Lecture 8: Identification of Causal Effects Under Treatment Ignorability (ctd)

Outline:

- Identification of ATE under treatment ignorability
 - Methods based on propensity score
- Application: effect of ITQ adoption of the probability of fishery collapse
- Readings: A&P Chapter 3 (especially sections 3.2 and 3.3), I&W Lecture 1
- Also: http://www.stat.columbia.edu/~gelman/arm/
- "Data Analysis Using Regression"
- □ See Ch.9 and 10. Includes R code... Excellent chapters
 Olivier Deschenes, UCSB, ESM 296, Winter 2018

Propensity score: motivation

- Linear regression may be unreliable due to extrapolation problem in presence of lack of overlap
- Exact matching on baseline covariates is very demanding of data in real-world applications, i.e., even a small array of matching variables may lead to a very large numbers of "cells" => small cells, empty cells
- One way to simplify the issue of matching is to create a scalar (one-number) summary of all the baseline covariates and then use this number to match treatment and control observations

Methods based on the propensity score

Definition of propensity score:

$$p(X_i) = \Pr(T_i = 1 | X_i) \quad 0 < p(X_i) < 1$$

- This is simply the probability of receiving the treatment conditional on X_i . (Note that $p(X_i)$ is a scalar)
 - So an advantage of propensity score methods is to 'bypass' the high-dimensionality of exact matching and related regression estimator
- We need to rule out p(X_i)=0 or 1. We can't learn anything from individuals that get treated (or never treated) with certainty. Also want "overlap" in distributions of p(X_i)
 - Known as overlap / support condition

Ignorability conditional on propensity score

Rosenbaum and Rubin (1983) show that ignorability conditional on X_i implies ignorability conditional on $p(X_i)$

$$T_i \perp (Y_{0i}, Y_{1i}) \mid X_i \Rightarrow T_i \perp (Y_{0i}, Y_{1i}) \mid p(X_i)$$

- \square Seems natural since $P(X_i)$ summarizes the predictive information in X_i for predicting T_i
- This says that two observations, one treated and one controls with the same propensity score are perfect comparisons for each other
 - For example, in an ideal RCT, all observations should theoretically have the same propensity score

Estimating the propensity score

- The propensity score is unknown and must be estimated
- This is typically done with a logistic model (a ML estimator designed for analyzing binary dependent variables):

$$p(X_i) = \Pr(T_i = 1 \mid X_i) = \frac{\exp(h(X_i, \gamma))}{1 + \exp(h(X_i, \gamma))}$$

- Uhere $h(X_i, \gamma)$ is a function of X_i . Imbens (2014) proposes an algorithm to choose the specification
- The estimated propensity score is simply the predicted value from the model above

Estimating the propensity score: example

- □ From Costello, Gaines, Lynham (2008):
- "To estimate the propensity scores we estimate the probability that a fishery will be in an ITQ in a given year using four different specifications:
- (i) a model with a dummy variable for every LME;
- (ii) a model with a dummy variable for every genus;
 (iii) a model with a dummy variable for every species;
 (iv) a model with a dummy variable for every LME,
 genus and species
- "We use a logit estimator to estimate the four models for each year in the sample"

Balancing property of the propensity score

Under the treatment ignorability assumption, Rosenbaum and Rubin (1983) show that:

$$Pr[X_i = x \mid p(x) = p, T_i = 1] = Pr[X_i = x \mid p(x) = p, T_i = 0]$$

- In words: treated and non-treated observations with the same value of the propensity score have the same distribution of the baseline covariate X_i
 - Suggest something similar to randomization test in RCT
- Approach to test covariate balance: T-tests of equality of means by "blocks" of the p-score distribution
 - Balancing tests can be used to refine the estimating equation for the propensity score (choice of $h(X_i,\gamma)$)

