



bauingenieur24 Informationsdienst • Dr.-Heinrich-Mohn-Straße 19 • 63571 Gelnhausen • Tel. +49 (0) 6051 / 8870953 • info@bauingenieur24.de

rojekt:	Bele	rj F	ORM			Philipp 460708	Göbel 83	2306, 23 Blatt 2
3: -	+	, ( 3.	+			] = - Lp, [	- 12 X1+	9×2 + 60]
					= 20 5 = 3 /1/2 1	6x32 )0.5		
		wif	C,	23 = 2	60 Wp1 =	-36855, ( - 1474, 20	)	
	-	3,32-	7	-7 ma	ßgebeu			
₽®		((cm	· 6×1)2	+ 6×3	, ) 05	wit Cag	- Super	2948, 40
Pf3 (	(β₃)	= 1		(B <sub>3</sub> )	= 0,01	70438		
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Projecte:  4. Seley FORM  Projecte:  Philip Cobel  23. O6. 23  Blat: 3  Projecte:  Philip Cobel  4607083  Projecte:  According Cobel  4607083  Projecte:	SYMPOSIUM 3	content for cons	111(9(9))3
4. Seley FORM  4607083  Fulgable 3 $a = \frac{\pi}{6^{2}} \cdot \frac{d}{6x_{1}} = 0.257$ $b = \mu_{1} - \frac{0.572}{4} = 22.75$ $5u = \sqrt{\ln (1 + \frac{\mu_{1}}{6x_{2} - x_{0}})^{2}} = 1.536$ $\mu_{1} = \ln (6x_{2} - x_{0}) - \frac{6}{5}(6x_{1})^{2} = -\frac{1}{4} \ln [12.3x_{1} + 60]$ $\Rightarrow : \frac{1}{4} \ln [\frac{1}{5}(13x_{1} + 40) - \frac{6}{5}(6x_{1})] = -\frac{1}{4} \ln [12.3x_{1} + 60]$ $\Rightarrow : \frac{1}{4} \ln [\frac{1}{5}(x_{1}, x_{2}) - \frac{1}{5}(6x_{1})] = \frac{1}{4} \ln [\frac{1}{5}(x_{2}, x_{3})]$ $h_{1}(y) = h_{1}(y_{1}, y_{1}) = C_{1}(\frac{1}{5}(6x_{1})) + C_{1}(\frac{1}{5}(6x_{1})) \Rightarrow y_{1} - \frac{1}{6} \ln (\ln (6x_{1})) + C_{1}(1x_{2}) + \mu_{1}$ $h_{1}(y) = h_{1}(y_{1}, y_{2}) = c_{0} + c_{0}(\frac{1}{5}(1x_{1}) + \mu_{1}) + c_{0}(\frac{1}{5}(1x_{1})) + c_{0}(1x_{1}) + c_$	rojekt:		Datum:
Augabe 3 $a = \frac{\pi}{67} \cdot \frac{\pi}{6\pi} = 0.257$ $b = \mu_{yxy} = \frac{0.572}{a} = 22.75$ $5u = \sqrt{\ln (1 + \frac{\mu_{xx}}{6\pi e - \chi_{02}})^{2}} = 1.536$ $\mu u = \ln (6\pi_{x} - \chi_{02}) = \frac{\pi}{2} = 10.230$ $3i = \frac{\pi}{4} \cdot \left[\frac{3}{2} (13\chi_{x} + 40) - \frac{4}{2} (6\chi_{x})\right] = -\frac{\pi}{4} \cdot \left[12.3\chi_{x} + 60\right]$ $6i = \frac{\pi}{4} \cdot \left[\frac{3}{2} (13\chi_{x} + 40) - \frac{4}{2} (6\chi_{x})\right] = -\frac{\pi}{4} \cdot \left[12.3\chi_{x} + 60\right]$ $6i = \frac{\pi}{4} \cdot \left[\frac{\pi}{4} - \frac{\pi}{4} \cdot \frac{\pi}{4} + \frac{\pi}{4} \cdot \frac{\pi}{4} $	1. Rolan FODM	runpy word	Blatt:
