

Aayush Gupta (309601)

Lab 2 (Edisp)

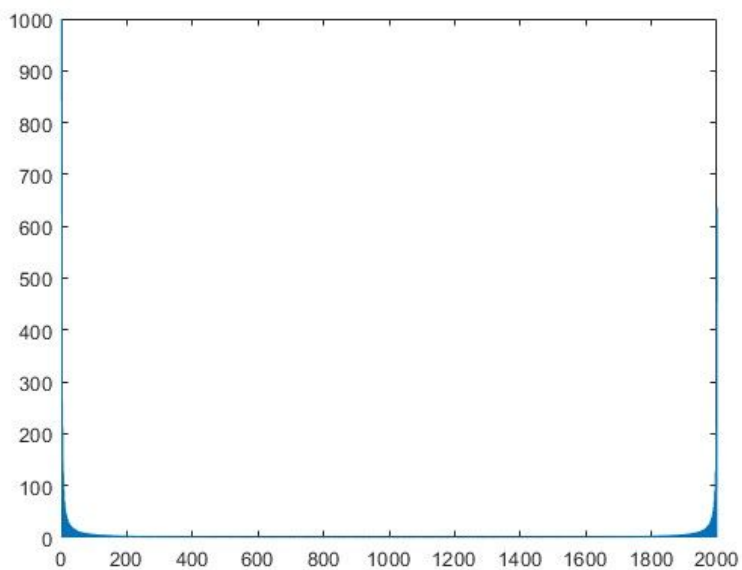
Task 1:

case	F_s	$T[\text{ms}]$	N	N_1	A_{max}	K_{null}	F_n at null	F at null
$x_1[n]$	1000 MHz	2	2	2000	1000	1000	3	0.001
$x_2[n]$	10kHz	2	2	20	10	10	3	0.1
$x_3[n]$	10KHz	4	4	40	20	20	3	0.05

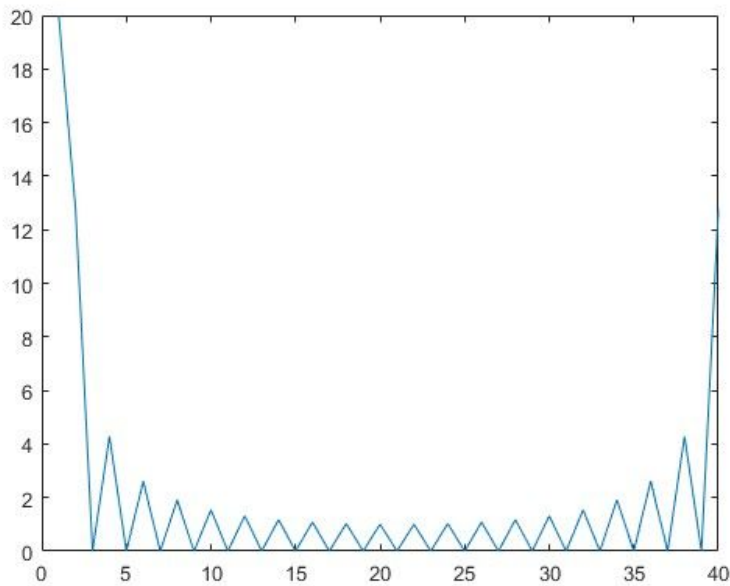
Here,

$$N=T \cdot F_s; N_1=N/2; F_n=k/\text{signal length}; \quad F_1=F_n \cdot 1e^6;$$
$$F_{2,3}=F_n \cdot 1e^4;$$

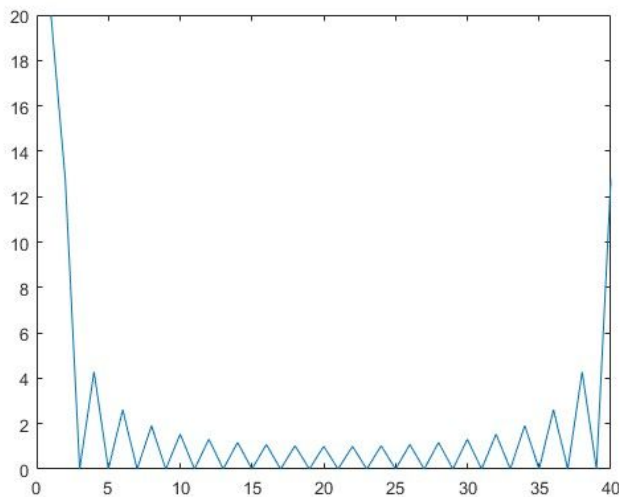
Case #1 ($F_s = 1 \text{ MHz}$, $T = 2 \text{ ms}$)



Case #2 ($F_s = 10 \text{ kHz}$, $T = 2 \text{ ms}$)



Case #3 ($F_s = 10 \text{ kHz}$, $T = 2 \text{ ms}$)

