No country for young kids?

The effects of school starting age throughout childhood and beyond

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Motivation

Every year many children enter kindergarten or school for the first time:

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Enter at different stages of development

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Every year many children enter kindergarten or school for the first time:

- Enter at different stages of development
- Differences in age tend to have strong impacts in early childhood
- Early childhood differences → long-term impacts

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→ e.g. Chetty et al. (2011); Heckman (2011)
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Relevance for policy and parents:

- Changing age cutoffs
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- School entrance postponement
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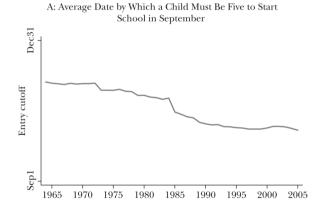


Figure reproduced from Deming and Dynarski (2008)

Contributions

• Provide evidence with high-stakes policy outcomes

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- Use quasi-experiment to identify causal effects

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Main findings



Being 1-year older when starting school leads to:

Main findings



Being 1-year older when starting school leads to:

• ↑ cognitive capacity (Math and Language)

Main findings



Being 1-year older when starting school leads to:

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Being 1-year older when starting school leads to:

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Persistence of cognitive gains is limited:

Cognitive effects fade quickly

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- ↓ probability of repeating

Persistence of cognitive gains is limited:

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- Limited heterogeneity
- Driven by differences in cognitive maturity

Preliminary findings

Effects persist through institutional features:

■ ↓ probability of dropping out

Preliminary findings

- ↓ probability of dropping out
- ↑ probability of graduating

Preliminary findings

- ↓ probability of dropping out
- ↑ probability of graduating
- ↑ probability of enrolling in academic track

Preliminary findings

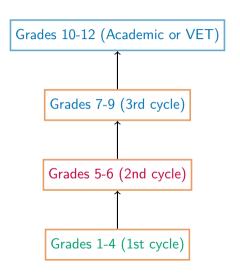
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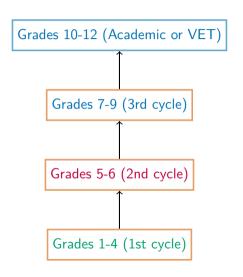
Preliminary findings

- ↓ probability of dropping out
- ↑ probability of graduating
- † probability of enrolling in academic track
- ↑ probability of enrolling in scientific curricula
- ↑ application scores to public HE
- ↑ probability of enrolling in more selective public HE courses

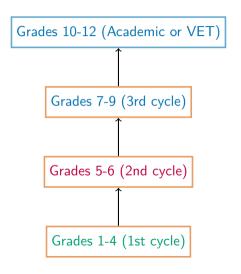


Relevant institutional features:

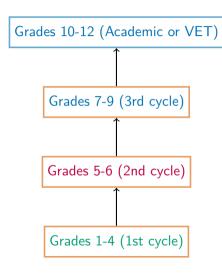
National exams at the end of each cycle



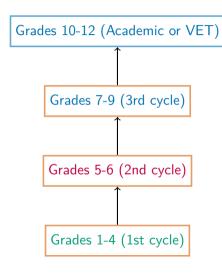
- National exams at the end of each cycle
- Multi-pronged tracking at end of Grade 9



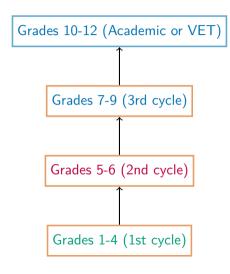
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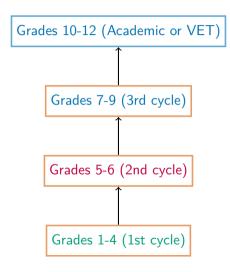
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- HE access based on exit exams and GPA
- HE divided in academic and polytechnic offer

School entry laws:

School entry laws:

• 6-years old by 15 September

Institutional background

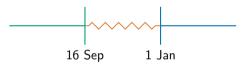
School entry laws:

- 6-years old by 15 September
- Born 16Sept 31Dec: can still enroll

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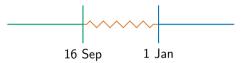
School entry laws:

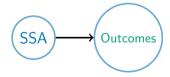
- 6-years old by 15 September
- Born 16Sept 31Dec: can still enroll
- Binding cutoff at 1 January

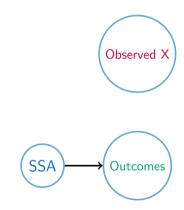


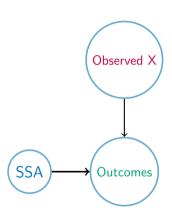
Quasi-experiment:

