```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
%matplotlib inline
import seaborn as sns
import warnings
warnings.filterwarnings('ignore')
                                                                                                                                       M
In [2]:
df = pd.read_csv('AirPassengers.csv')
df.head()
Out[2]:
      Month Passengers
0 15-01-1949
1 15-02-1949
                   118
2 15-03-1949
                  132
3 15-04-1949
                   129
4 15-05-1949
                  121
In [3]:
                                                                                                                                       M
df.info()
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 144 entries, 0 to 143
Data columns (total 2 columns):
                Non-Null Count Dtype
# Column
0 Month
                 144 non-null
                                object
    Passengers 144 non-null
                                int64
dtypes: int64(1), object(1)
memory usage: 2.4+ KB
                                                                                                                                       M
In [4]:
df = df.set_index('Month')
                                   173
df.head()
Out[4]:
          Passengers
    Month
15-01-1949
15-02-1949
                118
```

Visualize the time series

132

129

121

15-03-1949

15-04-1949

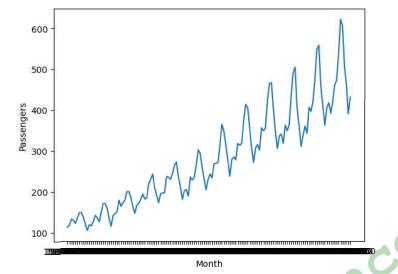
15-05-1949

In [1]:

Check for trend, seasonality or random patterns

```
sns.lineplot(x=df.index, y=df['Passengers'])
plt.show()
```





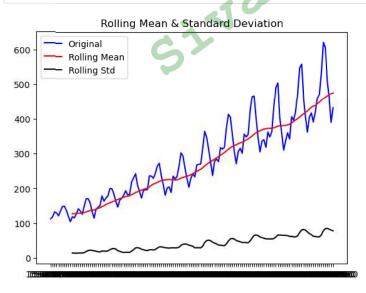
Check for stationarity

Method-1: Rolling Statistics

```
ū
```

```
In [6]:
#Determing rolling statistics
rolmean = df['Passengers'].rolling(window=12).mean()
rolstd = df['Passengers'].rolling(window=12).std()

#Plot rolling statistics:
orig = plt.plot(df['Passengers'], color='blue',label='Original')
mean = plt.plot(rolmean, color='red', label='Rolling Mean')
std = plt.plot(rolstd, color='black', label = 'Rolling Std')
plt.title('Rolling Mean & Standard Deviation')
plt.legend()
plt.show()
```



Method 2: Augmented Dicky Fuller Test

- for the ADF Test
 - H0: data is non-stationary
 - H1: data is stationary
- Based on pvalue, we will accept or reject H0 (if p-value < 5% reject null hypothesis)

```
In [7]:
from statsmodels.tsa.stattools import adfuller
adfuller_result = adfuller(df['Passengers'])
adfuller_result
Out[7]:
(0.8153688792060543,
 0.9918802434376411,
 13.
 130.
 {'1%': -3.4816817173418295, '5%': -2.8840418343195267, '10%': -2.578770059171598},
 996.692930839019)
In [8]:
                                                                                                                                           M
print('p-value:',adfuller_result[1])
p-value: 0.9918802434376411
                                                                                    The time series is not stationary
Now, we have to convert the non-stationary data to stationary data
Differencing
In [9]:
                                                                                                                                           M
# apply differencing
diff = df['Passengers'].shift(2)
diff.dropna(inplace=True)
# Applying ADF Test
adfuller_result = adfuller(diff)
print('p-value of adf test:',adfuller_result[1])
p-value of adf test: 0.03862975767698741
```

Step-4: Plot ACF/PACF and find p,d,q parameters

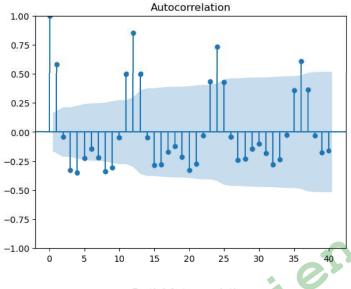
Now, the time series is stationary.

