

HPC(期中大猜題)

Ch1:

刀鋒伺服器(blade server):

有一個完整的基座，以統一集中的方式，提供電源、風扇散熱，網路等功能。

而基座上可插置多張單板電腦，因狀似刀片(blade)，因此稱刀鋒伺服器，而基座稱刀風基座。

What is high performance computing?

- ✧ Functional requirement
- ✧ Non-functional requirement
 - Speed, quality, space, user friendliness,

Three ways to improve speed

1. Work harder
2. Work smarter
3. Get help

Why PC Cluster?

- ✧ PC 及 networking 的速度越來越快
- ✧ 大型電腦中心工作等候時間過長
- ✧ 受限經費，無法採購大型主機

What is Cluster Computing?

- ✧ A collection of interconnected computers working (computing) together as a single system.
- ✧ The nodes of a cluster can exist in a single cabinet or be physically separated and connected via a LAN

Cluster Usage Modes

- ✧ NOW(network of workstation)
- ✧ PMMPP (poor man 的 massive parallel processor)

Three schemes are used to share cluster nodes

- ✧ Dedicated mode (dedicated:專用)
- ✧ Space sharing
- ✧ Time sharing

單工 vs 多工

Turnaround time(平均完成時間) => 單工 better

Throughput(單位時間產出) => 多工 better

Types of Parallel Jobs

- ✧ Rigid (依程式去指定固定數量的處理器)
- ✧ Moldable(執行前可任意更動處理器數量，執行期間不行)
- ✧ Evolving(由系統調控處理器數量)
- ✧ Malleable (由程式去調控處理器數量)

HPC as a Service

- ✧ Ease of use
- ✧ Dynamic allocation
- ✧ Elastic and fast resource provisioning

Three speedup models:

- ✧ Linear speedup model
- ✧ Amdahl' s law
- ✧ Downey' s speedup model

Two approaches:

- ✧ Moldable job scheduling without job execution time Information
 - Run as many jobs as possible simultaneously
 - One job after another sequentially
- ✧ Moldable job scheduling with job execution time Information
 - raising resource utilization rate to reduce average turnaround time for all jobs.

Future challenge:

- ✧ Budget parameters
- ✧ Time to completion
- ✧ Monitor and steer workflow
- ✧ Obtain Interactive results

Ch2:

矩陣相乘的 4 種方法:

1. Loop-i-j-k(基本款)

Int I,j,k,F;

For(i=0;i<n;i++)

```

{
    For(j=0;j<n;j++)
    {
        F = 0;
        For(k=0;k<n;k++)
        {
            F*= A[i][k]*B[k][j];
        }
        C[i][j] = F;
    }
}

```

2. Loop-reordering(將 loop-i-j-k 的內層互換並做微調)

```

For(i=0;i<m;i++)
    For(k=0;k<n;k++)
    {
        F = A[i][k];
        For(j=0;j<p;j++)
        {
            C[i][j] += f*B[k][j];
        }
    }
}

```

3 matrix-column(loop-i-j-k 外層互調並微調)

matrix-vector multiplication

4 block matrix (loop-i-j-k 外加兩層，控制 block 象限的移動)

```

for(k=0;k<n;k+=p)
{
    for(j=0;j<n;j+=p)
    {
        for(i=0;i<n;i++)
        {
            for(jj=j;jj<min(j+p,n);jj++)
            {
                for(kk=k;kk<min(k+p,n);kk++)
                    C[i][jj]+=A[i][kk]*B[kk][jj];
            }
        }
    }
}

