COVID-19 in Slovenia, from a success story to disaster: What lessons can be learned?

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21. 9. 2021

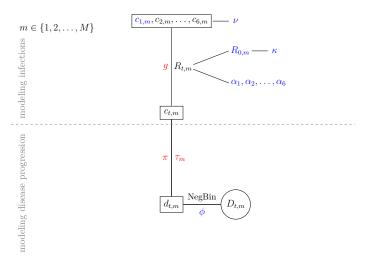
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- (5) Why is contact tracing so important?

Model Flaxman et al. (Nature, 2020), Manevski et al. (ZV, 2020)

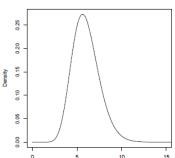


$$c_{t,m} = \left(1 - \frac{\sum_{k=1}^{t-1} c_{k,m}}{N_m}\right) R_{t,m} \sum_{k=0}^{t-1} c_{k,m} g_{t-k}$$

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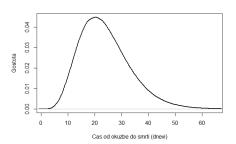
$$g_1 = \int_0^{1.5} g(t)dt$$
, $g_s = \int_{s-0.5}^{s+0.5} g(t)dt$, $s = 2, 3, ...$

Serial interval

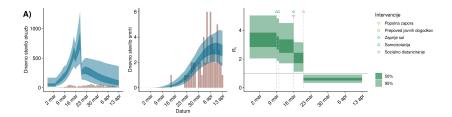


$$R_{t,m} = R_{0,m} \exp\left(\sum_{l=1}^{6} (-\alpha_l) I_{l,t,m}\right)$$
 $R_{0,m} \sim \mathcal{N}^+(2.4,\kappa)$
 $\alpha_l \sim \text{gamma}(0.5,1), \quad l = 1,\dots,6$
 $\kappa \sim \mathcal{N}^+(0,0.5)$

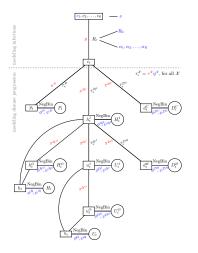
$$D_{t,m} \sim \mathsf{NegBin}\left(d_{t,m}, d_{t,m} + rac{d_{t,m}^2}{\phi}
ight)$$
 $d_{t,m} = au_m \sum_{k=1}^{t-1} c_{k,m} \pi_{t-k}$ $\phi \sim \mathcal{N}^+(0,5)$



Manevski et al. (ZV, 2020). Data on deceased subjects until 13. of April 2020.



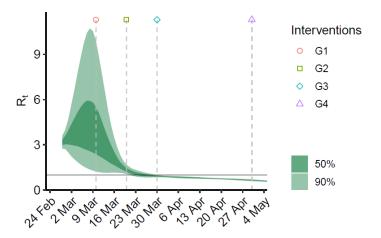
Manevski et al. (Mathematical Biosciences, 2020).



https://oblak8.mf.uni-lj.si/covid19/

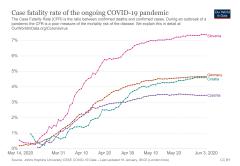


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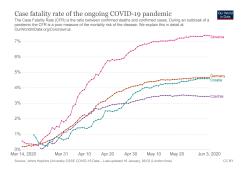


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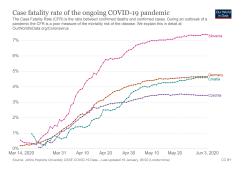


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Ioannidis (2021): France, Germany, Switzerland <0.5 %, Spain pprox

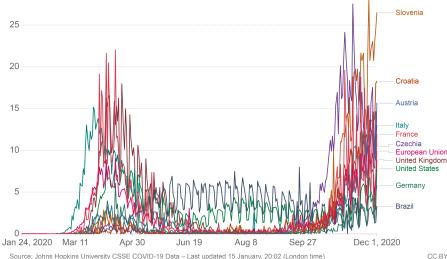
1 %



Daily new confirmed COVID-19 deaths per million people



Limited testing and challenges in the attribution of the cause of death means that the number of confirmed deaths may not be an accurate count of the true number of deaths from COVID-19.



Source: Johns Hopkins University CSSE COVID-19 Data - Last updated 15 January, 20:02 (London time)



Total number of deaths 28. 2. 2020 - 30. 6. 2020: 111

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Tabela: Number of confirmed infections (P) and deceased (D) on one milion people in a 14-day interval. Source: sledilnik/SURS.