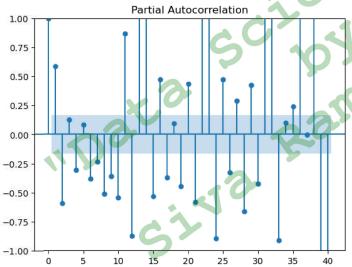
from statsmodels.tsa.stattools import acf,pacf ${\it import}$ statsmodels.api as sm fig = sm.graphics.tsa.plot_acf(diff,lags=40)

fig = sm.graphics.tsa.plot_pacf(diff,lags=40)



, o signa





From ACF curve, optimal value of q in the ARIMA model must be 1

From PACF curve, optimal value of p in the ARIMA model is 1

Train-test Split

Split the data into train (80%) & test(20%)

- for time series data, we have use first 80% of records for training & next 20% of records for testing
- here 80% = 0.8*142 = 114 records, so first 114 records we have to use for training

Note: We should not apply train-test split function, because it divides the data randomly

```
In [11]:
                                                                                                                                         M
y_train = diff[:114]
y_test = diff[114:]
```

Build ARIMA Model

ARIMA Model is build by using p,d,q values

- p is AR value (determined from PACF plot)
- · d is intergration
- q is MA value (determined from ACF plot)

Modelling



```
In [12]:
```

```
from statsmodels.tsa.arima.model import ARIMA
model = ARIMA(diff, order=(1,2,1))
ARIMA = model.fit()
```

C:\Users\admin\anaconda3\lib\site-packages\statsmodels\tsa\base\tsa_model.py:471: ValueWarning: A date index has been provi ded, but it has no associated frequency information and so will be ignored when e.g. forecasting. self._init_dates(dates, freq)

C:\Users\admin\anaconda3\lib\site-packages\statsmodels\tsa\base\tsa_model.py:471: ValueWarning: A date index has been provi ded, but it has no associated frequency information and so will be ignored when e.g. forecasting. self. init dates(dates, freq)

C:\Users\admin\anaconda3\lib\site-packages\statsmodels\tsa\base\tsa_model.py:471: ValueWarning: A date index has been provi ded, but it has no associated frequency information and so will be ignored when e.g. forecasting. self._init_dates(dates, freq)

Prediction

```
In [13]:
                                                                                                                                         М
ypred_test = ARIMA.predict(start=y_test.index[0], end=y_test.index[-1])
ypred_train = ARIMA.predict(start=y_train.index[0], end=y_train.index[-1])
```

Evaluation

```
Krishna
In [14]:
from sklearn.metrics import r2_score
print("Train R2",r2_score(ypred_train,y_train))
print("Test R2",r2_score(ypred_test,y_test))
```

Train R2 0.34022485430256666 Test R2 0.4239665875806876

· Here, ARIMA model is not performing well, because there is seasonality in the given data

Build SARIMAX Model

Whenever, there is seasonality in given data, apply SARIMAX

SARIMAX Model is build by using p,d,q,s values

- p is AR value (determined from PACF plot)
- · d is intergration
- q is MA value (determined from ACF plot)
- · s is seasonality value

SARIMAX = model.fit()

Modelling

```
In [15]:
from statsmodels.tsa.statespace.sarimax import SARIMAX
model = SARIMAX(diff,seasonal_order=(1,2,1,12))
```

```
C:\Users\admin\anaconda3\lib\site-packages\statsmodels\tsa\base\tsa_model.py:471: ValueWarning: A date index has been provi
ded, but it has no associated frequency information and so will be ignored when e.g. forecasting.
 self. init dates(dates, freq)
```

C:\Users\admin\anaconda3\lib\site-packages\statsmodels\tsa\base\tsa model.py:471: ValueWarning: A date index has been provi ded, but it has no associated frequency information and so will be ignored when e.g. forecasting. self._init_dates(dates, freq)

Prediction

```
M
In [16]:
ypred_train = SARIMAX.predict(start=y_train.index[0], end=y_train.index[-1])
ypred_test = SARIMAX.predict(start=y_test.index[0], end=y_test.index[-1])
```



from sklearn.metrics import r2_score
print("Train R2 of SARIMAX model: ",r2_score(ypred_train,y_train))
print("Test R2 of SARIMAX model: ",r2_score(ypred_test,y_test))

Train R2 of SARIMAX model: 0.9053226759209412 Test R2 of SARIMAX model: 0.9540352226751071

nData science & Ali' Siva Rama Krishna Siva