1.1 a

See code.

1.2 b

For different matrix sizes we want to test the following properties:

- Setting/Getting: $A(i,j) = a \Rightarrow A(i,j)$ returns a
- Symmetry: A(i,j) == A(j,i) is true $\forall (i,j)$.
- l_0 norm: returns correct number of nonzeros in whole matrix A.

Given matrix A, with dimensions $N \times N$, we implement the following test.

 $\forall (i,j) \text{ with } j \geq i \text{ (upper triangular part, } i,j \text{ zero-indexed), assign } A(i,j) = i+j.$

Verify following statements

- $i, j = 0, ..., n 1 \Rightarrow A(i, j) = i + j$
- $i, j = 0, ..., n 1 \Rightarrow A(i, j) == A(j, i)$ is true.
- $A.l_0$ -norm() returns $n^2 1$.

1.3 c

The submitted code passes all tests.

For example, setting N = 5 the first two conditions pass and $A.l_0$ -norm() returns 24.

See code.

See code.

4.1 a

For the non-void daxpy, we can create a new vector and use a **std::for_each** to push the transformed elements into the new vector without altering in the input vector.

For the void daxpy, we can overwrite the current vector in place using **std::transform**.

Using the test a = 2, y = 3 on the input vector [1, 2, 3] we get the output vector [5, 7, 9] in both cases.

4.2 b

For a single student we can use a lambda function to compute the weighted grade for the class and return true if the student passed the class, false if not.

The function **std::for_all** can then be used with the above lambda function to determine whether a vector of students all passed the class.

Testing on students with grades (80, 80, 80) and (90, 90, 90) we get true. Adding the student (10, 20, 90) we then get false, as expected.

4.3 c

We can first sort the entire list.

Then using two **std::for_each** calls we can select the odd and even numbers, which will still be sorted.

We can then simply use two more **std::for_each** calls to concatenate the vectors of odd and even numbers.

Testing on the vector [4, 5, 3, 2] we get [3, 5, 2, 4] as expected.

4.4 d

We can use the linked lists sort function along with a lambda function to encode the requirements.

For two entries, x and y, These can be written as:

- x.row > y.row? return false.
- x.row < y.row? return true.
- x.col > y.col? return false.

ullet return true otherwise since x and y have the same row but x has a smaller column

Testing on the vector [(1,1),(0,2),(0,1),(0,0)] we get [(0,0),(0,1),(0,2),(1,1)] as expected.