------|
| 0 | 39333.161524 | 39338.785156 |
| 1 | 40961.264688 | 41143.929688 |
| 2 | 40825.590352 | 40951.378906 |
| 3 | 41735.312188 | 41801.156250 |
| 4 | 42210.755977 | 42190.652344 |
| 5 | 41413.453203 | 41247.824219 |
| 6 | 40926.951211 | 41077.996094 |
| 7 | 42378.569688 | 42358.808594 |
| 8 | 42848.758906 | 42892.957031 |
| 9 | 43932.695196 | 43960.933594 |
| 10 | 44397.558242 | 44348.730469 |

TIME SERIES FORECASTING:

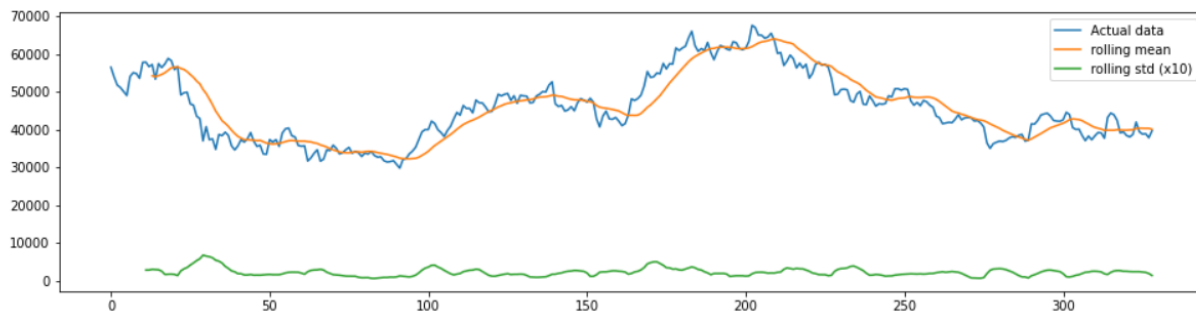
Using time series forecasting

Plotting the rolling mean and rolling standard deviation to check if the data set is stationary

```
rolmean = y_train.rolling(window=14).mean()
rolstd = y_train.rolling(window=12).std()

fig, ax = plt.subplots(figsize=(16, 4))
ax.plot(y_train, label="Actual data")
ax.plot(rolmean, label='rolling mean');
ax.plot(rolstd, label='rolling std (x10)');
ax.legend()
```

<matplotlib.legend.Legend at 0x2a9017e28e0>



The above graph shows that the dataset is not stationary

Conducting mathematical tests and converting the dataset into a stationary dataset:

Conducting a mathematical test to see if the dataset is stationary

```
from statsmodels.tsa.stattools import adfuller
dfctest = adfuller(y_train.dropna(), autolag='AIC')
print('Test statistic = {:.3f}'.format(dfctest[0]))
print('P-value = {:.3f}'.format(dfctest[1]))
print('Critical values :')
for k, v in dfctest[4].items():
    print('\t{}: {} - The data is {} stationary with {}% confidence'.format(k, v, 'not' if v < dfctest[0] else '', 100-int(k[:-1])))
```

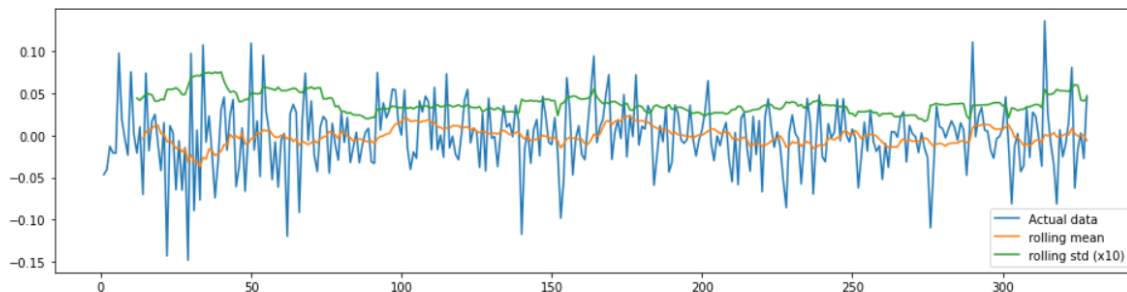
Test statistic = -1.935
P-value = 0.316
Critical values :
1%: -3.4504451681828194 - The data is not stationary with 99% confidence
5%: -2.870392380216117 - The data is not stationary with 95% confidence
10%: -2.571486353732897 - The data is not stationary with 90% confidence

