

- Aim: To verify Newton's Law of Cooling of different materials & different liquids & draw the cooling curve

- Theory:

Temperature difference in any situation results from energy flow into a system or energy flow from a system to surroundings. The former leads to heating, whereas the latter leads to cooling of an object.

It states that the rate of temp. of the body is proportional to the difference between the temp. of the body & that of surroundings medium. This statement leads to the classic eqⁿ of exponential decline over time which can be applied (Newton's law of cooling) to many phenomena in science & engineering including the discharge of a capacitor and the decay in radioactivity.

Newton's Law of cooling is useful for studying water heating because it can tell us how fast the hot water in pipes cools off. A practical application is that it can tell us how fast a water heater cools down if you turn off the ~~to breaker~~^{breaker} when you go on vacation.

Suppose that a body with initial temp. $T^{\circ}\text{C}$ is allowed to cool in air which is maintained

at a constant temp. T_2 °C.

Let the temp. of the body be T °C at time t ,
then by Newton's Law of ~~radiant~~ cooling -

$$\frac{dT}{dt} = -k(T - T_2) \quad \text{here } T - T_2 > 0$$

$$\therefore \frac{dT}{dt} < 0$$

k - depends on surface properties of material being cooled.

Initial condition is given by $T = T_1$ & $t = 0$

$$\therefore -kt = \log(T - T_2) + \log C$$

$$\Rightarrow T - T_2 = Ce^{-kt} \quad \text{(2)}$$

Applying initial conditions, $C = T_1 - T_2$
Substituting the value of C in (2) gives -

$$T = T_2 + (T_1 - T_2)e^{-kt} \quad \text{NEWTON'S LAW OF COOLING}$$

If $k < 0$, $\lim t \rightarrow \infty$, $e^{-kt} = 0$ & $T = T_2$

Cooling curve: The graph drawn between the temp. of the body & time.

Slope of this curve at any pt. gives the rate of fall of temp.

Generally,

$$T(t) = T_A + (T_H - T_A)e^{-kt}$$

$T(t)$ - temp. at time t

k - +ve constant

T_A - ambient temp.

t - time

T_H - Initial temp.

- Procedure -

1. The calorie meter is filled $\frac{2}{3}$ rd with the given liquid & is heated to a temp. of 80°C . This liquid will act as a hot body which is subjected to cooling.
2. The thermometer is inserted in to the calorimeter.
3. When the temperature reading is 70°C the stopwatch is started. The time readings are noted for every 5° fall of temp. up to the room temp.
4. The readings are drawn & tabulated
5. A graph is drawn with temp. Θ along Y axis & time (t) along X-axis, $d\Theta/dt$ is found by taking slopes to tangents drawn at various temp. on the cooling curve. Hence Newton's Law of cooling is verified.

- Result :

Newton's law of cooling is verified.

Observation Table -

Material : Brass
Liquid : Water

Time (s)	Temp (°C)
0	100
4.16	90
8.9	80
14.9	70
22.1	60
32.1	50
47.1	40
79.2	30
150	25

Material : Brass
Liquid : Milk

Time	Temp
0	100
3.9	90
8.5	80
10	70
21	60
30.3	50
44.4	40
74.4	30
150	25

Material : Brass
Liquid : Veg Oil

Time	Temp.
0	100
1.8	90
4.0	80
6.53	70
9.8	60
14.1	50
20.6	40
34.9	30
120	25

Material : Copper
Liquid : Water

Time (s)	Temp (°C)
0	100
1.15	90
2.4	80
4.0	70
6.0	60
8.8	50
12.5	40
21.6	30
70	25

Material : Copper
Liquid : Milk

Time (s)	Temp.
0	100
1	90
2.2	80
3.7	70
5.6	60
8.2	50
12	40
20.1	30
60	25

Material : Copper
Liquid : Veg Oil

Time	temp.
0	100
0.5	90
1.05	80
1.8	70
2.6	60
3.83	50
5.6	40
9.42	30
35	25

Material : Al
Liquid : Water

Time	Temp.
0	100
2	90
4.31	80
7.15	70
10.6	60
15.32	50
22.5	40
37.7	30
100	25

Material : Al
Liquid : Milk

Time	Temp.
0	100
1.9	90
4	80
6.76	70
10	60
14.55	50
21.2	40
33.6	30
100	25

Material : Al
Liquid : Veg. Oil

Time	Temp.
0	100
0.95	90
2.1	80
3.5	70
5.2	60
7.6	50
11	40
18.5	30
50	25

Material : Silver

Liquid : Water

Time	Temp.
0	100
1	90
2.22	80
3.65	70
5.45	60
7.98	50
11.55	40
19.6	30
60	25

Material : Silver

Liquid : Milk

Time	Temp.
0	100
0.96	90
2.11	80
3.95	70
5.17	60
7.45	50
10.9	40
18.2	30
70	25

Material : Silver

Liquid : Veg. Oil

Time	Temp.
0	100
0.49	90
0.95	80
1.56	70
2.3	60
3.35	50
4.9	40
8.22	30
40	25