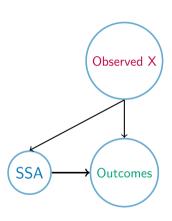
- Random variation induced by birth dates
- Distance in days to cutoff predicts SSA
- Plausibly causal effects
- Local polynomial estimates ➤ Show me the math

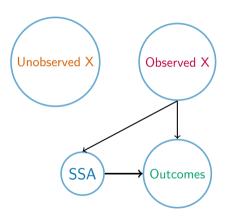


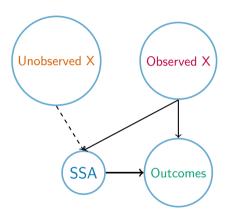


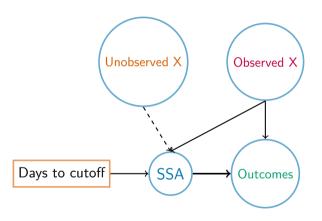


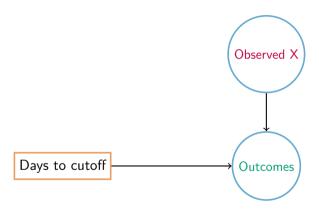












Administrative data from Portugal:

Data on every student and teacher (Grades 1-12)

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 - \rightarrow Dataset 1, Grades 1-9: born 1998-2008; sat exams 2012-2017; **660k obs.**
 - → Dataset 2, Grades 9-12: born 1988-2000; sat exams 2007-2014; **635k obs.**
 - ▶ What about attrition?

Main variables

Outcomes:

- Achievement (Grades 4, 6, 9, 11, 12)
- Grade retention (until Grades 4, 6, 9-12)
- Dropout and graduation (Grade 9)
- Track choice (Grade 10)
- Academic course choice in HS (Grade 10)
- HE application outcomes

Main variables

Outcomes

SSA

Main variables

Outcomes

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Birth date

Main variables

Outcomes

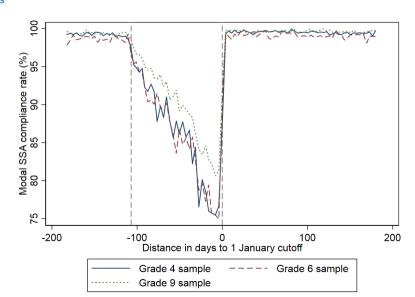
SSA

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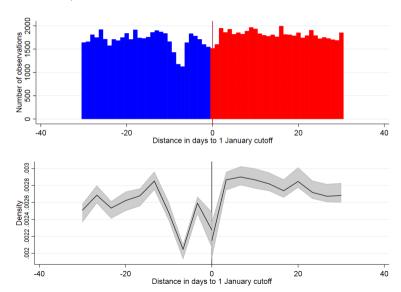
Student char.: Descriptive statistics

- Female
- First generation immigrant
- Computer at home
- School social support
- If dad unemployed
- Household level of education