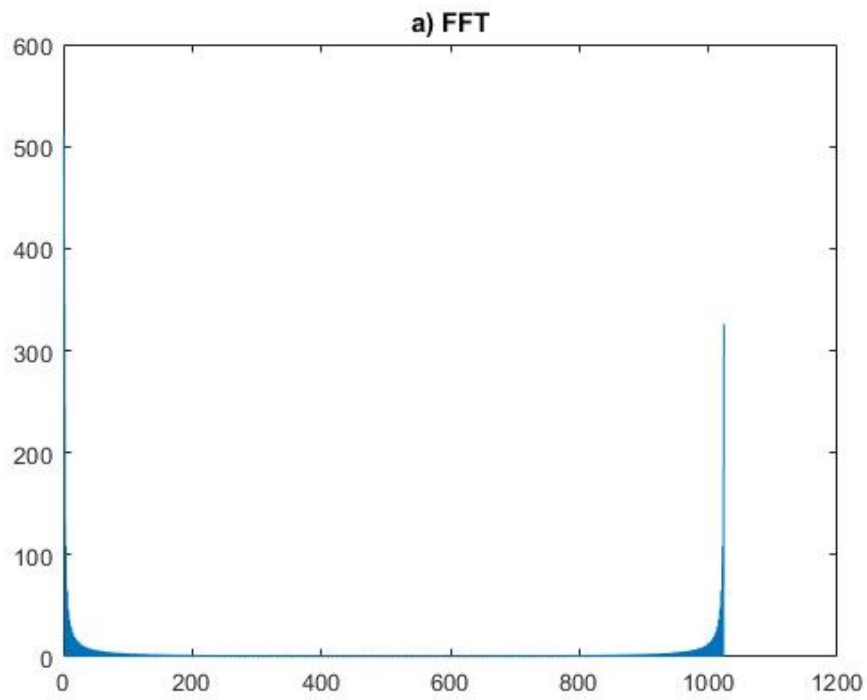


The greater sample frequency and higher density spectrum of the signal is due to greater number of samples N .

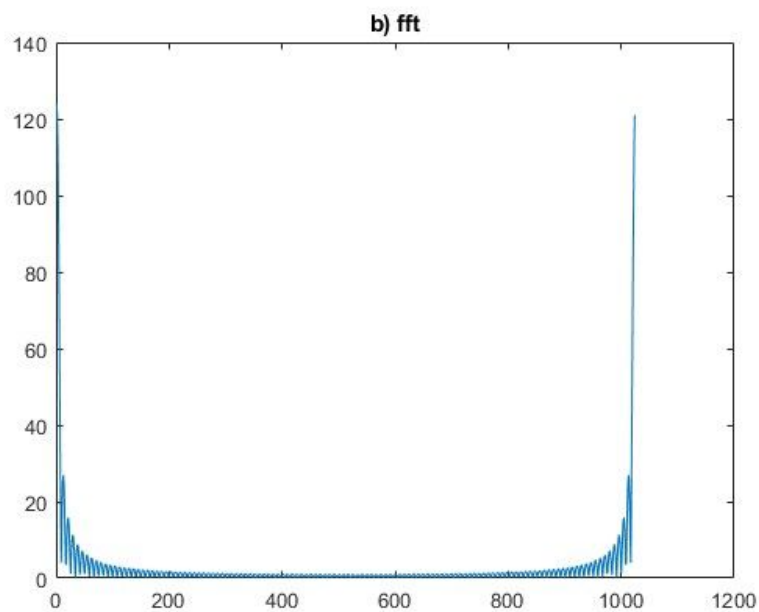
In case 2 and case 3 we have highest amplitude and in the case of the 3rd frequency it had a greater period at $T = 4\text{ms}$. And in the case 2 the physical frequency were lower although the samples were more in case 2.

