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differential propositional calculus : appendix
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Contents

0.1 Detail of Calculation for the Difference Map

Detail of Calculation for $Df = Ef + f$

	$Ef _{dx\ dy}$ + $f _{dx\ dy}$ = $Df _{dx\ dy}$	$Ef _{dx\ (dy)}$ + $f _{dx\ (dy)}$ = $Df _{dx\ (dy)}$	$Ef _{(dx)\ dy}$ + $f _{(dx)\ dy}$ = $Df _{(dx)\ dy}$	$Ef _{(dx)(dy)}$ + $f _{(dx)(dy)}$ = $Df _{(dx)(dy)}$
f_0	$0 + 0 = 0$	$0 + 0 = 0$	$0 + 0 = 0$	$0 + 0 = 0$
f_1	$x\ y\ dx\ dy$ + $(x)(y)\ dx\ dy$ = $((x,y))\ dx\ dy$	$x\ (y)\ dx\ (dy)$ + $(x)(y)\ dx\ (dy)$ = $(y)\ dx\ (dy)$	$(x)\ y\ (dx)\ dy$ + $(x)(y)\ (dx)\ dy$ = $(x)\ (dx)\ dy$	$(x)(y)\ (dx)\ (dy)$ + $(x)(y)\ (dx)\ (dy)$ = $0\ (dx)\ (dy)$
f_2	$x\ (y)\ dx\ dy$ + $(x)\ y\ dx\ dy$ = $(x,y)\ dx\ dy$	$x\ y\ dx\ (dy)$ + $(x)\ y\ dx\ (dy)$ = $y\ dx\ (dy)$	$(x)(y)\ (dx)\ dy$ + $(x)\ y\ (dx)\ dy$ = $(x)\ (dx)\ dy$	$(x)\ y\ (dx)\ (dy)$ + $(x)\ y\ (dx)\ (dy)$ = $0\ (dx)\ (dy)$
f_4	$(x)\ y\ dx\ dy$ + $x\ (y)\ dx\ dy$ = $(x,y)\ dx\ dy$	$(x)(y)\ dx\ (dy)$ + $x\ (y)\ dx\ (dy)$ = $(y)\ dx\ (dy)$	$x\ y\ (dx)\ dy$ + $x\ (y)\ (dx)\ dy$ = $x\ (dx)\ dy$	$x\ (y)\ (dx)\ (dy)$ + $x\ (y)\ (dx)\ (dy)$ = $0\ (dx)\ (dy)$
f_8	$(x)(y)\ dx\ dy$ + $x\ y\ dx\ dy$ = $((x,y))\ dx\ dy$	$(x)\ y\ dx\ (dy)$ + $x\ y\ dx\ (dy)$ = $y\ dx\ (dy)$	$x\ (y)\ (dx)\ dy$ + $x\ y\ (dx)\ dy$ = $x\ (dx)\ dy$	$x\ y\ (dx)\ (dy)$ + $x\ y\ (dx)\ (dy)$ = $0\ (dx)\ (dy)$
f_3	$x\ dx\ dy$ + $(x)\ dx\ dy$ = $1\ dx\ dy$	$x\ dx\ (dy)$ + $(x)\ dx\ (dy)$ = $1\ dx\ (dy)$	$(x)\ (dx)\ dy$ + $(x)\ (dx)\ dy$ = $0\ (dx)\ dy$	$(x)\ (dx)\ (dy)$ + $(x)\ (dx)\ (dy)$ = $0\ (dx)\ (dy)$
f_{12}	$(x)\ dx\ dy$ + $x\ dx\ dy$ = $1\ dx\ dy$	$(x)\ dx\ (dy)$ + $x\ dx\ (dy)$ = $1\ dx\ (dy)$	$x\ (dx)\ dy$ + $x\ (dx)\ dy$ = $0\ (dx)\ dy$	$x\ (dx)\ (dy)$ + $x\ (dx)\ (dy)$ = $0\ (dx)\ (dy)$
