```
11on1 = 1 / (5);
lloff1 = 1 / (5);
desvio1 = 0;
11on2 = 1 / (5);
lloff2 = 1 / (5);
desvio2 = 0;
maxTSU = 20;
distONs[llon_] :=
  If[t < 0, 0, Integrate[PDF[UniformDistribution[{0, (1/llon)}], y],</pre>
      \{y, t, +\infty\}, Assumptions \rightarrow t \in \text{Reals}] /
     Integrate[Integrate[PDF[UniformDistribution[{0, (1/llon)}], y],
        \{y, tt, +\infty\}, Assumptions \rightarrow tt \in Reals], \{tt, 0, +\infty\}]];
Plot[distONs[llon1], \{t, -1, maxTSU\}, Filling \rightarrow Axis, PlotRange \rightarrow All]
distONs1Sum = N[Integrate[distONs[1lon1], {t, 0, +∞}]]
distONs1Avg = N[Integrate[distONs[llon1] *t, {t, 0, +∞}]]
(*Plot[distONs[llon2],{t,-1,maxTSU},Filling→Axis,PlotRange→All]
  distONs2Sum=N[Integrate[distONs[1lon2], \{t,0,+\infty\}]]
distONs2Avg=N[Integrate[distONs[1lon2]*t,{t,0,+∞}]]*)
distOFFs1[delta_, llon_, lloff_] :=
  Integrate[Integrate[PDF[UniformDistribution[{0 + delta, (1 / 1lon) + delta}], y] *
       PDF[UniformDistribution[\{0, (1/lloff)\}], x], \{x, t1-y, \infty\},
      Assumptions \rightarrow (t1-y) \in Reals], {y, 0, t1}, Assumptions \rightarrow t1 \in Reals] /
    Integrate[Integrate[PDF[UniformDistribution[{0, (1/lloff)}], y],
      \{y, tt, +\infty\}, Assumptions \rightarrow tt \in Reals], \{tt, 0, +\infty\}];
distOFFs2[delta_, llon_, lloff_] := Integrate[
     Integrate[PDF[UniformDistribution[{0 + delta, (1 / llon) + delta}], y] *
       PDF[UniformDistribution[\{0, (1/1loff)\}], x], \{x, t2 - y, \infty\},
      Assumptions \rightarrow (t2 - y) ∈ Reals], {y, 0, t2}, Assumptions \rightarrow t2 ∈ Reals] /
    Integrate[Integrate[PDF[UniformDistribution[{0, (1/lloff)}], y],
      \{y, tt, +\infty\}, Assumptions \rightarrow tt \in Reals], \{tt, 0, +\infty\}];
Plot[distOFFs1[0, llon1, lloff1], \{t1, 0, maxTSU\}, Filling \rightarrow Axis, PlotRange \rightarrow All]
distOFFs1Sum = N[Integrate[distOFFs1[0, 1lon1, 1loff1], {t1, -\infty, +\infty}]]
distOFFslAvg = N[Integrate[distOFFsl[0, 1lon1, 1loff1] *t1, {t1, -\infty, +\infty}]]
 Plot[distOFFs2[0, 1lon2, 1loff2], \{t2, 0, maxTSU\}, Filling \rightarrow Axis, PlotRange \rightarrow All] 
distOFFs2Sum = N[Integrate[distOFFs2[0, 1lon2, 1loff2], \{t2, 0, +\infty\}]]
distOFFs2Avg = N[Integrate[distOFFs2[0, 1lon2, 1loff2] *t2, \{t2, 0, +\infty\}]]
f1[llon , lloff , desvio ] := Convolve[PDF[UniformDistribution[{0, 1 / llon}], tt],
    PDF[UniformDistribution[{0, 1 / lloff}], tt], tt, k1];
f2[llon_, lloff_, desvio_] := Convolve[PDF[UniformDistribution[{0, 1 / llon}], tt],
    PDF[UniformDistribution[{0, 1/lloff}], tt], tt, k2];
Avail1 = Table[N[f1[llon1, lloff1, desvio1]], {k1, 0, maxTSU}];
Plot[f1[llon1, lloff1, desvio1], \{k1, 0, maxTSU\}, Filling \rightarrow Axis, PlotRange \rightarrow All]
Avail1Avg = N[Integrate[f1[llon1, lloff1, desvio1] *k1, \{k1, 0, +\infty\}]]
Avail2 = Table[N[f2[llon2, lloff2, desvio2]], {k2, 1, maxTSU}];
Plot[f2[1lon2, 1loff2, desvio2], \{k2, 0, maxTSU\}, Filling \rightarrow Axis, PlotRange \rightarrow All]