Task 2-

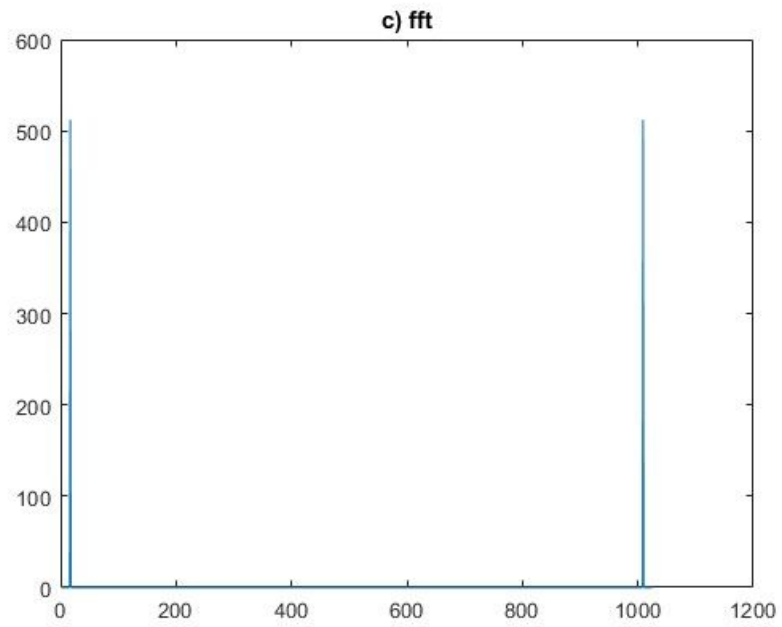
Signal a) 512 points square impulse



Signal b)
Number of zero crossings = 255

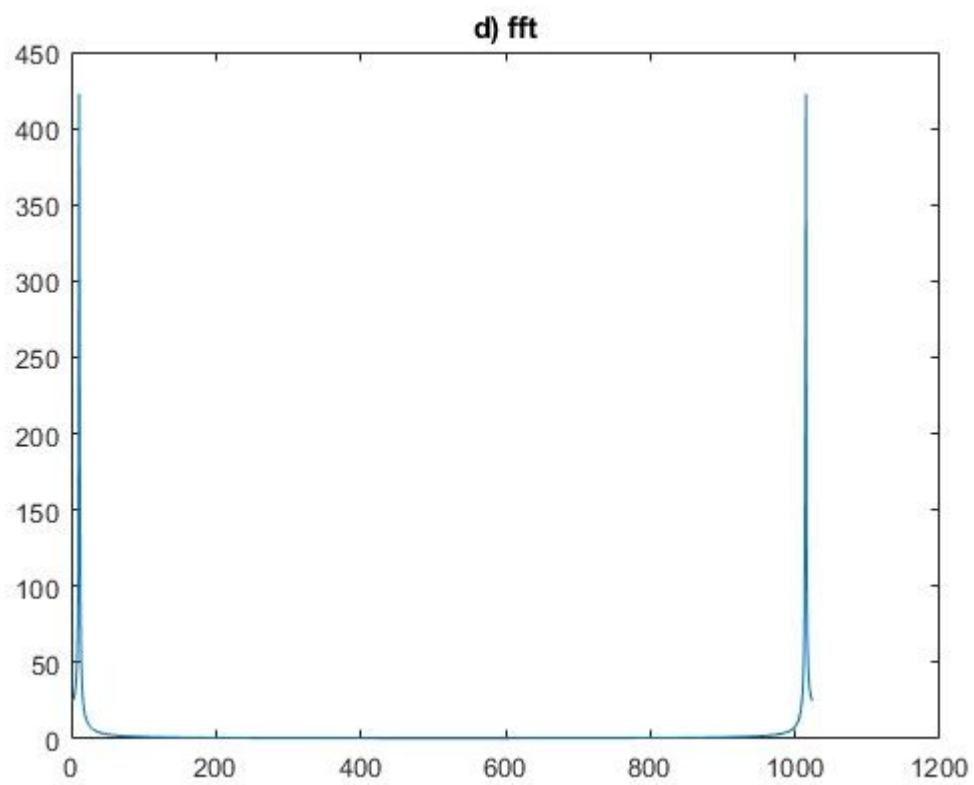


Signal c)

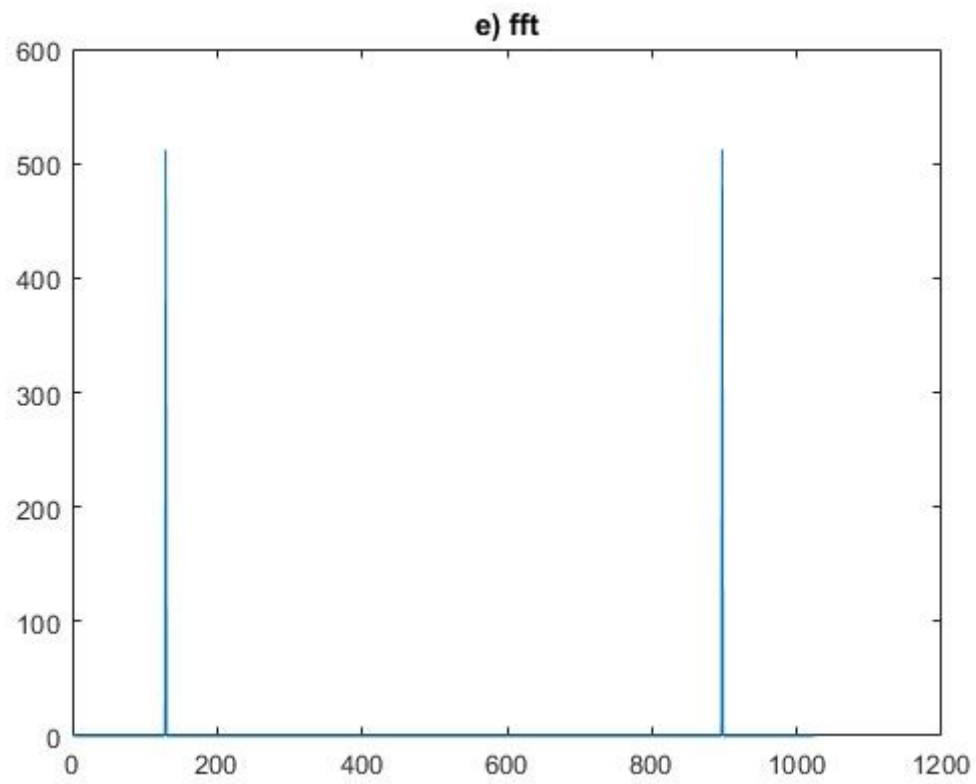


Signal d)

Sine wave with non-integer number of periods

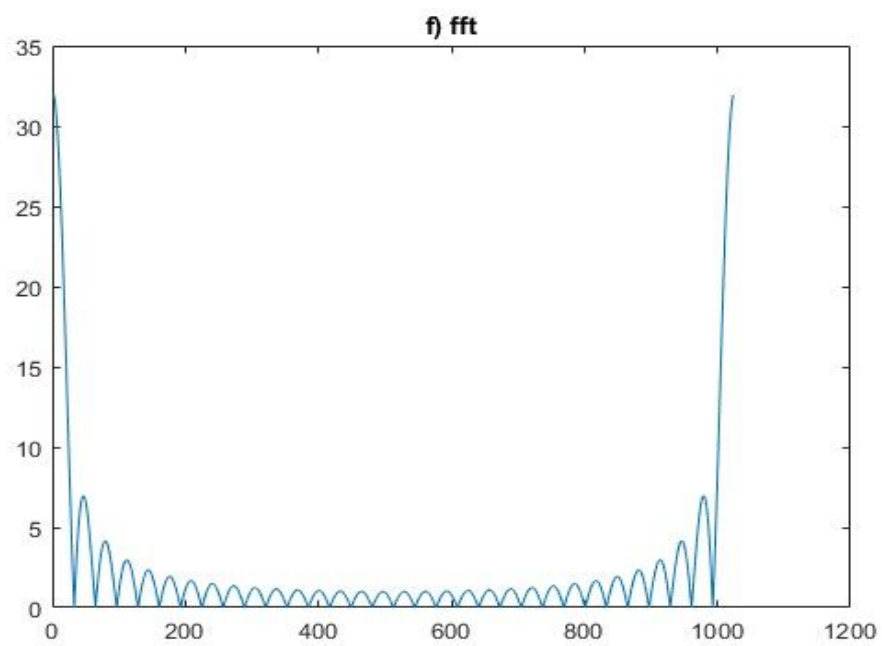


Signal e)



