```
(* Caracterização do tempo de serviço - função característica,
função de distribuição acumulada e função densidade da probabilidade -
 de um canal de uso licenciado com utilização
   baseada em distribuições geométricas. *)
ClearAll["Global`*"]
(* Mean Length Variable*)
pLength = 1 / meanLength;
pON = 1 / meanON;
pOFF = 1 / meanOFF;
fLength := If [k < 1, 0, (1 / meanLength) * (1 - (1 / meanLength))^(k-1)];
(*DiscretePlot[fLength, {k,1,10}]*)
fON := If [k < 1, 0, (1 / meanON) * (1 - (1 / meanON))^(k - 1)];
(*DiscretePlot[fON, {k,1,10}]*)
\label{foff} \mbox{foff} := \mbox{If} \left[ \mbox{$k < 1$, 0, $(1 / \mbox{meanOFF})$} \right. \\ \left. \left. \left. \left( 1 / \mbox{meanOFF} \right) \right. \right) \right. \\ \left. \left( k - 1 \right) \right] \mbox{$;$}
(*DiscretePlot[fOFF, {k,1,10}]*)
fOFF2[r_] =
   If[k \ge r, \ Binomial[k-1, \ r-1] \ * \ (1 \ / \ meanOFF) \ ^ \ (r) \ * \ (1-(1 \ / \ meanOFF)) \ ^ \ (k-r) \ , \ 0];
diffOFFLength[m_] :=
   Sum[Sum[(fLength /. k \rightarrow (1)) * fOFF2[r] /. k \rightarrow (1+n), \{1, 1, 100\}], \{n, m, 300\}] -
    Sum[Sum[(fLength /. k \rightarrow (1)) * fOFF2[r-1] /. k \rightarrow (1+n), \{1, 1, 100\}],
      {n, m, 300};
DiscretePlot[diffOFFLength[0], {r, 1, 10}];
Sum[N[diffOFFLength[0]], {r, 1, 10}];
Sum[N[diffOFFLength[0]*r], \{r, 1, 10\}];
Table[N[diffOFFLength[0]], {r, 1, 10}];
PhiTMGF = ((pLength * Exp[z]) / (1 - (1 - pLength) * Exp[z])) *
     ((pON * Exp[z]) / (1 - (1 - pON) * Exp[z]))^(kk);
PhiTCF = ((pLength * Exp[i * z]) / (1 - (1 - pLength) * Exp[i * z])) *
     ((pON * Exp[i * z]) / (1 - (1 - pON) * Exp[i * z]))^(kk);
meanLength = 3;
meanON = 1;
meanOFF = 9;
PQE = 1 - 1;
StartOff =
   (1 - PQE) * ((meanOFF - 1) / meanOFF) + PQE * (meanOFF / (meanOFF + meanON));
media =
 N[StartOff * Sum[diffOFFLength[0] * \dot{\mathbf{n}}^(-1) * D[PhiTCF /. {kk \rightarrow (r - 1)}, {z, 1}] /.
         z \rightarrow 0, \{r, 1, 10\}] + (1 - StartOff) * Sum[diffOFFLength[0] *
          \label{eq:linear_bound} \begin{subarray}{ll} $\dot{\textbf{n}}$ $^{-1}$ & $\textbf{D}$ [PhiTCF /. $\{kk \rightarrow (r)\}$, $\{z, 1\}]$ /. $z \rightarrow 0$, $\{r, 1, 10\}]$ ] \\ \end{subarray}
var2 = N[StartOff * Sum[diffOFFLength[0] * i^ (-2) *
          D[Exp[-media * i * z] * PhiTCF /. \{kk \rightarrow (r-1)\}, \{z, 2\}] /. z \rightarrow 0, \{r, 1, 5\}] +
     (1 - StartOff) * Sum[diffOFFLength[0] * i^ (-2) *
          D[Exp[-media * i * z] * PhiTCF /. \{kk \rightarrow (r)\}, \{z, 2\}] /. z \rightarrow 0, \{r, 1, 5\}]]
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```
meanLength = 3;
meanON = 1;
meanOFF = 9;
lambda =
      List[1/32, 1/16.5, 1/11, 1/8.4, 1/6.7, 1/5.5, 1/4.75, 1/4.15, 1/3.7];
 (*MeanQueueLength=List[0.1152,0.2531,0.4294,0.6304,
         0.9520,1.4871,2.2643,4.1521,9.0662];*)
For [i = 1, i \le 9, i++,
   Clear[StartOff, PhiTPond, PPQueue, Soll, mu, PQE, VarMu];
   Ro = lambda[[i]] / (1 / mu);
   StartOff = (1 - PQE) * ((meanOFF - 1) / meanOFF) + PQE * (meanOFF / (meanOFF + meanON));
   PhiTPondMGF =
      (1 - StartOff) * Sum[diffOFFLength[0] * PhiTMGF /. {kk \rightarrow (r)}, {r, 1, 10}];
   PPQueue = ((1-z) * (1-Ro) * (PhiTPondMGF /. z \rightarrow -lambda[[i]] + lambda[[i]] * z)) /
         (-z + (PhiTPondMGF /. z \rightarrow -lambda[[i]] + lambda[[i]] * z));
   Sol1 = Solve[PQE == (D[PPQueue, \{z, 0\}] /. z \rightarrow 0) / (0!) &&
            mu = (N[StartOff * Sum[diffOFFLength[0] * i^(-1) *
                                    D[PhiTCF /. \{kk \rightarrow (r-1)\}, \{z, 1\}] /. z \rightarrow 0, \{r, 1, 10\}] + (1 - StartOff) *
                           Sum[diffOFFLength[0] * i ^ (-1) * D[PhiTCF /. \{kk \rightarrow (r)\}, \{z\,,\,1\}] /. \ z \rightarrow 0,
                              \{r, 1, 10\}]) && 1 \ge PQE \ge 0 && mu > 0, \{PQE, mu\}];
   VarMu = N[StartOff * Sum[diffOFFLength[0] * i^(-2) *
                         \texttt{D[Exp[-mu*i*z]*PhiTCF/.} \; \{kk \rightarrow (r-1)\} \,, \; \{z\,,\,2\}] \; /. \; z \rightarrow 0 \,, \; \{r\,,\,1,\,10\}] \; + \; (c,\,1) + (c,\,2) + (c,\,2)
             (1 - StartOff) * Sum[diffOFFLength[0] * i^ (-2) *
                       D[Exp[-mu * \dot{u} * z] * PhiTCF /. \{kk \rightarrow (r)\}, \{z, 2\}] /. z \rightarrow 0, \{r, 1, 10\}]];
   mu = mu /. Sol1[[1]];
   PQE = PQE /. Sol1[[1]];
    (*MeanQueueLength=Sum[k*(D[PPQueue, {z,k}]/.z\rightarrow 0)/(k!), {k,1,20}]
               W=Ro*mu+MeanQueueLength[[i]]*mu;*)
   W = (lambda[[i]] * (VarMu + mu^2)) / (2 - 2 * Ro);
   Q = lambda[[i]] * (W + mu);
   Print[Q];
   Print[W];
   Print[mu];
1
```