f_6	$(x,y)\ dx\ dy$ + $(x,y)\ dx\ dy$ = $0\ dx\ dy$	$((x,y))\ dx\ (dy)$ + $(x,y)\ dx\ (dy)$ = $1\ dx\ (dy)$	$((x,y))\ (dx)\ dy$ + $(x,y)\ (dx)\ dy$ = $1\ (dx)\ dy$	$(x,y)\ (dx)\ (dy)$ + $(x,y)\ (dx)\ (dy)$ = $0\ (dx)\ (dy)$
f_9	$((x,y))\ dx\ dy$ + $(x,y)\ dx\ dy$ = $0\ dx\ dy$	$(x,y)\ dx\ (dy)$ + $((x,y))\ dx\ (dy)$ = $1\ dx\ (dy)$	$(x,y)\ (dx)\ dy$ + $((x,y))\ (dx)\ dy$ = $1\ (dx)\ dy$	$((x,y))\ (dx)\ (dy)$ + $((x,y))\ (dx)\ (dy)$ = $0\ (dx)\ (dy)$
f_5	$y\ dx\ dy$ + $(y)\ dx\ dy$ = $1\ dx\ dy$	$(y)\ dx\ (dy)$ + $(y)\ dx\ (dy)$ = $0\ dx\ (dy)$	$y\ (dx)\ dy$ + $(y)\ (dx)\ dy$ = $1\ (dx)\ dy$	$(y)\ (dx)\ (dy)$ + $(y)\ (dx)\ (dy)$ = $0\ (dx)\ (dy)$
f_{10}	$(y)\ dx\ dy$ + $y\ dx\ dy$ = $1\ dx\ dy$	$y\ dx\ (dy)$ + $y\ dx\ (dy)$ = $0\ dx\ (dy)$	$(y)\ (dx)\ dy$ + $y\ (dx)\ dy$ = $1\ (dx)\ dy$	$y\ (dx)\ (dy)$ + $y\ (dx)\ (dy)$ = $0\ (dx)\ (dy)$
f_7	$((x)(y))\ dx\ dy$ + $(x\ y)\ dx\ dy$ = $((x,y))\ dx\ dy$	$((x)\ y)\ dx\ (dy)$ + $(x\ y)\ dx\ (dy)$ = $y\ dx\ (dy)$	$(x\ (y))\ (dx)\ dy$ + $(x\ y)\ (dx)\ dy$ = $x\ (dx)\ dy$	$(x\ y)\ (dx)\ (dy)$ + $(x\ y)\ (dx)\ (dy)$ = $0\ (dx)\ (dy)$
f_{11}	$((x)\ y)\ dx\ dy$ + $(x\ (y))\ dx\ dy$ = $(x,y)\ dx\ dy$	$((x)(y))\ dx\ (dy)$ + $(x\ (y))\ dx\ (dy)$ = $(y)\ dx\ (dy)$	$(x\ y)\ (dx)\ dy$ + $(x\ (y))\ (dx)\ dy$ = $x\ (dx)\ dy$	$(x\ (y))\ (dx)\ (dy)$ + $(x\ (y))\ (dx)\ (dy)$ = $0\ (dx)\ (dy)$
f_{13}	$(x\ y)\ dx\ dy$ + $((x)\ y)\ dx\ dy$ = $(x,y)\ dx\ dy$	$(x\ y)\ dx\ (dy)$ + $((x)\ y)\ dx\ (dy)$ = $y\ dx\ (dy)$	$((x)(y))\ (dx)\ dy$ + $((x)\ y)\ (dx)\ dy$ = $(x)\ (dx)\ dy$	$((x)\ y)\ (dx)\ (dy)$ + $((x)\ y)\ (dx)\ (dy)$ = $0\ (dx)\ (dy)$
f_{14}	$(x\ y)\ dx\ dy$ + $((x)(y))\ dx\ dy$ = $((x,y))\ dx\ dy$	$(x\ (y))\ dx\ (dy)$ + $((x)(y))\ dx\ (dy)$ = $(y)\ dx\ (dy)$	$((x)\ y)\ (dx)\ dy$ + $((x)(y))\ (dx)\ dy$ = $(x)\ (dx)\ dy$	$((x)(y))\ (dx)\ (dy)$ + $((x)(y))\ (dx)\ (dy)$ = $0\ (dx)\ (dy)$
f_{15}	$1 + 1 = 0$	$1 + 1 = 0$	$1 + 1 = 0$	$1 + 1 = 0$