

Semantic Analysis

- Ultimate goal: generate machine code.
- Before we generate code, we must collect information about the program:
- Front end
 - scanning (recognizing words) CHECK
 - parsing (recognizing syntax) CHECK
 - semantic analysis (recognizing meaning)
 - There are issues deeper than structure. Consider:

```
int func (int x, int y);  
int main () {  
    int list[5], i, j;  
    char *str;  
    j = 10 + 'b';  
    str = 8;  
    m = func("aa", j, list[12]);  
    return 0;  
}
```

This code is syntactically correct, but will not work. What problems are there?

Semantic analysis

- Collecting type information may involve "computations"
 - What is the type of $x+y$ given the types of x and y ?
- Tool: attribute grammars
 - CFG
 - Each grammar symbol has associated attributes
 - The grammar is augmented by rules (semantic actions) that specify how the values of attributes are computed from other attributes.
 - The process of using semantic actions to evaluate attributes is called **syntax-directed translation**.
 - Examples:
 - Grammar of declarations.
 - Grammar of signed binary numbers.

Attribute grammars

Example 1: Grammar of declarations

Production	Semantic rule
$D \rightarrow T L$	$L.in = T.type$
$T \rightarrow \text{int}$	$T.type = \text{integer}$
$T \rightarrow \text{char}$	$T.type = \text{character}$
$L \rightarrow L_1, \text{id}$	$L_1.in = L.in$ $\text{addtype}(\text{id.index}, L.in)$
$L \rightarrow \text{id}$	$\text{addtype}(\text{id.index}, L.in)$

Attribute grammars

Example 2: Grammar of signed binary numbers

Production	Semantic rule
$N \rightarrow S L$	if (S.neg) print('-'); else print('+'); print(L.val);
$S \rightarrow +$	S.neg = 0
$S \rightarrow -$	S.neg = 1
$L \rightarrow L_1, B$	$L.val = 2 * L_1.val + B.val$
$L \rightarrow B$	$L.val = B.val$
$B \rightarrow 0$	$B.val = 0 * 2^0$
$B \rightarrow 1$	$B.val = 1 * 2^0$

Attribute grammars

Example 3: Grammar of expressions Creating an AST

The attribute for each non-terminal is a node of the tree.

Production	Semantic rule
$E \rightarrow E_1 + E_2$	$E.\text{node} = \text{new PlusNode}(E_1.\text{node}, E_2.\text{node})$
$E \rightarrow \text{num}$	$E.\text{node} = \text{num.yylval}$
$E \rightarrow (E_1)$	$E.\text{node} = E_1.\text{node}$

Syntax-Directed Definitions and Translation Schemes

- When we associate semantic rules with productions, we use two notations:
 - **Syntax-Directed Definitions**
 - **Translation Schemes**
- **Syntax-Directed Definitions:**
 - give **high-level specifications** for translations
 - **hide** many implementation details such as **order of evaluation of semantic actions**.
 - We associate a production rule with a set of semantic actions, and we do not say when they will be evaluated.
- **Translation Schemes:**
 - **indicate the order of evaluation of semantic actions** associated with a production rule.
 - In other words, translation schemes give a little bit information about implementation details.

Syntax-Directed Definitions and Translation Schemes

- With each production in a grammar, we give semantic rules or *actions*, *which describe* how to compute the attribute values associated with each grammar symbol in a production. The attribute value for a parse node may depend on information from its children nodes below or its siblings and parent node above.
- Evaluation of these semantic rules (**using SDT one can perform following with parser**):
 - may generate intermediate codes
 - may put information into the symbol table
 - may perform consistency check like type checking, parameter checking etc...
 - may issue error messages
 - may build syntax tree
 - in fact, they may perform almost any activities.
- Procedure :
 - 1) Input – Grammar
 - 2) Output – Attached semantic rules

Syntax-Directed Definitions

- A syntax-directed definition is a **generalization of a context-free grammar in which:**
 - Each grammar symbol is associated with a set of attributes.
 - This set of attributes for a grammar symbol is partitioned into two subsets called **synthesized** and **inherited** attributes of that grammar symbol.
 - Each production rule is associated with a set of semantic rules.
- *Semantic rules* set up dependencies between attributes which can be represented by a *dependency graph*.
- This *dependency graph* determines the evaluation order of these semantic rules.
- **Evaluation of a semantic rule defines the value of an attribute.** But a semantic rule may also have some side effects such as printing a value.

Annotated Parse Tree

- A parse tree showing the values of attributes at each node is called an **annotated parse tree**.
- The process of computing the attributes values at the nodes is called **annotating** (or **decorating**) of the parse tree.
- The order of these computations depends on the dependency graph induced by the semantic rules.
- An attribute is said to be **synthesized** if its value at a parse tree node is determined by the **attribute values at the child nodes**.
- An attribute is said to be **inherited** if its value at a parse tree node is determined by the attribute values of **the parent and/or siblings of that node**.

