

1. BitStuffing:

```
public class Main {

    public static void main(String[] args) {
        // Input data to be bit-stuffed
        String inputData = "01111110 0011110 11111110";
        System.out.println("Original Data: " + inputData);

        String stuffedData = bitStuffing(inputData); //Calling
        bitStuffing Function
        System.out.println("Stuffed Data: " + stuffedData);
    }

    public static String bitStuffing(String input) {
        StringBuilder stuffedData = new StringBuilder(); //Creates a
        mutable string object named "stuffedData"

        int count = 0;
        for (char bit : input.toCharArray()) { //Converts String to a
        array of characters
            stuffedData.append(bit); //Add to stuffedData
            if (bit == '1') {
                count++;
            } else {
                count = 0;
            }

            // Inserting '0' after five consecutive '1's
            if (count == 5) {
                stuffedData.append('0');
                count = 0;
            }
        }

        return stuffedData.toString();
    }
}
```

Output

```
java -cp /tmp/DcRAApidpe Main
```

```
Original Data: 01111110 0011110 11111110
```

```
Stuffed Data: 011111010 0011110 111110110
```

2.MST and SPT:

```
#include <iostream>
#include <vector>
#include <algorithm>
#include <queue>
#include <climits>
using namespace std;
// Data structure to represent an edge
struct Edge {
    char src, dest;
    int weight;
    Edge(char s, char d, int w) : src(s), dest(d), weight(w) {}
};
// Data structure to represent a disjoint-set
struct DisjointSet {
    vector<int> parent, rank;
    DisjointSet(int n) {
        parent.resize(n);
        rank.resize(n, 0);
        for (int i = 0; i < n; ++i) {
            parent[i] = i;
        }
    }
    int find(int x) {
        if (parent[x] != x) {
            parent[x] = find(parent[x]);
        }
        return parent[x];
    }
};
```

```

}

void unionSets(int x, int y) {
    int rootX = find(x);
    int rootY = find(y);
    if (rank[rootX] < rank[rootY]) {
        parent[rootX] = rootY;
    } else if (rank[rootX] > rank[rootY]) {
        parent[rootY] = rootX;
    } else {
        parent[rootX] = rootY;
        rank[rootY]++;
    }
}

};

// Comparator for sorting edges by weight in ascending order
bool compareEdges(const Edge& e1, const Edge& e2) {
    return e1.weight < e2.weight;
}

// Kruskal's algorithm to find Minimum Spanning Tree (MST)
vector<Edge> kruskalMST(const vector<Edge>& edges, int numVertices)
{
    vector<Edge> resultMST;
    DisjointSet ds(numVertices);
    // Sort edges by weight
    vector<Edge> sortedEdges = edges;
    sort(sortedEdges.begin(), sortedEdges.end(), compareEdges);
    for (const Edge& edge : sortedEdges) {
        int srcSet = ds.find(edge.src - 'a');
        int destSet = ds.find(edge.dest - 'a');
        // If including this edge doesn't cause a cycle, add it to the MST
        if (srcSet != destSet) {
            resultMST.push_back(edge);
            ds.unionSets(srcSet, destSet);
        }
    }
    return resultMST;
}

// Dijkstra's algorithm to find Shortest Path Tree (SPT)
vector<int> dijkstraSPT(const vector<Edge>& edges, int numVertices,
char source) {

```

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vector<vector<pair<int, int>>> adjList(numVertices);
for (const Edge& edge : edges) {
    adjList[edge.src - 'a'].emplace_back(edge.dest - 'a', edge.weight);
    adjList[edge.dest - 'a'].emplace_back(edge.src - 'a', edge.weight);
}

priority_queue<pair<int, int>, vector<pair<int, int>>,
greater<pair<int, int>>> pq;
vector<int> dist(numVertices, INT_MAX);
dist[source - 'a'] = 0;
pq.push({0, source - 'a'});
while (!pq.empty()) {
    int u = pq.top().second;
    pq.pop();
    for (const auto& neighbor : adjList[u]) {
        int v = neighbor.first;
        int weight = neighbor.second;
        if (dist[v] > dist[u] + weight) {
            dist[v] = dist[u] + weight;
            pq.push({dist[v], v});
        }
    }
}

return dist;
}

int main() {
    // Given graph represented by edges
    vector<Edge> edges = {
        {'a', 'c', 6},
        {'a', 'b', 6},
        {'a', 'd', 6},
        {'b', 'd', 2},
        {'c', 'd', 2}
    };

    const int numVertices = 4;
    // Kruskal's algorithm to find Minimum Spanning Tree (MST)
    vector<Edge> mst = kruskalMST(edges, numVertices);
    // Print MST
    cout << "Minimum Spanning Tree (MST):" << endl;
    for (const Edge& edge : mst) {

```

```

cout << edge.src << " -- " << edge.dest << " Weight: " <<
edge.weight << endl;
}
// Dijkstra's algorithm to find Shortest Path Tree (SPT)
char sourceVertex = 'a'; // Change the source vertex as needed
vector<int> spt = dijkstraSPT(edges, numVertices, sourceVertex);
// Print SPT
cout << "\nShortest Path Tree (SPT) from vertex " << sourceVertex <<
":" << endl;
for (int i = 0; i < numVertices; ++i) {
cout << sourceVertex << " to " << char('a' + i) << " Distance: " <<
spt[i] << endl;
}
return 0;
}

```

Output

```
/tmp/01p1nBEHQL.o
```

Minimum Spanning Tree (MST):

b -- d Weight: 2

c -- d Weight: 2

a -- c Weight: 6

Shortest Path Tree (SPT) from vertex a:

a to a Distance: 0

a to b Distance: 6

a to c Distance: 6

a to d Distance: 6