

# Technical Assignment 1

## Part II. Data Structure and Algorithms

**Question 1.** Assume that you have an SORTED array of records. Assume that the length of the array ( $n$ ) is **known**. Give TWO different methods to SEARCH for a specific value in this array. You can use English or pseudo-code for your algorithm. What is the time complexity for each algorithm and why?

**Answer :**

### Binary Search Method

Binary search method is a fast method of searching. It works on divide and conquer technique and has a runtime complexity of  **$O(\log n)$** .

The array should be a sorted array is the prerequisite for Binary Search. By cutting the problem set in half at every step, we can say that to get from  $n$  elements to single element is  $O(\log n)$  steps.

- We are given a sorted Array whose length is  $n$ . We assume the sorted array to be in ascending order.
- Now, to find a particular element or a specific value from the given sorted array, we will consider  $X$  to be the element or the value to be searched.
- We consider the lower bound to be 1 and upper bound to be ' $n$ ' as the size of the array is given to be ' $n$ '. For simplicity, we will assign the terms 'high' and 'low' for upper bound and lower bound respectively.

$$low = 1$$

$$high = n$$

- First we check if the  $high < low$ . If that is the condition, then  $X$  would not exist and the program would terminate there.
- But if the above condition is false, then further steps are followed.
- We then find the mid by using the following formula :

$$mid = low + (high - low)/2$$

- The position of the array element would be used and not the actual value of the data element in place of  $high$  and  $low$  in the above formula.
- Now, once we get the  $mid$ , we will compare it with the element to be found  $X$ .
- We check the condition whether
  - $X > mid$ . If so, then we set  $low = mid + 1$ .
  - $X < mid$ . If so, then we set  $high = mid - 1$ .
  - $X = mid$ . If so, then we come to the conclusion that  $X$  is found at the mid.
- We follow the same procedure till we arrive at  $X$ .

We would consider an example to find a value in an sorted array using Binary Search Method.

Consider the following Sorted Array A.

Array A	10	15	20	25	30	35	40	45	50	55
Position	0	1	2	3	4	5	6	7	8	9

- Say that we have to find 35. Hence  $X = 35$ .
- Here,  $low = 0$  and  $high = 9$ .
- According to the explanation above, we find the  $mid$ .

$$mid = low + (high - low)/2$$

$$mid = 0 + (9 - 0)/2$$

$$mid = 4.5$$

- So we consider element at position 4 to be the  $mid$  of the array. It means position number 4. Element at location 4 is 30.

Array A	10	15	20	25	30	35	40	45	50	55
Position	0	1	2	3	4	5	6	7	8	9

- We find that element at position 4 is not equal to  $X$ . As the value of element at position 4 is less than  $X$ , we set  $low = mid + 1$ . Hence, new  $low = 4 + 1 = 5$ .
- Now again using the formula

$$mid = low + (high - low)/2$$

$$mid = 5 + (9 - 5)/2$$

$$mid = 7$$

- We now consider element at position 7 to be the  $mid$  of the array.

Array A	10	15	20	25	30	35	40	45	50	55
Position	0	1	2	3	4	5	6	7	8	9

- We can see that the element at position 7 is not yet equal to  $X$ . As the value of element at position 7 is greater than  $X$ , we set  $high = mid - 1$ . Hence, new  $high = 7 - 1 = 6$ .
- Now again using the formula

$$mid = low + (high - low)/2$$

$$mid = 5 + (6 - 5)/2$$

$$mid = 5.5$$

- Now this time the  $mid$  is at 5. And this is the same position for which we were searching. It means that  $X = mid$ .

Array A	10	15	20	25	30	35	40	45	50	55
Position	0	1	2	3	4	5	6	7	8	9

- We conclude here that  $X$  is found at  $mid$ . Hence the searching terminates here as we have reached the element we wanted to find.

## Linear Search Method

Linear Search is the most simple search algorithm which searches for the element to be searched sequentially. The time complexity is **O(n)**.

A linear search works by looking at each element in a list of data until it either finds the target or reaches the end. This results in O(n) performance on a given list.

