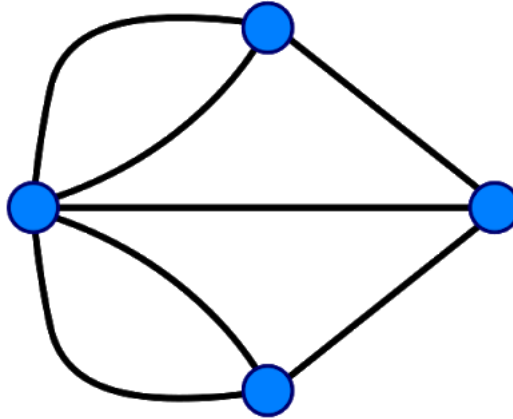


## I, ME AND MYSELF !!!

FRIDAY, JUNE 4, 2010

## Euler Tour

A famous drawing problem for kids, "You are given a picture, can you draw it without lifting up your pen?"... Well, in graph theory, we can determine this by checking the Euler Tour in the graph.



Actually this is about [Euler Circuits](#) and [Euler Paths](#). We know the conditions for an undirected graph, and we can extend it for directed graphs as well.

## Undirected Graph

An undirected graph will have Eulerian tour ( either path or circuit ) if the following conditions hold:

- The graph is connected.
- Each node has even degree, or exactly two nodes have an odd degree.

## Directed Graph

A directed graph will have Eulerian tour ( either path or circuit ) if the following conditions hold:

- The undirected representation of the graph is connected.
- The difference between indegree and outdegree of each node is at most 1.
- Each node has equal indegree and outdegree, or, there is exactly two nodes which has different indegree and outdegree, and exactly one of them has  $\text{indegree} - \text{outdegree} = 1$  and the other has  $\text{outdegree} - \text{indegree} = 1$ .

So, we can do this easily with the help of a bfs subroutine.

You might also like to read [this](#) and [this](#).

Posted by [Zobayer Hasan](#) at 3:05 PM

## 5 comments:



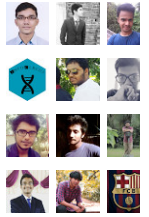
**Archeleus** June 10, 2010 at 5:02 PM

Hello Mr. Hasan, can I ask you a doubt regarding bitwise operations via email?

Thank you.

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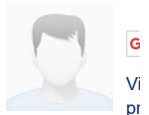
BLOG HITS



BLOG ARCHIV

- 2015 (4)
- 2014 (6)
- 2013 (19)
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  - December
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ABOUT ME



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