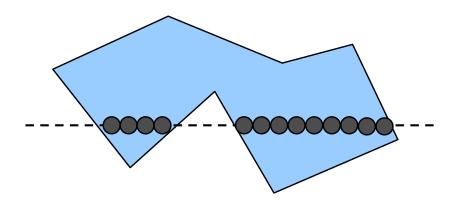
Scan Conversion Algorithms (3)

Contents

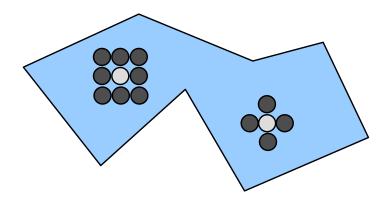
- Basic approach
- □ Fill area scan conversion
- Polygon scan conversion
- Scan Conversion
 - Ordered Edge List Algorithm
 - Edge Fill Algorithm
 - Fence Fill Algorithm
 - Edge Flag Algorithm
- Seed Filling

Basic approach

Scan conversion

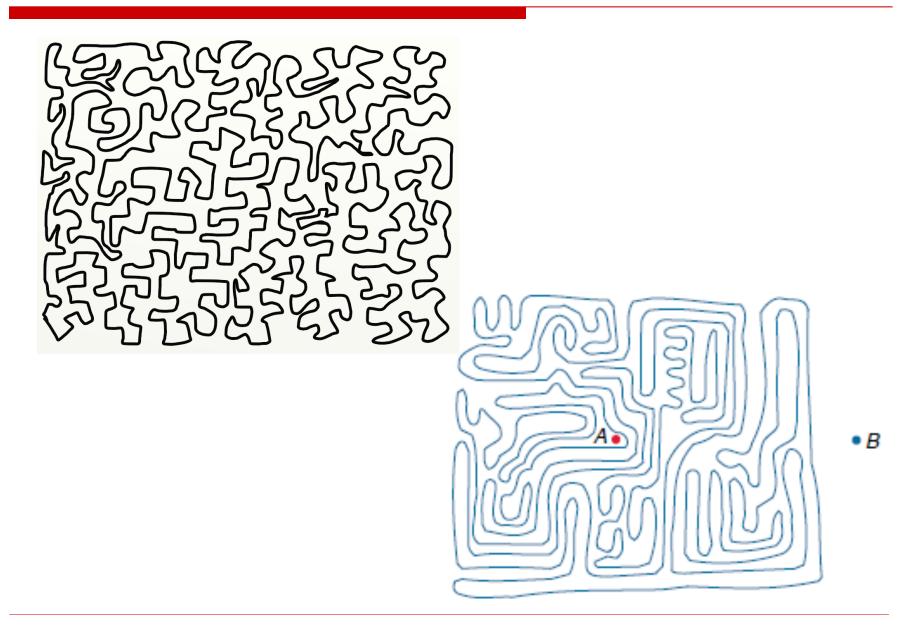


Seed filling

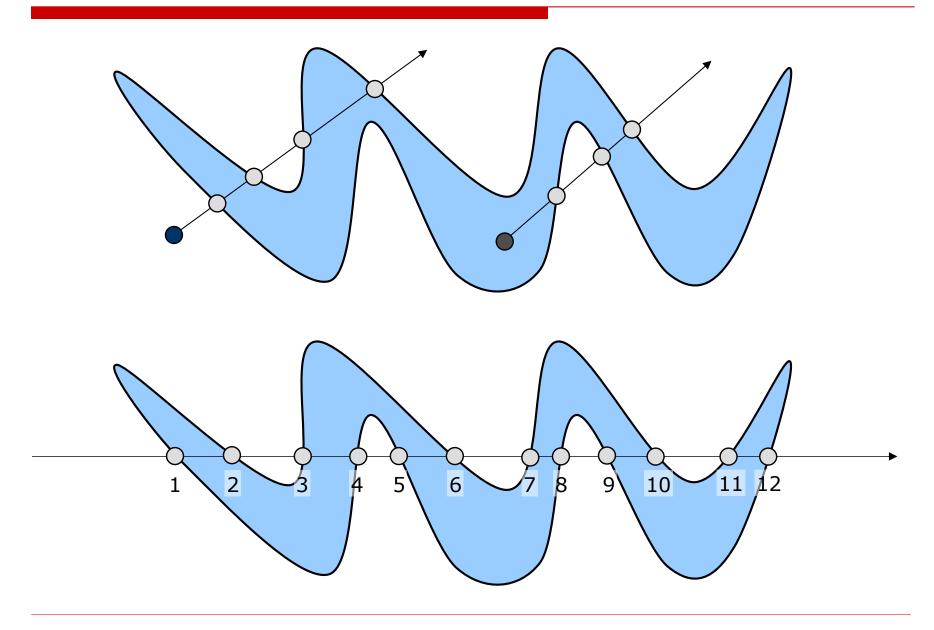


Needs information about each pixel: position, color, intensity, alfa attribute, etc.

