

## Sampling and Sampling Distributions

**Population** - group from which a sample is drawn.

**Sample** – small group of members selected from a population to represent the population.

City population: 150,000 people. Sample: 1500  
30% of 1500 people like red cars.

**Infer:** I am 85% sure that 30% of 150,000 people like red cars.

Ex: What percentage of people in city of Seattle like red cars

Ex: Covid 19 Clinical Trial

Group 1: Asian - 120K

Group 2: MiddleEastern - 150K

Group 3: White - 170K

Sample:

2 (Group 1), 2 (Group 2), 2 (Group 3)

**Sampling** – method that allows researchers to infer (guess) information about a population based on the

results from sample without having to investigate about every individual

**Benefits:** Reduce cost, reduce workload, easier to obtain information

**ATTENTION:** Decide carefully on how to gather sample

### Types of Sampling

**Probability Sampling:** based on the fact that every member of a population has a known and equal chance of being selected (Coin flip – 50/50 chance)

**Non-probability sampling:** involves non-random selection based on convenience.

### Probability Sampling Types

**Random Sampling:** Equal chance, random selection, remove bias

**Stratified Sampling:** Dividing the population in group by certain characteristics, and get at least 1 member from each group

### Non-Probability Sampling

**Convenience Sampling** – convenient to the researcher. More accessible.

**ATTENTION:** Not 100% true for entire population

## Sampling distribution

If you were to repeat the process of taking multiple samples from the same population and calculate the same statistics (AVERAGE) from each sample, you will end up with a distribution of sample statistics

## Central Limit Theorem

Critical for inferential statistics because it allows us to make inferences about population parameters (mean) based on sample tests