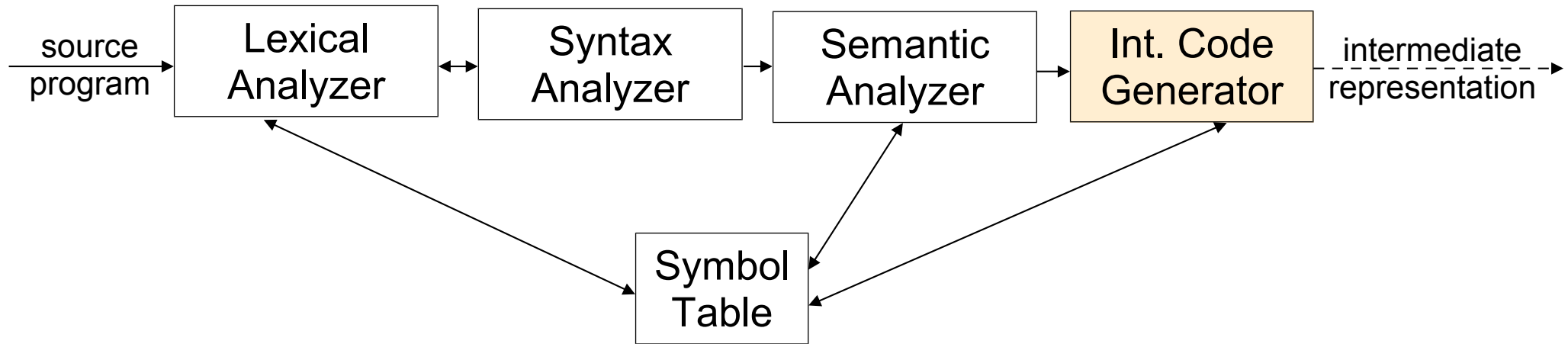


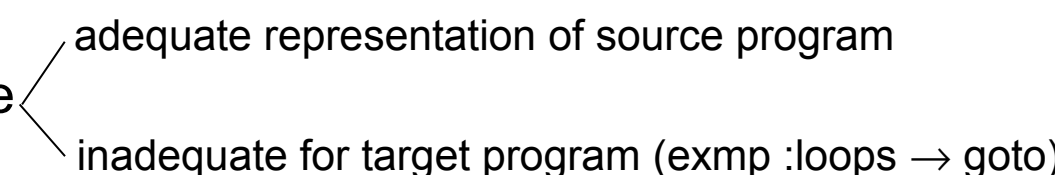
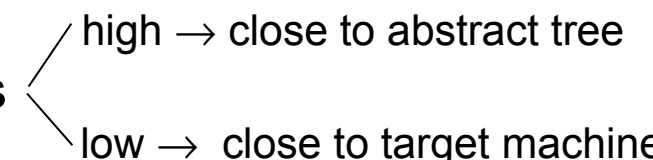

Intermediate Code Generation

- Front-end → intermediate code generation



- Advantages of intermediate representation (independent of target):
 1. Porting → change of back-end only
 2. First optimization independent of target

Intermediate Representation

- **Intermediate representation** \equiv data structure representing source program during translation (exmp: abstract tree + symbol table)
- Abstract tree 
 - adequate representation of source program
 - inadequate for target program (exmp :loops \rightarrow goto)
- **Intermediate code** \rightarrow intermediate representation closest to target code
- Various forms of intermediate code: in general \rightarrow linearization of abstract tree (\approx oper. semantics)
- Various abstraction levels 
 - high \rightarrow close to abstract tree
 - low \rightarrow close to target machine
- Popular representations 
 - Three-address code
 - P-code } \neq forms

Three-Address Code

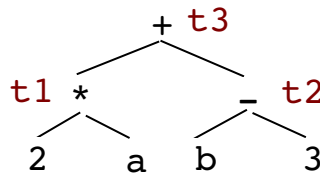
- Typical statement: designed to represent evaluation of simple arithmetic expressions

$x = y \text{ op } z$

- x, y, z = memory addresses (certainly x , while y and z may be constants)
- op = either arithmetic operator (typically) or other

- Example:

$2 * a + (b - 3)$



$t1 = 2 * a$
 $t2 = b - 3$
 $t3 = t1 + t2$

- Notes:

- Compiler \rightarrow generation of names for temporaries ($t1, t2, t3$) \rightarrow isomorphic to internal nodes
- Three-address code = linearization (left to right) of abstract tree
- Unless \exists constraints on evaluation order, possible a different order: (\neq meaning of names)

$t1 = b - 3$
 $t2 = 2 * a$
 $t3 = t2 + t1$

- In general: need for other forms of statements (\nexists standard), exmp: $t2 = -t1$

Three-Address Code (ii)

- Extended example: computation of factorial **x!**

```
read x;      /* input of integer */
if x > 0 then
  fact := 1;
  repeat
    fact := fact * x;
    x := x - 1
  until x = 0;
  write fact
endif
```



```
read x
t1 = x>0
if_false t1 goto L1
fact = 1
label L2
t2 = fact * x
fact = t2
t3 = x - 1
x = t3
t4 = x==0
if_false t4 goto L2
write fact
label L1
halt
```

- Notes:

- **read / write**: directly translated into statements with one address
- **if_false** (two addresses): used to translate **if / repeat**
- **label** (one address): may be necessary in some implementations of three-address code
- **halt** (zero addresses!): program termination
- Assignments within source → mapped to copy statements

```
fact := fact * x
```



```
t2 = fact * x
fact = t2
```

(even if sufficient unique statement → optimization)

Three-Address Code (iii)

- Representation: typically $\left\{ \begin{array}{l} \forall \text{ statement} \rightarrow \text{record of fields} \\ \text{complete code} \left\{ \begin{array}{l} \text{array} \\ \text{linked list} \end{array} \right\} \end{array} \right\}$ of records

- Record (typically):

op	addr1	addr2	addr3
----	-------	-------	-------

- Possible null value for some addresses

```

read x
t1 = x>0
if_false t1 goto L1
fact = 1
label L2
t2 = fact * x
fact = t2
t3 = x - 1
x = t3
t4 = x==0
if_false t4 goto L2
write fact
label L1
halt
    
```



```

(rd, x, -, -)
(gt, x, 0, t1)
(if_f, t1, L1, -)
(asn, 1, fact, -)
(lab, L2, -, -)
(mul, fact, x, t2)
(asn, t2, fact, -)
(sub, x, 1, t3)
(asn, t3, x, -)
(eq, x, 0, t4)
(if_f, t4, L2, -)
(wri, fact, -, -)
(lab, L1, -, -)
(halt, -, -, -)
    
```

P-code

- Historically: designed \approx 1980 to be the language of a **P-machine** of which an interpreter was implemented on different real platforms
- Requirement: portability of Pascal compilers \rightarrow P-code designed to be directly executed
- We: simplified version of P-machine
 - { code memory
 - { data memory (for variables with names)
 - { stack (for temporaries)
 - { registers to
 - / manage the stack (stack pointer)
 - \ support execution (program counter)

Example 1:

2 * a + (b - 3)



```
ldc 2      ; load constant 2
lod a      ; load value of var a
mpi        ; integer multiplication
lod b      ; load value of var b
ldc 3      ; load constant 3
sbi        ; integer subtraction
adi        ; integer addition
```

P-code (ii)

Example 2:

`x := y + 1`



```
lda x      ; load address of x
lod y      ; load value of y
ldc 1      ; load constant 1
adi        ; add
sto        ; store top to address below top and pop both
```

- Note: different semantics for $\left\{ \begin{array}{l} \text{lda} \rightarrow \text{load address} \rightarrow \text{lvalue} \\ \text{lod} \rightarrow \text{load value} \rightarrow \text{rvalue} \end{array} \right.$

P-code (iii)

Example 3:

```
read x;      /* input of integer */
if x > 0 then
    fact := 1;
    repeat
        fact := fact * x;
        x := x - 1
    until x = 0;
    write fact
endif
```



```
lda x      ; load address of x
rdi        ; read integer, store to address on top and pop
lod x      ; load value of x
ldc 0      ; load constant 0
grt        ; compare top two values, pop them, push Boolean result
fjp L1     ; pop Boolean value, jump to L1 if false
lda fact   ; load address of fact
ldc 1      ; load constant 1
sto        ; pop two values, storing first to address given by second
lab L2     ; definition of label L2
lda fact   ; load address of fact
lod fact   ; load value of fact
lod x      ; load value of x
mpi        ; multiply
sto        ; store top to address of second and pop both
lda x      ; load address of x
lod x      ; load value of x
ldc 1      ; load constant 1
sbi        ; subtract
sto        ; store (as before)
lod x      ; load value of x
ldc 0      ; load constant 0
equ        ; test for equality
fjp L2     ; pop Boolean value, jump to L2 if false
lod fact   ; load value of fact
wri        ; write top and, then, pop
lab L1     ; definition of label L1
stp        ; stop execution
```


Comparison between P-code and Three-Address Code

- Pros:

- P-code closer to target code than Three-address code
- P-code statements require less addresses (our examples: one address at most)
(operands implicitly on the stack)

- Cons:

- P-code less compact than Three-address code (number of statements)
- P-code not self-contained: statements implicitly operate on a stack
(implicit locations of stack = surrogate of addresses)

- Advantage in using a stack: contains all values necessary in any point of the code
→ unnecessary for compiler assigning names to values
Also: automatic removal of temporaries

Intermediate Code as Synthesized Attribute

- Example: Subset of C expressions (assignment as expression)

$expr \rightarrow id = expr \mid term$
 $term \rightarrow term + factor \mid factor$
 $factor \rightarrow (expr) \mid num \mid id$

Assumption: `id` and `num` : with lexical attribute `lexval` = string of characters

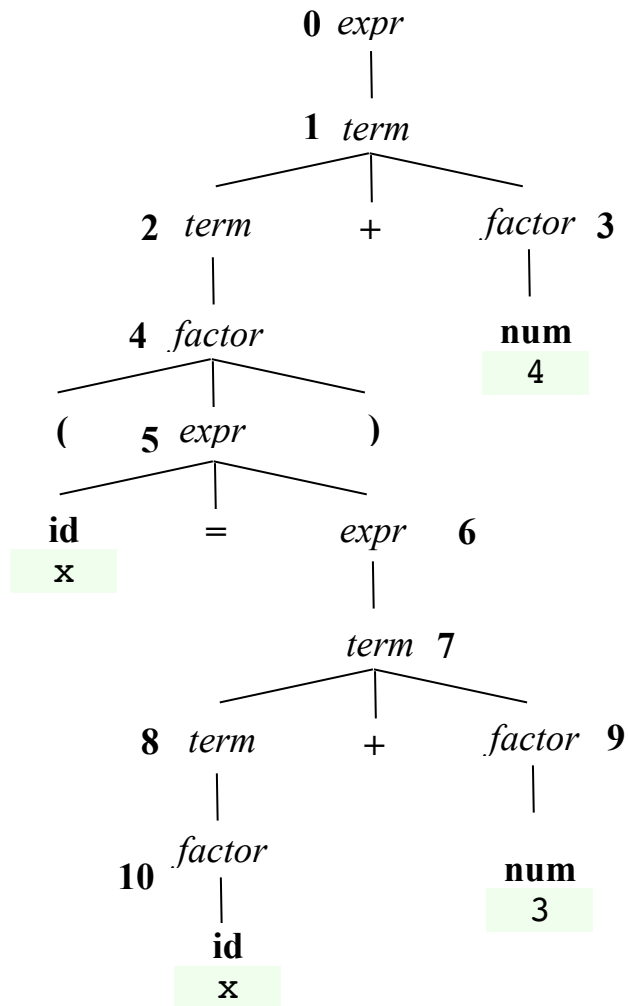
- P-code ($A = \{ pcode \}$):
 - AG simpler (unnecessary generating names for temporaries) $\rightarrow A = \{ pcode \}$
 - Necessary a “*nondestructive store*” to support assignments as expressions $\rightarrow stn$
 - Semantics of `stn`:
 - Stores value at address below it (as `sto`)
 - Leaves value on top of stack
 - Discards address

Production	Semantic rules
$expr_1 \rightarrow id = expr_2$	$expr_1.pcode = "lda" \parallel id.lexval ++ expr_2.pcode ++ "stn"$
$expr \rightarrow term$	$expr.pcode = term.pcode$
$term_1 \rightarrow term_2 + factor$	$term_1.pcode = term_2.pcode ++ factor.pcode ++ "adi"$
$term \rightarrow factor$	$term.pcode = factor.pcode$
$factor \rightarrow (expr)$	$factor.pcode = expr.pcode$
$factor \rightarrow num$	$factor.pcode = "ldc" \parallel num.lexval$
$factor \rightarrow id$	$factor.pcode = "lod" \parallel id.lexval$

\parallel = concatenation with space
 $++$ = concatenation with newline

Intermediate Code as Synthesized Attribute (ii)

- Example (P-code): $(x = x + 3) + 4$



Nodes	P-code
10, 8	lod x
9	ldc 3
7, 6	lod x ldc 3 adi
5, 4, 2	lda x lod x ldc 3 adi stn
3	ldc 4
1, 0	lda x lod x ldc 3 adi stn ldc 4 adi

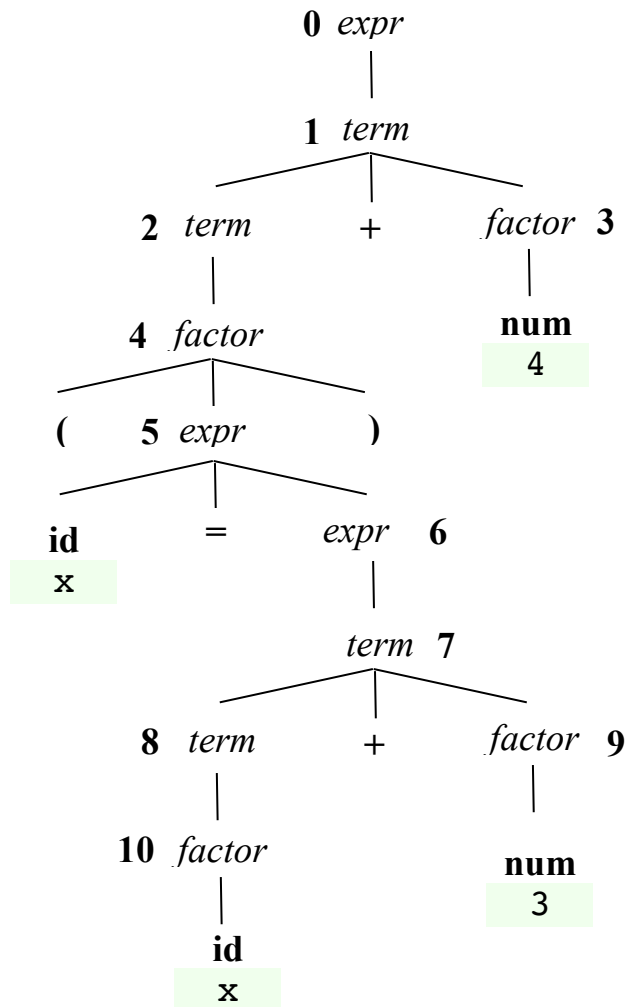
Intermediate Code as Synthesized Attribute (iii)

