

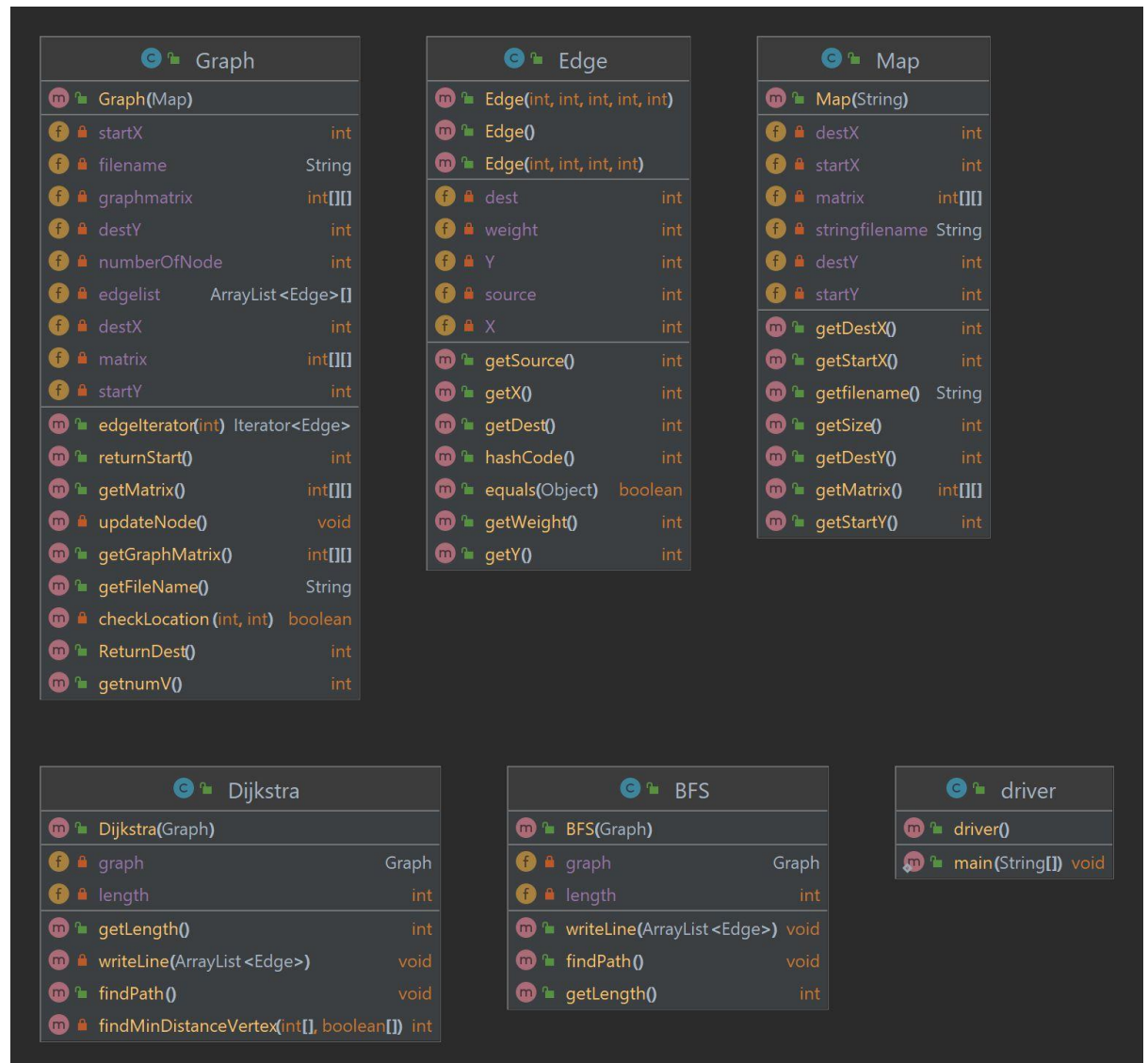
GIT Department of Computer Engineering
CSE 222/505 - Spring 2023
Homework # Report 8

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1. SYSTEM REQUIREMENTS

In this assignment we have to find shortest path for given map. Maps are given the txt file. By using txt file and create map, I have declared Map class. Then I have declared Graph class. This class uses map class and creates graph. In order to determine shortest path for given destination I have created 2 classes named BFS and Dijkstra. Edge class declared for storing nodes information.

