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rules \rightarrow $eo(L, [], L).$
 $eo([], L, L).$
 $eo([H1|T1], [H2|T2], [H1, H2|T]) :- eo(T1, T2, T)$

call $\rightarrow eo([1, 2, 3, 4, 5], [a, b, c], L).$

1. $eo(L, [], L)$ Fail \Rightarrow where $H1=1, T1=[2, 3, 4, 5]$
 $eo([], L, L)$ Fail $H2=a, T2=[b, c]$
 $[H1, H2|T] = [1, a|T]$

2. $eo(L, [], L)$ Fail \Rightarrow where $H1=2, T1=[3, 4, 5]$
 $eo([], L, L)$ Fail $H2=b, T2=[c]$
 $[H1, H2|T] = [2, b|T]$

3. $eo(L, [], L)$ Fail \Rightarrow where $H1=3, T1=[4, 5]$
 $eo([], L, L)$ Fail $H2=c, T2=[]$
 $[H1, H2|T] = [3, c|T]$
.ε

4. $eo(L, [], L)$ success since the query is
 $eo([4, 5], [], T).$

T then unifies with L , so $T=[4, 5]$, then
bubbles back up the steps...

$T=[4, 5] \Rightarrow T=[3, c, 4, 5] \Rightarrow T=[2, b, 3, c, 4, 5]$
 $\Rightarrow T=[1, a, 2, b, 3, c, 4, 5] = L$