- Example (Three-address code): necessary assigning each expression with a name \rightarrow
 $A = \{ \text{name, qcode} \}$

Production	Semantic rules
$expr_1 \rightarrow \text{id} = expr_2$	$expr_1.name = expr_2.name$ $expr_1.qcode = expr_2.qcode ++$ $\text{id.lexval} \parallel "=" \parallel expr_2.name$
$expr \rightarrow term$	$expr.name = term.name$ $expr.qcode = term.qcode$
$term_1 \rightarrow term_2 + factor$	$term_1.name = \text{newtemp}()$ $term_1.qcode = term_2.qcode ++$ $factor.qcode ++$ $term_1.name \parallel "=" \parallel term_2.name \parallel "+" \parallel factor.name$
$term \rightarrow factor$	$term.name = factor.name$ $term.qcode = factor.qcode$
$factor \rightarrow (expr)$	$factor.name = expr.name$ $factor.qcode = expr.qcode$
$factor \rightarrow \text{num}$	$factor.name = \text{num.lexval}$ $factor.qcode = ""$
$factor \rightarrow \text{id}$	$factor.name = \text{id.lexval}$ $factor.qcode = ""$

Intermediate Code as Synthesized Attribute (iv)

$(x = x + 3) + 4$



Nodes	qcode	name
10,8		x
9		3
3		4
7, 6	t1 = x + 3	t1
5, 4, 2	t1 = x + 3 x = t1	t1
1, 0	t1 = x + 3 x = t1 t2 = t1 + 4	t2

Intermediate Code as Synthesized Attribute (v)

- Notes (on code generation as computation of a synthesized attribute)

- Clearly shows relations between $\left\{ \begin{array}{l} \text{code fragments} \\ \text{syntax sub-trees} \end{array} \right.$

- Impractical, because:

1. String concatenation $\left\{ \begin{array}{l} \text{many copy operations} \\ \text{waste of memory} \end{array} \right.$

2. Better generating small fragments of code and writing on file (or on data structures)



semantic actions which do not adhere to attribute synthesis in post-order

3. In general: code generation heavily depends on inherited attributes → complication in AG

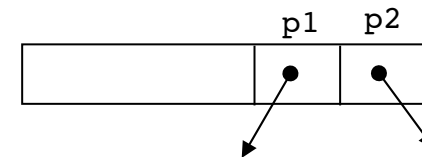


Need for more direct (practical) code-generation techniques not based on AG

Practical Code Generation

- Hp: Syntax tree with nodes having at most two children (easily generalizable)

```
procedure genCode(n: Node);  
begin  
  if n ≠ nil then  
    generate code to prepare for code of left child of n;  
    genCode(n.p1);  
    generate code to prepare for code of right child of n;  
    genCode(n.p2);  
    generate code to implement the action of n  
  endif  
end.
```



Practical Code Generation (ii)

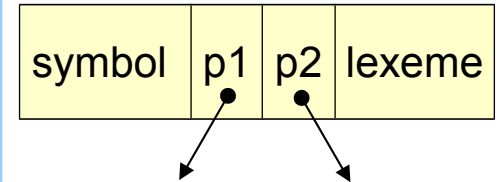
(for abstract tree)

$expr \rightarrow id = expr \mid term$
 $term \rightarrow term + factor \mid factor$
 $factor \rightarrow (expr) \mid num \mid id$

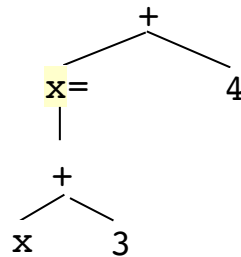
```
typedef enum {PLUS, ASSIGN, NUM, ID} Symbol;

typedef struct t_node
{
    Symbol symbol;
    struct t_node *p1, *p2;
    char *lexeme;           /* for id, num */
} Node;

typedef Node *Pnode;
```



(x = x + 3) + 4



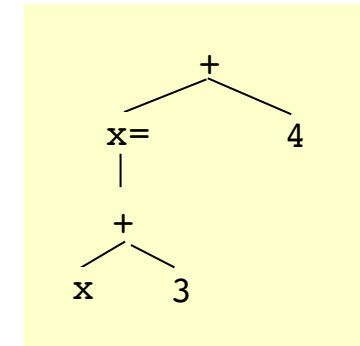
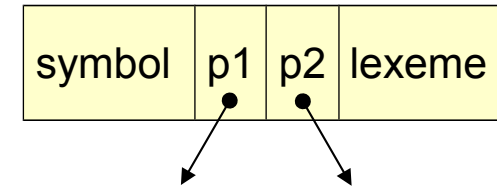
Note: Assignment identifier stored in the relevant node

- If LHS complex \rightarrow need for another (first) child

Practical Code Generation (iii)

```
void genCode(Pnode p)
{
    char code[MAXCODE]; /* max length of one line of P-code */

    switch(p->symbol)
    {
        case PLUS: genCode(p->p1);
                   genCode(p->p2);
                   emit("adi");
                   break;
        case ASSIGN: sprintf(code, "lda %s", p->lexeme);
                     emit(code);
                     genCode(p->p1);
                     emit("stn");
                     break;
        case NUM: sprintf(code, "ldc %s", p->lexeme);
                  emit(code);
                  break;
        case ID: sprintf(code, "lod %s", p->lexeme);
                 emit(code);
                 break;
    }
}
```



Code Generation for References to Data Structures

- Previously: code generation for expr/assignments, where values = $\begin{cases} \text{constants (LDC)} \\ \text{simple var (LOD, LDA)} \end{cases}$
- Generation of target code \rightarrow var names replaced by addresses $\begin{cases} \text{registers} \\ \text{absolute addresses} \\ \text{relative addresses within AR} \end{cases}$
- In general: need to compute addresses by means of intermediate code $\begin{cases} \text{array indexing} \\ \text{record fields} \\ \text{pointers} \end{cases}$



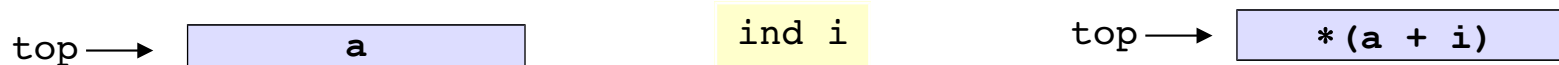
need to extend the intermediate notation to express the computation of addresses