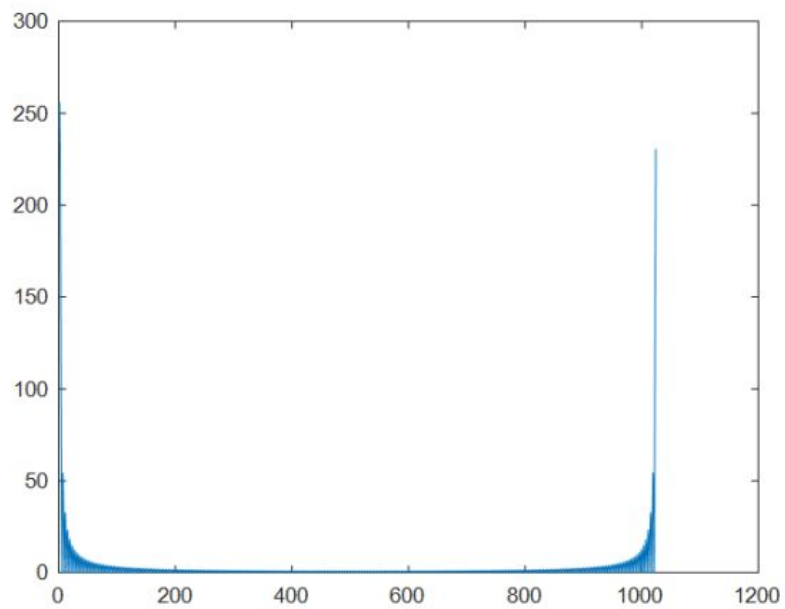
Signal f)

f) A 32-point square impulse beginning at $n = 0$

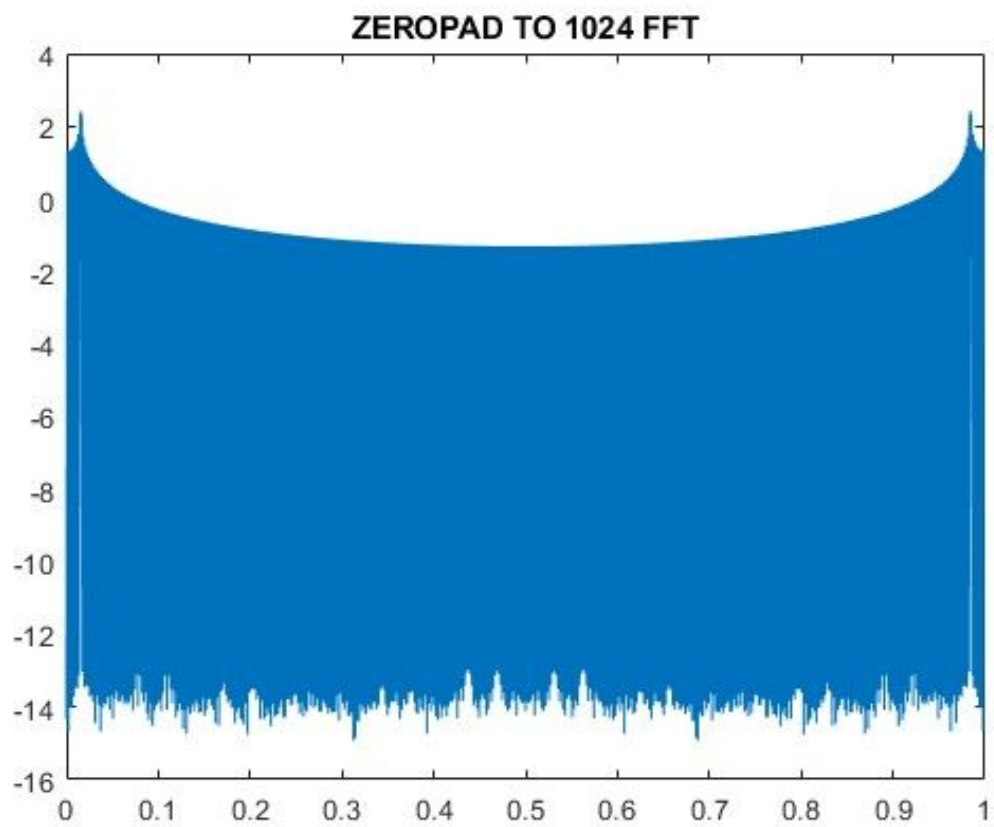
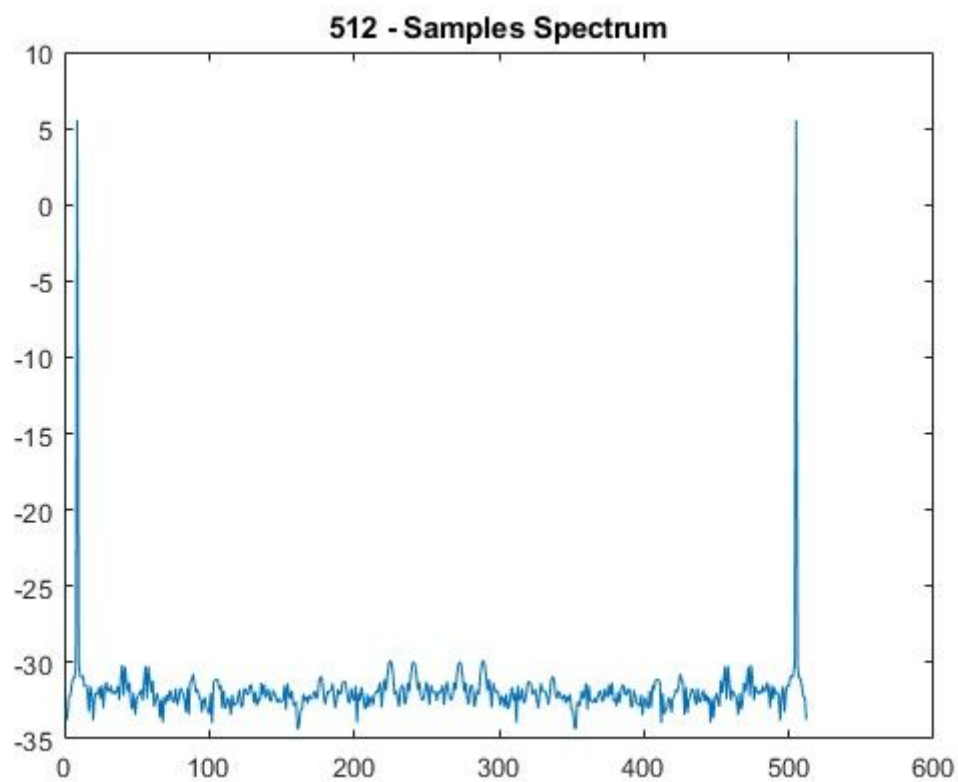


