ML4Science: Week 2 Meeting

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Machine Learning Project 2

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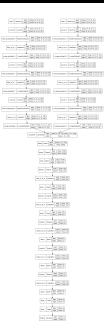


Outlines

- 1 Structure of the CNN
 - CNN implementation
 - Neighborhood implementation
 - Choice of the Loss

- 2 Questions and Issues
 - Questions
 - Issues

Structure of the CNN





Start with a simple/tutorial network

Start with the full CNN structure

As first attempt:

- Complete structure as in picture (left, right, center branches)
- 2 Same parameters to avoid inventing from scratch

```
class CNN(nn.Module):
       def ___init___(self):
2
           super(CNN, self).__init__()
           # MAIN PARAMETERS
           self.kernel size = 5
           self.padding = (self.kernel\_size - 1)/2
           self.stride conv = 1
           self.kernel pooling = 2
10
           self stride pool = self kernel pooling
11
```

Choices of the parameters motivated by these reasons:

- Kernel = 5 as common, basic first choice (to be corrected in the future maybe)
- *Stride* = 1 to convolute at every step
- $Padding = \frac{Kernel-1}{2}$ to keep same sizes before and after the convolution
- For pooling, *Stride* = *Pooling* to make steps in correspondence to the pooled areas

Left branch

```
# LEFT BRANCH
2
            self.conv3d 6 = nn.Conv3d(in channels=1, out channels=128, kernel size=
                  self.kernel_size, stride=self.stride_conv, padding=self.padding)
3
            self.batch normalization 6 = nn.BatchNorm3d(num features=128)
            self.leaky_re_lu_6 = nn.LeakyReLU()
            self.average\_pooling\_3d\_6 = nn.AvgPool3d(kernel size = self.
                  kernel pooling)
6
7
            self.conv3d 7 = nn.Conv3d(in channels=128, out channels=128, kernel size
                  =self.kernel_size, stride=self.stride_conv, padding=self.padding)
8
            self.batch normalization 7 = nn.BatchNorm3d(num features=128)
            self.leaky_re_lu_7 = nn.LeakyReLU()
            self.average_pooling_3d_7 = nn.AvgPool3d(kernel_size = self.
10
                  kernel pooling)
11
12
            self.conv3d_8 = nn.Conv3d(in_channels=128, out_channels=128, kernel_size
                  =self.kernel size, stride=self.stride conv, padding=self.padding)
13
            self.batch_normalization_8 = nn.BatchNorm3d(num_features=128)
            self.leaky_re_lu_8 = nn.LeakyReLU()
14
            self.average_pooling_3d_8 = nn.AvgPool3d(kernel_size = self.
15
                  kernel pooling)
```

```
# RIGHT BRANCH
2
            self.conv3d 15 = nn.Conv3d(in channels=1, out channels=128, kernel size=
                  self.kernel_size, stride=self.stride_conv, padding=self.padding)
3
            self.batch_normalization_15 = nn.BatchNorm3d(num_features=128)
            self.leaky re lu 15 = nn.LeakyReLU()
            self.average_pooling_3d_15 = nn.AvgPool3d(kernel size = self.
                  kernel pooling)
6
            self.conv3d 16 = nn.Conv3d(in channels=128, out channels=128,
                  kernel size=self.kernel size. stride=self.stride conv. padding=self
                  .padding)
8
            self.batch normalization 16 = nn.BatchNorm3d(num features=128)
            self.leaky_re_lu_16 = nn.LeakyReLU()
            self.average_pooling_3d_16 = nn.AvgPool3d(kernel_size = self.
10
                  kernel pooling)
11
12
            self.conv3d_17 = nn.Conv3d(in_channels=128, out_channels=128,
                  kernel size=self.kernel size, stride=self.stride conv. padding=self
                  .padding)
13
            self.batch_normalization_17 = nn.BatchNorm3d(num_features=128)
            self.leaky re lu 17 = nn.LeakyReLU()
14
15
            self.average pooling 3d 17 = nn.AvgPool3d(kernel size = self.
                  kernel_pooling)
```