Four approaches to estimate causal effects using the propensity score

- i. Matching on the propensity score
 - I only cover stratification/blocking here. Other p-score matching methods exist
- □ ii. Re-weighting the data using propensity score
- □ iii. Weighted least squares estimator
- iv. Linear regression adjustment with the propensity score (shown here for illustration purposes)
- Researchers also use propensity score to "trim" samples to make treatment and control observations more comparable
- □ ⇒ Estimation of the sampling variance of propensity score based estimators can be tricky. See references at the end

i. Matching on Propensity Score

- Since p-score is continuous random variable, P-score matching is "inexact", "nearest-neighbor" matching
- Suppose exact p-score matching can be performed for illustration purposes
- Recall exact matching and apply the same method to p-score=p instead of covariate X. Then we would have estimators of the form:

$$= \sum_{p} w(p) [\overline{Y}_1(p) - \overline{Y}_0(p)]$$

$$\overline{Y}_{j}(p) = \frac{1}{n} \sum_{i} Y_{i} \times 1(T_{i} = j, p(X_{i}) = p)$$

"Stratification" ("Subclassification", "blocking")

- Define "k" blocks of the propensity score distribution
- \square (ex: quartiles, so k=1,2,3,4)
- In practice, choose #blocks (and model for p-score) so that average p-score is the similar within blocks and distribution of X_i is balanced
- Compute mean difference within block, and re-weight:

$$= \sum_{k} w(k) [\overline{Y}_{1}(k) - \overline{Y}_{0}(k)]$$

□ Where w(k)=N(k)/N for ATE and N(k|T=1)/N(T=1) for ATT

Blocking with simulated data

Consider 4 blocks (quartiles):

Quartile	P-value on t-test for X	Mean P-score	N	$\hat{\Delta}(p)$	$w_{ATE}(p)$
1	0.001	0.09	11,367	1.09	0.39
2	0.151	0.50	6,147	1.47	0.21
3	0.804	0.84	6,002	2.04	0.20
4	0.835	0.98	5,984	2.46	0.20

- \square Implied ATE = 1.62
- Note: X not balanced in 1st strata...

Olivier Deschenes, UCSB, ESM 296, Winter 2018

ii. Re-weighting estimator

Under the treatment treatment ignorability assumption, you can show that:

$$ATE = E\left[\frac{T_{i}Y_{i}}{p(X_{i})} - \frac{(1 - T_{i})Y_{i}}{[1 - p(X_{i})]}\right] \qquad \hat{A}TE = \frac{1}{n}\sum_{i}\left[\frac{T_{i}Y_{i}}{\hat{p}(X_{i})} - \frac{(1 - T_{i})Y_{i}}{1 - \hat{p}(X_{i})}\right]$$

- In words: Average of Y_i / $P(X_i)$ among the treated, minus the average of Y_i / 1- $P(X_i)$ among the controls
- Issues:
 - IPW has trouble when there are probabilities very close to zero or one, as this leads to division by very small numbers
 - Weights will not necessarily sum to 1 in a given sample, so you may need to normalize them to sum to 1
 - Also known as IPW estimator (inverse probability weighting)
 Olivier Deschenes, UCSB, ESM 296, Winter 2018

Intuition behind re-weighting estimator

For some intuition for the re-weighting estimator, recall:

$$\overline{Y_1} - \overline{Y_0} \xrightarrow{not} ATE$$

$$\overline{Y}_1(x) - \overline{Y}_0(x) \xrightarrow{p} ATE(x)$$

- The problem is that the distribution of X_i differs in the T=1 and T=0 groups (i.e. imbalance)
- □ Weighting the units by the inverse of the probability of receiving the treatment (i.e. $1/P(X_i)$ or $1/1-P(X_i)$) undoes the imbalance
- Applying this to the simulated data, I get an estimate of ATE of 1.5

iii. WLS estimator (with p-score weight)

- Estimate ATE using weighted linear regression (WLS) (aweight=w_i in STATA):
- Regress: $Y_i = \beta_0 + \beta_1 T_i + (X_i'\gamma) + U_i$, with weight defined as: $w_i = \frac{T_i}{p(X_i)} + \frac{1 T_i}{1 p(X_i)}$

. regress Y_soo T_soo X [aweight=w], robust;
(sum of wgt is 6.0000e+04)