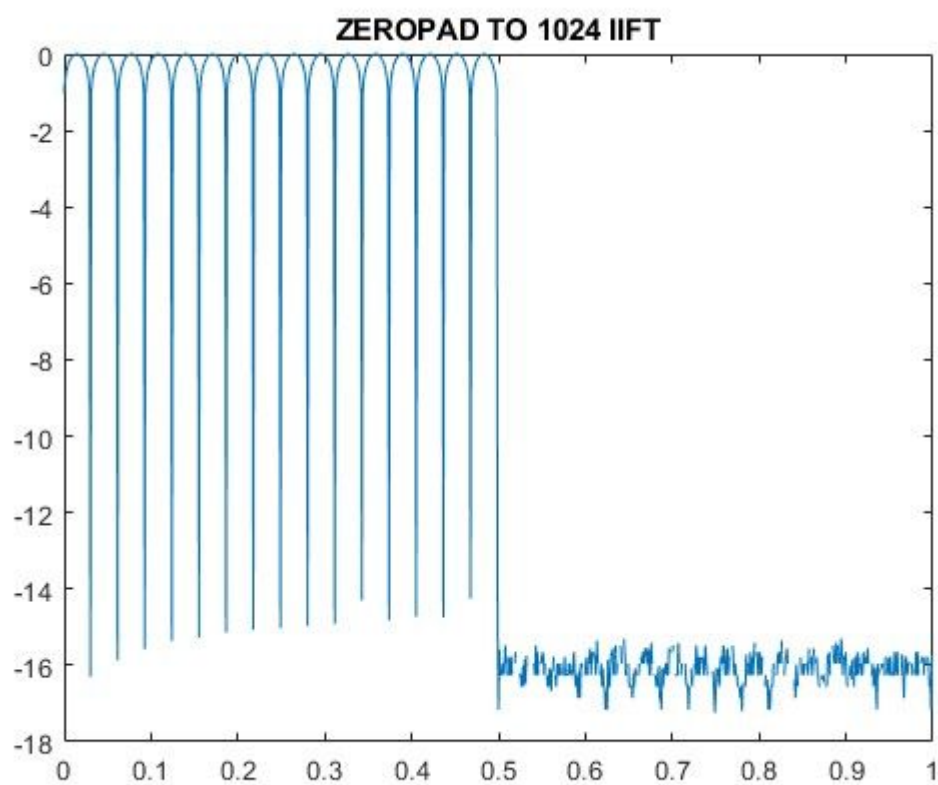
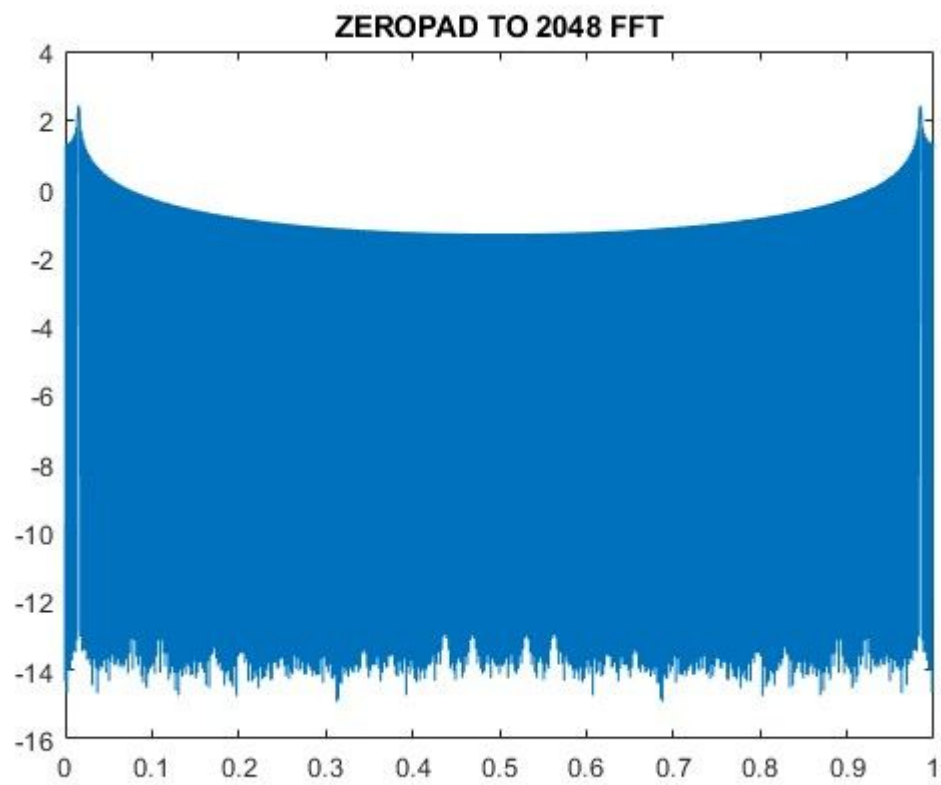
Signal g)