Jordan Theorem

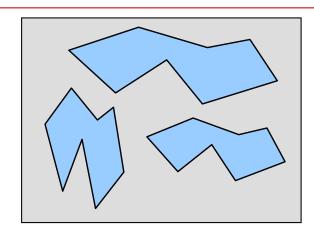


Jordan Theorem

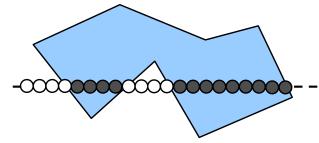


Data structures

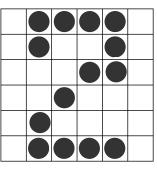
Real-time scan conversionUsing geometry and visual attributes



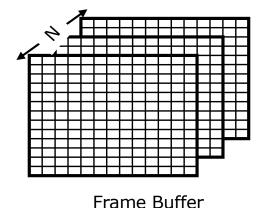
□ Run-length encoding (intensity, run length)...○4●4○4●9......



- Cell-organization
- □ Frame buffer

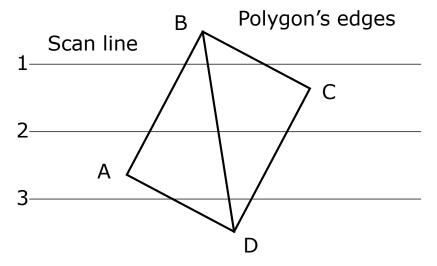


Pixel pattern



Real-time scan conversion

- Less memory
- High computation time
- Complex geometric processing
- Flexibility



Edge list 1:

1	2	3
BC ← b	BC	BC
BA	BA ← b	BA
BD ← e	BD	BD ← b
CD	CD ← e	CD
AD	AD	AD ← e

Edge list 2:

$\begin{array}{cccccccccccccccccccccccccccccccccccc$	

Edge list 3:

1	2	3
BD ← b BA BC ← e CD AD	BD ← b BA BC CD ← e AD	$BD \leftarrow b$ BA BC CD $AD \leftarrow e$

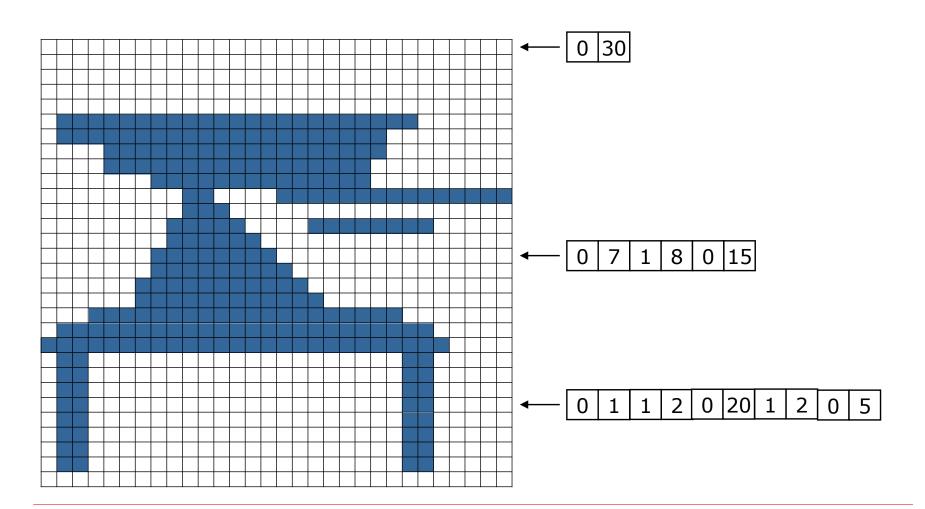
The edge lists must be ordered to intersect consecutive edges. Ordered by:

- 1. Max y of starting vertex (e.g. B, C, A)
- 2. Max y of ending vertex (e.g. C, A, D)

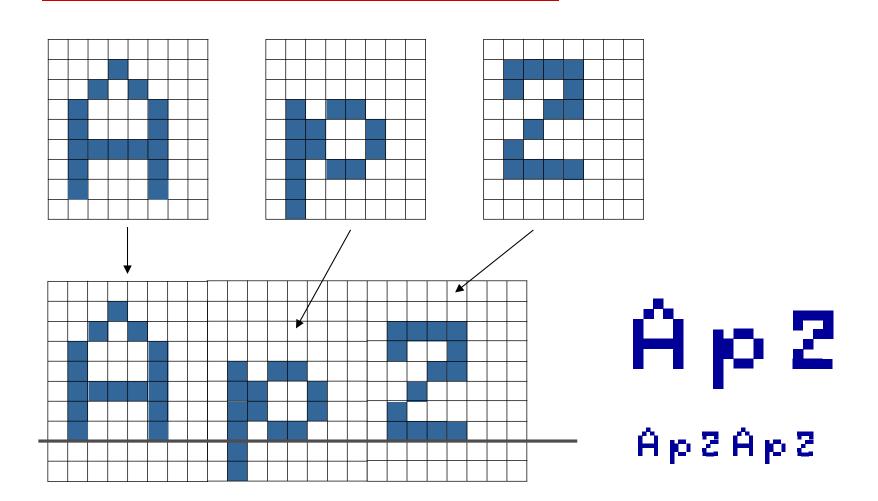
Run-length encoding

- BW encoding: (intensity, run length)
- Color encoding: (R,G,B, run length)