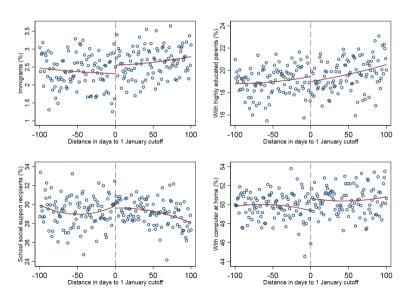
Compliance rates



No evidence of birth date manipulation

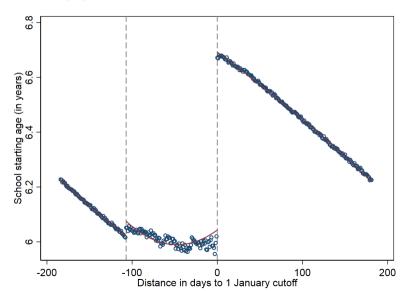


Continuity of covariates at the cutoff → Show me

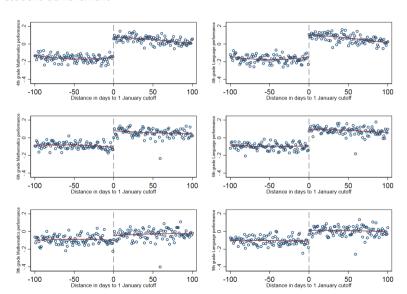


Discontinuity in school starting age

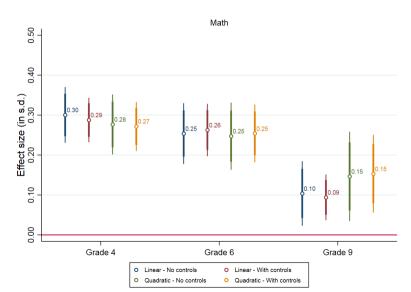
Estimates by grade



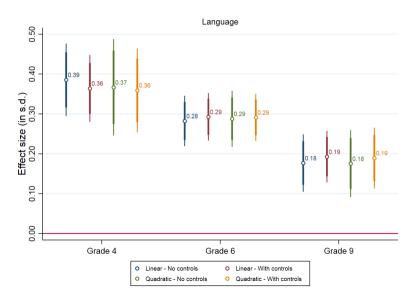
Discontinuities in student achievement



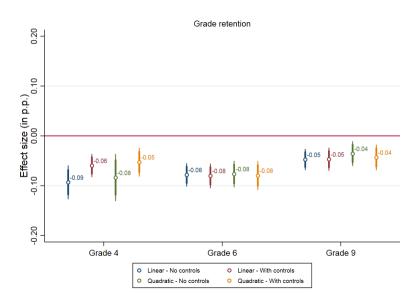
Basic education outcomes \rightarrow LATE Math \rightarrow Power



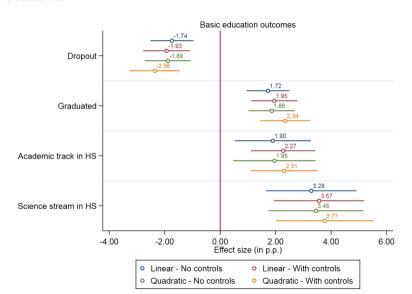
Basic education outcomes \rightarrow LATE Language



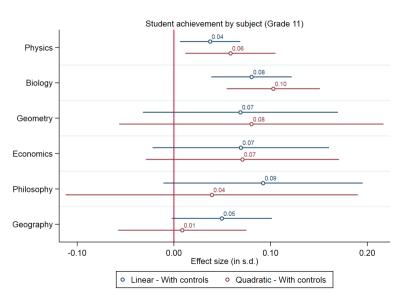
Basic education outcomes → LATE Grade retention



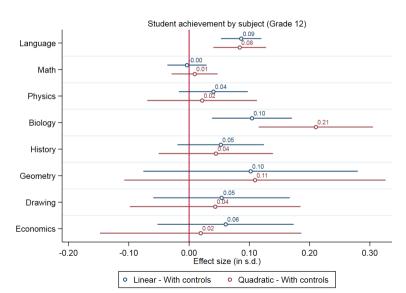
Grade 9 attainment outcomes → ITT



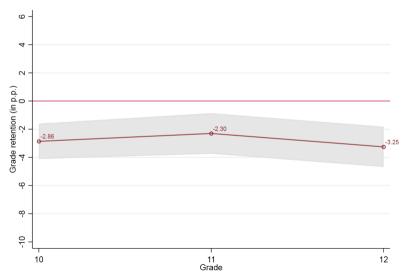
High-school outcomes \rightarrow ITT Grade 11 Achievement



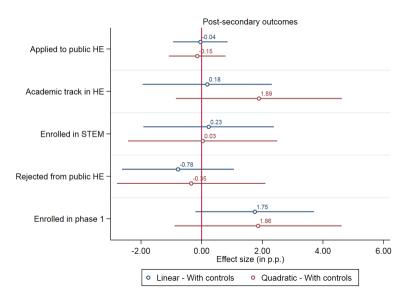
High-school outcomes → ITT Grade 12 Achievement



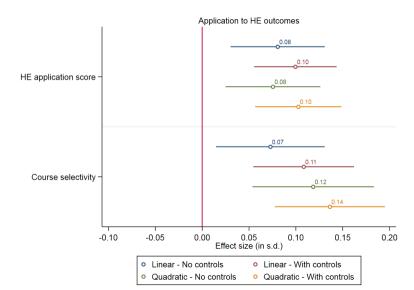
 $\mathsf{High}\;\mathsf{school}\;\mathsf{outcomes}\to\mathsf{ITT}\;\mathsf{Grade}\;\mathsf{retention}\;\mathsf{in}\;\mathsf{high}\;\mathsf{school}$



Post-secondary outcomes \rightarrow ITT application to HE outcomes



Post-secondary outcomes → ITT application to HE outcomes



Robustness checks

Point estimates are stable across:

■ Regressions only with non-repeaters → Show me

Robustness checks

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- Regressions with birth day of the week FEs → Show me

