

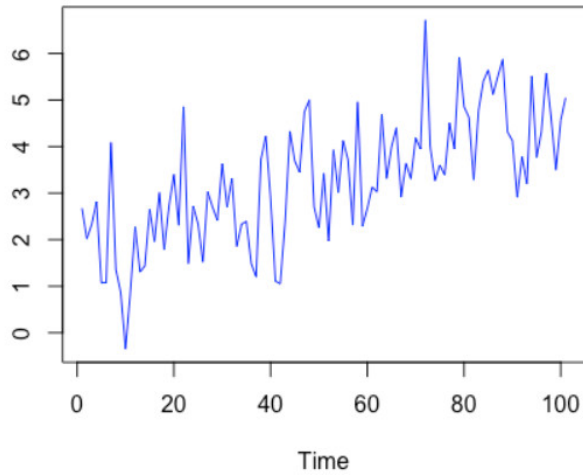
## Week2-Quiz

2020年12月6日 11:43

1. Time plot of a time series is shown. What can be said about the stationarity of this time series?

1 / 1 point

**Some time series**



- ☐ It is a stationary time series.
- ☐ It is a non-stationary time series since there is a fluctuation.
- ☐ It is stationary since there is a trend.
- ☒ It is a non-stationary time series since there is a trend.

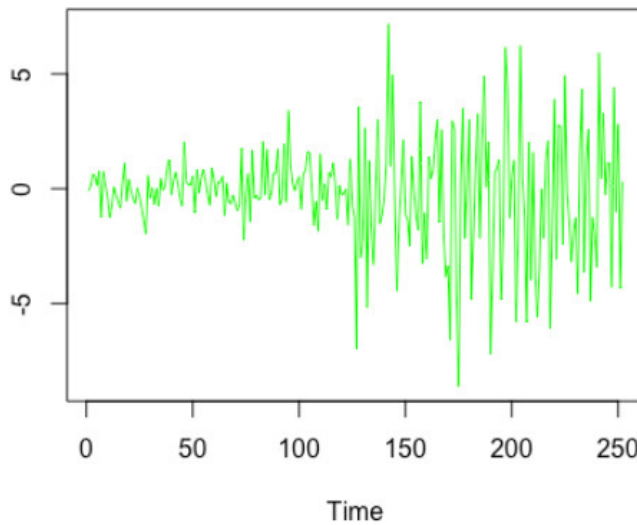
✓ **Correct**

Correct! Trend makes the time series non-stationary.

3. Time plot of a time series is shown. Select one or more that can be said about the stationarity of this time series.

1 / 1 point

**Some time series**



- ☐ It is a stationary time series since there is no trend.
- ☐ It is a stationary time series since there is no seasonality.
- ☒ It is a non-stationary time series.



**Correct**

Correct! There is a systematic change in the variation in the time series. At some point, the variation has increased.

- ☒ It maybe combination of two stationary time series.



**Correct**

Correct! Around time 130 ish, variation increased suddenly. This time series can be a combination of two stationary time series.

4.

```

1 # Simulating a non-stationary time series
2
3 # Set seed so that we generate the same dataset
4 set.seed(2017)
5 # time variable
6 t=seq(0,1,1/100)
7 # generate a time series
8 some.time.series=2+3*t+ rnorm(length(t))
9 (acf(some.time.series, type="covariance"))
10 # obtain acv for this time series below
11

```

1 / 1 point

Run

Reset

What is sample autocovariance coefficient  $c_5$ ?

- ☐ 5
- ☐ 0.640
- ☒ 0.403
- ☐ 1.717

✓ Correct  
Correct!

5. What is the sample autocorrelation coefficient  $r_0$  for any time series?

1 / 1 point

- ☐ Depends on the time series.
- ☒ It is 1.

✓ Correct  
Correct! Any time series has correlation 1 with itself, i.e., autocorrelation at lag 0 is 1.

6.

```

1 # Simulating a non-stationary time series
2
3 # Set seed so that we generate the same dataset
4 set.seed(2017)
5 # time variable
6 t=seq(0,1,1/100)
7 # generate a time series
8 some.time.series=2+3*t+ rnorm(length(t))
9 # obtain acf of the time series below

```

1 / 1 point

Run

Reset

What is  $r_5$ ?

- ☒ 0.233
- ☐ Cannot be calculated since it is non-stationary time series.
- ☐ 1

✓ Correct  
Correct!

7. Which one or more of the following can be said about the random walk?

1 / 1 point

- ☒ Random walk model relates current value of the time series to the previous value by adding some random deviation to the previous value.

✓ **Correct**

Correct! Random Walk model is  $X_t = X_{t-1} + Z_t$

- ☐ Random walk is a stationary stochastic process.

- ☒ Random walk is the accumulation of random deviations from previous steps until the current time.

✓ **Correct**

Correct!  $X_t = \sum_{i=1}^t Z_i$ .

8. How one can obtain a stationary stochastic process from the random walk?

1 / 1 point

- ☒ Using the difference operator.
- ☐ One cannot.

✓ **Correct**

Correct!

9. Which one or more of the following can be said about moving average processes?

1 / 1 point

- ☒ The current value of the process now is a linear combination of the noises from current and past time steps.

✓ **Correct**

Correct!

- ☐ Autocorrelation function of the process decreasing slowly without hitting zero.

- ☒ Autocorrelation function of the process cuts off and becomes zero at the order of the process.

✓ **Correct**

Correct!

10.

```
1 # Simulating MA(4) process.
2 # X_t= Z_t+0.2 Z_(t-1)+0.3 Z_(t-2)+ 0.4 Z_(t-3)
3
4 set.seed(2^10)
5 z=NULL
6 z=rnorm(1000)
7 data=NULL
8 for(i in 4:1000){
9   data[i-3]=z[i]+0.2*z[i-1]+0.3*z[i-2]+0.4*z[i-3]
10 }
11 data=ts(data)
12 acf(data,, type="covariance")
13 # find acf below
14
15
```

1 / 1 point

Run

Reset

What is the autocorrelation coefficient at lag 4?

☒ 0

✓ Correct

Theoretically, it is 0 starting at lag 4. But for a time series, it will be some value which is nonsignificant.

☐ 0.022