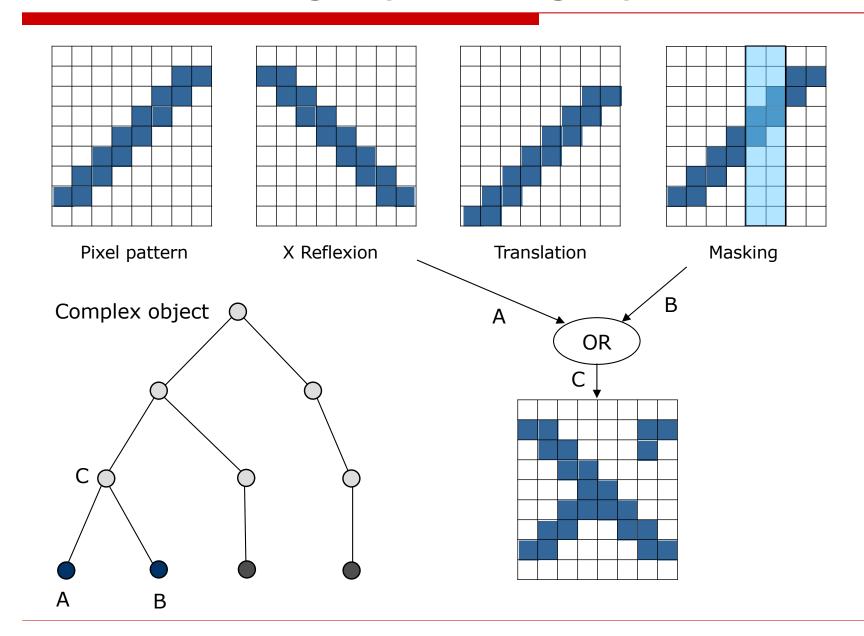
- Data compression
- High processing time



Cell encoding

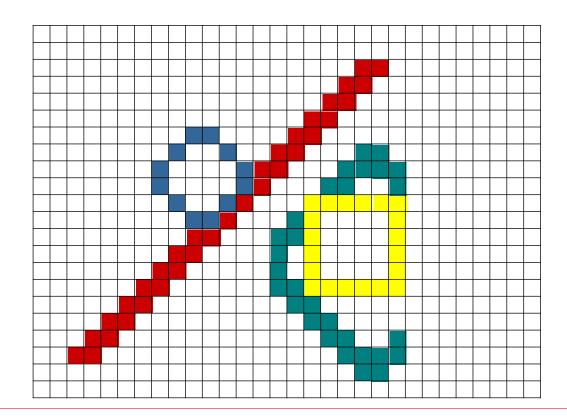


Cell encoding - pseudographics

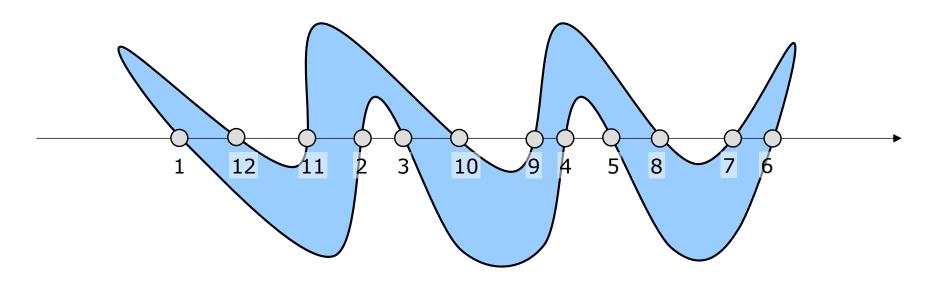


Frame buffer

- Large memory
- High speed
- □ Time consuming for graphical processing
- Image complexity does not depend on the performance of the display processor



Scan line approach



Scan line coherence

Adjacent pixels are likely to have the same characteristics

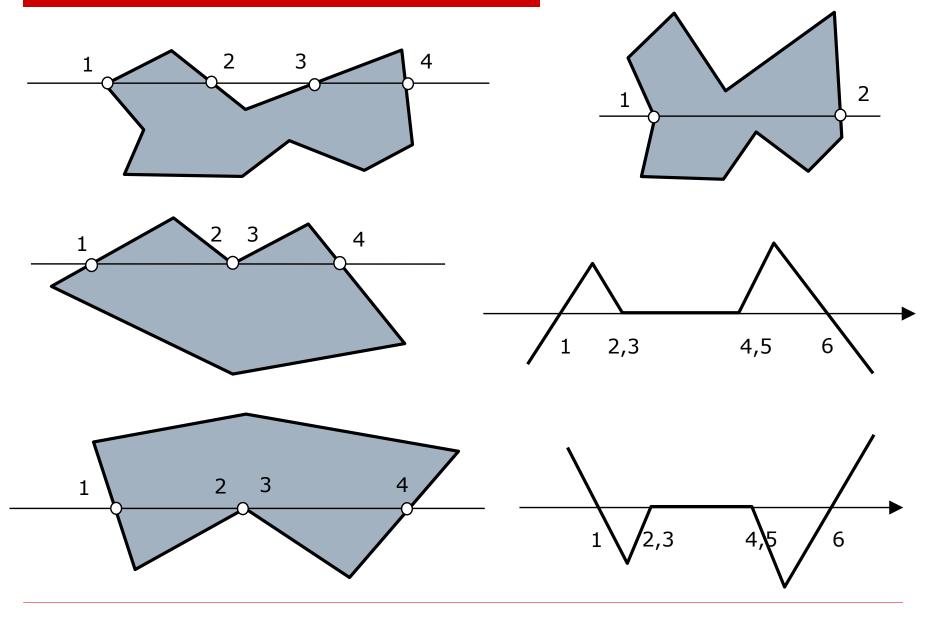
□ Intersection points:

Ordered sequence:

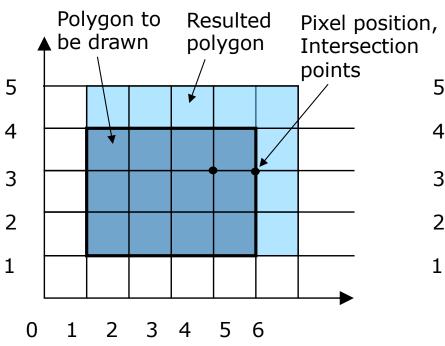
Ordered pairs:

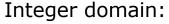
$$(1,12), (11,2), (3,10), (9,4), (5,8), (7,6)$$

Scan line approach – particular cases

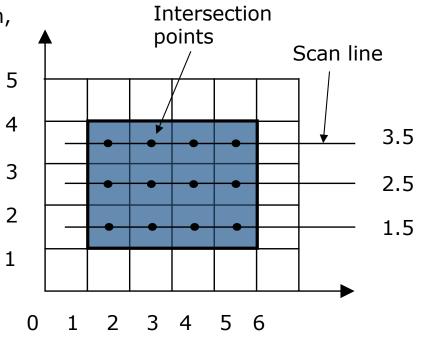


Computation issues





- 1. Polygon vertices
- 2. Scan line y coordinate
- 3. Intersection coordinates
- 4. Pixel position



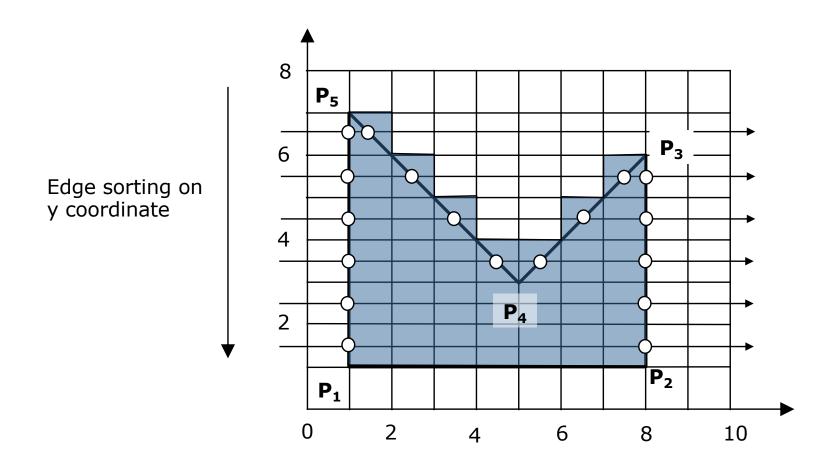
Integer domain:

- 1. Polygon vertices
- 2. Pixel position

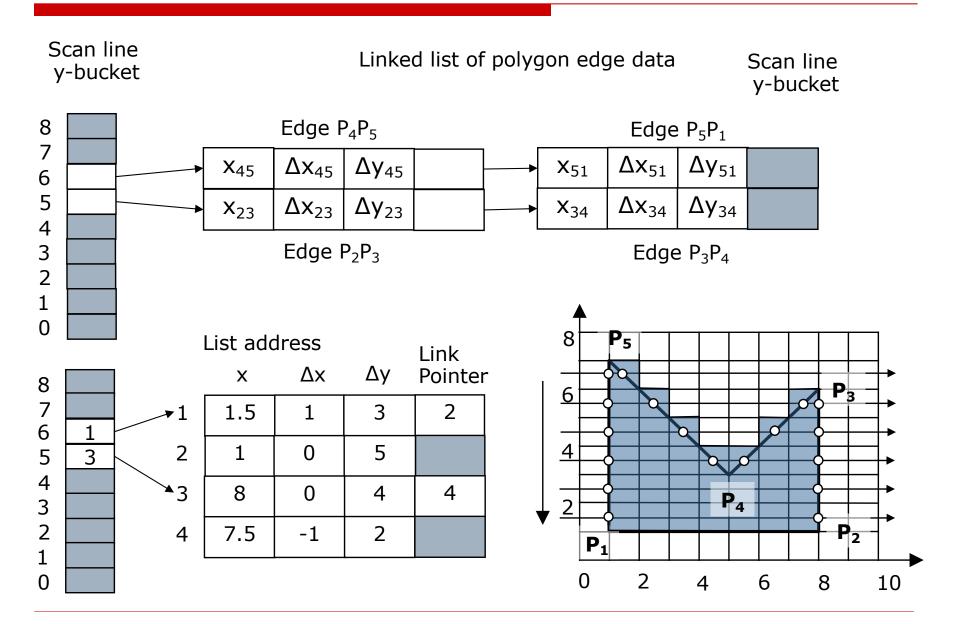
Real domain:

- 1. Scan line y coordinate
- 2. Intersection coordinates

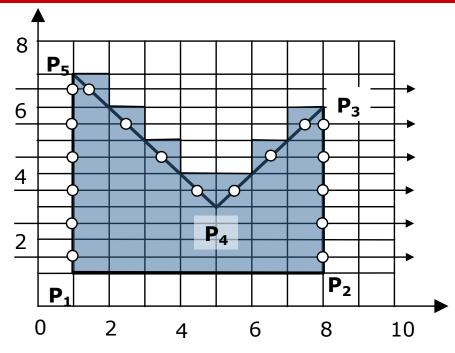
Ordered Edge List Algorithm

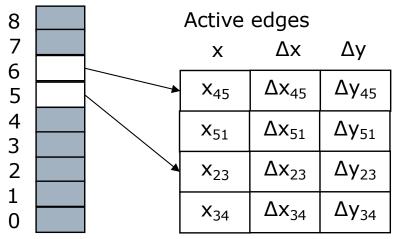


Ordered edge list - Data structures



Active edge list





Active edge list

Scan line 5:

$$x_{45} + \Delta x_{45}$$
, Δx_{45} , $\Delta y_{45} - 1$

$$x_{51}+\Delta x_{51}$$
, Δx_{51} , $\Delta y_{51}-1$

 x_{23} , Δx_{23} , Δy_{23}

 x_{34} , Δx_{34} , Δy_{34}

Scan line 4:

$$x_{45}+2\Delta x_{45}$$
, Δx_{45} , $\Delta y_{45}-2$

$$x_{51}+2\Delta x_{51}$$
, Δx_{51} , $\Delta y_{51}-2$

$$x_{23}+\Delta x_{23}$$
, Δx_{23} , $\Delta y_{23}-1$

$$x_{34} + \Delta x_{23}$$
, Δx_{34} , $\Delta y_{34} - 1$

Scan line 3:

$$x_{45}+3\Delta x_{45}$$
, Δx_{45} , $\Delta y_{45}-3$

$$x_{51}+3\Delta x_{51}$$
, Δx_{51} , $\Delta y_{51}-3$

$$x_{23}+2\Delta x_{23}$$
, Δx_{23} , $\Delta y_{23}-2$

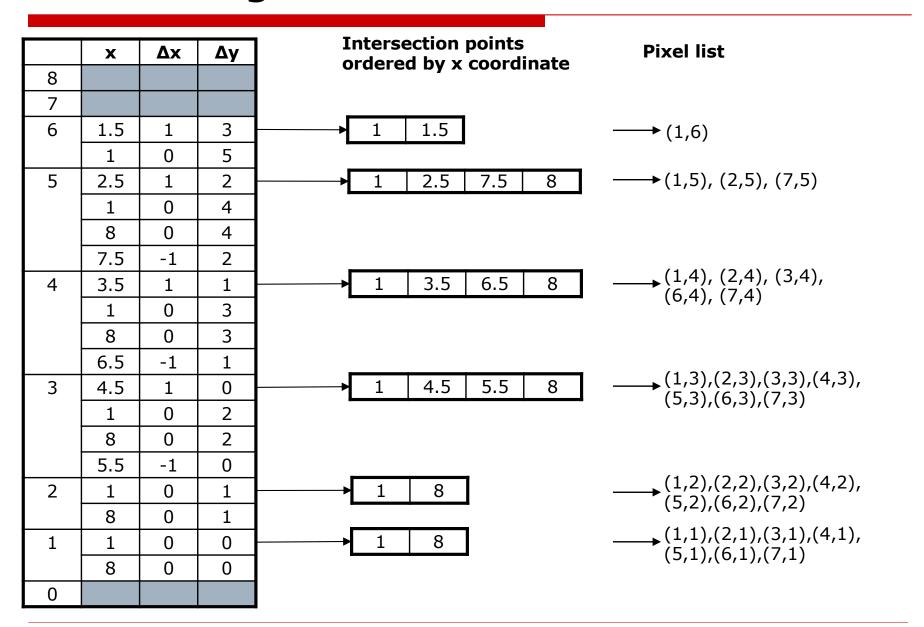
$$x_{34}+2\Delta x_{23}$$
, Δx_{34} , $\Delta y_{34}-2$

Scan line 2:

$$x_{51}+4\Delta x_{51}$$
, Δx_{51} , $\Delta y_{51}-4$

$$x_{23}+3\Delta x_{23}$$
, Δx_{23} , $\Delta y_{23}-3$

Active edge list



Sample of computation

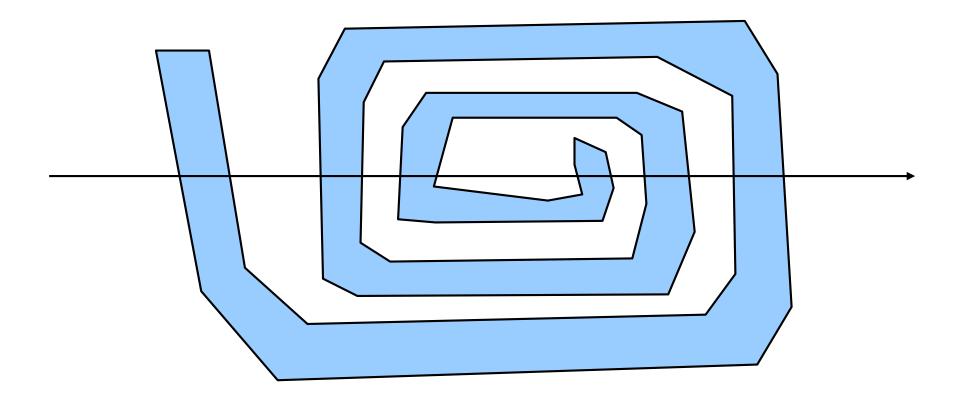
				-	0 (2	101													L
	Refe	rinta			214	7.01	dy	1										Refer	rir
Linie	Pixel	stg				-0,33	dx	2,67										Pixel	dı
baleiaj	хр	ур	x+dx	У	5,50	8,50	9,81	9,44	9,06	8,69	8,31	7,94	7,56	7,19	x+dx	X	у	хр	
9,5			1,83	9,50											3,33	2,50	9,50	2	
8,5	1	8	1,50	8,50											6,00	5,50	8,50	5	
7,5	1	7	1,17	7,50	,	/									8,67	8,50	7,50	8	
					0,5	1,5	2,5	3,5	4,5	5,5	6,5	7,5	8,5	9,5					Γ
					P										7				
					. 9										17				Γ
					(1.7	1								(D, 2	1			Γ
														-	,	,			Γ

Trasare algoritm:

		0	-											
lb		P2P3				P2P1					stg	Pixel dr		
9,5	\rightarrow	X	dx	У	\rightarrow	X	dx	У		X	У	X	У	
		1,83	-0,33	2		3,33	2,67	2				2	9	
8,5	\rightarrow	X	dx	У	\rightarrow	X	dx	У		X	У	X	У	
		1,50	-0,33	1		6,00	2,67	1		1	8	5	8	
7,5	\rightarrow	X	dx	У	\rightarrow	X	dx	У		X	У	X	У	
		1,17	-0,33	0		8,67	2,67	0		1	7	8	7	

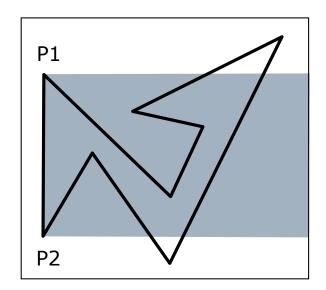
Edge fill algorithm

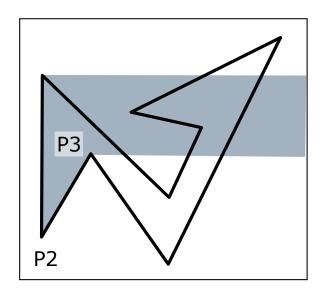
Complement the pixel on the right of the edge

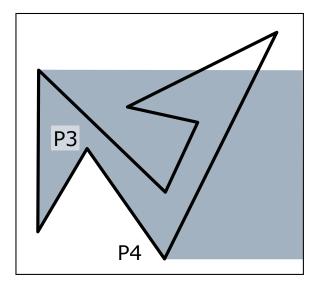


Edge fill algorithm

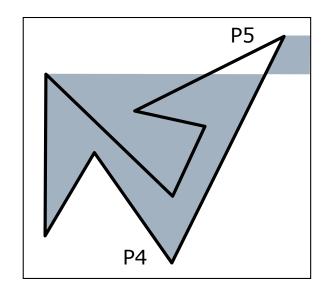
- No sorting
- □ Simple data structure
- □ Each pixel should be accessed many times