Avail2Sum = N[Integrate[f2[Ilon2, lloff2, desvio2], \{k2, 0, +\infty\}]]
Avail2Avg = N[Integrate[f2[llon2, lloff2, desvio2] *k2, \{k2, 0, +\infty\}]]
```

```
(*dn=1;
JointAvEq=Integrate[f2[llon2,lloff2,desvio2]*
   Integrate[f1[1lon1,lloff1,desvio1],\{k1,m,m+dn\},Assumptions\rightarrow m \in Reals],
  \{k2,n,n+dn\}, Assumptions\rightarrow n \in Reals];
DiscretePlot3D[JointAvEq, {m, 0, maxTSU, dn}, {n, 0, maxTSU, dn},
   Joined→False, Filling→Axis, PlotRange→All, ColorFunction→"Rainbow"]
  JointAvEqSum=N[Sum[JointAvEq, {m,0,maxTSU,dn}, {n,0,maxTSU,dn}]]*)
dn = 1;
JointOFFs =
  Integrate[Integrate[distOFFs1[0, 1lon1, 1loff1] * distOFFs2[0, 1lon2, 1loff2],
     \{t1, m, m+dn\}, Assumptions \rightarrow m \in Reals],
    \{t2, n, n+dn\}, Assumptions \rightarrow n \in Reals];
DiscretePlot3D[JointOFFs, {m, 0, maxTSU, dn}, {n, 0, maxTSU, dn},
  \textbf{Joined} \rightarrow \textbf{False, Filling} \rightarrow \textbf{Axis, PlotRange} \rightarrow \textbf{All, ColorFunction} \rightarrow "Rainbow"] 
JointOFFsSum = N[Sum[JointOFFs, {m, 0, maxTSU, dn}, {n, 0, maxTSU, dn}]]
Opp = Convolve[distOFFs1[0, llon1, lloff1] /. t1 \rightarrow -t,
   distOFFs2[0, llon2, lloff2] /. t2 \rightarrow t, t, l];
Plot[Opp, {1, -maxTSU, maxTSU}, Filling → Axis, PlotRange → All]
OppSum = N[Integrate[Opp, \{1, -\infty, +\infty\}]]
OppAvg = N[Integrate[Opp * 1, \{1, -\infty, +\infty\}]]
11on1 = 1 / (5);
lloff1 = 1 / (5);
desvio1 = 0;
11on2 = 1 / (5);
11off2 = 1 / (5);
desvio2 = 0;
MinOffs = PDF[UniformDistribution[{0, (1/lloff1)}], t] +
   PDF[UniformDistribution[{0+desvio2, (1/lloff2)+desvio2}],t]-
    (PDF[UniformDistribution[{0, (1/lloff1)}],t]*
      CDF[UniformDistribution[{0 + desvio2, (1 / lloff2) + desvio2}], t]) -
    (CDF[UniformDistribution[{0, (1/lloff1)}],t]*
      PDF[UniformDistribution[{0 + desvio2, (1/lloff2) + desvio2}], t]);
MinOffsAvg = N[Integrate[MinOffs * t, {t, 0, +\infty}]]
11on1 = 1 / (5);
lloff1 = 1 / (5);
desvio1 = 0;
11on2 = 1 / (5);
11off2 = 1 / (5);
desvio2 = 0;
f1[llon_, lloff_, desvio_] :=
  Convolve[PDF[UniformDistribution[{0 + desvio, (1 / llon) + desvio}], tt],
```

```
PDF[UniformDistribution[{0, 1/lloff}], tt], tt, x];
f2[llon_, lloff_, desvio_] := Convolve[
    PDF[UniformDistribution[{0 + desvio, (1 / llon) + desvio}], tt],
    PDF[UniformDistribution[{0, 1 / lloff}], tt], tt, x];
(*Plot[f1[llon1,lloff1,desvio1],{x,0,20}]
 Plot[f2[llon2,lloff2,desvio2],{x,0,20}]*)
minsavs =
   (f1[llon1, lloff1, desvio1] /.x \rightarrow xx) + (f2[llon2, lloff2, desvio2] /.x \rightarrow xx) -
    ((f1[llon1, lloff1, desvio1] /. x \rightarrow xx) * Integrate[
        f2[11on2, 11off2, desvio2], \{x, -\infty, xx\}, Assumptions -> xx \in Reals]) -
    (Integrate[f1[llon1, lloff1, desvio1], \{x, -\infty, xx\}, Assumptions -> xx \in Reals] *
       (f2[1lon2, 1loff2, desvio2] /.x \rightarrow xx));
Plot[minsavs, \{xx, 0, 13\}, Filling \rightarrow Axis, PlotRange \rightarrow All]