Results

Robustness checks

Point estimates are stable across:

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- Regressions with birth day of the week FEs

 Show me
- Regressions with alternative bandwidths → Show me

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Robustness checks

Point estimates are stable across:

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- Regressions with birth day of the week FEs → Show me
- Regressions with alternative bandwidths → Show me
- Placebo specifications and permutation-based p-values → Show me
- Discussion of mechanisms

- \uparrow achievement: LATE always above .15 σ until Grade 9
 - → Similar to Bedard and Dhuey (2006); Puhani and Weber (2007); McEwan and Shapiro (2008); Attar and Cohen-Zada (2018)

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- Cognitive effects fade quickly, institutional features ensure persistence

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- Individual costs: additional pre-school costs shorter work careers

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- Unfair to parents constrained in their choice
- Individual costs: additional pre-school costs shorter work careers
- Social costs: distributional effects and no gain in earlier cutoffs

Thank you for your attention!

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Related literature

Appendix Related literature

- Score higher, repeat less, stay longer in school
 - e.g. Bedard and Dhuey (2006); Puhani and Weber (2007); McEwan and Shapiro (2008); Cascio and Schanzenbach (2016); Attar and Cohen-Zada (2018)

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- More likely tracked into academic curricula
 - → Puhani and Weber (2007); Schneeweis and Zweimüller (2014); Attar and Cohen-Zada (2018)
- Improve outcomes of their younger peers
 - → Cascio and Schanzenbach (2016)

Related literature

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But also non-cognitive benefits:

Less likely to be classified with ADHD

→ Dhuey and Lipscomb (2010); Elder and Lubotsky (2009); Evans et al. (2010); Mühlenweg et al. (2012)

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More persistent and less irritable

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- More likely to to hold leadership positions as teenagers
 - → Dhuev and Lipscomb (2008)
- Less likely to commit crimes or be incarcerated
 - → Landersø et al. (2017); Cook and Kang (2016); Dhuey et al. (2017)

Related literature Back

Impacts on adult outcomes are more ambiguous:

Related literature Back

Impacts on adult outcomes are more ambiguous:

• Link to higher wages later in working career

 \rightarrow Fredriksson and Öckert (2014)

Related literature Back

Impacts on adult outcomes are more ambiguous:

- Link to higher wages later in working career
 - ightarrow Fredriksson and Öckert (2014)
- More likely to become a corporate CEO
 - ightarrow Du et al. (2012)

Related literature Back

Impacts on adult outcomes are more ambiguous:

- Link to higher wages later in working career
 - ightarrow Fredriksson and Öckert (2014)
- More likely to become a corporate CEO
 - \rightarrow Du et al. (2012)
- No significant effects on prime-age earnings
 - $\,\longrightarrow\,$ Black et al. (2011); Dobkin and Ferreira (2010); Fredriksson and Öckert (2014)

Local polynomial specifications

Intent to treat effects (ITT)

$$\min \sum_{i=1}^{N(h)} \left(Y_{ig} - \alpha_0 - \alpha \tau_i - \underbrace{\mathbf{f}(B_i)}_{\text{Trend}} - \mathbf{X}_i \delta - \underbrace{\varphi_c}_{\text{Cohort FE}} \right)^2 \underbrace{\mathbf{K}_h(\tau_i, B_i)}_{\triangle \text{ kernel}}$$

Local polynomial specifications

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$$\mathbf{f}(B_i) = \phi_1 B_i + \phi_2 \tau_i B_i$$

Local polynomial specifications

Intent to treat effects (ITT)

$$\min \sum_{i=1}^{N(h)} \left(Y_{ig} - \alpha_0 - \alpha \tau_i - \underbrace{\mathbf{f}(B_i)}_{\mathsf{Trend}} - \mathbf{X}_i \delta - \underbrace{\varphi_{\mathcal{C}}}_{\mathsf{Cohort}} \, \underbrace{\mathbf{K}_h(\tau_i, B_i)}_{\triangle \; \mathsf{kernel}} \right)^2 \underbrace{\mathbf{K}_h(\tau_i, B_i)}_{\triangle \; \mathsf{kernel}}$$

$$\mathbf{f}(B_i) = \phi_1 B_i + \phi_2 \tau_i B_i \quad \text{or} \quad \mathbf{f}(B_i) = \sum_{p=1}^2 \phi_p B_i^p + \sum_{p=1}^2 \phi_{pp} \tau_i B_i^p$$