```

}
}
}

Performance : 5>4>3>2>1

Ch4:

$$\begin{aligned} \text{Paint}(i, j) &= \begin{cases} \phi, & \text{if } i = 0 \\ \text{Paint}'(i, j), & \text{otherwise} \end{cases} \\ \text{Paint}'(i, j) &= \begin{cases} \text{Paint0}(i, j), & \text{if Fix0}(i, j) \text{ and not Fix1}(i, j) \\ \text{Paint1}(i, j), & \text{if not Fix0}(i, j) \text{ and Fix1}(i, j) \\ \text{Merge}(\text{Paint0}(i, j), \text{Paint1}(i, j)), & \text{otherwise} \end{cases} \\ \text{Paint0}(i, j) &= \text{Paint}(i - 1, j)0 \\ \text{Paint1}(i, j) &= \text{Paint}(i - d_j - 1, j - 1)\sigma(d_j) \end{aligned}$$

$$\begin{aligned} \text{Merge}(s_1 s_2 \dots s_i, t_1 t_2 \dots t_i) &= m_1 m_2 \dots m_i, \quad \text{where } m_k = \text{MergeC}(s_k, t_k) \\ \text{MergeC}(s_k, t_k) &= \begin{cases} 0, & \text{if } s_k = t_k = 0 \\ 1, & \text{if } s_k = t_k = 1 \\ u, & \text{otherwise.} \end{cases} \end{aligned}$$

Paint(i,j) call Paint' (i,j)

Paint' s(i,j) call paint0 ,paint1

Paint0 > Fix0 OK

Paint1 > Fix1 OK

Merge(paint0,paint1) > Fix0 OK ,Fix1 OK

$$\begin{aligned} \text{Fix}(i, j) &= \begin{cases} \text{true}, & \text{if } i = 0 \text{ and } j = 0 \\ \text{false}, & \text{if } i = 0 \text{ and } j \geq 1 \\ \text{Fix0}(i, j) \vee \text{Fix1}(i, j), & \text{otherwise} \end{cases} \\ \text{Fix0}(i, j) &= \begin{cases} \text{Fix}(i - 1, j), & \text{if } s_i \in \{0, u\} \\ \text{false}, & \text{otherwise} \end{cases} \\ \text{Fix1}(i, j) &= \begin{cases} \text{Fix}(i - d_j - 1, j - 1), & \text{if } j \geq 1, i \geq d_j + 1, \text{ and} \\ & s_{i-d_j} \dots s_i \text{ matches } \sigma(d_j) \\ \text{false}, & \text{otherwise.} \end{cases} \end{aligned}$$

procedure FP1(G)

1. *Initialize $G_{p,0}, G_{p,1}$ for all unpainted pixel p*
 2. **repeat**
 3. PROPAGATE(G)
 4. **if** (status(G) is CONFLICT or SOLVED) **then return**
 5. UPDATEONALLG(G)
 6. **for** (each unpainted pixel p in G) **do**
 7. PROBE(p)
 8. **if** (status(G) is CONFLICT or SOLVED) **then return**
 9. **if** (status(G) is PAINTED) **then break**
 10. **end for**
 11. **until** $\Pi(G) = \emptyset$
- end procedure**

Procedure PROBE(p)

1. PROBE($p, 0$); // guess $p = 0$ and probe $G_{p,0}$
 2. PROBE($p, 1$); // guess $p = 1$ and probe $G_{p,1}$
 3. **if** (both status($G_{p,0}$) and status($G_{p,1}$) are CONFLICT) **then** status(G) \leftarrow CONFLICT; **return**
 4. **if** (status($G_{p,0}$) is CONFLICT) **then**
 5. *Let Π be the set of newly painted pixels in $G_{p,1}$ with respect to G*
 6. **else if** (status($G_{p,1}$) is CONFLICT) **then**
 7. *Let Π be the set of newly painted pixels in $G_{p,0}$ with respect to G*
 8. **else**
 9. *Let Π be the set of pixels with the same value 0 or 1 in both $G_{p,0}$ and $G_{p,1}$ with respect to G*
 10. **end if**
 11. **if** ($\Pi \neq \emptyset$) **then** UPDATEONALLG(Π); status(G) \leftarrow PAINTED
 12. **else** status(G) \leftarrow INCOMPLETE
- end procedure**