NIntegrate [minsavs * xx, {xx, -\infty, +\infty}]
(*Plot[PDF[UniformDistribution[{0+desvio1,(1/llon1)+desvio1}],xx],{xx,0,15}]
 Plot[PDF[UniformDistribution[{0+desvio2,(1/11on2)+desvio2}],xx],{xx,0,15}]*)
maxons = PDF[UniformDistribution[{0 + desvio1, (1 / llon1) + desvio1}], xx] *
     CDF[UniformDistribution[{0 + desvio2, (1 / 11on2) + desvio2}], xx] +
    CDF[UniformDistribution[{0 + desvio1, (1/llon1) + desvio1}], xx] *
     PDF[UniformDistribution[{0 + desvio2, (1 / llon2) + desvio2}], xx];
Plot[maxons, \{xx, -1, 10\}, Filling \rightarrow Axis, PlotRange \rightarrow All]
NIntegrate [maxons * xx, \{xx, -\infty, +\infty\}]
degrau[xx_, desvio_] := If[xx ≤ desvio, 0, 1];
degrau2[xx_{,} 1lon_{,} desvio_{,} := If[desvio \le xx \le (1 / 1lon) + desvio, 1, 0];
duracao = Convolve [maxons, minsavs /. xx \rightarrow -xx, xx, x];
Plot[duracao, \{x, -15, 15\}, Filling \rightarrow Axis, PlotRange \rightarrow All]
NIntegrate[duracao, \{x, -\infty, +\infty\}]
NIntegrate [duracao * x, \{x, -\infty, +\infty\}]
duração = degrau[x, desvio2] \star Convolve[maxons, minsavs /. xx \rightarrow -xx, xx, x];
duracaonorm = duracao / Integrate[duracao, {x, -<math>\infty, +\infty}];
Plot[duracaonorm, \{x, -15, 15\}, Filling \rightarrow Axis, PlotRange \rightarrow All]
NIntegrate[duracaonorm, \{x, -\infty, +\infty\}]
NIntegrate[duracaonorm * (x - desvio2), \{x, -\infty, +\infty\}]
duracao = degrau2[x, 11on2, desvio2] * Convolve[maxons, minsavs /. xx → -xx, xx, x];
duracaonorm = duracao / Integrate[duracao, {x, -<math>\infty, +\infty}];
Plot[duracaonorm, \{x, -15, 15\}, Filling \rightarrow Axis, PlotRange \rightarrow All]
NIntegrate [duracaonorm, \{x, -\infty, +\infty\}]
NIntegrate[duracaonorm * (x), \{x, -\infty, +\infty\}]
duracao = degrau3[x] * Convolve[maxons, minsavs /. xx \rightarrow -xx, xx, x];
duracaonorm = duracao / Integrate [duracao, \{x, -\infty, +\infty\}];
Plot[duracaonorm, \{x, -15, 15\}, Filling \rightarrow Axis, PlotRange \rightarrow All]
NIntegrate [duracaonorm, \{x, -\infty, +\infty\}]
NIntegrate [duracaonorm * (x), \{x, -\infty, +\infty\}]
```

```
11on1 = 1 / (5);
1loff1 = 1 / (5);
desvio1 = 0;
11on2 = 1 / (5);
11off2 = 1 / (5);
desvio2 = 0;
f1[llon_, lloff_, desvio_] :=
  Convolve[PDF[UniformDistribution[{0 + desvio, (1 / 1lon) + desvio}], tt],
   PDF[UniformDistribution[{0, 1 / lloff}], tt], tt, x];
f2[llon_, lloff_, desvio_] := Convolve[
   PDF[UniformDistribution[{0 + desvio, (1 / llon) + desvio}], tt],
   {\tt PDF[UniformDistribution[\{0,1/lloff\}],tt],tt,x];}
ProbComm1 = NIntegrate[Convolve[
    PDF[UniformDistribution[\{0 + desvio2, (1/1lon2) + desvio2\}], x]/.x \rightarrow -x,
    f1[llon1, lloff1, desvio1], x, 1], \{1, -\infty, 0\}];
ProbComm2 = NIntegrate[Convolve[
    PDF[UniformDistribution[\{0 + desvio1, (1/llon1) + desvio1\}], x]/.x \rightarrow -x,
     f2[1lon2, 1loff2, desvio2], x, 1], \{1, -\infty, 0\}];
ProbComm = N[1 - ProbComm1 - ProbComm2]
```