Central branch

2

4 5

6

8

17 18

19

26 27

```
1
            # CENTRAL BRANCH
3
             self.dropout = nn.Dropout(p=0.8)
             self.dense = nn.Linear(in_features=55296, out_features=256)
             self.dropout 1 = nn.Dropout(p=0.5)
7
             self.leaky re lu 18 = nn.LeakyReLU()
9
             self.dense_1 = nn.Linear(in_features=256, out_features=128)
10
             self.dropout 2 = nn.Dropout(p=0.5)
11
             self.leaky_re_lu_19 = nn.LeakyReLU()
12
13
             self.dense_2 = nn.Linear(in_features=128, out_features=64)
14
             self.dropout 3 = nn.Dropout(p=0.5)
             self.leakv re lu 20 = nn.LeakvReLU()
15
16
             self.dense 3 = nn.Linear(in features=64, out features=32)
             self.dropout_4 = nn.Dropout(p=0.5)
             self.leaky re lu 21 = nn.LeakyReLU()
20
21
             self.dense 4 = nn.Linear(in_features=32, out_features=16)
22
             self.dropout_5 = nn.Dropout(p=0.5)
23
             self.leaky re lu 22 = nn.LeakyReLU()
24
25
             self.dense_5 = nn.Linear(in_features=16, out_features=8)
             self.dense_6 = nn.Linear(in_features=8, out_features=4)
             self.dense 7 = \text{nn.Linear}(\text{in features} = 4, \text{ out features} = 1)
```

```
1
    def get neighborhood (T, x0, y0, z0, r):
2
3
        edge = T.shape[3]
4
        idx = list(range(x0-r, min(edge,x0+r+1))) + list(range(max(edge,x0+r+1)))
              edge))
        idy = list(range(y0-r, min(edge,y0+r+1))) + list(range(max(edge,y0+r+1)))
6
7
        idz = list(range(z0-r, min(edge, z0+r+1))) + list(range(max(edge, z0+r+1)))
              edge))
8
g
        Tm = T[0, 0, :,:,:]
10
        neigh = Tm[idx,:,:][:,idy,:][:,:,idz]
        neigh = np.expand_dims(neigh, axis=0)
11
12
        neigh = np.expand_dims(neigh, axis=0)
13
14
        return neigh
```

get_neighborhood

To get convinced from the code, take the simpler 1D case. $\{x_0 - r, \dots, x_0 + r\}$ inside $\{0, \dots, edge - 1\}$. Three possible cases:

- Fully inside the larger interval ⇒ $idx = \{x_0 - r, \dots, x_0 + r\} \cup \{\emptyset\}$
- $x_0 r$ exceeds from left ⇒ same as before (see negative indices in numpy)
- $x_0 + r$ exceeds from right $\Rightarrow idx = \{x_0 - r, \dots, edge - 1\} \cup \{0, \dots, (x_0 + r) \mod edge\}$

Choice of the Loss

In our implementation, we opted for a **MSE Loss**.

We did not choose the Cross Entropy Loss as it is suitable only for classification problems. In addition, we initially got dimension incompatibilities when we applied it to our net.

Questions

- Parameters choice discussion:
 - "Main parameters" (i.e. kernel size, padding ...)
 - Set vs default parameters in PyTorch modules

```
self.batch_normalization_6 = nn.BatchNorm3d(...?..)
```

Flattening dimension

```
out = torch.cat((out1, out2), dim = 0)
```

- Choice of the Loss (MSE Loss)
- Should we divide our dataset in training and test set or do we have other test data?
- 3 About February conference
- Issues (see next slide)

Issues

- Problem when passing the padding number as parameter ⇒ solved by passing directly the number
- Need of more efficient code; due to the extremely high computational time, we actually do not have an output