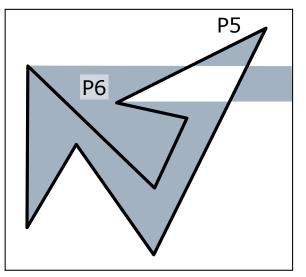


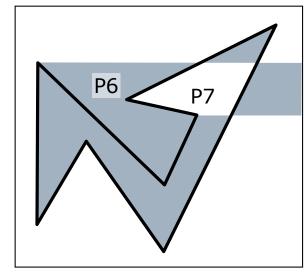


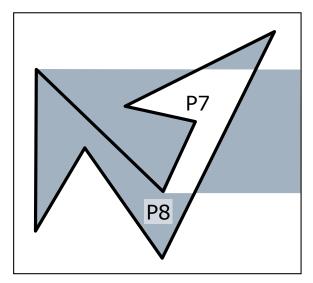


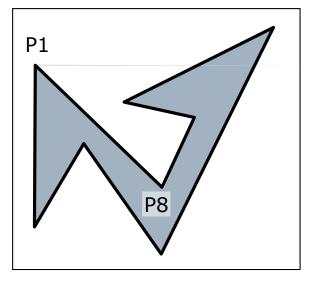
Edge fill algorithm





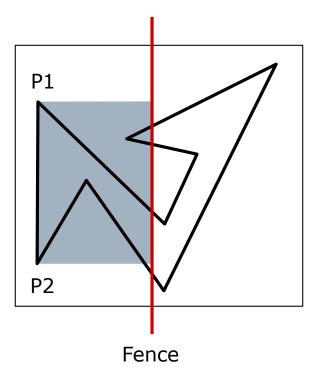


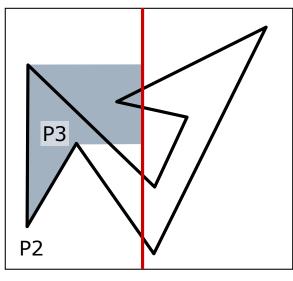


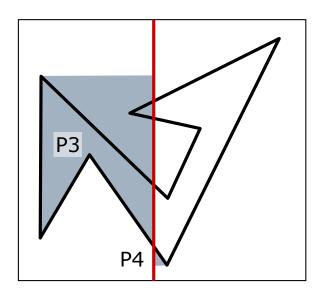


Fence fill algorithm

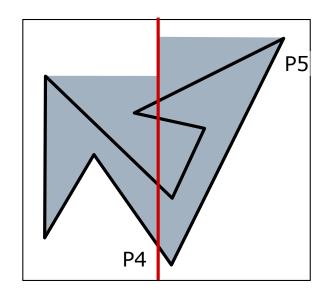
□ Reduce the number of pixel accesses

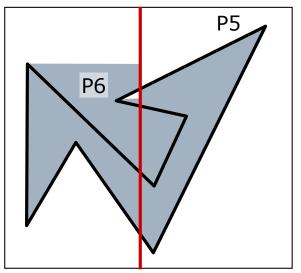


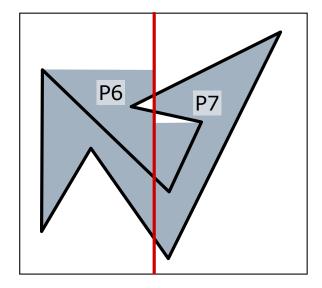


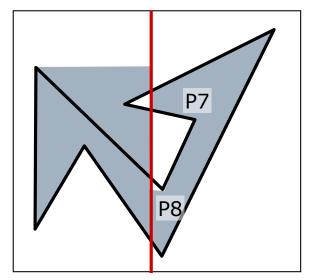


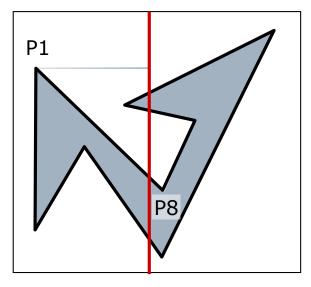
Fence fill algorithm





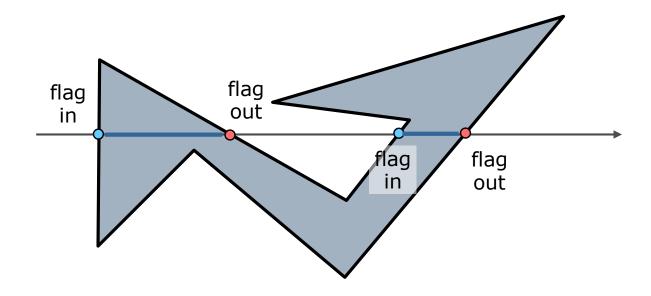






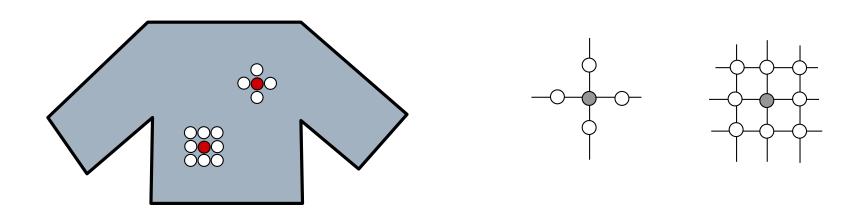
Edge flag algorithm

- □ Each pixel is accessed only once
- No sorting and maintaining edge lists
- □ Very fast and could be implemented by hardware



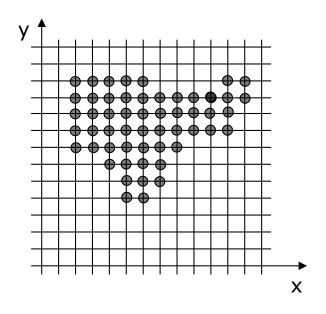
Seed fill algorithm

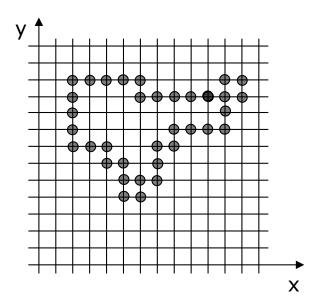
- ☐ Start at a pixel inside the polygon
- □ Seed: starting pixel
- Move to the neighbors using the connectivity by 4 and 8 neighbors
- □ Recursive algorithms