Linear regression
Number of obs = 30000 F(2, 29997) = 23963.90 Prob > F = 0.0000 R-squared = 0.5759 Root MSE = 1.09

 Y_soo	Coef.	Robust Std. Err.	t	P> t	[95% Conf.	Interval]
T soo	1.489764	.0311578	47.81	0.000	1.428693	1.550835
X	.7172597	.0145206	49.40	0.000	. 6887988	.7457207
_cons	1.516731	.0221433	68.50	0.000	1.473329	1.560133

Weighting by p-score rebalances data:

. table X, c(sum T_soo sum C_soo);

Recall from Lecture 7:

```
X | sum(T_soo) sum(C_soo)

1 | 124 5781
2 | 898 5064
3 | 3119 3028
4 | 5003 999
5 | 5849 135
```

■ Now, the same tabulation, using p-score based weight:

```
. gen weight=(T_soo/pscore) + (C_soo/(1-pscore));
```

. table X [aw=weight], c(sum T_soo sum C_soo);

x	sum(T_soo)	sum(C_soo)
1	2976 . 5	2976.5
2	2967	2967
3	2924	2924
4	3112	3112
5	3020.498	3020.502

iv. Controlling for propensity score in linear regression (for illustration purpose)

Same approach as linear regression before:

$$E[\epsilon_{0i}|p(X_i)] = \alpha_0 + \gamma_0 p(X_i)$$

$$E[\epsilon_{1i}|p(X_i)] = \alpha_1 + \gamma_1 p(X_i)$$

Implied linear regression function:

$$Y_{i} = \beta_{0} + \beta_{1}T_{i} + (p(X_{i}) - \overline{p})\gamma_{0} + T_{i}(p(X_{i}) - \overline{p})(\gamma_{1} - \gamma_{0}) + u_{i}$$

 ⇒ ATE identified by linear regression of outcome on treatment indicator variable, p-score, and interactions between treatment indicator variable and p-score (so only 4 terms in the regression)

Linear regression with p-score with simulated data

. regress Y_soo T_soo p Tp, robust;

```
Linear regression
                                                  Number of obs =
                                                                   30000
                                                  F(3, 29996) =27387.30
                                                  Prob > F
                                                               = 0.0000
                                                  R-squared
                                                               = 0.7344
                                                  Root MSE
                                                               = 1.0149
                          Robust
                  Coef.
                         Std. Err. t P>|t|
                                                     [95% Conf. Interval]
      Y soo
                                    85.76
                         .0173314
                                            0.000
                                                     1.452455
      T soo |
               1.486425
                                                                1.520396
                         .0331625
     pscore |
               1.858627
                                    56.05
                                            0.000
                                                     1.793627
                                                                1.923627
               1.92088
                        .047042
                                  40.83
                                            0.000
                                                     1.828676
                                                                2.013084
         Tp |
                         .0122295
                                            0.000
               1.512467
                                   123.67
                                                     1.488497
                                                                1.536437
      cons
```

- With the simulated data, this linear regression approach does better than linear regression controlling (linearly) for X_i
- I would not think this is a general result...

Sampling variance of estimators

- Regression: Standard linear regression, "High-dimension" regression, "WLS linear regression estimator": Use the heteroskedasticity-robust variance estimator (", robust" in Stata)
- Matching/Blocking: More complicated. See work of Abadie, Imbens, and others. Cannot use bootstrap due to non-smoothness
- □ IPW: use bootstrap
- Note: The propensity score is unknown, and must be estimated --- so the standard errors in regressions that control for the p-score must adjust for this ("generated regressor bias")

Papers cited and recommended reading

- Angrist, Joshua D. (1998): "Estimating the Labor Market Impact of Voluntary Military Service Using Social Security Data on Military Applicants," Econometrica, March 1998
- Dale, S. and A. Krueger (2002): "Estimating the Payoff to Attending a More Selective College: An Application of Selection on Observables and Unobservables," Quarterly Journal of Economics
 - Recommend paper and textbook:

- □ Guido W. Imbens "Matching Methods in Practice: Three Examples," NBER Working Paper No. 19959 (March 2014)
- Angrist, J. and S. Pischke (2009): <u>Mostly Harmless Econometrics: An Empiricist's Companion</u>, Princeton University Press
- Gelman, A. and J. Hill (2006): <u>Data Analysis Using Regression and Multilevel/Hierarchical Models</u> (Chapters 9-10), Cambridge U Press

Application of "treatment ignorability"

Can Catch Shares Prevent Fisheries Collapse?