- We are given a sorted Array whose length is  $n$ . We assume the sorted array to be in ascending order.
- Now, to find a particular element or a specific value from the given sorted array, we will consider  $X$  to be the element or the value to be searched.

Consider the following sorted Array A.

Array A	10	15	20	25	30	35	40	45	50	55
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- We set iterator  $i$  for iterations. Initially we set  $i = 1$ .
- First we check whether the value of  $i > n$ . If that is so, then the program terminates because it means that the number of elements in the array  $n$  are less than the value of  $i$ .
- But if the above condition is false, then another condition is checked that is  $A[i] = X$ . This condition checks whether the value of the element where the iterator  $i$  points is equal to the value of the element to be searched  $X$ . If this condition is true then directly the value of  $X$  is printed and the program terminates.
- But if  $A[i]$  is not equal to  $X$  then the iterator  $i$  increments by 1 and points to the next element in the array. This step repeats until the condition  $A[i] = X$  is satisfied.

Step 1 :

Array A	10	15	20	25	30	35	40	45	50	55
Iterator $i$	$i$									

Step 2 :

Array A	10	15	20	25	30	35	40	45	50	55
Iterator $i$		$i$								

Step 3 :

Array A	10	15	20	25	30	35	40	45	50	55
Iterator $i$			$i$							

Step 4 :

Array A	10	15	20	25	30	35	40	45	50	55
Iterator $i$				$i$						

Step 5 :

Array A	10	15	20	25	30	35	40	45	50	55
Iterator $i$					$i$					

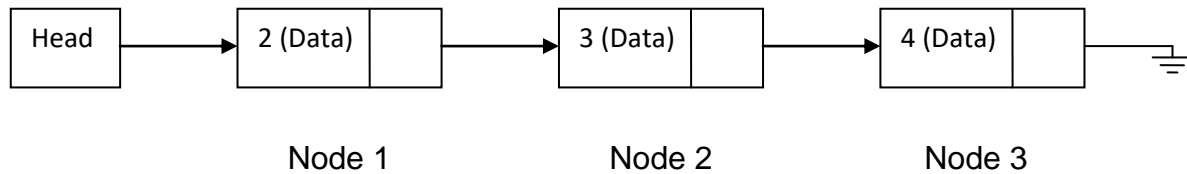
Step 6 :

Array A	10	15	20	25	30	35	40	45	50	55
Iterator $i$						$i$				

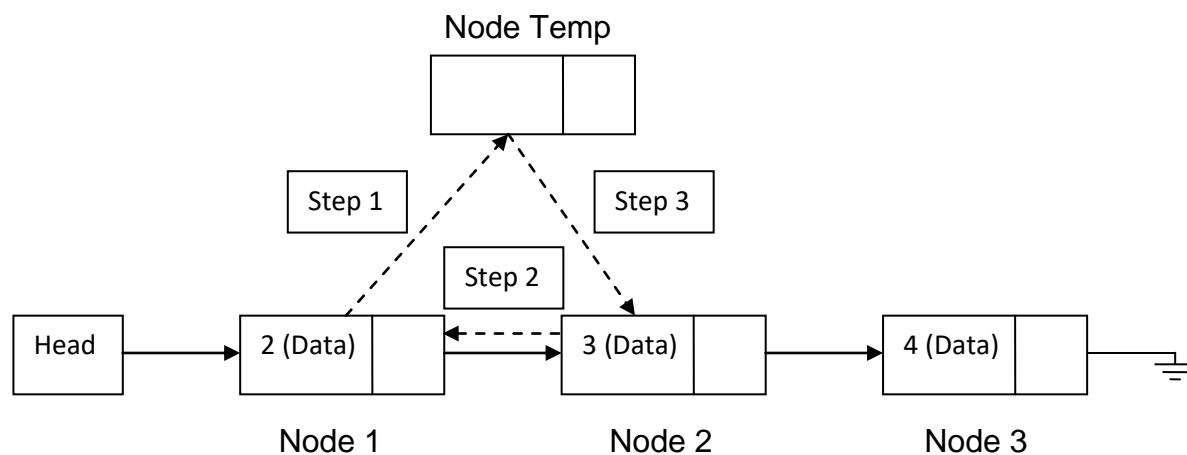
Element found.