Using log transformation to make the dataset stationary

```
: y_detrend= np.log(y_train)
y_detrend = y_detrend - y_detrend.shift(1)
y_detrend.dropna()
y_detest= np.log(y_test)
y_detest = y_detest - y_detest.shift(1)
y_detest.dropna()
rolmean = y_detrend.rolling(window=14).mean()
rolstd = y_detrend.rolling(window=12).std()

fig, ax = plt.subplots(figsize=(16, 4))
ax.plot(y_detrend, label= "Actual data")
ax.plot(rolmean, label='rolling mean');
ax.plot(rolstd, label='rolling std (x10)');
ax.legend()
```

```
: <matplotlib.legend.Legend at 0x2a901877f40>
```



Proving that the dataset is stationary:

Proving that the dataset is stationary

```
: dfctest = adfuller(y_detrend.dropna(), autolag='AIC')
print('Test statistic = {:.3f}'.format(dfctest[0]))
print('P-value = {:.3f}'.format(dfctest[1]))
print('Critical values :')
for k, v in dfctest[4].items():
    print('\t{}: {} - The data is {} stationary with {}% confidence'.format(k, v, 'not' if v < dfctest[0] else '', 100-int(k[:-1]))

Test statistic = -19.051
P-value = 0.000
Critical values :
1%: -3.45050711373316 - The data is stationary with 99% confidence
5%: -2.8704195794076743 - The data is stationary with 95% confidence
10%: -2.571500856923753 - The data is stationary with 90% confidence
```

Finding the best AR(p) and IM(q) value

```
: autoarima_model = pmd.auto_arima(y_train.dropna(), start_p=1, start_q=1, test="adf", trace=True)
autoarima_model
```

Performing stepwise search to minimize aic

```
ARIMA(1,1,1)(0,0,0)[0] intercept : AIC=5846.592, Time=0.06 sec
ARIMA(0,1,0)(0,0,0)[0] intercept : AIC=5847.006, Time=0.01 sec
ARIMA(1,1,0)(0,0,0)[0] intercept : AIC=5846.311, Time=0.02 sec
ARIMA(0,1,1)(0,0,0)[0] intercept : AIC=5846.041, Time=0.02 sec
ARIMA(0,1,0)(0,0,0)[0] : AIC=5845.277, Time=0.01 sec
```

Best model: ARIMA(0,1,0)(0,0,0)[0]

Total fit time: 0.127 seconds

```
: ARIMA(order=(0, 1, 0), scoring_args={}, suppress_warnings=True,
      with_intercept=False)
```


ARIMA model:

Building a forecast model for the actual close price value(Using ARIMA model)

```
from statsmodels.tsa.arima.model import ARIMA
ARIMAmode1 = ARIMA(y_train, order = (0,1,0))
ARIMAmode1 = ARIMAmode1.fit()
```

Predicting for the built model

```
y_pred = ARIMAmode1.get_forecast(len(y_test.index))
y_pred_df = y_pred.conf_int(alpha = 0.05)
y_pred_df["Predictions"] = ARIMAmode1.predict(start = y_pred_df.index[0], end = y_pred_df.index[-1])
y_pred_df.index = y_test.index
y_pred_out = y_pred_df["Predictions"]
y_pred_out = y_pred_df["Predictions"]
val={
    "Predicted": y_pred_out.tolist(),
    "Actual": reduce(lambda z, y : z + y, y_test.values.tolist())
}
ans=pd.DataFrame(val)
ans
```

| | Predicted | Actual |
|----|--------------|--------------|
| 0 | 39666.753906 | 39338.785156 |
| 1 | 39666.753906 | 41143.929688 |
| 2 | 39666.753906 | 40951.378906 |
| 3 | 39666.753906 | 41801.156250 |
| 4 | 39666.753906 | 42190.652344 |
| 5 | 39666.753906 | 41247.824219 |
| 6 | 39666.753906 | 41077.996094 |
| 7 | 39666.753906 | 42358.808594 |
| 8 | 39666.753906 | 42892.957031 |
| 9 | 39666.753906 | 43960.933594 |
| 10 | 39666.753906 | 44348.730469 |