Augabe 3 $a = \frac{\pi}{67} \cdot \frac{\pi}{6\pi} = 0.257$ $b = \mu_{yxy} = \frac{0.572}{a} = 22.75$ $5u = \sqrt{\ln (1 + \frac{\mu_{xx}}{6\pi e - \chi_{02}})^{2}} = 1.536$ $\mu u = \ln (6\pi_{x} - \chi_{02}) = \frac{\pi}{2} = 10.230$ $3i = \frac{\pi}{4} \cdot \left[\frac{3}{2} (13\chi_{x} + 40) - \frac{4}{2} (6\chi_{x})\right] = -\frac{\pi}{4} \cdot \left[12.3\chi_{x} + 60\right]$ $6i = \frac{\pi}{4} \cdot \left[\frac{3}{2} (13\chi_{x} + 40) - \frac{4}{2} (6\chi_{x})\right] = -\frac{\pi}{4} \cdot \left[12.3\chi_{x} + 60\right]$ $6i = \frac{\pi}{4} \cdot \left[\frac{\pi}{4} - \frac{\pi}{4} \cdot \frac{\pi}{4} + \frac{\pi}{4} \cdot \frac{\pi}{4} $	4. Seres (ORM	4607083	3
	$a = \frac{\pi}{\sqrt{6}} \cdot \frac{\pi}{6x_1} = 0.257$		
$ \frac{1}{3} \cdot \frac{1}{4} \cdot \left[ \frac{1}{2} \left( \frac{13}{13} \times \frac{1}{4} + \frac{1}{4} \right) - \frac{5}{2} \left( \frac{6}{13} \times \frac{1}{3} \right) - \frac{1}{4} \cdot \left[ \frac{1}{12} \cdot \frac{3}{13} \times \frac{1}{4} + \frac{60}{3} \right] \right] $ $ \frac{1}{4} \cdot \frac{1}{4} \cdot \left[ \frac{1}{2} \cdot \frac{1}{3} \cdot \frac{1}{3} \cdot \frac{1}{3} \cdot \frac{1}{4} \cdot $		- 1,536	
$ \frac{1}{\sqrt{2}} \left[ \frac{1}{\sqrt{2}} \cdot \frac$	μα = /4 (5×2 - ×02) - 2	- 10,730	
$h_{j}(y) = h_{j}(y_{1}, y_{2}) = C_{1j}\left(\frac{-2}{\ln(D^{m}(y_{1}))}\right)^{\frac{1}{4}} + e^{y_{2}\delta_{ij}} + \mu_{ij}(y_{1}, y_{2}) = 0$ $\mu_{ij}(y) = h_{j}(y_{1}, y_{2}) = C_{1j}\left(\frac{-2}{\ln(D^{m}(y_{1}))}\right)^{\frac{1}{4}} + e^{y_{2}\delta_{ij}} + \mu_{ij}(y_{1}) + \delta_{ij}(y_{1}) + $	B: - 1 [ 3 (13 K, + 40) - 5	(6x1)] = - 1 /12	14 + 60]
wit $F(x_n) = \exp(-\exp(-\alpha(x_n-6))) \Rightarrow y_n = \overline{\alpha} \cdot \ln(\ln(\overline{\beta}^{nun}(y_n))) + 6$ $y_2 = \frac{\ln(x_2) - \mu_{ij}}{\delta_{ij}} = \frac{1}{\alpha} \cdot \ln(\ln(\overline{\beta}^{nun}(y_n))) + 5$ $\frac{\ln(y_n, y_n)}{\delta_{ij}} = \frac{1}{\alpha} \cdot \ln(\ln(\overline{\beta}^{nun}(y_n))) + 5$ $\frac{\ln(y_n)}{\delta_{ij}} = \frac{1}{\alpha} \cdot \ln(\ln(\overline{\beta}^{nun}(y_n))) + \frac{1}{\alpha} \cdot \ln(\overline{\beta}^{nun}(y_n))$ $\frac{\ln(y_n)}{\delta_{ij}} = \frac{1}{\alpha} \cdot \ln(\overline{\beta}^{nun}(y_n)) + \frac{1}{\alpha} \cdot \ln(\overline{\beta}^{nun}(y_n))$ $\frac{\ln(y_n)}{\delta_{ij}} = \frac{1}{\alpha} \cdot \ln(\overline{\beta}^{nun}(y_n)) + \frac{1}{\alpha} \cdot \ln(\overline{\beta}^{nun}(y_n))$ $\frac{\ln(y_n)}{\delta_{ij}} = \frac{1}{\alpha} \cdot \ln(\overline{\beta}^{nun}(y_n)) + \frac{1}{\alpha} \cdot \ln(\overline{\beta}^{nun}(y_n))$	1 - 12 6xy ] = w	n [-14,4 X_]	
$ \begin{aligned} \gamma_z &= \frac{ u(x_2) - \mu u}{\delta u} & \Rightarrow x_2 - \delta u \cdot e \times \rho \left( \delta u \cdot y_2 + \mu u \right) \\ h_j(y_1, y_2) &= c_{0j} + c_{1j} \left( \frac{1}{a} \cdot  u( u(\Phi^{\prime\prime\prime}(y_1 )) + b) + \delta u \cdot e \times \rho \left( \delta u \cdot y_2 + \mu u \right) + \times o_1 \\ & \left( \frac{\partial h(y_1)}{\partial y_1} \right)  y - y' \right) \left[ \frac{c_{1j} \cdot \hat{a} \cdot \varphi^{\prime\prime\prime}(\hat{y}_1)}{\Phi^{\prime\prime\prime}(\hat{y}_1) \cdot  u(\hat{\Phi}(y_1))} \right] \\ H(y^*)_j &= \partial h_j(y_1) \\ & \partial y_2 \mid y = y' \right] \left[ \delta u \cdot e \times \rho \left( \delta u \cdot y_2 + \mu u \right) \right] \end{aligned} $	$h_{j}(y) = h_{j}(y_{1}, y_{2}) = C_{1j}\left(\frac{-2}{\ln(\Phi^{W}(y_{1}))}\right)^{\frac{1}{4}}$	+ e y = 6 a + / u u + × 0, 2	= 0
$h_{j}(y_{1},y_{2}) = c_{0j} + c_{1j} \left[\frac{1}{\alpha} \cdot \ln(\ln(\Phi^{uv}(y_{1} )) + b) + \delta_{u} \exp(\delta_{u} \cdot y_{2} + \mu_{u}) + x_{0};\right]$ $\frac{\partial h_{j}(y)}{\partial y_{1}} \left[\frac{c_{1j} \cdot \frac{1}{\alpha} \cdot \varphi^{uv}(\hat{y}_{1})}{\Phi^{uv}(\hat{y}_{1}) \cdot \ln(\Phi(y_{1} ))}\right]$ $H(y^{*})_{j} = \partial h_{j}(y)$ $\frac{\partial h_{j}(y)}{\partial y_{2}} \left[\frac{c_{1j} \cdot \frac{1}{\alpha} \cdot \varphi^{uv}(\hat{y}_{1})}{\Phi^{uv}(\hat{y}_{1}) \cdot \ln(\Phi(y_{1} ))}\right]$ $\frac{\partial h_{j}(y)}{\partial y_{2}} \left[\frac{1}{\alpha} \cdot \ln(\ln(\Phi(y_{1} )) + b) + \delta_{u} \exp(\delta_{u} \cdot y_{2} + \mu_{u})\right]$ $\frac{\partial h_{j}(y)}{\partial y_{2}} \left[\frac{1}{\alpha} \cdot \ln(\ln(\Phi(y_{1} )) + b) + \delta_{u} \exp(\delta_{u} \cdot