

TIØ4116, Exercise 8.

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Task 1

A In the long run the price will be $18p$, because the 3600 factor will be so small that it will not matter.

At the same time we will have an excellent director that earns a minimum of 30% more than the average director. Based on the cost difference. Costs of the two: $25/36 = 0.7$ vs 1, giving cost difference of 30%.

B The market turnover is described by $p \cdot q$ which gives us $(25/36) \cdot 1000^2 \cdot 18 \cdot 1000$, given that q and p are measurements of 1000NOK. This gives us a market turnover of $1.25 \cdot 10^{10}$ for the excellent directors, while the average will have a turnover of $1.8 \cdot 10^{10}$. By expecting that both types of directors have a competitive market price we can assume that the excellent director earns the difference in turnover as profit, resulting in an additional profit of $5.5 \cdot 10^9$.

C If all companies will tend towards hiring the more extraordinary directors the annual wages will move toward a 30% difference.

Task 2

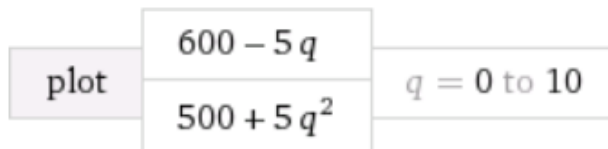
A Given $q=1$ we have a market quantity of 505. With one production line we have $q=Q$, giving us $p=595$. Profit is then $p-q=90$. This gives a gross margin of $90/505=17.8\%$

B Given the addition of another production line we get: Cost=520, Price=590, Profit=70, gross margin=13.4%.

C The maximum of profitable production lines are 3. This gives: cost=545, price=585, profit=40, and gross margin=3.7%

See figure 1 for the graph plot of the cost and price functions.

Input interpretation:



Plot:

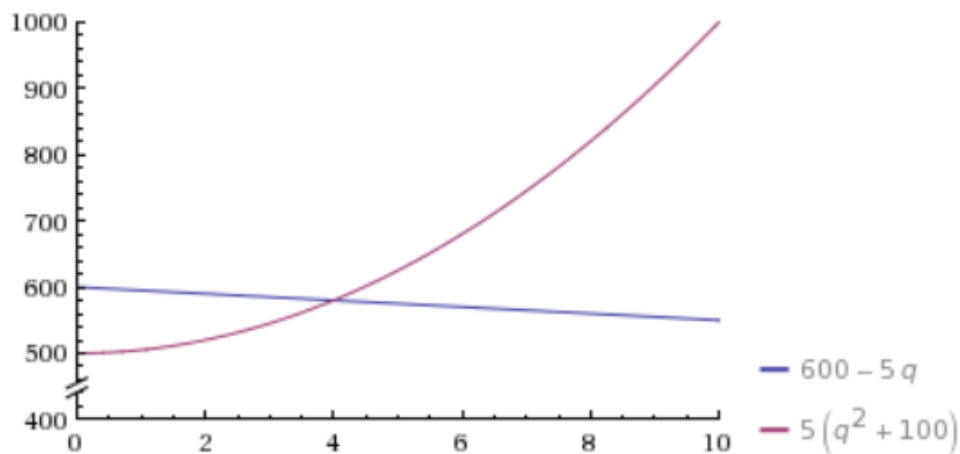


Figure 1:

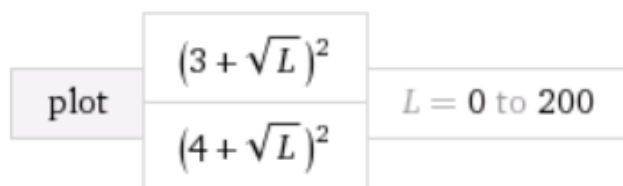
The graph show the price and cost function. The two graphs intersect at $x=4$, which is the point where the profit is 0.

D Given the production lines n , we have the return to scale function as $10n+10$. This describes the decrease in profit as we increase production with lowered sales prices. We can see this development from previous calculations which gives us profit by production lines: $n=1$ - profit=90, $n=2$ - profit=70, $n=3$ - profit=40, and $n=4$ - profit=0.

Task 3

A The expression for cost is: $4\sqrt{2}r+6r$. By looking at the initial function one could indicate that the function is linear. The marginal cost is: 11.66. The average cost is: (total cost / quantity), as the quantity is not given in this case we cannot calculate the average cost.

Input interpretation:



Plot:

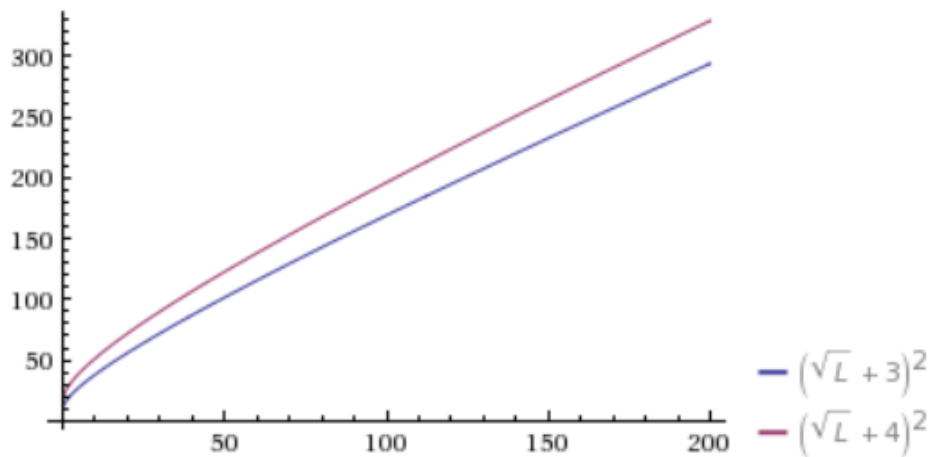


Figure 2:

The graphs shows the cost function of the two factories. The two functions are near linear and becomes more linear as the values increases.

B The two factories have equal profit margin per quantity, but one factory has bigger production capacity than the other, which increases the production cost.

C The factories would divide the work load with 64% of the load to the bigger factory and 36% to the smaller. The marginal value can be found by letting the quantity be 1. Then we get the marginal value to be 41.

task 4