Christopher Costello, 1* Steven D. Gaines, 2 John Lynham 3 †

Recent reports suggest that most of the world's commercial fisheries could collapse within decades. Although poor fisheries governance is often implicated, evaluation of solutions remains rare. Bioeconomic theory and case studies suggest that rights-based catch shares can provide individual incentives for sustainable harvest that is less prone to collapse. To test whether catch-share fishery reforms achieve these hypothetical benefits, we have compiled a global database of fisheries institutions and catch statistics in 11,135 fisheries from 1950 to 2003. Implementation of catch shares halts, and even reverses, the global trend toward widespread collapse. Institutional change has the potential for greatly altering the future of global fisheries.

A lthough the potentially harmful consequences of mismanaged fisheries were forecast over 50 years ago (1, 2), evi-

dence of global declines has only been seen quite recently. Reports show increasing human impacts (3) and global collapses in large predatory fishes

(4) and other trophic levels (5) in all large marine ecosystems (LMEs) (6). It is now widely believed that these collapses are primarily the result of the mismanagement of fisheries.

One explanation for the collapse of fish stocks lies in economics: Perhaps it is economically optimal to capture fish stocks now and invest the large windfall revenues in alternative assets, rather than capturing a much smaller harvest on a regular basis. Although this remains a theoretical possibility for extremely slow-growing species

19 SEPTEMBER 2008 VOL 321 SCIENCE www.sciencemag.org

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Background:

- "We tested the hypothetical causal link between the global assignment of catch shares and fisheries sustainability"
 - i.e., goal is to measure the ATE (?or ATT) of ITQ on fishery sustainability
 - They should be clearer about what "causal link" they are interested in measuring...
- "In our analysis, we expanded beyond the characteristics of the ecosystem to consider the characteristics of the regulating fisheries institutions, simultaneously controlling for the ecosystem, genus, and other covariates"

Setup:

- <u>Treatment variable:</u>
- "In total, we identified 121 fisheries managed using catch shares—defined as variations on individual transferable quotas (ITQs)—by 2003"
- Outcome variable:
 - CGL define a fishery as collapsed in year t if the harvest in year t is <10% of the maximum recorded harvest up to year t. Using this definition, ~27% of the world's fisheries were collapsed in 2003
 - Note: outcome is a binary variable
- Covariates:
- □ LME (~ 1-60), genus (~ 1-600), species (~ 1-1200)
- Data from 1950-2003

CGL discussion of identification problem:

- "Demonstrating statistically a causal linkage between rightsbased management and fisheries sustainability is complicated by three competing effects:"
 - i.e. ITQ management not randomly assigned to fisheries
- First, the number of ITQ fisheries is growing, and new ITQ fisheries are drawn from a global pool with an ever-increasing fraction of collapsed fisheries
 - "Simultaneous causality"
- Second, the conversion of fisheries to ITQs may involve a biased selection
 - For example, ITQs may be implemented disproportionately in fisheries that are already less collapsed, possibly giving a misleading perception of benefits from rights-based management (Note: same as the point above, but in reverse)

Identification problem (ctd):

- Finally, there may be temporal benefits of an ITQ (for instance, the longer an ITQ is in place in a given fishery, the less likely that fishery is to collapse)
- All of these mechanisms would lead to differences between ITQ and non-ITQ fisheries, but only the last mechanism implies a benefit from the management change
- Note: CGL never formally states what their identifying assumption (is it treatment ignorability?)

