## **Taylor approximation**

#### import library

```
import numpy as np
import matplotlib.image as img
import matplotlib.pyplot as plt
from matplotlib import cm
import matplotlib.colors as colors
```

## define a function f(x) = cos(x)

define the derivative f'(x) of function f(x)

In [170]: ▶

# define the first order Taylor approxation of the function at $x_0$

•  $\hat{f}(x) = f(x_0) + f'(x_0)(x - x_0)$ 

```
In [185]:
```

#### functions for presenting the results

In [117]: ▶

```
def function_result_01():
    x = np.linspace(-10, 10, 100)
    y = function(x)

    plt.figure(figsize=(8,6))
    plt.plot(x, y, 'b')
    plt.xlim([-10, 10])
    plt.ylim([-10, 10])
    plt.show()
```

In [102]:

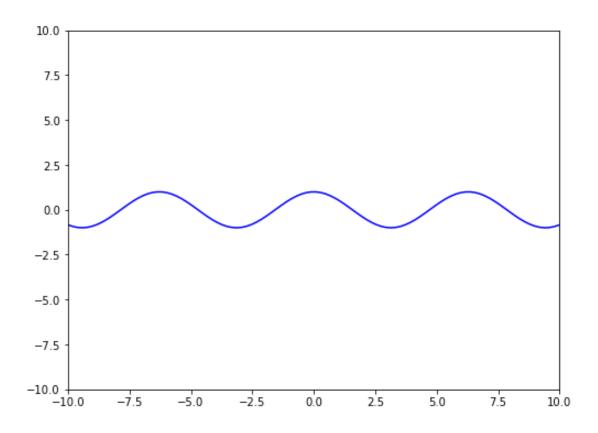
In [103]:

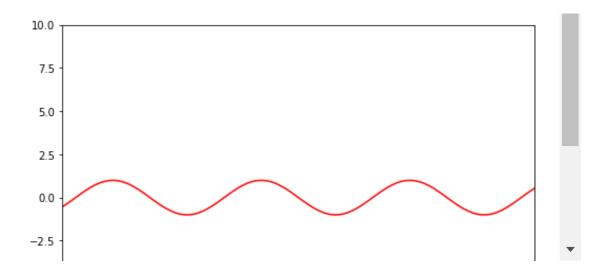
In [104]: ▶

In [172]: ▶

results			

```
In [186]:
```

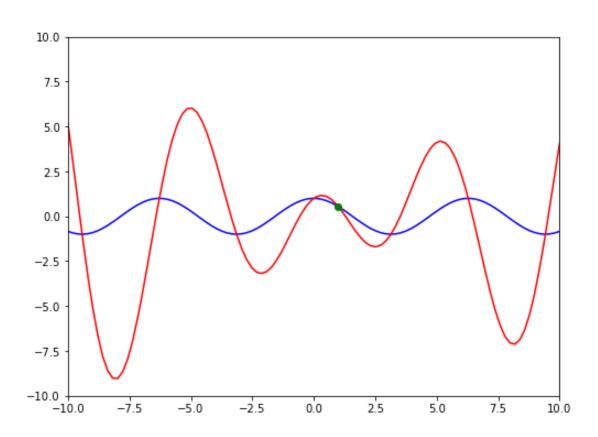




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## [RESULT 03]

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## [RESULT 04]

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value1 = 0.5403023058681398

value2 = 0.5403023058681398

\*\*\*\*\*\*\*\*\*\*\*\*

## [RESULT 05]

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value1 = 0.8414709848078965

value2 = -0.8414709848078965

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