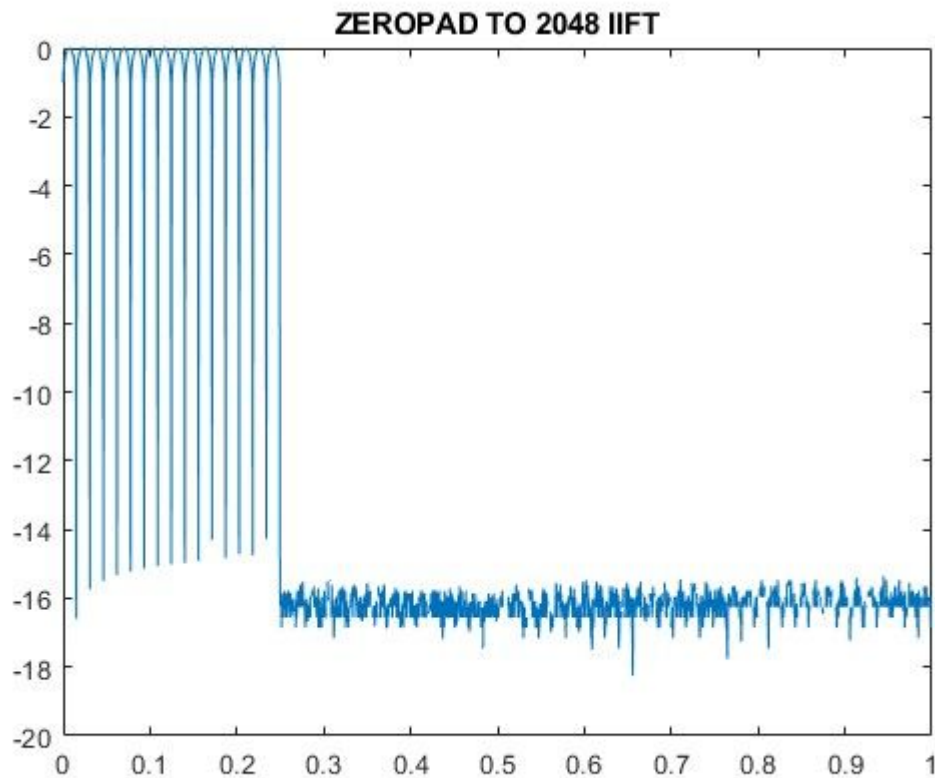
g) A 32-point square impusle beginning at $n = N_s > 0$