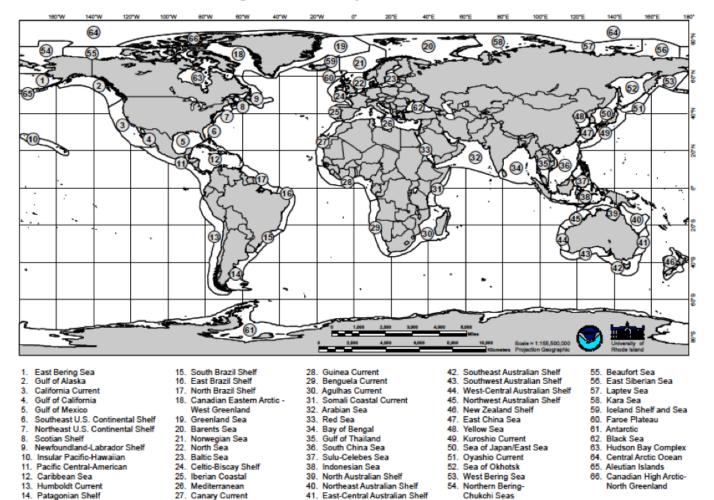
Overview of Findings:

- An initial regression of the data in Fig. 1 suggests that implementing an ITQ reduces the probability of collapse by 13.7 percentage points
- Because ITQs have been disproportionately implemented in a few global ecosystems such as Alaska, Iceland, New Zealand, and Australia, regional or taxonomic biases could generate misleading results
 - Note: difference between ATE and ATT important here, so is external validity?

Findings (ctd):

- To account for potential selection bias, we used a variety of estimation strategies:
- (i) We restricted the sample to only those ecosystems or taxa that have experienced ITQ management
 - Control for indicators in LME, genus, species
- (ii) We used propensity score methods to match ITQ fisheries to appropriate control fisheries
- (iii) We used fixed-effects estimation to identify the benefit of ITQs within each fishery
- The results are remarkably similar across all specifications and estimation techniques

Large Marine Ecosystems of the World



Wikipedia: The system of LMEs has been developed by the US <u>National Oceanic and Atmospheric Administration</u> (NOAA) to identify areas of the oceans for conservation purposes. The objective is to use the LME concept as a tool for enabling <u>ecosystem-based management</u> to provide a collaborative approach to management of resources within ecologically-bounded transnational areas

Applying tools ("identification under treatment ignorability") to CGL (2008) data:

- Outline:
- Overlap in covariates?
- □ I ignore exact matching methods due to large number of cells (~ 42,000,000!)
- Linear regression approaches
- Propensity score methods
- Disclaimer: This is not my area of expertise ... Results here are only for illustration purposes
- □ To ease calculations, I am only using the data from 2003 (the last year of data in the sample. N=7784). I use OLS instead of logit for the outcome (Pr collapse) model

Summary statistics

. summ collapse DAPever LME genus species;

Variable	Obs	Mean	Std. Dev.	Min	Max	
collapse	7784	.2687564	.4433415	0	1	
DAPever	7784	.0149024	.12117	0	1	
DAPimp	7784	.0149024	.12117	0	1	
LME	7784	33.55434	18.59308	1	64	
genus	7784	372.0847	198.3625	1	687	
species	7784	628.906	348.2992	1	1179	

. normdiff LME genus species, over(DAPever) tstat;

	Mean:	Mean:	Difference:	Difference:	Overlap on LME
	DAPever==0	DAPever==1	Normalized	t-stat	•
LME	33.473787	38.87931	.24101923	4.6076114	not great
genus	371.8392	388.31034	.06219298	1.0034613	
species	628.48344	656.83621	.0607387	.97527797	
N	7668	116	•	•	

Simple linear regression:

□ Basic "difference" regression:

$$Y_i = \beta_0 + \beta_1 T_i + u_i$$

. xi: regress collapse DAPever, robust;

Linear regression	Number of obs =	7784
	F(1, 7782) =	20.11
	Prob > F =	0.0000
	R-squared =	0.0015
	Root MSE =	.44304

| Robust
collapse | Coef. Std. Err. t P>|t| [95% Conf. Interval]