y_{2} + \mu_{u})\right]$ $\frac{\partial h_{j}(y)}{\partial y_{2}} \left[\frac{1}{\alpha} \cdot \ln(\ln(\Phi(y_{1} )) + b) + \delta_{u} \exp(\delta_{u} \cdot y_{2} + \mu_{u})\right]$ $\frac{\partial h_{j}(y)}{\partial y_{2}} \left[\frac{1}{\alpha} \cdot \ln(\ln(\ln(\Phi(y_{1} )) + b) + \delta_{u} \exp(\delta_{u} \cdot y_{2} + \mu_{u})\right]$ $\frac{\partial h_{j}(y)}{\partial y_{2}} \left[\frac{1}{\alpha} \cdot \ln(\ln(\ln(\Phi(y_{1} )) + b) + \delta_{u} \exp(\delta_{u} \cdot y_{2} + \mu_{u})\right]$ $\frac{\partial h_{j}(y)}{\partial y_{2}} \left[\frac{1}{\alpha} \cdot \ln(\ln(\ln(\Phi(y_{1} )) + b) + \delta_{u} \exp(\delta_{u} \cdot y_{2} + \mu_{u})\right]$ $\frac{\partial h_{j}(y)}{\partial y_{2}} \left[\frac{1}{\alpha} \cdot \ln(\ln(\ln(\Phi(y_{1} )) + b) + \delta_{u} \cdot \mu_{u}\right]$ $\frac{\partial h_{j}(y)}{\partial y_{2}} \left[\frac{\partial h_{j}(y)}{\partial y_{2}} + \mu_{u}\right]$		-> y, - a. In (In (0	m(y1)))+6
$ \begin{array}{c c} \hline \begin{array}{c c} \hline \begin{array}{c c} \hline \hline \begin{array}{c} \hline \hline \end{array} & \begin{array}{c} \end{array} & \begin{array}{c} \hline \end{array} & \begin{array}{c} \end{array} $	Y2 5 A	z + bu exp(bu yz	4 /uu )
$H(y^*); = \partial G_{S}(y^{1})$ $= \partial$			u. yz +/uu) + X012
H(y*); = 86; (y) = 60 exp(60 y; +/40)	aria de la cuita della cuita d		
hi (yi) - 4; (i) yi - 4; (yi)	H(y*); = 36; (y) = =		
B; (y; *) = - 2 - 2 - 2 - 2 - 2 - 2 - 2 - 2 - 2 -	B; (4; 4) = h; (4; 1 - 4; 1/1	; \(\frac{1}{2}\) = \(\frac{1}{2}\) \(\frac{1}{2}\)	
B; (y; ) = h; (y; ) - 4; (y; ) o; ; d; (y; ) = - 4; (y; ) · 4; (y;	243	905 (11/4)	11.1. *1 ) 0,5

MPOSIUM)			content for cons	The same of the same of
jekt:	<b>504</b>	Bearbeiter: Philipp	Göbel	Datum: 23.07.23
4. Beley	FORM	Philipp 460708	3	Blatt: 4
V 8 - X	1 (ys) - ps (ys)			
y;				
Startwast	4 = 107			
37047-0	7 [0]		<u>x</u>	(
$\Phi(z) = \frac{1}{\sqrt{20}}$	$\frac{1}{2}\int e^{-\frac{x^2}{2}} dx$	$\varphi(x) = $	1 e 2	
PIE / Yza			24	
	607			
Start wat	y = [0]			
=> nech	2000 Ituaho-	uu (sieho	- Anhony)	
3 = 40	52.10-7			
	= 1- 0(3) - 0	). 4999		
P\$(13)	= 7/3 (1/6)			
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