Local polynomial specifications

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$$\mathbf{K}_h(\tau_i, \boldsymbol{B}_i) = \max\left(0, 1 - \left|\frac{\boldsymbol{B}_i}{h}\right|\right)$$

Local polynomial specifications

Local average treatment effects (LATE)

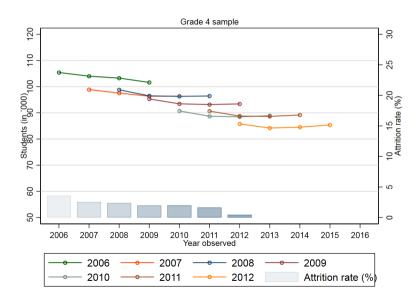
$$\min \sum_{i=1}^{N(h)} (A_i - \theta_0 - \theta \tau_i - \mathbf{f}(B_i) - \mathbf{X}_i \delta - \boldsymbol{\varphi}_c)^2 \, \mathbf{K}_h(\boldsymbol{\tau}_i, \boldsymbol{B}_i)$$

Local polynomial specifications

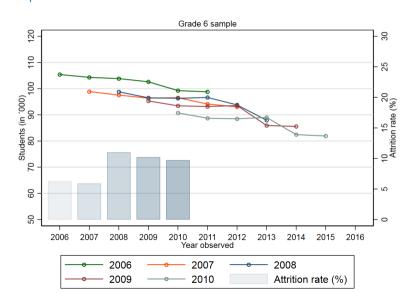
Local average treatment effects (LATE)

$$\begin{split} & \min \sum_{i=1}^{N(h)} \left(A_i - \theta_0 - \theta \tau_i - \mathbf{f}(B_i) - \mathbf{X}_i \delta - \varphi_c \right)^2 \mathbf{K}_h(\tau_i, B_i) \\ & \min \sum_{i=1}^{N(h)} \left(Y_{ig} - \beta_0 - \beta \hat{A}_i - \mathbf{f}(B_i) - \mathbf{X}_i \delta - \varphi_c \right)^2 \mathbf{K}_h(\tau_i, B_i) \end{split}$$

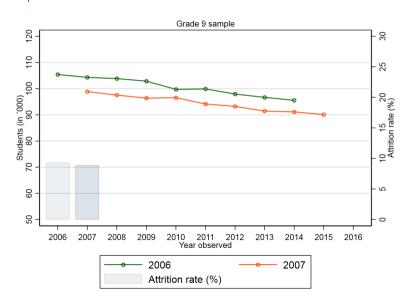
Attrition Grade 4 sample Back



Attrition Grade 6 sample → Back



Attrition Grade 9 sample → Back



Descriptive statistics Back

Sample:	Full sa	mple	60-days before cutoff		60-days after cutoff		Difference	
	Obs.	%	Obs.	%	Obs.	%	p-value	
Student characteristics								
Grade 4 sample	000 661	40.61	26.000	10.56	07.145	10.10	0.67	
Female	229,661	48.61	36,220	48.56	37,145	48.40	0.67	
First generation immigrant	229,661	2.31	36,220	2.26	37,145	2.27	0.92	
Access to computer at home	229,661	55.39	36,220	55.10	37,145	55.15	0.89	
School social support (ASE)	229,661	38.76	36,220	39.18	37,145	39.70 7.05	0.15 0.61	
Dad unemployed	229,661 229,661	6.93 21.67	36,220 36,220	7.16 21.10	37,145 37,145	21.57	0.01	
Household with higher education	229,001	21.07	36,220	21.10	37,145	21.57	0.15	
Grade 6 sample								
Female	300.182	49.37	46.198	49.96	49,066	49.17	0.01	
First generation immigrant	300,182	2.49	46,198	2.33	49,066	2.58	0.01	
Access to computer at home	300,182	46.09	46,198	45.63	49,066	46.40	0.02	
School social support (ASE)	300,182	23.77	46,198	23.73	49,066	24.10	0.19	
Dad unemployed ` `	300,182	4.66	46,198	4.87	49,066	4.63	0.12	
Household with higher education	300,182	17.85	46,198	17.69	49,066	17.85	0.56	
Grade 9 sample								
Female	188.648	51.51	28,676	52.21	31.125	51.38	0.04	
First generation immigrant	188,648	2.27	28,676	2.07	31,125	2.53	0.00	
Access to computer at home	188,648	47.91	28,676	47.41	31,125	48.32	0.03	
School social support (ASE)	188,648	16.24	28,676	16.28	31,125	16.33	0.87	
Dad unemployed	188,648	3.67	28,676	3.64	31,125	3.72	0.63	
Household with higher education	188,648	20.04	28,676	20.08	31,125	19.73	0.32	