2. USE CASE AND CLASS DIAGRAMS



3. OTHER DIAGRAMS

Not necessary in this assignment

4. PROBLEM SOLUTION APPROACH

Create MAP:

I have read file and create a matrix with content of the txt file.

Create graph:

In order to create graph , I simulate each 0 in the matrix a node . With this approach I create a matrix and give node number each zero. Before create node I have declare edge class and this class store node information. Node informations are node's source ,destinations, weight and nodes coordinate.Then I traversal in the matrix and when specified index equal to zero , This node inserted in to adjacency list.I perform this operation all matrix

BFS algorithm:

I have apply BFS algorithm on graph.This algorihm determine the shortest path and strore path locations

Dijkstra Algorithm:

I have apply BFS algorithm on graph.This algorihm determine the shortest path and strore path locations

TIME Complexity of the BFS:

```
Queue<Integer> theQueue = new LinkedList<Integer>();
int[] parent = new int[graph.getnumV()];
for (int i = 0; i < graph.getnumV(); i++) {
    parent[i] = -1;
}
1-Complexity of the this 3 line is  $\Theta(n)$ 
// Declare array identified and
// initialize its elements to false.
boolean[] identified = new boolean[graph.getnumV()];
identified[graph.returnStart()] = true;
theQueue.offer(graph.returnStart());
2-while loops complexity is  $O(n)$ 
while (!theQueue.isEmpty()) {

    3-complexity of the remove method is  $O(n)$ 
    int current = theQueue.remove();

    Iterator<Edge> itr = graph.edgeIterator(current);
    4-Complexity of the this while is  $O(|E|)$ 
    while (itr.hasNext()) {
        Edge edge = itr.next();
        int neighbor = edge.getDest();
        // If neighbor has not been identified
        if (!identified[neighbor]) {
            // Mark it identified.
            identified[neighbor] = true;
            5-Complexity of the this method is  $O(n)$ 

            theQueue.offer(neighbor);
            parent[neighbor] = current;
        }
    }
    // Finished visiting current.
}
```

1-this loop assign each element of the array to -1

2-this queue store each node one time so that it will be $O(n)$

3-java queue use linked list interface so that it complexity will be $O(n)$

4-adjacency list contains only adjacence so that it iterate just adjacence element. Therefore it complexity will be $O(|E|)$

5- java queue use linked list interface so that it complexity will be $O(n)$

→After this steps we obtain time complexity of the BFS is $(n+|E|)$

Time complexity of the DIJKSTRA algorithm:

1-Complexity of this loop is $\Theta(n)$

```
for (int i = 0; i < graph.getnumV() - 1; i++) {
    3-findMinDistanceVertex complexity is  $O(n)$ 
    int minVertex = findMinDistanceVertex(distances, visited);
    visited[minVertex] = true;

    Iterator<Edge> itr = graph.edgeIterator(minVertex);
    2-complexity of this loop is  $O(|E|)$ 
    while (itr.hasNext()) {
        Edge edge = itr.next();
        int adjacentVertex = edge.getDest();
        int weight = 1;

        if (!visited[adjacentVertex] && distances[minVertex] !=
Integer.MAX_VALUE &&
            distances[minVertex] + weight <
distances[adjacentVertex]) {
            distances[adjacentVertex] = distances[minVertex] + weight;
            parent[adjacentVertex] = minVertex;
        }
    }
}
```

```
private int findMinDistanceVertex(int[] distances, boolean[] visited) {
    int minDistance = Integer.MAX_VALUE;
    int minVertex = -1;
    3-complexity of this loop is  $O(n)$ 
    for (int i = 0; i < graph.getnumV(); i++) {
        if (!visited[i] && distances[i] <= minDistance) {
            minDistance = distances[i];
            minVertex = i;
        }
    }

    return minVertex;
}
```

1-first loop run for each node in the graph

2-complexity of the this loop will be $O(|E|)$ because of iteration

3-complexity of the this method will be $O(n)$ because of it check all node in in the grap

