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## $\begin{array}{c} \text{differential propositional calculus: appendix} \\ 3 \end{array}$

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Related topic MinimalNegationOperator Related topic PropositionalCalculus Related topic ZerothOrderLogic

#### Contents

#### 0.1 Taylor Series Expansion

Taylor Series Expansion  $D f = d f + d^2 f$ 

Taylor before Expansion $D f = a f + a f$												
	$df = \\ \partial_x f \cdot dx + \partial_y f \cdot dy$	$d^2 f = $ $\partial_{xy} f \cdot dx dy$	$ df _{x}$	$\mathrm{d} f _{x\ (y)}$	$\mathrm{d}f _{(x)\ y}$	$d f _{(x)(y)}$						
$f_0$	0	0	0	0	0	0						
$f_1$	(y) $dx + (x)$ $dy$	dx dy	0	dx	dy	dx + dy						
$f_2$	y dx + (x) dy	$\mathrm{d} x  \mathrm{d} y$	dx	0	$\mathrm{d} x + \mathrm{d} y$	dy						
$f_4$	(y) dx + x dy	$\mathrm{d} x  \mathrm{d} y$	dy	dx + dy	0	dx						
$f_8$	y dx + x dy	$\mathrm{d} x  \mathrm{d} y$	dx + dy	dy	$\mathrm{d}x$	0						
$f_3$	dx	0	dx	dx	dx	dx						
$f_{12}$	dx	0	dx	$\mathrm{d} x$	$\mathrm{d}x$	dx						
$f_6$	dx + dy	0	dx + dy	dx + dy	dx + dy	dx + dy						
$f_9$	dx + dy	0	dx + dy	$\mathrm{d}x + \mathrm{d}y$	$\mathrm{d} x + \mathrm{d} y$	dx + dy						
$f_5$	dy	0	dy	dy	dy	dy						
$f_{10}$	dy	0	dy	dy	$\mathrm{d}y$	dy						
$f_7$	y dx + x dy	dx dy	dx + dy	dy	dx	0						
$f_{11}$	(y) dx + x dy	$\mathrm{d} x  \mathrm{d} y$	dy	dx + dy	0	dx						
$f_{13}$	y dx + (x) dy	$\mathrm{d} x  \mathrm{d} y$	dx	0	$\mathrm{d} x + \mathrm{d} y$	dy						
$f_{14}$	(y) dx + (x) dy	$\mathrm{d} x  \mathrm{d} y$	0	$\mathrm{d} x$	$\mathrm{d}y$	dx + dy						
$f_{15}$	0	0	0	0	0	0						

# 0.2 Partial Differentials and Relative Differentials Partial Differentials and Relative Differentials

Tartial Differentials and Relative Differentials											
	f	$\frac{\partial f}{\partial x}$	$\frac{\partial f}{\partial y}$	$d f = $ $\partial_x f \cdot d x + \partial_y f \cdot d y$	$\frac{\partial x}{\partial y}   f$	$\frac{\partial y}{\partial x}  f $					
$f_0$	( )	0	0	0	0	0					
$f_1$	(x)(y)	(y)	(x)	(y) dx + (x) dy							
$f_2$	(x) y	y	(x)	y  dx + (x)  dy							
$f_4$	x(y)	(y)	x	(y) dx + x dy							
$f_8$	x y	y	x	y dx + x dy							
$f_3$	(x)	1	0	$\mathrm{d}x$							
$f_{12}$	x	1	0	$\mathrm{d}x$							
$f_6$	(x, y)	1	1	dx + dy							
$f_9$	((x, y))	1	1	$\mathrm{d} x + \mathrm{d} y$							
$f_5$	(y)	0	1	$\mathrm{d}y$							
$f_{10}$	y	0	1	$\mathrm{d}y$							
$f_7$	$(x \ y)$	y	x	y dx + x dy							
$f_{11}$	(x(y))	(y)	x	(y) dx + x dy							
$f_{13}$	((x) y)	y	(x)	y  dx + (x)  dy							
$f_{14}$	((x)(y))	(y)	(x)	(y) dx + (x) dy							
$f_{15}$	$((\ ))$	0	0	0	0	0					