Building ARIMA model using the log transformed values:

Building the ARIMA model for the log transformed value(Finding the best p and q value)

```
autoarima_model = pmd.auto_arima(y_detrend.dropna(), start_p=1, start_q=1,test="adf",trace=True)
autoarima_model
```

```
Performing stepwise search to minimize aic
ARIMA(1,0,1)(0,0,0)[0] intercept : AIC=-1177.114, Time=0.11 sec
ARIMA(0,0,0)(0,0,0)[0] intercept : AIC=-1180.174, Time=0.04 sec
ARIMA(1,0,0)(0,0,0)[0] intercept : AIC=-1179.179, Time=0.04 sec
ARIMA(0,0,1)(0,0,0)[0] intercept : AIC=-1179.251, Time=0.06 sec
ARIMA(0,0,0)(0,0,0)[0] : AIC=-1181.934, Time=0.02 sec
```

```
Best model: ARIMA(0,0,0)(0,0,0)[0]
Total fit time: 0.280 seconds
```

```
ARIMA(order=(0, 0, 0), scoring_args={}, suppress_warnings=True,
      with_intercept=False)
```

Building the model

```
ARIMAmode1 = ARIMA(y_detrend, order = (0,0,0))
ARIMAmode1 = ARIMAmode1.fit()
```

Predicting for the above built model

```
y_pred = ARIMAModel.get_forecast(len(y_detest.index))
y_pred_df = y_pred.conf_int(alpha = 0.05)
y_pred_df["Predictions"] = ARIMAModel.predict(start = y_pred_df.index[0], end = y_pred_df.index[-1])
y_pred_df.index = y_detest.index
y_pred_out = y_pred_df["Predictions"]
y_pred_out = y_pred_df["Predictions"]
val={
    "Predicted": y_pred_out.tolist(),
    "Actual": reduce(lambda z, y : z + y, y_detest.values.tolist())
}
ans=pd.DataFrame(val)
ans
```

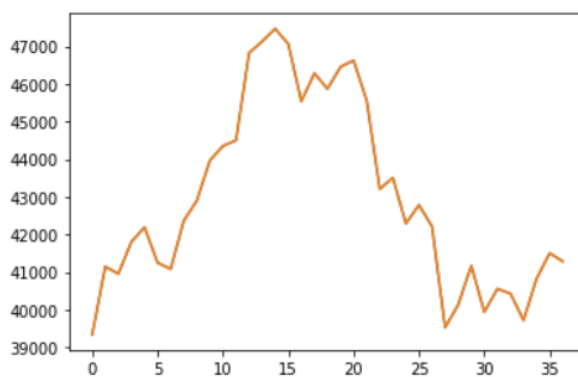
| | Predicted | Actual |
|----|-----------|-----------|
| 0 | -0.001082 | NaN |
| 1 | -0.001082 | 0.044865 |
| 2 | -0.001082 | -0.004691 |
| 3 | -0.001082 | 0.020539 |
| 4 | -0.001082 | 0.009275 |
| 5 | -0.001082 | -0.022600 |
| 6 | -0.001082 | -0.004126 |
| 7 | -0.001082 | 0.030704 |
| 8 | -0.001082 | 0.012531 |
| 9 | -0.001082 | 0.024594 |
| 10 | -0.001082 | 0.008783 |

RESULT ANALYSIS

Linear Regression:

Plotting the predicted and actual data

```
plt.plot(ans["Predicted"])
plt.plot(ans["Actual"])
plt.show()
```