Type of region

- □ Defined by
 - Content
 - 2. Contour





Recursive algorithms - Fill4Content

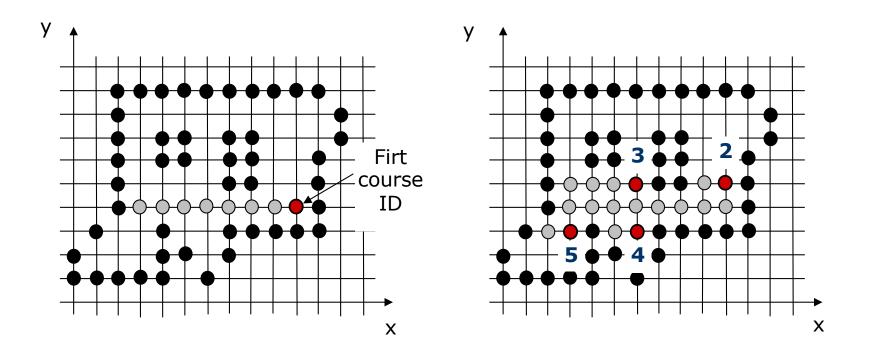
```
procedure Fill4Content(x, y, oldval, newval: integer);
{x, y: starting point, inside region;
oldval: the old inside pixel colour;
newval: the new colour of pixels}
begin
    if ReadPixel(x, y) = oldval then
    begin
         WritePixel(x, y, newval);
         Fill4Content(x, y-1, oldval, newval);
         Fill4Content(x, y+1, oldval, newval);
         Fill4Content(x-1, y, oldval, newval);
         Fill4Content(x+1, y, oldval, newval);
    end
end;
```

Recursive algorithms - Fill4Contour

```
procedure Fill4Contour(x, y, contval, newval: integer);
{x, y: starting point, inside region;
contval: the old contourcolour;
newval: the new colour of the contour pixels}
begin
    if ReadPixel(x, y) <> contval and ReadPixel(x, y) <> newval then
    begin
        WritePixel(x, y, newval);
        Fill4Contour(x, y-1, contval, newval);
        Fill4Contour(x, y+1, contval, newval);
        Fill4Contour(x-1, y, contval, newval);
        Fill4Contour(x+1, y, contval, newval);
    end
end;
```

Course based algorithm

- Recursivity is very stack memory consuming
- □ Reduce the level of recursivity: *course*Course:
 - 1. Most right pixel positiony
 - 2. An horizontal sequence of consecutive pixels
- Only course indentifier stored into the stack



Course based algorithm

- Determinate the current course, related to the starting position
- Write into the stack the course ID
- □ While stack is not empty {

Read and render a course from the stack

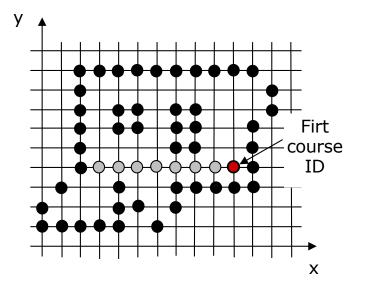
For all above line courses

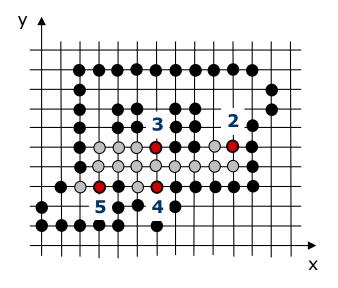
Write into the stack the course ID

For all below line courses

Write into the stack the course ID

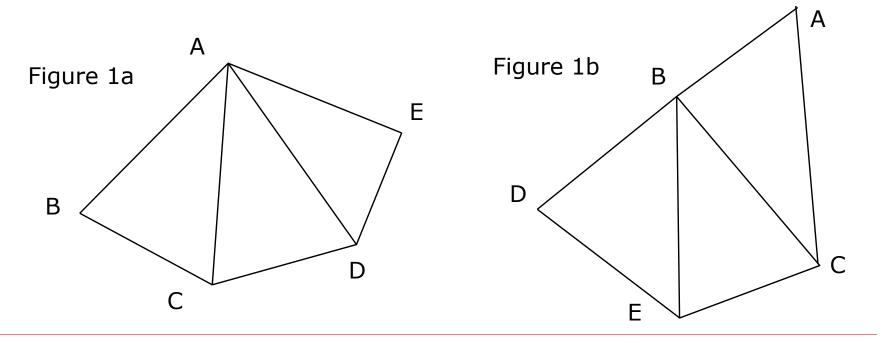
}





Questions and proposed problems

- 1. What is the main difference and similarity between the scan conversion and seed filling algorithms for polygon rendering?
- Generate in the real-time scan conversion algorithm the edge list for rendering three adjacent triangles. Generate the edge list to keep intersected consecutive edges (Figure 1a, Figure 1b).
- Is it possible to generate a single list that keep intersected consecutive edges? How many edge lists have to be considered?



Questions and proposed problems

- 4. Explain the generation of the edge list if the scan line is moving upward, instead downward.
- 5. Explain why the relationship between real polygon point, scan line and pixel position is important?
- 6. How big could be the polygon rendering error?
- 7. Explain the Ordered Edge List algorithm on Figure 1a.
- 8. Explain the Ordered Edge List algorithm on Figure 1b.
- 9. Explain the Ordered Edge List algorithm on Figure 1a and b, if the scan line is moving upward.
- 10. Explain how the Ordered Edge List algorithm depends on the upward and downward movement of the scan line?
- 11. Why would the seed filling algorithm be disadvantageous?
- 12. What is the worst case for the recursive seed filling algorithm?