Extending P-code for Address Computation

- Introduction of new statements to express \neq address modes

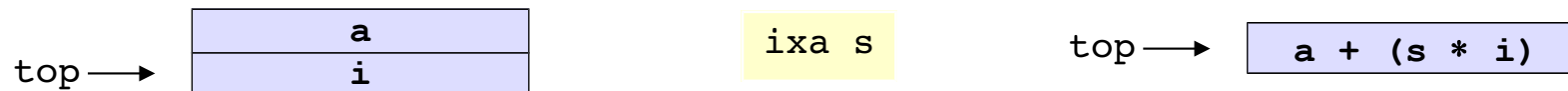
- **ind** *<offset>*
(indirect load) $\left\{ \begin{array}{l} \text{top(stack)} = \text{<address>} \\ \text{<offset>} = \text{integer} \end{array} \right.$

```
addr = <address> + <offset>
pop()
push(*addr)
```



- **ixa** *<scale>*
(indexed address) $\left\{ \begin{array}{l} \text{top(stack)} = \text{<offset>} \\ \text{subtop(stack)} = \text{<base-addr>} \\ \text{<scale>} = \text{scale factor} \end{array} \right.$

```
addr = <base-addr> + (<scale> * <offset>)
pop(), pop()
push(addr)
```



- Example: Write constant 2 at address of x plus 10 byte



```
lda x
ldc 10
ixa 1
ldc 2
sto
```

Code Generation for Array Manipulation

- Array elements stored sequentially
- Element address: computed by means of $\begin{cases} \text{base address of array} \\ \text{offset} = \text{linear function of index value} \end{cases}$

```
int a[SIZE], i, j;  
...  
a[i+1] = a[j*2] + 3;
```

↓
address

↓
integer

anyway → need to first compute address

- Address computation:
 1. Index "normalization" (when index does not start with 0) → normalized index
 2. Multiplication of normalized index by scale factor = sizeof(elem) → scaled index
 3. Address = base + scaled index (at point 2.)

Code Generation for Array Manipulation (ii)

- Example (C): `a[i+1]` \Rightarrow
`a + ((i+1) * sizeof(int))`
base index scale factor
- General formula: `a[t]` \Rightarrow `base(a) + ((t - lower_bound(a)) * elem_size(a))`
- Assumption for the independence from the target machine:
 1. Address of array variable \equiv base address `lda a` \rightarrow push(base address of a)
 2. `elem_size(a)` \equiv size of array element
(statically known \rightarrow replaced with a constant by compiler back-end)

Procedure of Code Gen. for References and Arrays

```

expr → ixpr = expr | term
term → term + factor | factor
factor → ( expr ) | num | ixpr
ixpr → id | id [ expr ]
    
```

- Notes:

- LHS of assignment = either identifier or indexing expression

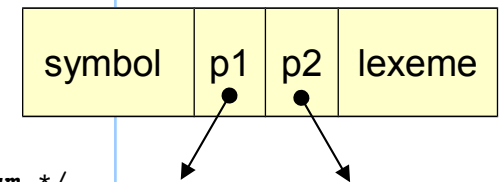
- Node structured as on pag. 16, but with new operation **IDX**:

```

typedef enum {PLUS, ASSIGN, IDX, NUM, ID} Symbol;

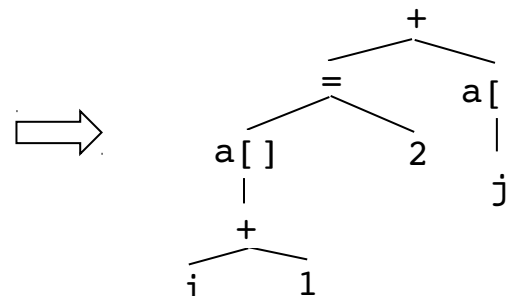
typedef struct t_node
{
    Symbol symbol;
    struct t_node *p1, *p2;
    char *lexeme;           /* for id, num */
} Node;

typedef Node *Pnode;
    
```



- In general: no longer possible storing assignment var name in relevant node → assignment node: with two children (LHS, RHS), like **PLUS**
- Indexing: only on identifiers → possible storing them in **IDX** nodes (otherwise: two children for **IDX**):

(a[i+1] = 2) + a[j]



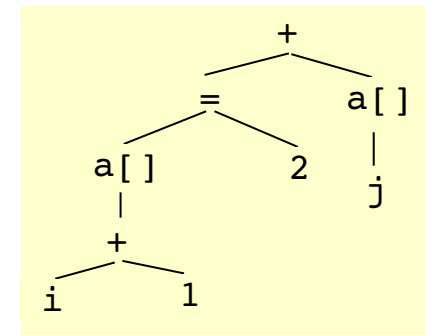
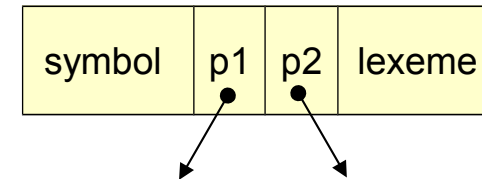
Procedure of Code Gen. for References and Arrays (ii)

```

void genCode(Pnode p, int isAddr)
{
    char code[MAXCODE]; /* max length of a line of P-code */

    switch(p->symbol)
    {
        case PLUS: genCode(p->p1, FALSE);
                    genCode(p->p2, FALSE);
                    emit("adi");
                    break;
        case ASSIGN: genCode(p->p1, TRUE);
                     genCode(p->p2, FALSE);
                     emit("stn");
                     break;
        case IDX: sprintf(code, "lda %s", p->lexeme); emit(code);
                   genCode(p->p1, FALSE);
                   sprintf(code, "ixa elem_size(%s)", p->lexeme); emit(code);
                   if(!isAddr) emit("ind 0");
                   break;
        case NUM: sprintf(code, "ldc %s", p->lexeme); emit(code);
                   break;
        case ID: if(isAddr) sprintf(code, "lda %s", p->lexeme);
                  else sprintf(code, "lod %s", p->lexeme);
                  emit(code);
                  break;
    }
}

```



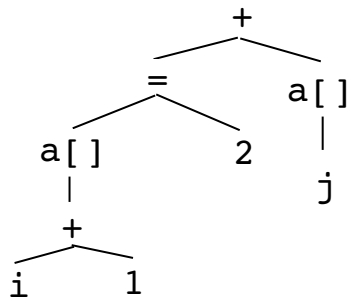
Procedure of Code Gen. for References and Arrays (iii)

- `isAddr` = inherited attribute distinguishing `IDX` and `ID` between positions $\begin{cases} \text{LHS} \\ \text{RHS} \end{cases}$

- `isAddr` = $\begin{cases} \text{true} \rightarrow \text{returned address} \\ \text{false} \rightarrow \text{returned value} \end{cases}$ of expressions

- Application of **genCode**:

`(a[i+1] = 2) + a[j]`

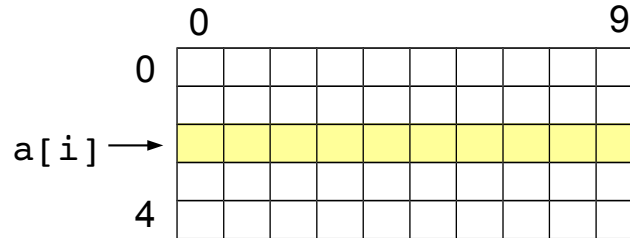


```

lda a
lod i
ldc 1
adi
ixa elem_size(a)
ldc 2
stn
lda a
lod j
ixa elem_size(a)
ind 0
adi
  