Task 3





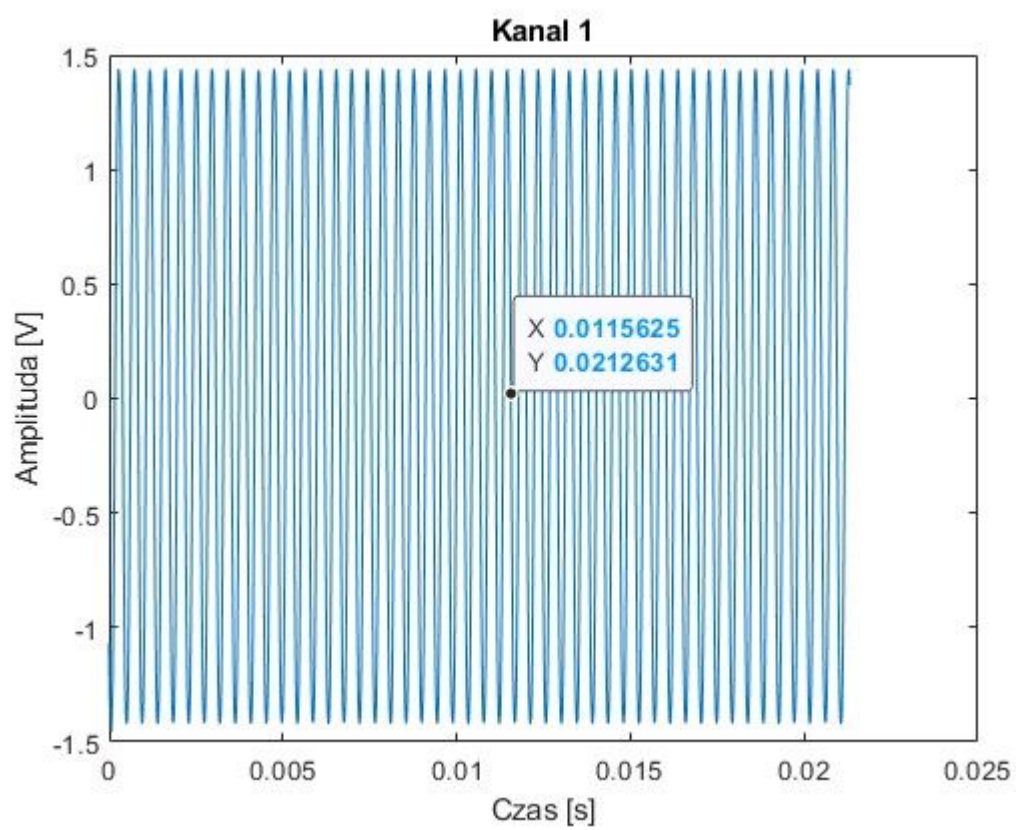


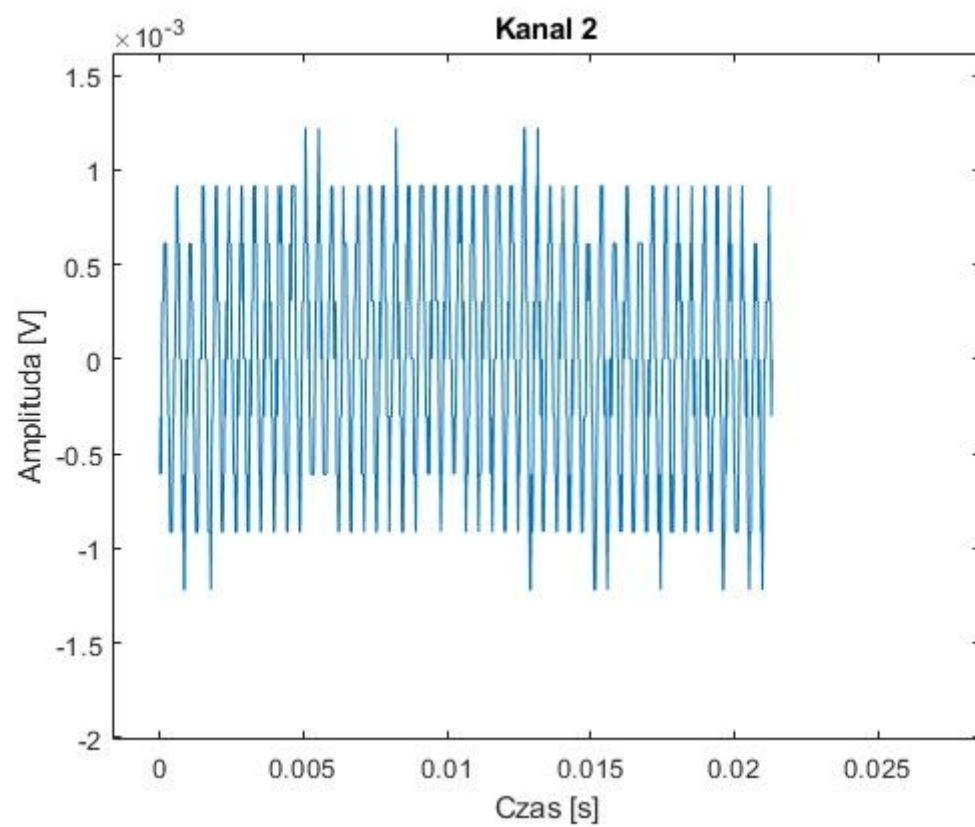
Through the application of FFT a fluctuating point is produced with two peaks on the ends.

And due to application IFFT to the those signals, we obtained signals with repeating peaks.

Task 5

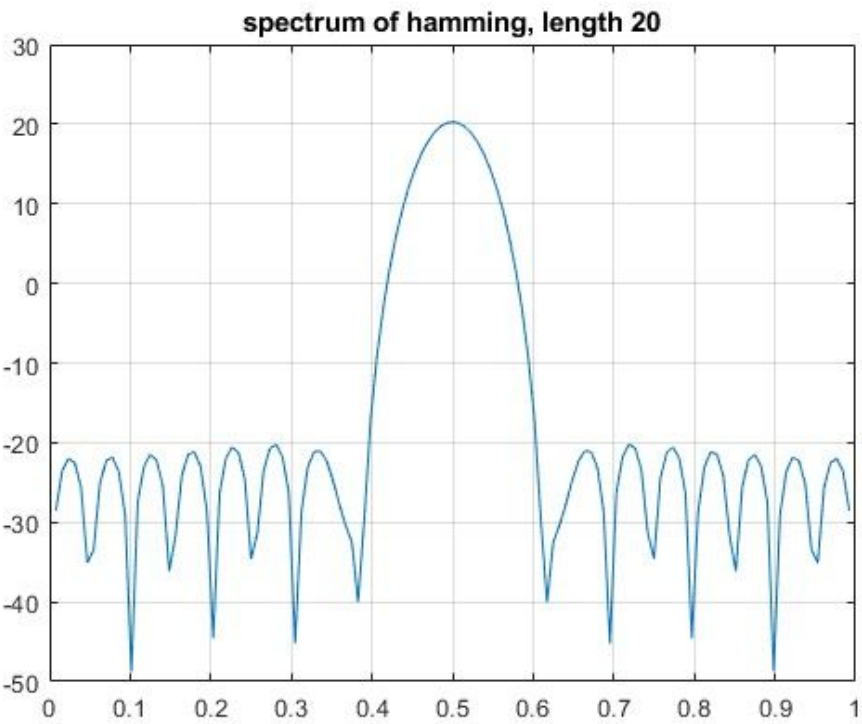
$N = 1024$, $F_s = 48\text{kHz}$, $F_n = 1/64\text{ Hz}$

