

Compilers

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1. Specify in *Lex* a program that takes as input a text file and prints the text lines (sequences of characters terminated by a newline) which are composed of exactly three **w** letters separated between them by other characters.
2. Given the following grammar *G* in BNF notation, we ask to transform *G* into an equivalent non left-recursive grammar *G** and then, based on the complete parsing table, determine whether *G** is LL(1).

$$A \rightarrow B \mathbf{a} \mid \epsilon$$

$$B \rightarrow C \mathbf{a}$$

$$C \rightarrow A \mathbf{b} \mid \epsilon$$
3. Given the BNF at point 2 above, we ask to (i) outline the corresponding LR(1) parsing table, (ii) trace the LR(1) parsing of phrase **baa**, and (iii) based on the trace, outline the syntax tree of the given phrase.
4. A language for type definitions is specified by the following BNF:

$$def \rightarrow \mathbf{id} : type$$

$$type \rightarrow \mathbf{int} \mid \mathbf{string} \mid \mathbf{bool} \mid table\text{-}type \mid array\text{-}type$$

$$table\text{-}type \rightarrow \mathbf{table} (attr\text{-}list)$$

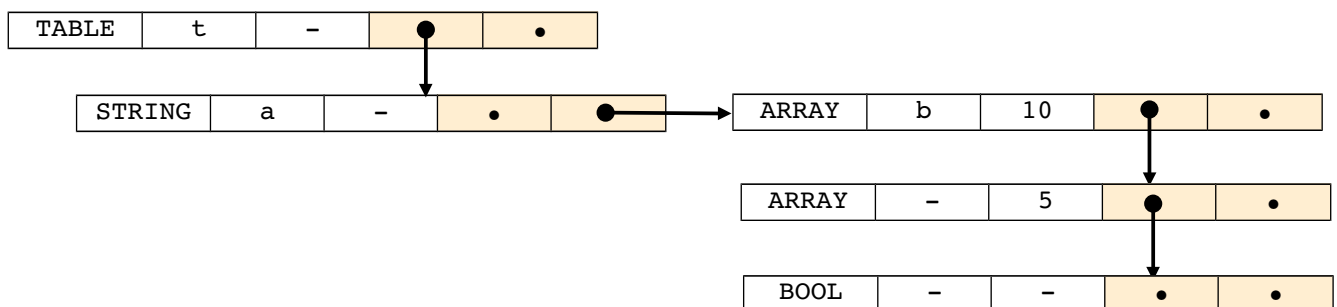
$$attr\text{-}list \rightarrow def, attr\text{-}list \mid def$$

$$array\text{-}type \rightarrow \mathbf{array} [\mathbf{num}] of\ type$$

We ask to codify in *Yacc* the generator of the corresponding type trees, assuming that each node is qualified by a **domain** $\in \{\mathbf{INT}, \mathbf{STRING}, \mathbf{BOOL}, \mathbf{TABLE}, \mathbf{ARRAY}\}$, a **name** (for variables and attributes), a **dimension** (size of the array), and pointers **child** (first child) and **brother** (right brother). For instance, the following declaration:

`t: table(a: string, b: array [10] of array [5] of bool)`

shall generate the following type tree:



Note: If the type of the variable is simple, it shall be represented by a single node.

5. Based on all reasonable semantic constraints of a strongly typed language, specify the attribute grammar relevant to the following BNF (in particular, in **foreach** loop, *expr* shall be an array with element type equal to the type of variable **id**):

```

program → stat-list
stat-list → stat ; stat-list | stat ;
stat → def-stat | assign-stat | if-stat | foreach-stat
def-stat → id-list : type
id-list → id , id-list | id
type → int | bool | array-type
array-type → array [ intconst ] of type
assign-stat → id := expr
expr → expr + expr | expr and expr | - expr | not expr | (expr) | id | intconst | boolconst
if-stat → if expr then stat-list else stat-list endif
foreach-stat → foreach id in expr do stat-list endfor

```

assuming each node of the type tree being qualified by fields **domain** $\in \{\text{INT}, \text{BOOL}, \text{ARRAY}\}$, **size** (array dimension), and **child** (pointer to array element type), and the availability of the following auxiliary functions:

- **insert**(*name*, *type*): inserts variable *name* and its *type* into the symbol table;
- **lookup**(*name*): returns type of variable *name* (if cataloged) or **nil**;
- **typeEqual**(*t1*, *t2*): checks the equality of types *t1* and *t2*;
- **simpleNode**(*domain*): creates a type node for *domain* $\in \{\text{INT}, \text{BOOL}\}$;
- **arrayNode**(*size*, *type*): creates an array type node with dimension *size* and child type *type*;
- **error**(*message*): prints relevant error message and terminates the analysis.

6. Given the language for the manipulation of integers, defined by the following BNF,

```

program → stat-list
stat-list → stat stat-list | stat
stat → id := expr
expr → expr + expr | expr * expr | id | num

```

assuming a concrete syntax tree where nodes are qualified by fields **symbol** (the grammar symbol), **lexeme** (lexical string), **p1** (pointer to first child), **p2** (pointer to second child), and **p3** (pointer to third child), we ask to specify a procedure of P-code generation based on the following requirements:

- Operands are evaluated from left to right;
- Unlike the addition, the multiplication is evaluated in short circuit, based on the following rule: if the first operand is 0 then the result is 0 (otherwise, fully evaluation of multiplication is required);
- The language of the P-machine includes the following set of instructions:

LDA <id>	(loading of address of variable <id> on stack)
LOD <id>	(loading of value of variable <id> on stack)
LDC <const>	(loading of integer constant <const> on stack)
ADD	(addition)
MUL	(multiplication)
EQU	(equality, pushing either TRUE or FALSE on the stack)
JMF <label>	(jumps if FALSE)
JMP <label>	(unconditional jump)
LAB <label>	(implicit address)
STO	(store)

Note: In the P-machine, integers cannot be treated as booleans.