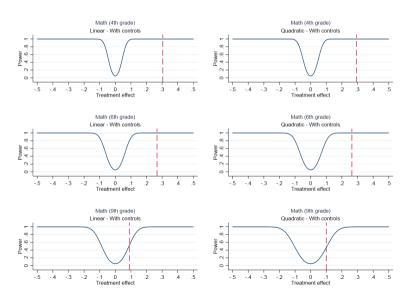
Continuity in covariates ▶ Back

Grade sample:	Grade 4	Grade 6	Grade 9	Controls
Outcome:	Coef. (SE)	Coef. (SE)	Coef. (SE)	
Female	-0.016 (0.022) -0.016 (0.022)	0.004 (0.017) 0.005 (0.017)	0.019 (0.022) 0.020 (0.022)	No Yes
Immigrant	0.015 (0.008) 0.015 (0.008)	0.007 (0.006) 0.007 (0.006)	0.008 (0.008) 0.008 (0.008)	No Yes
School social support	0.059 (0.020) 0.057 (0.018)	-0.012 (0.011) -0.014 (0.011)	-0.024 (0.012) -0.027 (0.011)	No Yes
Unemployed dad	-0.008 (0.013) -0.012 (0.013)	0.002 (0.005) 0.003 (0.005)	0.009 (0.010) 0.010 (0.010)	No Yes
Computer at home	-0.014 (0.016) -0.006 (0.015)	0.004 (0.021) 0.005 (0.020)	0.018 (0.019) 0.019 (0.019)	No Yes
Higher education in HH	-0.007 (0.018) 0.007 (0.017)	-0.008 (0.014) -0.010 (0.013)	-0.009 (0.012) -0.015 (0.011)	No Yes
Observations	72807	94573	59345	

First-stage estimates → Back

Outcome: school starting age	30-days b	andwidth	60-days b	andwidth	MSE-optimal bandwidth		
	(1)	(2)	(3)	(4)	(5)	(6)	
Grade 4							
$ au_4$	0.674 (0.038)	0.670 (0.038)	0.709 (0.026)	0.706 (0.026)	0.686 (0.013)	0.685 (0.014)	
Observations	36124	36124	72807	72807	113709	108656	
Bandwidth (in days)	30	30	60	60	93	89	
Grade 6							
$ au_6$	0.730 (0.014)	0.729 (0.014)	0.740 (0.010)	0.739 (0.011)	0.733 (0.008)	0.731 (0.008)	
Observations	47125	47125	94573	94573	105815	104133	
Bandwidth (in days)	30	30	60	60	66	65	
Grade 9							
$ au_9$	0.737	0.736	0.748	0.746	0.742	0.741	
	(0.023)	(0.023)	(0.015)	(0.016)	(0.010)	(0.010)	
Observations	29428	29428	59345	59345	84777	82809	
Bandwidth (in days)	30	30	60	60	84	83	
Polynomial order	Quadratic	Quadratic	Quadratic	Quadratic	Quadratic	Quadrati	
Student controls	NO	YES	NO	YES	NO	YES	
Cohort FEs	NO	YES	NO	YES	NO	YES	

Statistical power → Back



Only non-repeaters Back

Outcome:	(4)		Math	(4)	Language				
	(1)	(2)	(3)	(4)	(5)	(6)	(7)	(8)	
Grade 4									
School starting age	0.251 (0.029)	0.280 (0.025)	0.245 (0.034)	0.275 (0.029)	0.342 (0.029)	0.370 (0.022)	0.325 (0.051)	0.356 (0.045)	
Observations	31138	30064	45349	44192	63021	78135	57492	60766	
Bandwidth (in days)	29	28	41	41	57	72	53	56	
Grade 6									
School starting age	0.195	0.218	0.179	0.206	0.235	0.255	0.242	0.261	
	(0.031)	(0.024)	(0.035)	(0.026)	(0.029)	(0.025)	(0.031)	(0.027)	
Observations	58094	56681	67816	73176	59572	60964	86475	86475	
Bandwidth (in days)	43	42	49	54	43	45	64	64	
Grade 9									
School starting age	0.073	0.105	0.150	0.152	0.170	0.182	0.180	0.187	
	(0.035)	(0.032)	(0.045)	(0.039)	(0.032)	(0.030)	(0.034)	(0.031)	
Observations	38128	32081	32991	36401	34910	40944	51910	71246	
Bandwidth (in days)	44	38	38	43	41	47	61	83	
Polynomial order	Linear	Linear	Quadratic	Quadratic	Linear	Linear	Quadratic	Quadratic	
Student controls	NO	YES	NO	YES	NO	YES	NO	YES	
Cohort Fes	NO	YES	YES	YES	NO	YES	YES	YES	

