# VE281 Writing Assignment Five

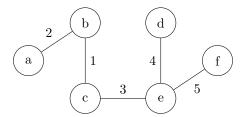
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# Ex. 1

In Kruskal's algorithm, we take the shortest edge and connect two nodes if it doesn't form a cycle.

- 1. Connect b and c
- 2. Connect a and b
- 3. Connect c and e
- 4. Connect e and f
- 5. Connect e and d

The minimum spanning tree is



# Ex. 2

```
Input:
  A directed acyclic graph G = (V, E) with real-valued edge weights
  Two distinct nodes s and d
Output:
  A longest weighted path from s to d if exists
  L \leftarrow G sorted in topological order
  Remove nodes located before s or after d from L
  Remove node s from L
  s.distance \leftarrow 0
  s.predecessor \leftarrow NULL
  for node v in L do
      v.distance \leftarrow -\infty
      v.predecessor \leftarrow NULL
      for edge (u, v) in edges with end node v do
          if u.distance + (u, v).weight > v.distance then
             v.distance \leftarrow u.distance + (u, v).weight
             v.predecessor \leftarrow u
          end if
      end for
  end for
  \mathbf{if}\ d.predecessor == NULL\ \mathbf{then}
      print "No path exists"
      print d.predecessor recursively in reverse order
  end if
```

The time complexity is O(V + E).

### Ex. 3