```

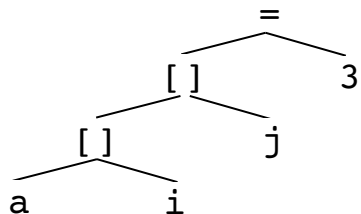

Multidimensional Arrays

```
int a[5][10];
```



- Indexing $\left\{ \begin{array}{l} \text{partial} \rightarrow \text{array with restricted dimensions: } a[i] = \text{one-dimensional array} \\ \text{total} \rightarrow a[i][j] = \text{integer} \end{array} \right.$
- Computation of address relevant to (partial/total) indexing expression
→ by iterated application of techniques introduced for one-dimensional arrays

```
a[i][j] = 3;
```



```

10*size(int)
↑
lda a
lod i
ixa elem_size(a)
lod j
ixa size(int)
ldc 3
sto
    
```

- In general: no longer possible storing array name in IDX node → IDX node with two children

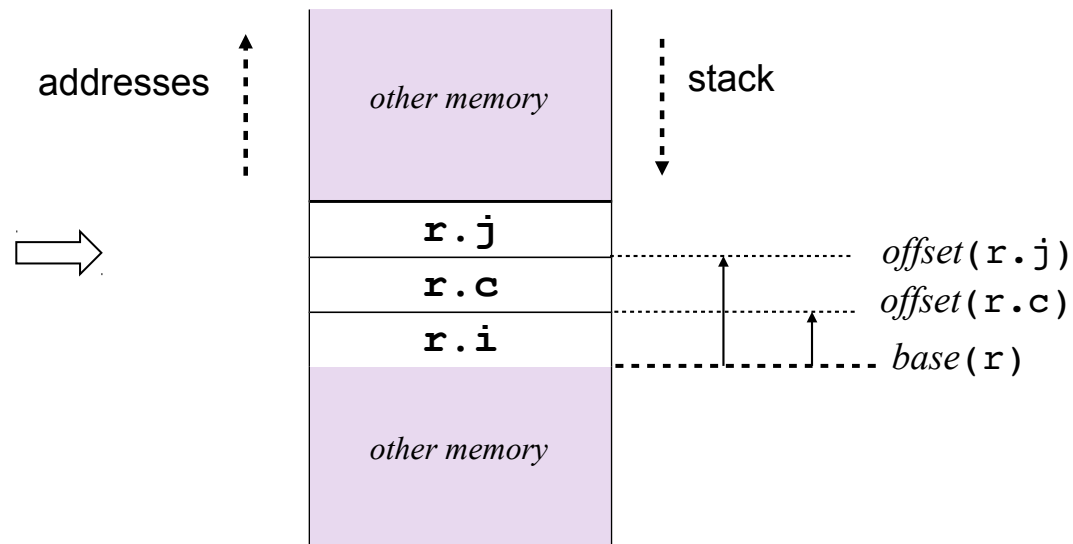
Code Generation for Records and Pointers

- Computation of address of record field \approx computation of address for indexing expression in array:
 1. Computation of base address of record
 2. Computation of offset relevant to field (typically: fixed size \rightarrow static information)
 3. Address = base + offset

```
typedef struct rec
{
    int i;
    char c;
    int j;
} Rec;

...

Rec r;
```



Code Generation for Records and Pointers (ii)

- Notes:

- Fields allocated linearly (typically: by increasing addresses)
- Offset: constants
- Offset of first field = 0
- $\text{Offset}(\text{field}) = f(\text{size of data types in target machine})$:
(no scale factor exists as for array because of inhomogeneity)
- Code generation independent of target machine:

⇒ `field_offset(r, f)` $\begin{cases} r = \text{record variable} \\ f = \text{record field} \end{cases}$

↓

typically: method of symbol table

P-code for Records and Pointers

```
typedef struct rec
{
    int i;
    char c;
    int j;
} Rec;
...
Rec r;
```

`r.j`



```
lda r
ldc field_offset(r, j)
ixa 1
```

`r.j = r.i`



```
lda r
ldc field_offset(r, j)
ixa 1
lda r
ind field_offset(r, i)
sto
```

To get value of `r.i` without pre-computation of relevant address! (directly)

```
int *p, i;
```

`*p = i;`



```
lod p
lod i
sto
```

`i = *p;`



```
lda i
lod p
ind 0
sto
```

```
typedef struct tnode
{
    int val;
    struct tnode *p1, *p2;
} Node;
...
Node *p;
```

`p->p1 = p;`
`p = p->p2;`



```
lod p
ldc field_offset(*p, p1)
ixa 1
lod p
sto
```

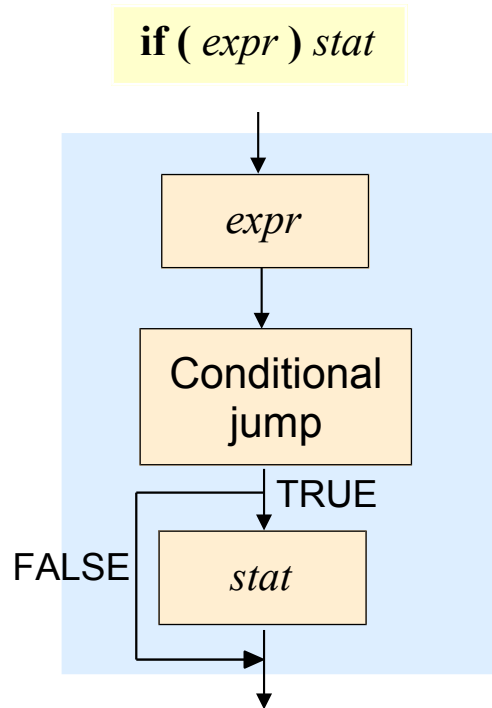


```
lda p
lod p
ind field_offset(*p, p2)
sto
```

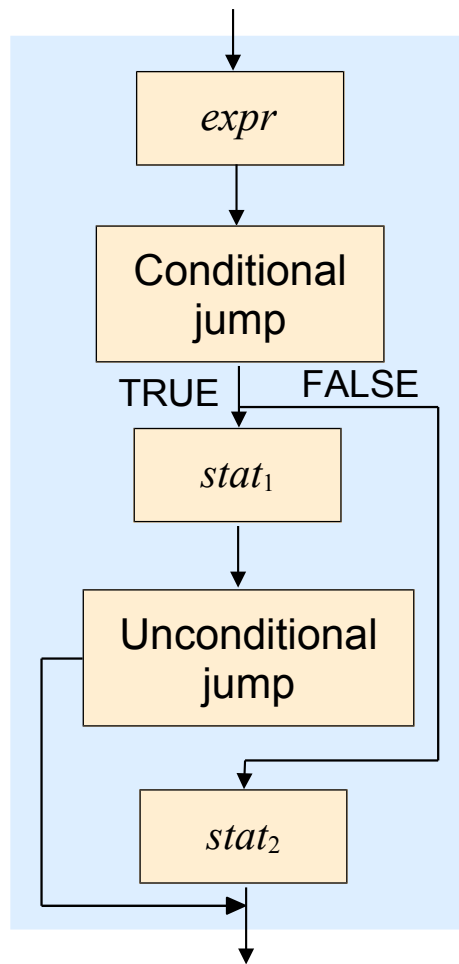
Code Generation for Control Structures

if-stat \rightarrow **if** (*expr*) *stat* | **if** (*expr*) *stat* **else** *stat*