DAPever | -.1415556 .0315691 -4.48 0.000 -.2034395 -.0796717

_cons | .2708659 .0050757 53.37 0.000 .2609162 .2808157

Linear regressions (adding covariates):

Variants of model:

$$Y_i = \beta_0 + \beta_1 T_i + X_i' \gamma + u_i$$

The command i.varname in Stata ask Stata to create an include indicator variables for all values of LME

- > quiet xi: regress collapse DAPever i.LME, robust;
- . lincom DAPever;
- (1) DAPever = 0

collapse | Coef. Std. Err. t P>|t| [95% Conf. Interval]

(1) | -.1014672 .0396549 -2.56 0.011 -.1792016 -.0237327

Note: I am only reporting the coefficient on the treatment variable DAPever (fishery ever in an ITQ) to save on space...

```
. quiet xi: regress collapse DAPever i.LME i.genus, robust;
  lincom DAPever;
(1) DAPever = 0
  collapse | Coef. Std. Err. t P>|t| [95% Conf. Interval]
       (1) | -.0950564 .0424562 -2.24 0.025 -.1782833 -.0118295
. quiet xi: regress collapse DAPever i.LME i.genus i.species, robust;
  lincom DAPever;
(1) DAPever = 0
  collapse | Coef. Std. Err. t P>|t| [95% Conf. Interval]
      (1) | -.110643 .0426878 -2.59 0.010 -.1943248 -.0269612
```

 Overall, this method suggest ITQs reduced probability of collapse by about 10 percentage points

Propensity score based methods (CGL):

- "To estimate the propensity scores we estimate the probability that a fishery will be in an ITQ in a given year using four different specifications:
- (i) a model with a dummy variable for every LME;
- (ii) a model with a dummy variable for every genus;
- (iii) a model with a dummy variable for every species;
- (iv) a model with a dummy variable for every LME, genus and species. We use a logit estimator to estimate the four models for each year in the sample"

Findings: Basic Propensity Score Model

- □ logit DAPever LME genus species, robust;
 - Control <u>linearly</u> for LME, genus and species. A simple propensity score equation specification (and you will see it seems to works well)
 - I choose this because logit DAPever i.LME did not converge...

Logistic regre	ssion			Number	r of obs	=	7784
				Wald	chi2(3)	=	25.35
				Prob :	> chi2	=	0.0000
Log pseudolike	Pseudo	o R2	=	0.0091			
1		Robust					
DAPever	Coef.	Std. Err.	z	P> z	[95%	Conf.	Interval]
+							
LME	.0159994	.0032516	4.92	0.000	.0096	264	.0223724
genus	.0106171	.0160227	0.66	0.508	0207	868	.042021
species	0058063	.0091617	-0.63	0.526	0237	629	.0121504
_cons	-5.074471	.305704	-16.60	0.000	-5.673	639	-4.475302

. summ pscore if DAPever==1, d;

Pr(DAPever)

	Percentiles	Smallest		
1%	.0100646	.0090331		
5%	.0117896	.0100646		
10%	.0123103	.0104572	Obs	116
25%	.0138282	.01145	Sum of Wgt.	116
50%	.0153624		Mean	.0159223
		Largest	Std. Dev.	.0032067
75%	.0176951	.0224436		
90%	.0208636	.0236199	Variance	.0000103
95%	.0213781	.0237311	Skewness	.6155083
99%	.0237311	.0245315	Kurtosis	2.804617

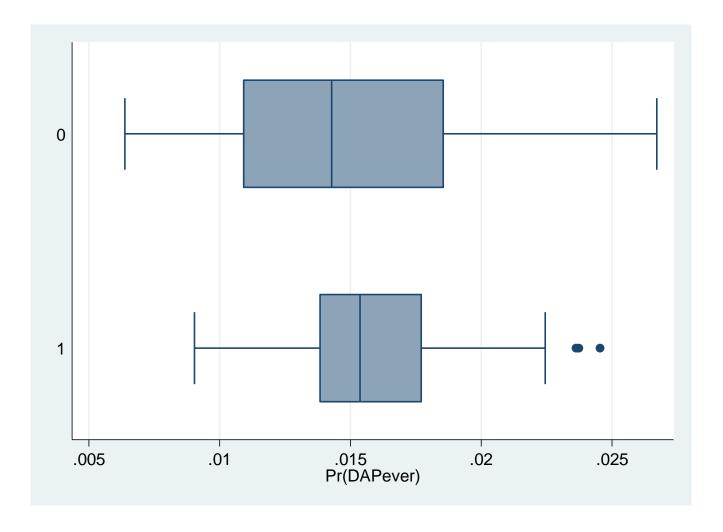
. summ pscore if DAPever==0, d;