	Feb 28 -	Jul 1 -	Jul 1 -	Oct 26 -	
	Jun 30	Dec 1	Oct 25	Dec 1	
P	88	3410	1295	10096	
D	6	60	7	227	

What could have gone wrong? Source: Sledilnik

First wave (until 30. 6. 2020)

Date	NPI	$\sum P_t$	H_t	U_t	$\sum D_t$
10.3.2020	banned public events	49	0	0	0
20.3.2020	lockdown	368	46	8	0
30.3.2020	restriction on municipali-	802	117	29	1
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Second wave (from 1.7.2020 onwards)

Date	NPI		$\sum P_t$	H_t	U_t	$\sum D_t$
9.10.2020	complete co	ntact	6641	138	23	54
	tracing not pos	ssible				
	anymore					
20.10.2020	regions (curfew)		14380	313	55	81
26.10.2020	complete lockdown		24002	523	82	140
27.10.2020	restriction on municipali-		26612	560	88	153
	ties					

Mobility data

Source: Google Mobility Report
Daily changes in mobility for the period 3. 1. 2020 do 6. 2. 2020
for people using Google location data.

Mobility data

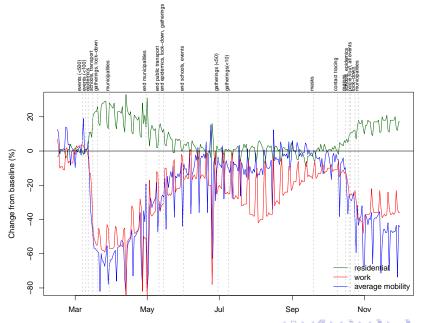
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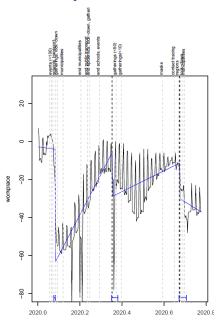
Three mobility dimensions are incorporated:

- residential (mobility trend for places of residence)
- workplace (mobility trend for places of work)
- average mobility (daily average of mobility trends for places like grocery markets, food warehouses, farmers markets, specialty food shops, drug stores, and pharmacies; mobility trends for places like public transport hubs such as bus and train stations; and mobility trends for places like restaurants, cafes, shopping centers, museums, libraries, and movie theaters).

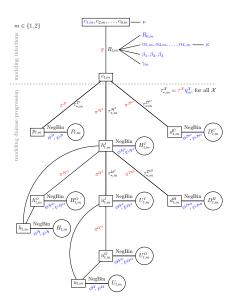
Mobility data



Interventions and mobility data



Model

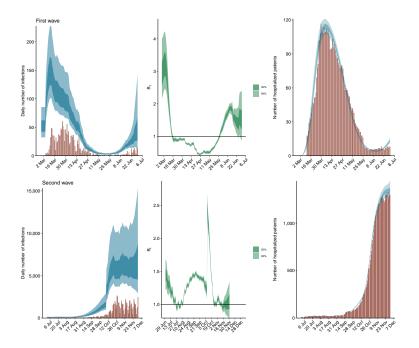


Model

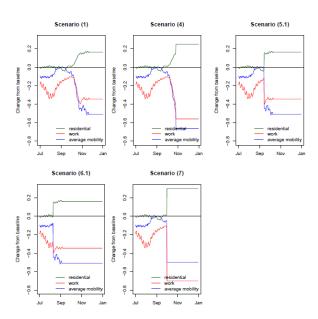
$$R_{t,m} = R_{0,m} \left[2f \left(-\sum_{k=1}^{3} \beta_k z_{k,t,m} \right) \exp \left(\sum_{l=1}^{L} \alpha_{l,m} s_{l,t,m} \right) \exp \left(\gamma_m I_{t,m} \right) \right]$$

$$R_{0,m} \sim \mathcal{N}^+ (3.28, 0.25)$$

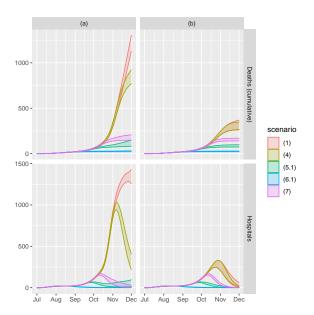
$$eta_k \sim \mathcal{N}(0, 0.5), \quad k = 1, 2, 3,$$
 $\gamma_m \sim \mathcal{N}(0, 0.5), \quad m = 1, 2.$
 $lpha_{l,m} \sim \mathcal{N}(0, \kappa), \quad l = 1, \dots, L, \ m = 1, 2,$
 $\kappa \sim \mathcal{N}^+(0, 0.5).$



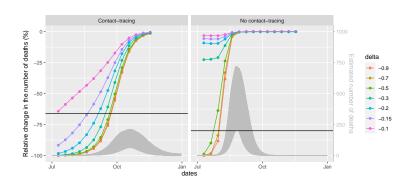
Scenarios



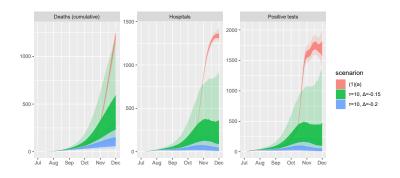
Results



Results



Results



Limitations

Assumptions (the time distributions, IFRs,...).

The data quality and availability.

High correlation between the mobility dimensions.

NPI and other factors might influence the spread of the virus (masks, schools, etc.).

Observational study using aggregated data.

One country.

Contact tracing.