Introduction to LATEX ©2006 by Harvey Gould December 5, 2006

1 Introduction

TEX looks more difficult than it is. It is almost as easy as π . See how easy it is to make special symbols such as α , β , γ , δ , $\sin x$, \hbar , λ , ... We also can make subscripts A_x , A_{xy} and superscripts, e^x , e^{x^2} , and e^{a^b} . We will use LATEX, which is based on TEX and has many higher-level commands (macros) for formatting, making tables, etc. More information can be found in Ref. [?].

We just made a new paragraph. Extra lines and spaces make no difference. Note that all formulas are enclosed by \$ and occur in *math mode*.

The default font is Computer Modern. It includes *italics*, **boldface**, *slanted*, and **monospaced** fonts.

2 Equations

Let us see how easy it is to write equations.

$$\Delta = \sum_{i=1}^{N} w_i (x_i - \bar{x})^2. \tag{1}$$

It is a good idea to number equations, but we can have a equation without a number by writing

$$P(x) = \frac{x - a}{b - a},$$

and

$$g = \frac{1}{2}\sqrt{2\pi}.$$

We can give an equation a label so that we can refer to it later.

$$E = -J \sum_{i=1}^{N} s_i s_{i+1}, \tag{2}$$

Equation (??) expresses the energy of a configuration of spins in the Ising model.¹

We can define our own macros to save typing. For example, suppose that we introduce the macros:

\newcommand{\lb}{{\langle}}
\newcommand{\rb}{{\rangle}}

Then we can write the average value of x as

\begin{equation}
\lb x \rb = 3
\end{equation}

The result is

$$\langle x \rangle = 3. \tag{3}$$

Examples of more complicated equations:

$$I = \int_{-\infty}^{\infty} f(x) \, dx. \tag{4}$$

We can do some fine tuning by adding small amounts of horizontal spacing:

as is done in Eq. (??).

We also can align several equations:

$$a = b (5)$$

$$c = d, (6)$$

or number them as subequations:

$$a = b (7a)$$

$$c = d. (7b)$$

We can also have different cases:

$$m(T) = \begin{cases} 0 & T > T_c \\ (1 - [\sinh 2\beta J]^{-4})^{1/8} & T < T_c \end{cases}$$
 (8)

¹It is necessary to process (typeset) a file twice to get the counters correct.

write matrices

$$\mathbf{T} = \begin{pmatrix} T_{++} & T_{+-} \\ T_{-+} & T_{--} \end{pmatrix},$$

$$= \begin{pmatrix} e^{\beta(J+B)} & e^{-\beta J} \\ e^{-\beta J} & e^{\beta(J-B)} \end{pmatrix}.$$
(9)

and

$$\sum_{i} \vec{A} \cdot \vec{B} = -P \int \mathbf{r} \cdot \hat{\mathbf{n}} \, dA = P \int \vec{\nabla} \cdot \mathbf{r} \, dV. \tag{10}$$

3 Tables

Tables are a little more difficult. TeX automatically calculates the width of the columns.

lattice	d	q	$T_{ m mf}/T_c$
square	2	4	1.763
triangular	2	6	1.648
diamond	3	4	1.479
simple cubic	3	6	1.330
bcc	3	8	1.260
fcc	3	12	1.225

Table 1: Comparison of the mean-field predictions for the critical temperature of the Ising model with exact results and the best known estimates for different spatial dimensions d and lattice symmetries.

4 Lists

Some example of formatted lists include the following:

- 1. bread
- 2. cheese

- Tom
- Dick

5 Special Symbols

5.1 Common Greek letters

These commands may be used only in math mode. Only the most common letters are included here.

$$\alpha, \beta, \gamma, \Gamma, \delta, \Delta, \epsilon, \zeta, \eta, \theta, \Theta, \kappa, \lambda, \Lambda, \mu, \nu, \xi, \Xi, \pi, \Pi, \rho, \sigma, \tau, \phi, \Phi, \chi, \psi, \Psi, \omega, \Omega$$

5.2 Special symbols

The derivative is defined as

$$\frac{dy}{dx} = \lim_{\Delta x \to 0} \frac{\Delta y}{\Delta x} \tag{11}$$

$$f(x) \to y \quad \text{as} \quad x \to x_0$$
 (12)

$$f(x) \underset{x \to x_0}{\longrightarrow} y \tag{13}$$

Order of magnitude:

$$\log_{10} f \simeq n \tag{14}$$

$$f(x) \sim 10^n \tag{15}$$

Approximate equality:

$$f(x) \simeq g(x) \tag{16}$$

LATEX is simple if we keep everything in proportion:

$$f(x) \propto x^3. \tag{17}$$

Finally we can skip some space by using commands such as

\bigskip \medskip \smallskip \vspace{1pc}

The space can be negative.

6 Use of Color

We can change colors for emphasis, but who is going pay for the ink?

References

- [1] Helmut Kopka and Patrick W. Daly, A Guide to LaTeX: Document Preparation for Beginners and Advanced Users, fourth edition, Addison-Wesley (2004).
- [2] Some useful links are given at .

Updated 5 December 2006.