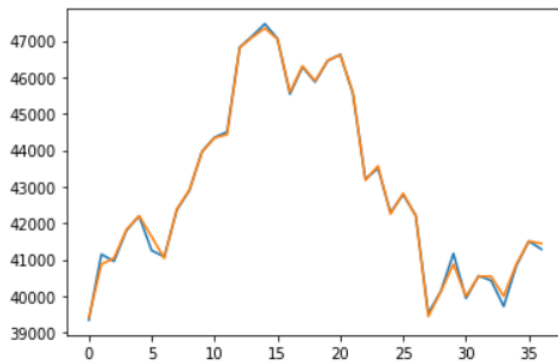
Mean absolute error is low

```
mean_absolute_error(ans["Predicted"].values.tolist(), ans["Actual"].values.tolist())
3.3948634990264436e-08
```

Decision tree algorithm:

Plotting the predicted and actual data

```
plt.plot(ans["Actual"])  
plt.plot(ans["Predicted"])  
plt.show()
```



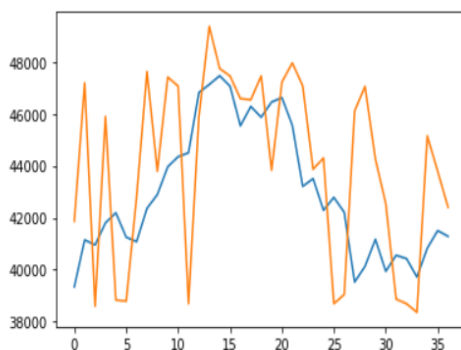
There is a minimal mean absolute error

```
mean_absolute_error(ans["Predicted"].values.tolist(), ans["Actual"].values.tolist())  
69.30901616216265
```

K Nearest Neighbour algorithm:

Plotting the predicted and the actual graph

```
plt.plot(ans["Actual"])  
plt.plot(ans["Predicted"])  
plt.show()
```



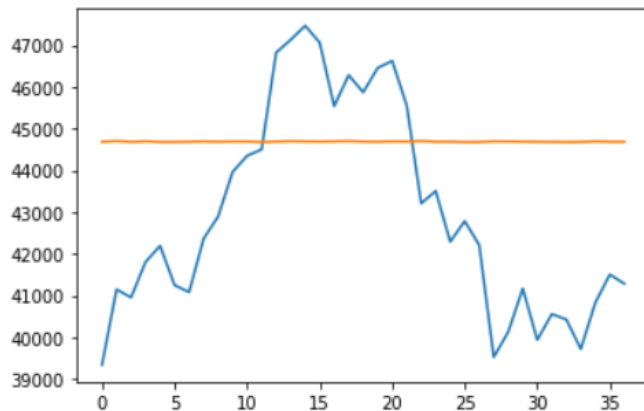
Mean absolute error is high but reasonable since the close price values are arguably large

```
mean_absolute_error(ans["Predicted"].values.tolist(), ans["Actual"].values.tolist())  
2657.564931725223
```

Support Vector Machine:

Plotting the predicted and the actual graph

```
plt.plot(ans["Actual"])
plt.plot(ans["Predicted"])
plt.show()
```



A high mean absolute error is obtained

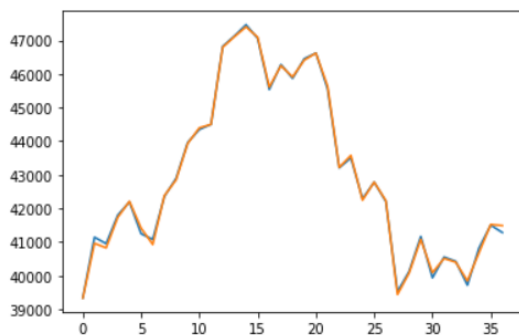
```
mean_absolute_error(ans["Predicted"].values.tolist(), ans["Actual"].values.tolist())
```

2690.701666260613

Random Forest algorithm:

Plotting the predicted and the actual graph

```
: plt.plot(ans["Actual"])
plt.plot(ans["Predicted"])
plt.show()
```