Example

Production

$L \rightarrow E \text{ return}$

$E \rightarrow E_1 + T$

$E \rightarrow T$

$T \rightarrow T_1 * F$

$T \rightarrow F$

$F \rightarrow (E)$

$F \rightarrow \mathbf{digit}$

Semantic Rules

$\text{print}(E.val)$

$E.val = E_1.val + T.val$

$E.val = T.val$

$T.val = T_1.val * F.val$

$T.val = F.val$

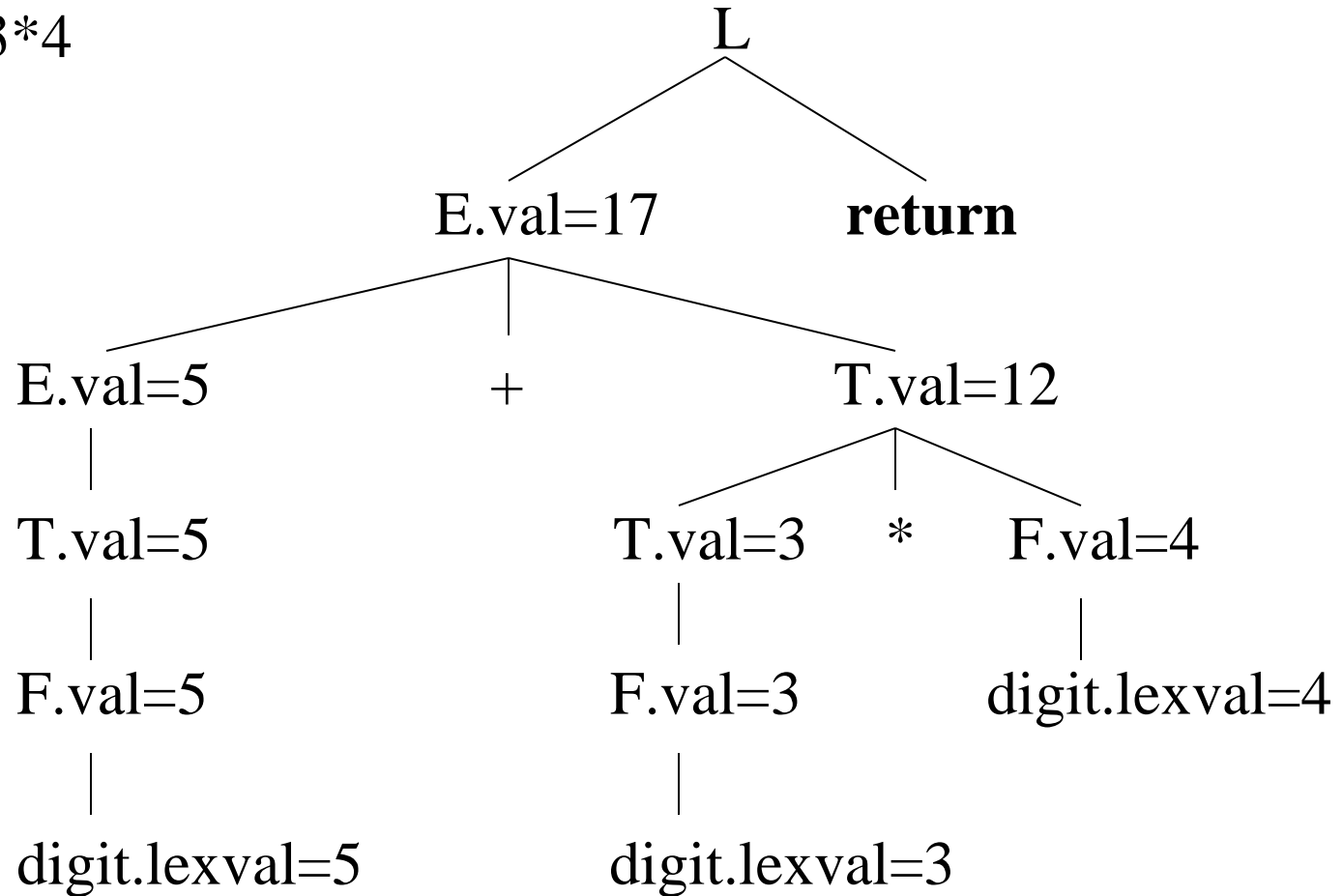
$F.val = E.val$

$F.val = \mathbf{digit.lexval}$

- Symbols E, T, and F are associated with a synthesized attribute *val*.
- The token **digit** has a synthesized attribute *lexval* (it is assumed that it is evaluated by the lexical analyzer).
- Terminals attributes calculated at the time of lexical analysis phase

Annotated Parse Tree -- Example

Input: $5+3*4$



Example - Inherited Attributes

Production

$D \rightarrow T L$

$T \rightarrow \text{int}$

$T \rightarrow \text{real}$

$L \rightarrow L_1 \text{ id}$

$L \rightarrow \text{id}$

Semantic Rules

$L.in = T.type$

$T.type = \text{integer}$

$T.type = \text{real}$

$L_1.in = L.in, \text{ addtype}(\text{id.entry}, L.in)$


$\text{addtype}(\text{id.entry}, L.in)$

- Symbol **T** is associated with a synthesized attribute *type*.
- Symbol **L** is associated with an inherited attribute *in*.

Translation Schemes

- In a syntax-directed definition, we do not say anything about the evaluation times of the semantic rules (when the semantic rules associated with a production should be evaluated?).
- A **translation scheme** is a context-free grammar in which:
 - attributes are associated with the grammar symbols and
 - semantic actions enclosed between braces **{ }** are inserted within the right sides of productions.

• *Ex:* $A \rightarrow \{ \dots \} X \{ \dots \} Y \{ \dots \}$



Semantic Actions

Translation Schemes

- When designing a translation scheme, some restrictions should be observed to ensure that an **attribute value is available when a semantic action refers to that attribute**.
- These restrictions (**motivated by L-attributed definitions**) ensure that a semantic action does not refer to an attribute that has not yet computed.
- In translation schemes, we use ***semantic action*** terminology instead of ***semantic rule*** terminology used in syntax-directed definitions.
- The **position of the semantic action on the right side indicates when that semantic action will be evaluated**.