**Question 2.** Assume that you have a linked list of records. Assume that you have a **head**, a **current**, and a **tail** pointer. Write an algorithm that **swaps the data in the current node and the node after it**. You can use pseudo-code, English or drawing to describe your solution.

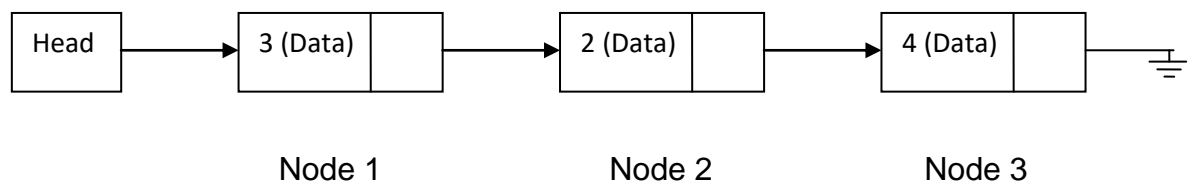
**Answer :**



- The figure above shows a simple Linked List. We have three nodes in total - Node 1, Node 2 and Node 3.
- The Head points to the Node 1.
- Consider Node 1 to be the current node. So swapping of data has to be done between Node 1 and Node 2.
- We now take into consideration another node called a Node Temp which would be a temporary node used for swapping data.
- Data can be swapped in the way described below.
  - Data from Node 1 is put into Node Temp.
  - Data from Node 2 is put into Node 1.
  - Data from Node Temp is put into Node 2.
- The swapping logic is shown in the figure below.

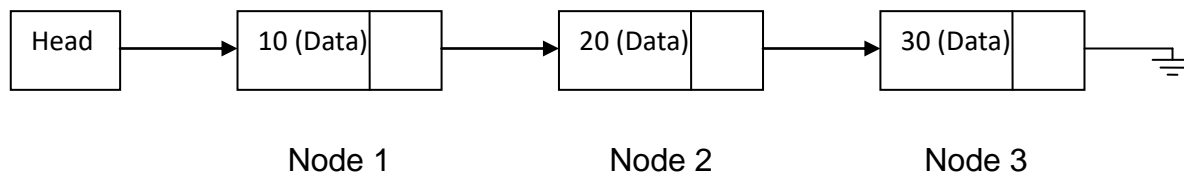


- After swapping the linked list looks like the one shown below.

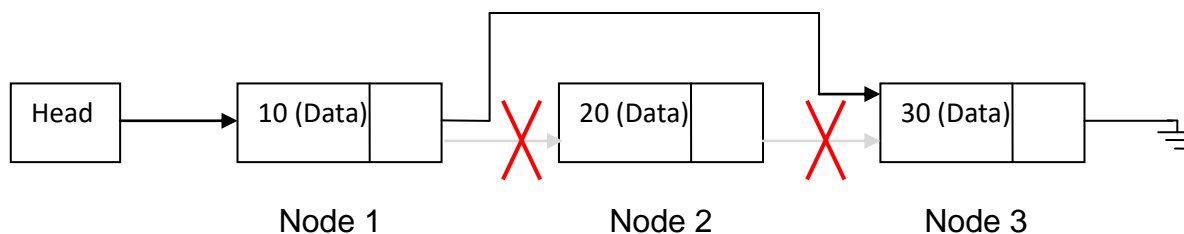


**Question 3.** Assume that you have a linked list of records. Assume that you have a **head**, a **current**, and a **tail** pointer. Write an algorithm that **DELETES the node BEFORE the current node**. You can use pseudo-code, English or drawing to describe your solution.( this was, and remains to be, a popular technical interview question)

**Answer :**



- The figure above shows a simple Linked List. We have three nodes in total - Node 1, Node 2 and Node 3.
- The Head points to the Node 1.
- Consider Node 3 to be the current node.
- According to the given condition, we have to delete the node before the current node.
- So in the linked list shown above, we have to delete Node 2.
- Deleting Node 2 means storing the reference of Node 3 in Node 1 instead of Node 2 and removing the link or the relation between Node 2 and Node 3.
- This can be shown as follows.



- After the deletion of the Node 2, the linked list looks as follows.