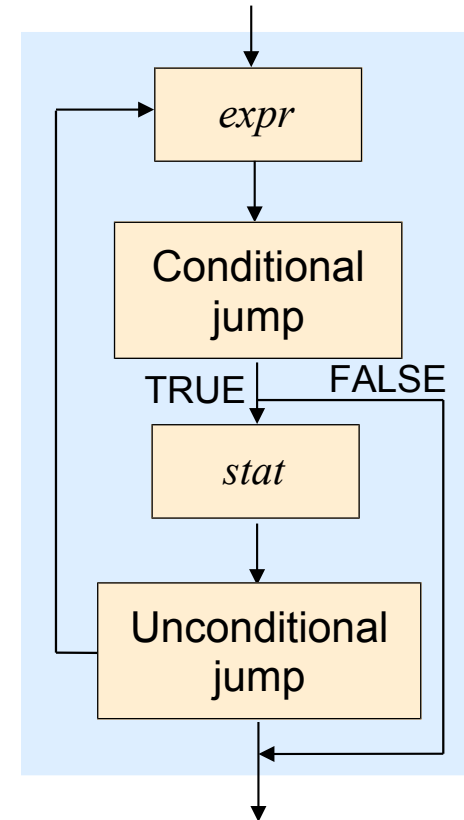
while-stat \rightarrow **while** (*expr*) *stat*



if (*expr*) *stat*₁ **else** *stat*₂



while (*expr*) *stat*



P-code for Control Structures

- Sufficient two kinds of jump: $\begin{cases} \text{unconditional (ujp)} \\ \text{conditional} \rightarrow \text{to FALSE case (fjp)} \end{cases}$

if (*expr*) *stat*

```

<expr>
fjp L1
<stat>
lab L1
    
```

if (*expr*) *stat*₁ else *stat*₂

```

<expr>
fjp L1
<stat1>
ujp L2
lab L1
<stat2>
lab L2
    
```

while (*expr*) *stat*

```

lab L1
<expr>
fjp L2
<stat>
ujp L1
lab L2
    
```

- Notes:

- All fragments of code end with a label statement → **exit label** of control
- In many PLs: possible exiting loops from any point within the body



exit label = inherited attribute in code-generation functions called in loop

- Translation mapping of **if (*expr*) *stat*₁ else *stat*₂** still valid for conditional expressions

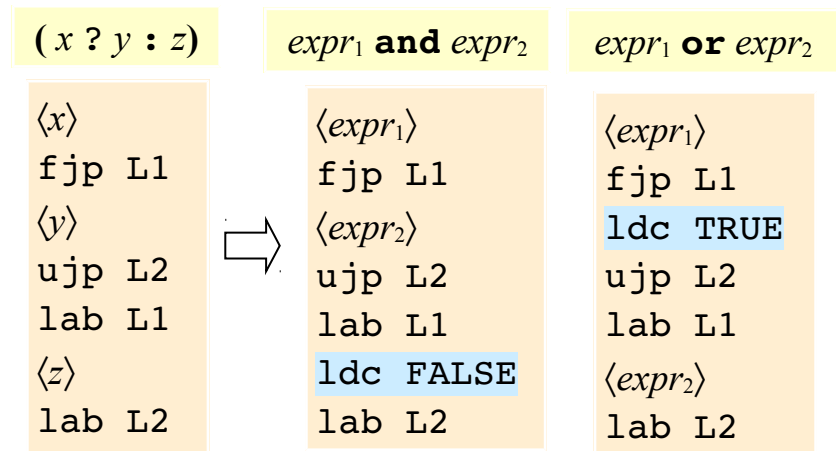
(*expr* ? *expr*₁ : *expr*₂)

Code Generation for Logical Expressions

- If intermediate code has $\begin{cases} \text{Boolean type} \\ \text{logical operators (and, or, ...)} \end{cases} \Rightarrow \text{Computation of boolean expression in natural way}$
- If \nexists Boolean \rightarrow mapping of booleans to arithmetic values $\begin{cases} \text{true} \rightarrow 1 \\ \text{false} \rightarrow 0 \end{cases}$
- Short-circuit evaluation \rightarrow need for explicit jumps to load
 - $(a \text{ and } b) \rightarrow b$ evaluated only if $a = \text{true}$
 - $(a \text{ or } b) \rightarrow b$ evaluated only if $a = \text{false}$

- Possible defining short circuit by conditional expression:

- $(\text{expr}_1 \text{ and } \text{expr}_2) \equiv (\text{expr}_1 ? \text{expr}_2 : \text{false})$
- $(\text{expr}_1 \text{ or } \text{expr}_2) \equiv (\text{expr}_1 ? \text{true} : \text{expr}_2)$



Logical Expressions Evaluated in Short Circuit

$expr_1$ and $expr_2$

```
<expr1>  
fjp L1  
<expr2>  
ujp L2  
lab L1  
ldc FALSE  
lab L2
```

$expr_1$ or $expr_2$

```
<expr1>  
fjp L1  
ldc TRUE  
ujp L2  
lab L1  
<expr2>  
lab L2
```

$(x \neq 0) \ \&\& \ (y == x)$

```
lod x  
ldc 0  
neq  
fjp L1  
lod y  
lod x  
equ  
ujp L2  
lab L1  
ldc FALSE  
lab L2
```

$(x \neq 0) \ || \ (y == x)$

```
lod x  
ldc 0  
neq  
fjp L1  
ldc TRUE  
ujp L2  
lab L1  
lod y  
lod x  
equ  
lab L2
```


Procedures of Code Gen. for Control Structures

```

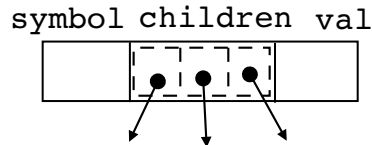
stat → if-stat | while-stat | break | other
if-stat → if ( expr ) stat | if ( expr ) stat else stat
while-stat → while ( expr ) stat
expr → true | false
    
```

Note: Ambiguous G → ambiguity resolution by rule balancing the closest then

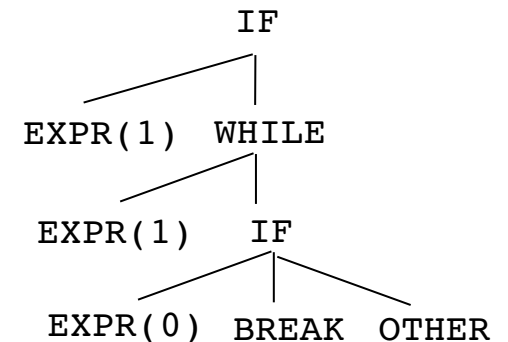
- Node of syntax tree:

```

typedef enum {EXPR, IF, WHILE, BREAK, OTHER} Symbol;
typedef struct snode
{
    Symbol symbol;
    struct snode *children[3];
    int val;
} Node;
typedef Node *Pnode;
    
```



```
if(true) while(true) if(false) break else other
```