→ After this steps we obtain time complexity of the Dijkstra is $(n^2+|E|)$

5. TEST CASES

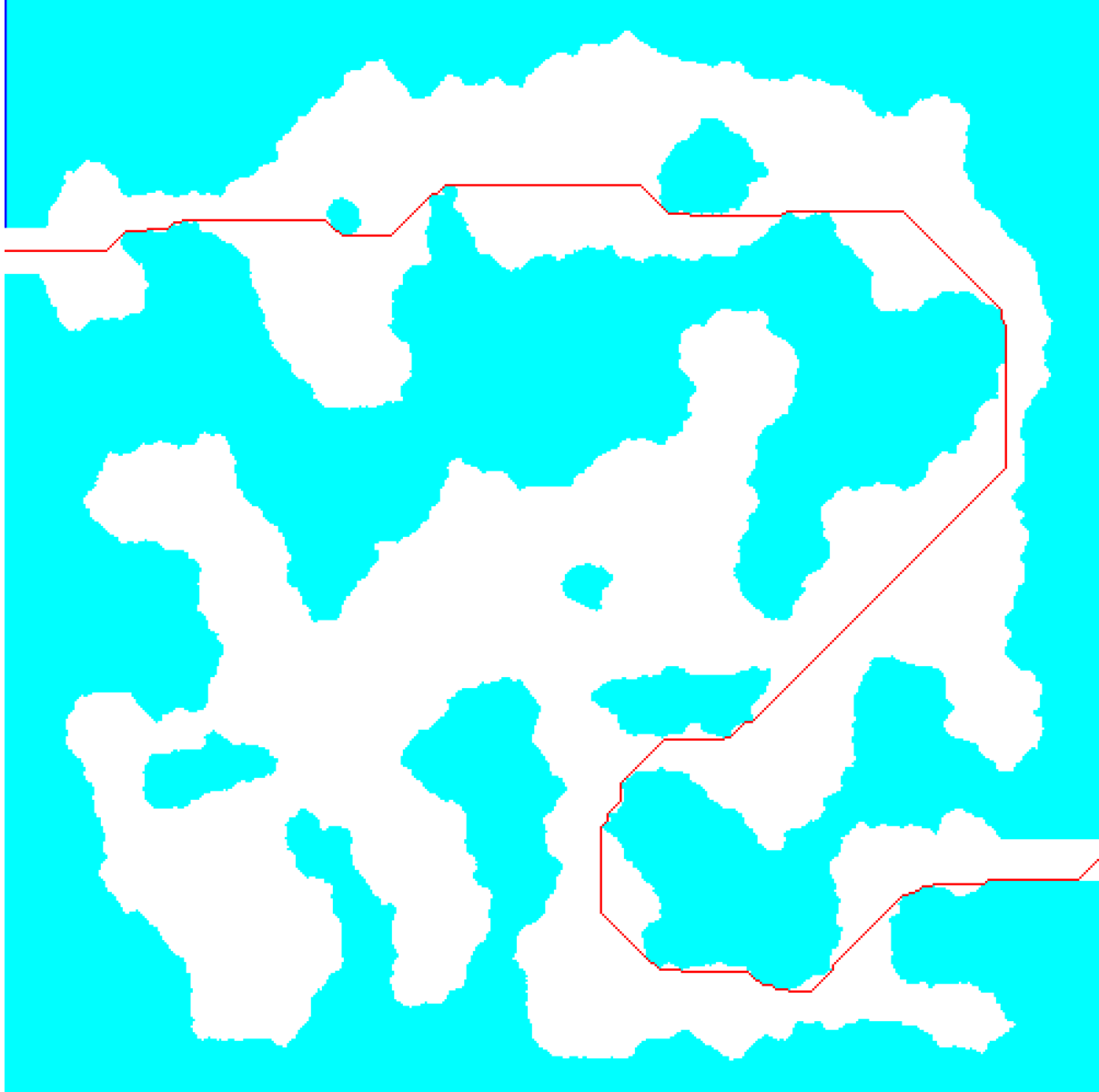
Map01.txt

Tokyo.txt

6. RUNNING AND RESULTS

Map01.txt:

BFS:



```
FOR map01.txt optimum path coordinate has been written on map01_path.txt
```

```
Map image saved successfully on map01.png
```

```
Lengh of BST for map01.txt is 992
```

Dijkstra:



```
FOR map01.txt optimum path coordinate has been written on map01_path.txt
```

```
Map image saved successfully on map01.png
```

```
Length of Dijkstra for map01.txt is 992
```


Tokyo.txt

BFS:



```
FOR tokyo.txt optimum path coordinate has been written on tokyo_path.txt
```

```
Map image saved successfully on tokyo.png
```

```
Lengh of BST for tokyo.txt is 891
```

Dijkstra:



```
FOR tokyo.txt optimum path coordinate has been written on tokyo_path.txt  
Map image saved successfully on tokyo.png  
Length of Dijkstra for tokyo.txt is 891
```

!!!

Output show us algorithms are run correctly. Their sortest path lengths are same

!!!