Pr(DAPever)

	Percentiles	Smallest		
1%	.007523	.0063632		
5%	.0087201	.0063758		
10%	.0093896	.0064381	Obs	7668
25%	.0109188	.0064412	Sum of Wgt.	7668
50%	.0142727		Mean	.0148869
		Largest	Std. Dev.	.0045652
75%	.0185458	.0265571		
90%	.0214722	.0265933	Variance	.0000208
95%	.022787	.0267009	Skewness	.3507482
99%	.0244839	.0267076	Kurtosis	2.053998

Findings: Basic Propensity Score Model

Box-plot of estimated propensity score, overlap seems good



Findings: Basic Propensity Score Model

WLS regression, with p-score weights

```
. gen pscore wgt=(DAPever/pscore) + ((1-DAPever)/(1-pscore));
. xi: regress collapse DAPever [aw=pscore wgt], robust;
(sum of wgt is 1.5356e+04)
Linear regression
                                             Number of obs = 7784
                                              F(1, 7782) = 22.00
                                              Prob > F = 0.0000
                                              R-squared = 0.0337
                                              Root MSE = .39225
           Robust
   collapse | Coef. Std. Err. t P>|t| [95% Conf. Interval]
   DAPever | -.1464205 .0312141 -4.69 0.000 -.2076084 -.0852325
     _cons | .2708324 .0050754 53.36 0.000 .2608834 .2807815
```

Findings: CGL Propensity Score Model (iv)

- quiet xi: logit DAPever i.LME i.genus i.species, robust;
 - Control for indicators in LME, genus and species. Many empty cells
 - In my application I see this model creating some problems with lack of overlap
 - The results that will come highlight the danger of applying a research method without completely understanding the study context and the technical aspect of the method

```
Stata output (...)

Note: 42 failures and 6 successes completely determined.

. predict pscore;
(option pr assumed; Pr(DAPever))
(7560 missing values generated)
```

This occurs when some combination of covariates are only associated with one outcome (either y always 1 or always 0 for some Xs...)
Recall previous map...

summ pscore if DAPever==1, d;

Pr(DAPever)

	Percentiles	Smallest				
1%	.0172354	.0172354				
5%	.1373617	.0172356				
10%	.1649775	.0666717	Obs	79		
25%	.8048311	.1373617	Sum of Wgt.	79		
50%	.8204182		Mean	.7765604		
		Largest	Std. Dev.	.258929		
75%	.9333286	1				
90%	.9999998	1	Variance	.0670442		
95%	1	1	Skewness	-1.821807		
99%	1	1	Kurtosis	5.278382		

. summ pscore if DAPever==0, d;

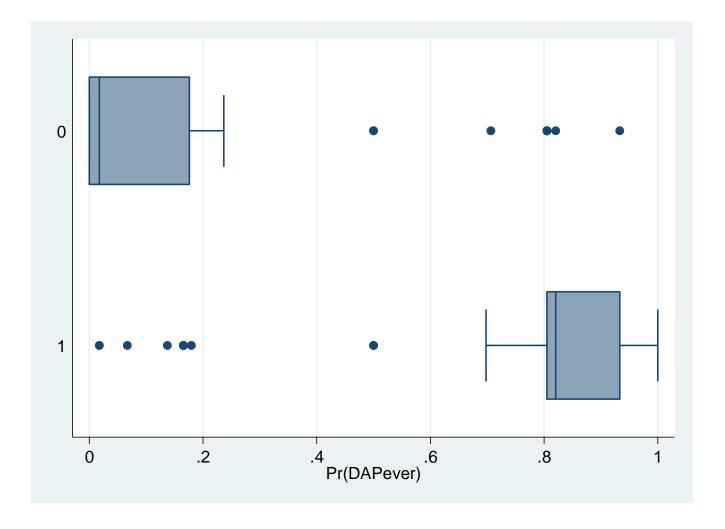
Pr(DAPever)