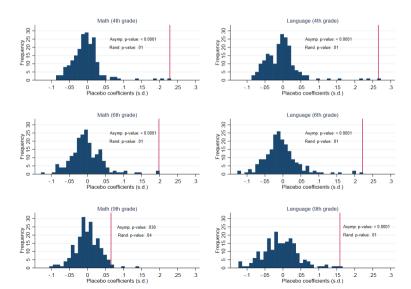
With birth day of the week FEs → Back

Outcome:	Math po	erformance (2)	Language (3)	performance (4)	Grade (5)	retention (6)
(Until) Grade 4	0.289	0.274	0.364	0.360	-0.060	-0.054
School starting age	(0.022)	(0.024)	(0.034)	(0.040)	(0.009)	(0.011)
Observations	34866	53287	41015	65624	57032	66960
Bandwidth (in days)	29	44	34	53	47	54
(Until) Grade 6	0.262	0.255	0.294	0.291	-0.081	-0.079
School starting age	(0.025)	(0.028)	(0.023)	(0.024)	(0.010)	(0.011)
Observations	64417	100530	61354	115385	61467	93673
Bandwidth (in days)	41	64	38	72	39	58
(Until) Grade 9	0.095	0.150	0.192	0.179	-0.047	-0.048
School starting age	(0.024)	(0.038)	(0.024)	(0.032)	(0.009)	(0.010)
Observations	56529	39324	66312	69474	43488	76707
Bandwidth (in days)	57	39	66	70	43	76
Polynomial order	Linear	Quadratic	Linear	Quadratic	Linear	Quadratic

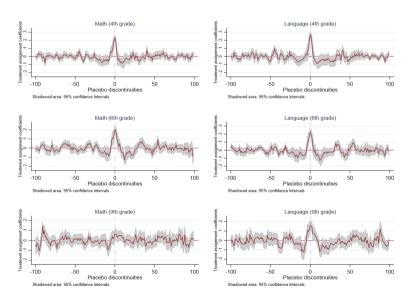
With birth day of the week FEs → Back

Outcome:	Math performance			Lang	uage perforn	nance	Grade retention		
	(1)	(2)	(3)	(4)	(5)	(6)	(7)	(8)	(9)
(Until) Grade 4 School starting age	0.288	0.272	0.274	0.393	0.356	0.373	-0.041	-0.052	-0.05
Observations Left bandwidth (in days) Right bandwidth (in days)	(0.028) 35742 30 30	(0.024) 72001 60 60	(0.024) 61461 53 47	(0.075) 35767 30 30	(0.048) 72040 60 60	(0.035) 71283 66 50	(0.017) 35826 30 30	(0.013) 72155 60 60	(0.011 68302 54 64
(Until) Grade 6 School starting age	0.194 (0.042)	0.239 (0.030)	0.247 (0.028)	0.326 (0.031)	0.302 (0.031)	0.291 (0.024)	-0.071 (0.014)	-0.079 (0.013)	-0.07 (0.01
Observations Left bandwidth (in days) Right bandwidth (in days)	46958 30 30	94251 60 60	87299 63 48	47043 30 30	94393 60 60	123601 73 82	47125 30 30	94573 60 60	10143 57 69
(Until) Grade 9 School starting age	0.168	0.155	0.153	0.152	0.184	0.175	-0.032	-0.036	-0.03
Observations Left bandwidth (in days) Right bandwidth (in days)	(0.060) 29245 30 30	(0.038) 58995 60 60	(0.037) 49042 42 56	(0.049) 29407 30 30	(0.036) 59290 60 60	(0.031) 65373 70 61	(0.013) 29428 30 30	(0.011) 59345 60 60	(0.01) 5460 49 61

Robustness checks \rightarrow Randomization-based p-values $\stackrel{\blacktriangleright}{\text{Back}}$



Robustness checks \rightarrow Placebo coefficients \rightarrow Back



 $\mathsf{Mechanisms} \to \mathsf{Age}\text{-at-test vs. school starting age effects} \quad {}^{\blacktriangleright} \, \mathsf{Back}$

Why is there a decline in SSA effects?

Mechanisms → Age-at-test vs. school starting age effects → Back

Why is there a decline in SSA effects?

