

**Aim:**

Tina's brother gave her a fun mathematical challenge involving a chessboard-like grid. The task is to determine the total number of squares that can be found in an  $n \times n$  board, where each square is  $1 \text{ cm} \times 1 \text{ cm}$ . However, Tina needs to count not only the smallest squares but also the larger squares that can be formed on the board.

For example, on a  $3 \times 3$  board, there are 9 squares of size  $1 \times 1$ , 4 squares of size  $2 \times 2$ , and 1 square of size  $3 \times 3$ , resulting in a total of 14 squares.

Your task is to help Tina calculate the total number of squares of all possible sizes on the board.

**Constraints**

- $2 \leq n \leq 20$

**Input Format**

- The input consists of a single integer  $n$ , representing the size of the board.

**Output Format**

- Print the total number of squares in the  $n \times n$  board.

**Formula Hint**

The formula to calculate the total number of squares on an  $n \times n$  board is given by:

$$\text{Total squares} = \frac{n \times (n + 1) \times (2n + 1)}{6}$$

**Source Code:**

```
squares.c
```

```
#include<stdio.h>
int main(){
    int a;
    int sum=0;
    scanf("%d",&a);
    for(int i=1;i<=a;i++)
    {
        sum=sum +(i*i);
    }
    printf("%d",sum);
}
```

**Execution Results - All test cases have succeeded!**

Test Case - 1	
User Output	2
5	

**Test Case - 2**

User Output

4

30

**Test Case - 3**

User Output

6

91

**Test Case - 4**

User Output

8

204