Procedures of Code Gen. for Control Structures (ii)

```

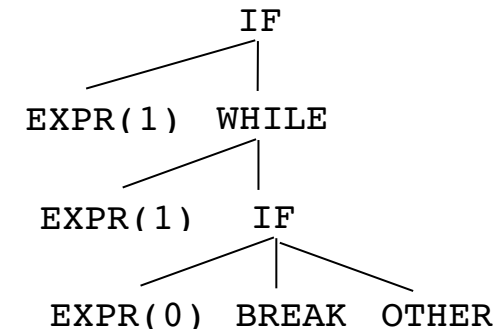
void genCode(Pnode p, char *label)
{
    char code[MAXCODE], *lab1, *lab2;

    switch(p->symbol)
    {
        case EXPR: sprintf(code, "ldc %s", (p->val == 0 ? "FALSE" : "TRUE")); emit(code); break;
        case IF: genCode(p->children[0], label); lab1 = newlab();
                 sprintf(code, "fjp %s", lab1); emit(code);
                 genCode(p->children[1], label);
                 if(p->children[2] != NULL)
                 {
                     lab2 = newlab();
                     sprintf(code, "ujp %s", lab2);
                     emit(code);
                 }
                 sprintf(code, "lab %s", lab1); emit(code);
                 if(p->children[2] != NULL)
                 {
                     genCode(p->children[2], label);
                     sprintf(code, "lab %s", lab2);
                     emit(code);
                 }
                 break;
        case WHILE: lab1 = newlab(); sprintf(code, "lab %s", lab1); emit(code);
                    genCode(p->children[0], label); lab2 = newlab();
                    sprintf(code, "fjp %s", lab2); emit(code);
                    genCode(p->children[1], lab2); sprintf(code, "ujp %s", lab1); emit(code);
                    sprintf(code, "lab %s", lab2); emit(code); break;
        case BREAK: sprintf(code, "ujp %s", label); emit(code); break;
        case OTHER: emit("other"); break;
    }
}

```

$\langle expr \rangle$
 fjp L1
 $\langle stat \rangle$
 lab L1

$\langle expr \rangle$
 fjp L1
 $\langle stat_1 \rangle$
 ujp L2
 lab L1
 $\langle stat_2 \rangle$
 lab L2



lab L1
 $\langle expr \rangle$
 fjp L2
 $\langle stat \rangle$
 ujp L1
 lab L2

Procedures of Code Gen. for Control Structures (iii)

- Notes:

- `label` = additional parameter of `genCode` → to generate unconditional jump for `break`
- `label`: changed only in recursive call to `genCode` relevant to body of `while` loop



in order to exit the inner loop

- Initial call to `genCode` → `label = ""` (empty string)

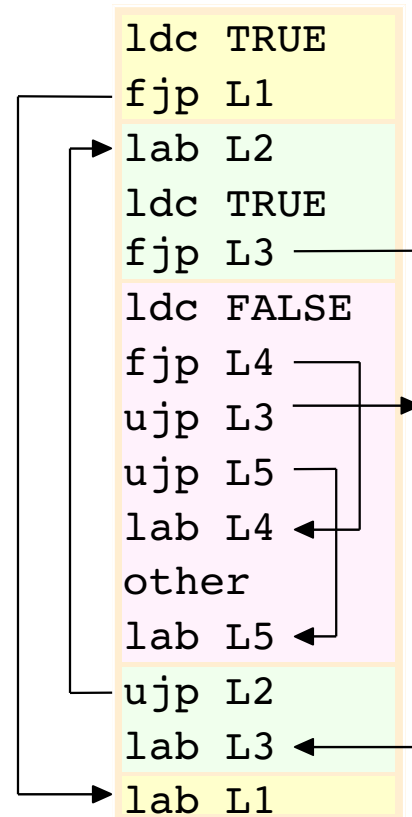
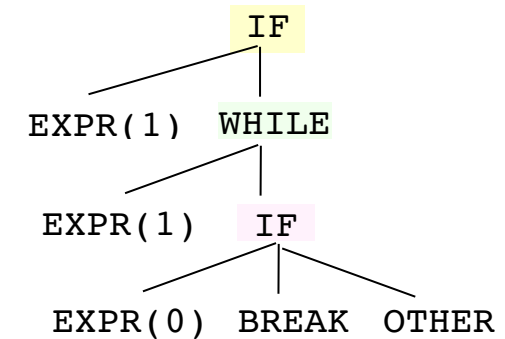


`break` → generation of jump to empty label → error!

- `lab1, lab2`: to save label names relevant to $\left. \begin{array}{l} \text{jump} \\ \text{definitions} \end{array} \right\}$ still dangling
- `"other"` ≡ dummy P-code statement to complete translation mapping

Procedures of Code Gen. for Control Structures (iv)

`if(true) while(true) if(false) break else other`



`<expr>`
`fjp L1`
`<stat>`
`lab L1`

`<expr>`
`fjp L1`
`<stat1>`
`ujp L2`
`lab L1`
`<stat2>`
`lab L2`

`lab L1`
`<expr>`
`fjp L2`
`<stat>`
`ujp L1`
`lab L2`

Code Generation for Subprograms

- Complications:

- Diversification of call mechanisms in different target machines
- Calls: heavily depend on organization of runtime environment (which depends on L)



difficult defining intermediate code enough general for \neq $\left\{ \begin{array}{l} \text{target architectures} \\ \text{runtime environments} \end{array} \right.$

- Intermediate code for subprograms:

- Need for two constructs $\left\{ \begin{array}{l} \text{definition} \\ \text{call} \end{array} \right.$ of subprogram $\left\{ \begin{array}{l} \text{function} \\ \text{procedure} \end{array} \right.$
- Runtime environment: built partially by $\left\{ \begin{array}{l} \text{caller} \\ \text{called} \end{array} \right.$ \Rightarrow **calling sequence**

- Definition of subprogram:

Entry instruction
 $\langle \text{body} \rangle$
Return instruction

- Call to subprogram:

Begin-argument-computation instruction
 $\langle \text{arguments} \rangle$
Call instruction

P-code for Subprograms

```
int f(int x, int y)
{
    return(x + y + 1);
}
```



```
ent f
lod x
lod y
adi
ldc 1
adi
ret
```

```
f(2+3, 4)
```



```
mst
ldc 2
ldc 3
adi
ldc 4
cal f
```

- Notes:

- `ret`: without parameters (return value on top of stack)
- `mst` = "mark stack": corresponding target code → allocates AR executing first statements of calling sequence
- Operands computed from left to right (not necessarily)

P-code for Subprograms (ii)

```
program → decl-list expr  
decl-list → decl-list decl | ε  
decl → function id ( param-list ) = expr  
param-list → param-list , id | id  
expr → expr + expr | call | num | id  
call → id ( arg-list )  
arg-list → arg-list , expr | expr
```

- Notes:

- Program = (possibly empty) sequence of function definitions + program expression
- \nexists variables or assignments, but only parameters, functions, and expressions
- Unique type: integer
- \forall function \rightarrow at least one parameter
- Operations in expressions $\left\{ \begin{array}{l} \text{addition} \\ \text{function call} \end{array} \right.$

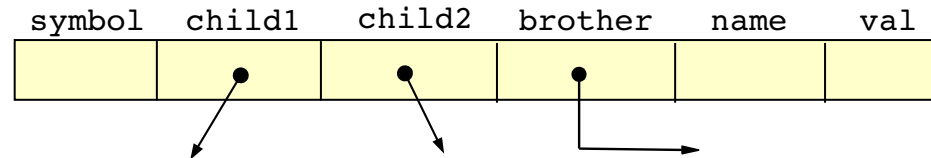
- Example of subprogram:

```
function f(x) = 2 + x  
function g(x,y) = f(x) + y  
g(3,4)
```

$$\Rightarrow g(3,4) = f(3) + 4 = 9$$

P-code for Subprograms (iii)

- Node of syntax tree:



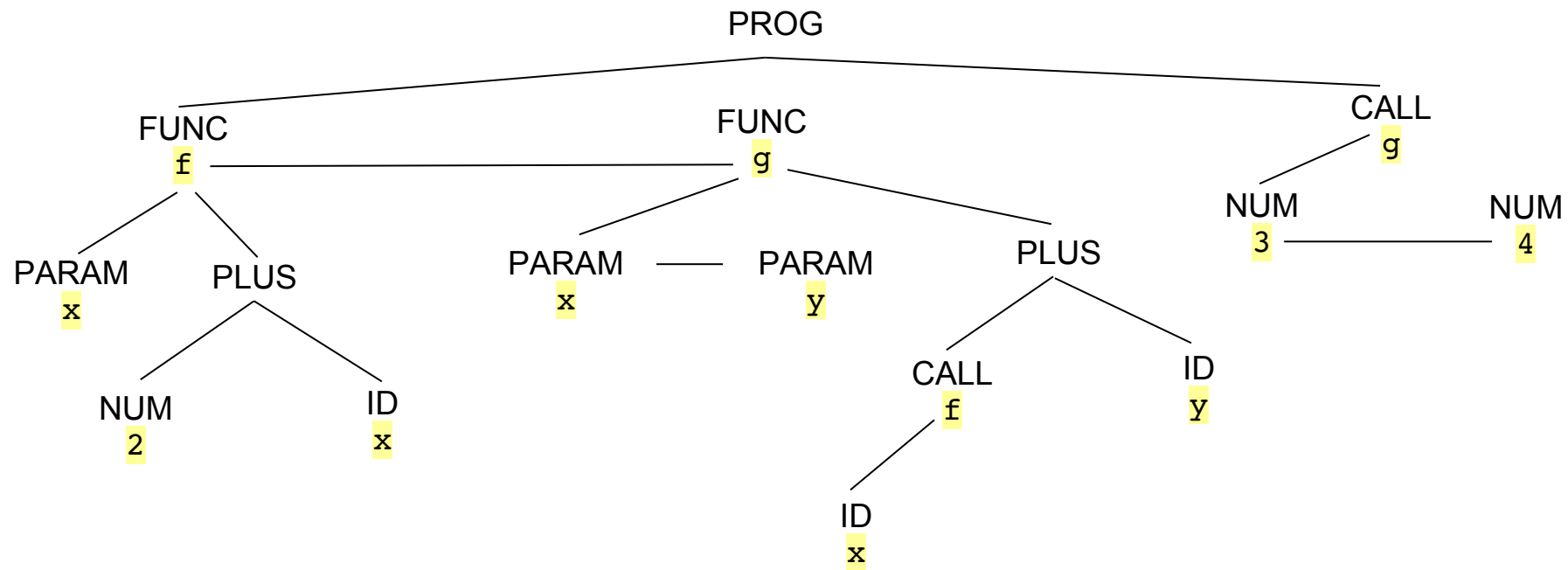
```
typedef enum {PROG, FUNC, PARAM, PLUS, CALL, NUM, ID} Symbol;
typedef struct snode
{
    Symbol symbol;
    struct snode *child1, *child2, *brother;
    char name;    /* with FUNC, PARAM, CALL, ID */
    int val;      /* with NUM */
} Node;
typedef Node *Pnode;
```

- Notes on typology of abstract tree:

- Root = PROG: associates
 - function declarations (list with head child1)
 - program expression (child2)
- FUNC
 - child1 = head of parameters
 - child2 = function expression
- CALL: child1 = head of actual parameters

P-code for Subprograms (iv)

```
function f(x) = 2 + x
function g(x,y) = f(x) + y
g(3,4)
```



P-code for Subprograms (v)

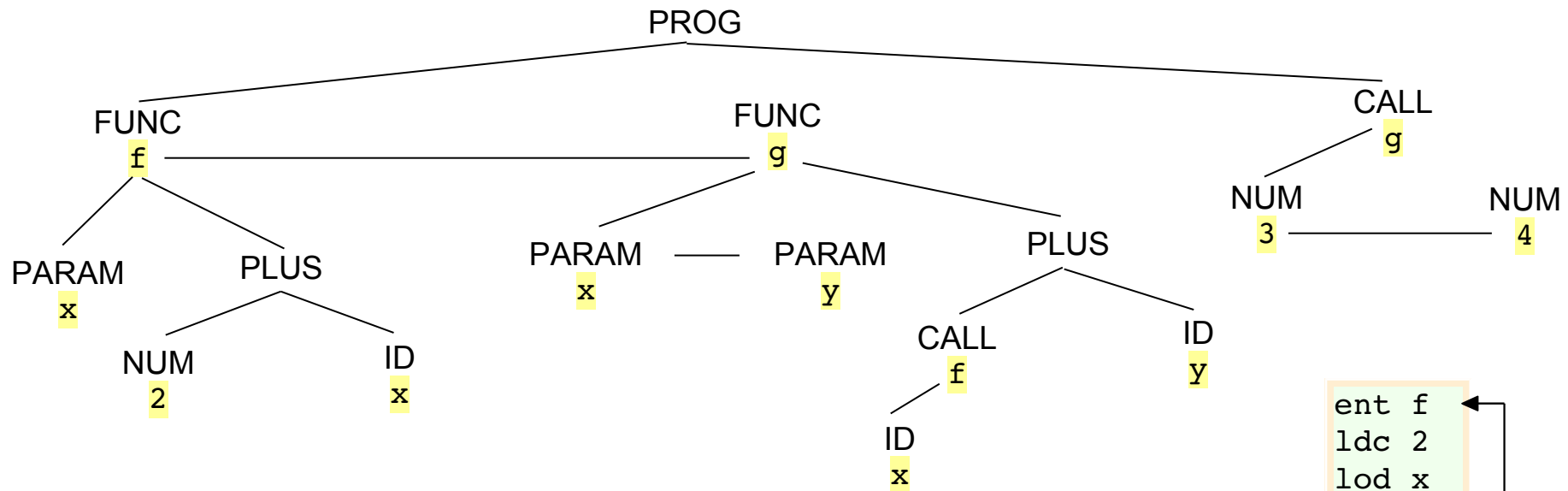
```
void genCode(Pnode p)
{
    char code[MAXCODE]; Pnode t;

    switch(p->symbol)
    {
        case PROG: t = p->child1;
            while(t != NULL){genCode(t); t = t->brother;}
            genCode(p->child2);
            break;
        case FUNC: sprintf(code, "ent %s", p->name); emit(code);
            genCode(p->child2);
            emit("ret");
            break;
        case NUM: sprintf(code, "ldc %d", p->val); emit(code);
            break;
        case PLUS: genCode(p->child1); genCode(p->child2); emit("adi");
            break;
        case ID: sprintf(code, "lod %s", p->name); emit(code);
            break;
        case CALL: emit("mst"); t = p->child1;
            while(t != NULL){genCode(t); t = t->brother;}
            sprintf(code, "cal %s", p->name); emit(code);
            break;
    }
}
```

• Notes:

- FUNC: "frames" function body with $\begin{smallmatrix} \text{ent} \\ \text{ret} \end{smallmatrix}$
- PARAM: no code generation! (only previous semantic analysis)
- CALL: mst + code generation for actual parameters + cal

P-code for Subprograms (vi)



```
function f(x) = 2 + x
function g(x,y) = f(x) + y
g(3,4)
```



```
ent f
ldc 2
lod x
adi
ret
ent g
mst
lod x
cal f
lod y
adi
ret
mst
ldc 3
ldc 4
cal g
```