

Multiple Choice: Correct answer +3, incorrect -1, blank +0

Only one correct answer. If in doubt, mark the “most correct”

*PLEASE DELIVER SUGGESTIONS FOR THE GRADING OF THIS TEST BEFORE NEXT THURSDAY TO
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- 1) The metadata stored in the data dictionary of a DBMS
 - a) are generated by normal users when running application programs
 - b) contains information describing the conceptual schema of the database
 - c) are the result of the compilation of programs with embedded data management language sentences
 - d) are the initial tuples with which every relation in the database is initialized
 - e) None of the others is right

- 2) Given a relational schema R, and a decomposition of R into R1 and R2, and given any r(R), r1(R1) and r2(R2), a decomposition is a LOSSY JOIN (the opposite of lossless) decomposition due to
 - a) It can never be a lossless join decomposition of R
 - b) $r1 \bowtie r2$ (natural join) has LESS tuples than the original r
 - c) $r1 \times r2$ (cartesian join) has MORE tuples than the original r
 - d) $r1 \bowtie r2$ (natural join) has MORE tuples than the original r
 - e) None of the others is right

- 3) Given a referential integrity with a referenced relation r1 and primary key K, and a referencing relation r2 with foreign key α
 - a) r1 and r2 must have the same number of attributes
 - b) $\Pi_K(r1) \subseteq \Pi_\alpha(r2)$ must always be true
 - c) K and α can have a different number of attributes
 - d) r1 can not have a foreign key
 - e) None of the others is right

- 4) Given the relational schema $R = \{ A, B, C, D, E \}$, and any possible r(R) relation
 - a) $\{ A, B \}$ is a superkey
 - b) $\{ A, B, C, D, E \}$ is a superkey
 - c) There can never be a candidate key
 - d) $\{ A \}$ could never be a primary key
 - e) None of the others is right

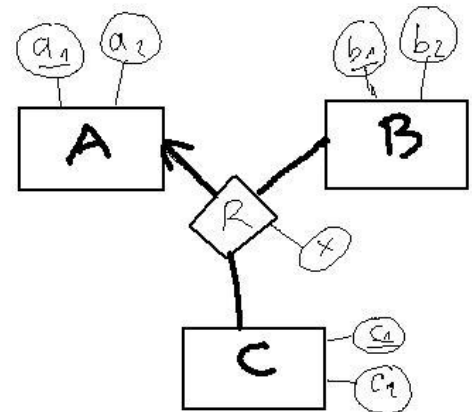
- 5) A relation that is in 3NF
 - a) If it is also in BCNF, then it can not have more than one foreign key
 - b) Can have more than one primary key
 - c) Can NOT have more than one candidate key
 - d) If it is also NOT in BCNF, then it can not have more than one foreign key
 - e) None of the others is right

6) The exclusion constraint \oplus in the E-R model

- a) Means that the “upper level” entities in a generalization can not have relationships to the “lower level” entities
- b) Is established between several relationship sets called “strong” and several “weak” relationship sets
- c) Is not actually part of the ER model
- d) Can be used together with the maximum cardinality constraint
- e) None of the others is right

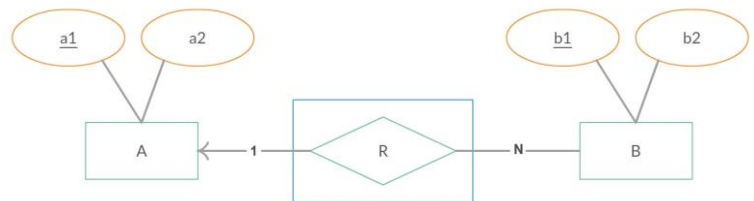
7) Given $R = (A, B, C, D, E)$ and a set of dependencies $F = \{ AB \twoheadrightarrow DE, E \twoheadrightarrow B \}$

- a) R's highest normal form is BCNF
- b) R is not in BCNF nor in 3NF
- c) R's highest normal form is 3NF
- d) The normal form for R can not be known until a canonical (minimal) cover of F is computed
- e) None of the others is right



8) Given the following Entity-Relationship diagram, in the usual mapping into tables mechanisms, a valid mapping is (x attribute is NOT part of the key for R):

- a) $A(\underline{a1}, a2) B(\underline{b1}, b2) C(\underline{c1}, c2) R(a1, b1, c1, x)$ R keys: $b1+c1, a1+c1$
- b) $A(\underline{a1}, a2) B(\underline{b1}, b2) C(\underline{c1}, c2) R(a1, b1, c1, x)$ R keys: $a1+b1, b1+c1$
- c) $A(\underline{a1}, a2, b1, c1, x) B(\underline{b1}, b2) C(\underline{c1}, c2)$
- d) $A(\underline{a1}, a2) B(\underline{b1}, b2) C(\underline{c1}, c2) R(a1, b1, c1, x)$ R key: $b1+c1$
- e) None of the others is right



9) Given this Entity-Relationship (A, B – aggregated R relationship), a valid mapping into tables of the diagram is:

- a) $A(\underline{a1}, a2) B(\underline{b1}, b2, a1)$
- b) $A(\underline{a1}, a2) R(\underline{a1}, \underline{b1}, b2) Agr(\underline{a1}, \underline{b1})$
- c) $A(\underline{a1}, a2) B(\underline{b1}, b2) R(\underline{a1}, \underline{b1}) Agr(\underline{a1}, \underline{b1})$
- d) $A(\underline{a1}, a2) B(\underline{b1}, b2) Agr(\underline{a1}, \underline{b1})$
- e) None of the others is right

10) Given $F = \{ AB \twoheadrightarrow D, BC \twoheadrightarrow A, AC \twoheadrightarrow B, C \twoheadrightarrow D \}$, a canonical (minimal) cover of this set of functional dependencies is

- a) $\{ AB \twoheadrightarrow BC, C \twoheadrightarrow D \}$
- b) $\{ AD \twoheadrightarrow B, AC \twoheadrightarrow B, C \twoheadrightarrow D \}$
- c) $\{ AD \twoheadrightarrow B, BC \twoheadrightarrow A, C \twoheadrightarrow D \}$
- d) F is already a canonical (minimal) cover
- e) None of the others is right