	Percentiles	Smallest		
1%	8.43e-29	8.43e-29		
5%	5.99e-23	8.43e-29		
10%	6.63e-23	9.33e-29	Obs	145
25%	1.92e-09	9.34e-29	Sum of Wgt.	145
50%	.0172362		Mean	.1217285
		Largest	Std. Dev.	.2002589
75%	.1759221	.8048463		
90%	.1795634	.8048486	Variance	.0401036
95%	.8048333	.8204182	Skewness	2.591087
99%	.8204182	.9333286	Kurtosis	9.353891

Note: this lack of overlap would make an estimator like the blocking estimator very unreliable

Lack of overlap in p-score model (iv)

Box-plot of estimated propensity score, overlap seems good

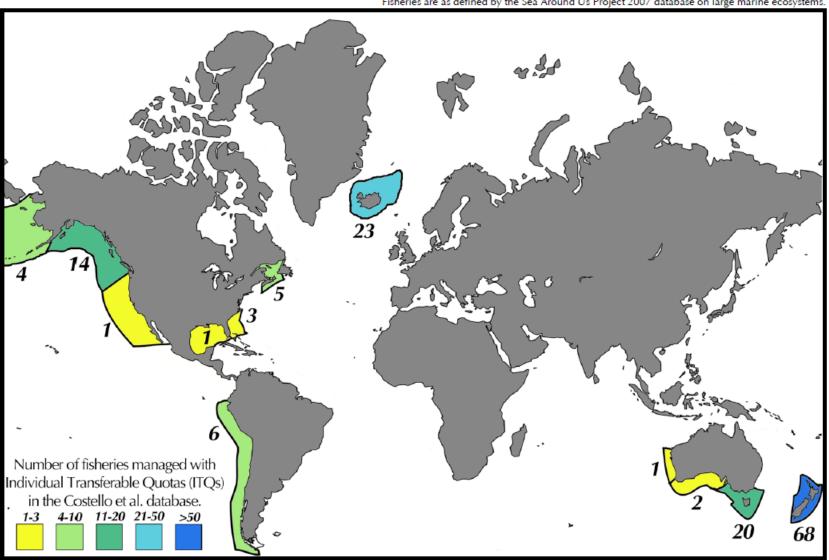


WLS estimator in p-score model (iv)

WLS regression, with p-score weights

```
. gen pscore_wgt=(DAPever/pscore) + ((1-DAPever)/(1-pscore));
(7566 missing values generated)
. xi: regress collapse DAPever [aw=pscore_wgt], robust;
(sum of wgt is 4.4888e+02)
                                              Number of obs = 218
Linear regression
                                              F(1, 216) = 4.53
                                              Prob > F = 0.0344
                                              R-squared = 0.0287
                                              Root MSE = .33124
           Robust
   collapse | Coef. Std. Err. t P>|t| [95% Conf. Interval]
   DAPever | -.1139051 .0534992 -2.13 0.034 -.2193525 -.0084577
   _cons | .1905855 .034182 5.58 0.000 .1232124 .2579585
```

Extra Slides



Globally, there are 148 fisheries that are managed under variations on a management scheme called Individual Transferable Quotas (ITQs). ITQs work by allocating a dedicated percentage of a fishery's total allowable catch to individual fishermen, communities, or cooperatives. The value of shares increases when a fishery is well-managed and the fish population is abundant. ITQs are common in New Zealand, Australia, and Iceland, where this form of 'catch shares' dates back to the 1980s. Many fisheries in the Gulf of Alaska transitioned to ITQs in the 1990s with successful results. [Please note: Costello et al. only analyzed the 121 fisheries that transitioned before 2003]