• SSA effect orthogonal to age-at-test effects may be negative

 \longrightarrow Peña (2017); Black et al. (2011); Crawford et al. (2007)

 $\mathsf{Mechanisms} \to \mathsf{Age}\text{-at-test vs. school starting age effects} \quad {}^{\blacktriangleright} \mathsf{Back}$

Why is there a decline in SSA effects?

SSA effect orthogonal to age-at-test effects may be negative

 \longrightarrow Peña (2017); Black et al. (2011); Crawford et al. (2007)

 $\frac{\partial h_t}{\partial \underline{A}}$

Absolute age effect

Mechanisms \rightarrow Age-at-test vs. school starting age effects \rightarrow Back

Why is there a decline in SSA effects?

SSA effect orthogonal to age-at-test effects may be negative

 \longrightarrow Peña (2017); Black et al. (2011); Crawford et al. (2007)

$$\frac{\partial h_t}{\partial A} = \underbrace{\frac{\partial h_t}{\partial t}}_{\text{Absolute age effect}} = \underbrace{\frac{\partial h_t}{\partial t}}_{\text{Age-at-test effect}}$$

Mechanisms \rightarrow Age-at-test vs. school starting age effects \rightarrow Back

Why is there a decline in SSA effects?

• SSA effect orthogonal to age-at-test effects may be negative

 \longrightarrow Peña (2017); Black et al. (2011); Crawford et al. (2007)

$$\frac{\partial h_t}{\partial A} = \frac{\partial h_t}{\partial t} + \underbrace{\frac{\partial h_t}{\partial SSA_{\perp}}}_{\text{Assolute age effect}} + \underbrace{\frac{\partial h_t}{\partial SSA_{\perp}}}_{\text{L SSA effect}}$$

 $Mechanisms \to Minimal \ assumptions \ model \ {}^{\blacktriangleright} \, {}^{\mathsf{Back}}$

$$\frac{\partial h_t}{\partial t} \ge 0 \quad \land \quad$$

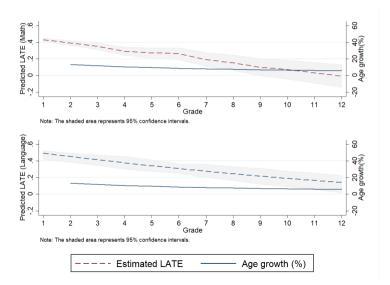
 $Mechanisms \to Minimal \ assumptions \ model \ {}^{\blacktriangleright} \, {}^{\mathsf{Back}}$

$$\frac{\partial h_t}{\partial t} \ge 0 \quad \land \quad \frac{\partial^2 h_t}{\partial t^2} \le 0$$

Mechanisms → Minimal assumptions model ► Back

$$\begin{split} \frac{\partial h_t}{\partial t} &\geq 0 \quad \wedge \quad \frac{\partial^2 h_t}{\partial t^2} \leq 0 \\ \frac{\partial h_t}{\partial t} &\propto \underbrace{g\left(A_t\right) = \frac{A_t - A_{t-1}}{A_{t-1}} - 1}_{\text{Growth in age}} \end{split}$$

$\mathsf{Mechanisms} \to \mathsf{Rates} \ \mathsf{of} \ \mathsf{decline} \ {}^{\blacktriangleright} \, {}^{\mathsf{Back}}$



 $\mathsf{Mechanisms} \to \mathsf{Rates} \ \mathsf{of} \ \mathsf{decline} \ {}^{\blacktriangleright} \, {}^{\mathsf{Back}}$

Given our empirical results:

$$\underbrace{\frac{\partial^2 h_t}{\partial A^2} < \frac{\partial g\left(A_t\right)}{\partial t}}_{}$$

Estimated LATE fall quicker

Mechanisms → Rates of decline → Back

Given our empirical results:

$$\underbrace{\frac{\partial^2 h_t}{\partial A^2} < \frac{\partial g\left(A_t\right)}{\partial t}}_{\text{Estimated LATE fall quicker}} \implies \frac{\partial^2 h_t}{\partial A^2} < \frac{\partial^2 h_t}{\partial t^2}$$

Mechanisms → Rates of decline → Back

Given our empirical results:

$$\underbrace{\frac{\partial^2 h_t}{\partial A^2} < \frac{\partial g\left(A_t\right)}{\partial t}}_{\text{stimated LATE fall quicker}} \implies \frac{\partial^2 h_t}{\partial A^2} < \frac{\partial^2 h_t}{\partial t^2} \implies \frac{\partial h_t}{\partial SSA_\perp} < 0$$

Estimated LATE fall quicker