A minimal yet a decent mean absolute error is obtained

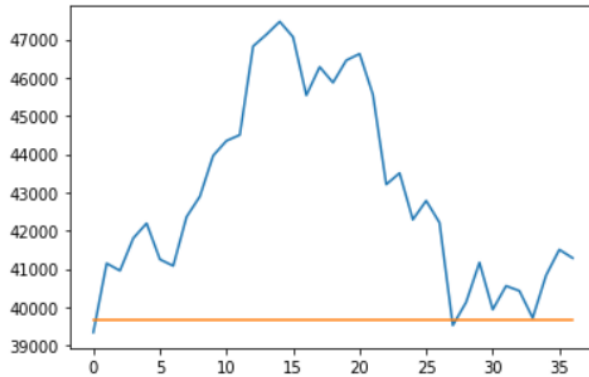
```
: mean_absolute_error(ans["Predicted"].values.tolist(), ans["Actual"].values.tolist())
```

: 63.884005436481246

ARIMA model:

Plotting the graph for predicted and actual

```
plt.plot(ans["Actual"])  
plt.plot(ans["Predicted"])  
plt.show()
```

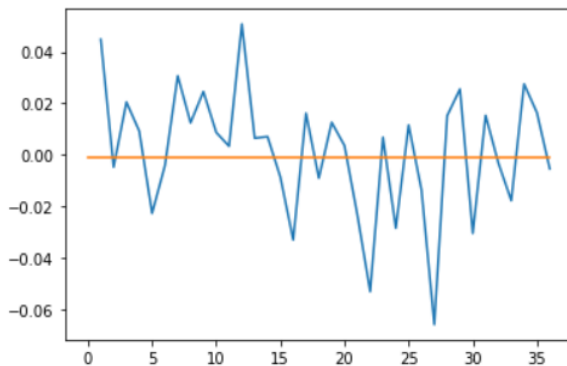


A pretty high mean absolute error is obtained

```
mean_absolute_error(ans["Predicted"].values.tolist(), ans["Actual"].values.tolist())  
3322.5258660270288
```

ARIMA model with log-transformed values:

```
: plt.plot(ans["Actual"])  
plt.plot(ans["Predicted"])  
plt.show()
```



An extremely low mean absolute error is obtained

```
: ans=ans.iloc[1: , :]  
mean_absolute_error(ans["Predicted"].values.tolist(), ans["Actual"].values.tolist())  
: 0.019412426429847418
```

CONTRIBUTION OF THE STUDY

- ▶ This study will prove to be a step ahead in predictions models that can be used to predict price models/prices of cryptocurrencies. Although this category of assets are generally regarded as “unpredictable”, our study will lessen the gap between certainty and being unpredictable.
- ▶ The code used can be further developed on used for other class of assets such as NFTs (Non- Fungible Tokens) or ICOs (Initial Coin Offering).
- ▶ Investing in bitcoin (cryptocurrency) is a form of passive income for many due to its high-risk high-reward nature. Making it automated can make it more accessible.

IMPLICATIONS OF THE STUDY

- ❖ Predictions can help financial institutes better manage their clients portfolios and make informed decisions to maximize their profits.
- ❖ The advantage of predicting the bit coins is it helps you to invest wisely to make good profits.
- ❖ The proposed method predicted fluctuations in the price of cryptocurrencies at low cost.
- ❖ Cryptocurrency markets are highly volatile and your investments are at risk is what the most forwarded statement about cryptocurrencies in web
- ❖ So our model can effectively reduce the volatility of crypto and brings a security to users investments.

Future scope of the study

The price predictor model has given predicted outputs that come under the standard error rates. This inference leads us to the conclusion that the model can be used to predict other highly volatile asset classes such as other crypto-currencies and DeFi (Decentralised Finance) assets such as NFTs, Liquidity Pool Tokens, etc. The model can also be used in automated investing. Robo-investing which has gained immense interest over the past few years can use similar models for their functioning. Although the asset class is deemed to be risky, investors willing to take the risk and automate their investments can choose to use such features.