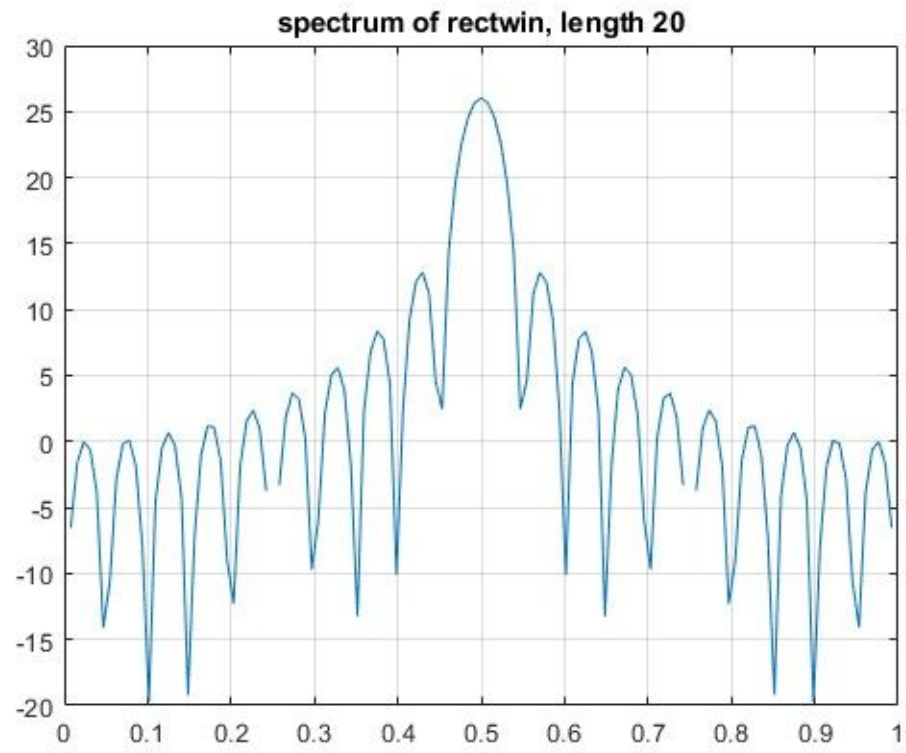




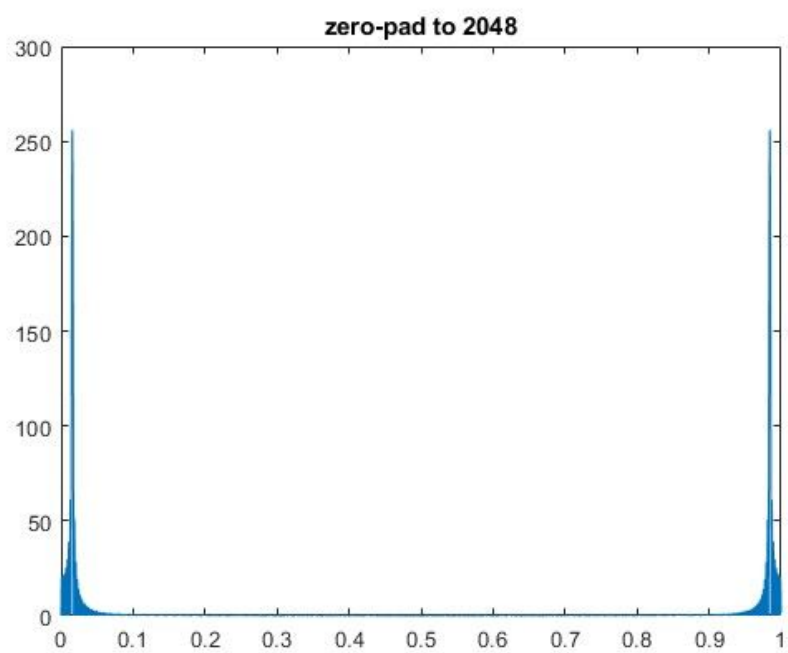
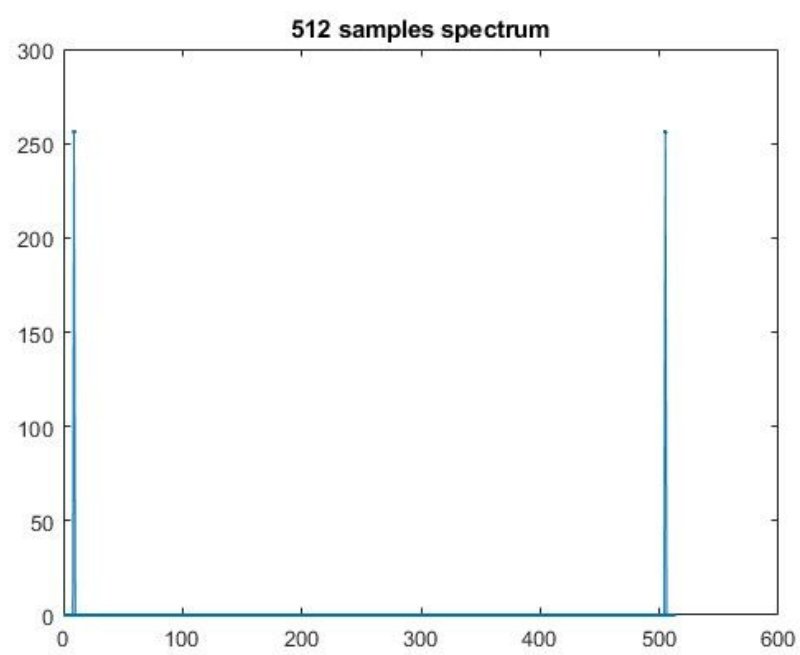
Task 6-

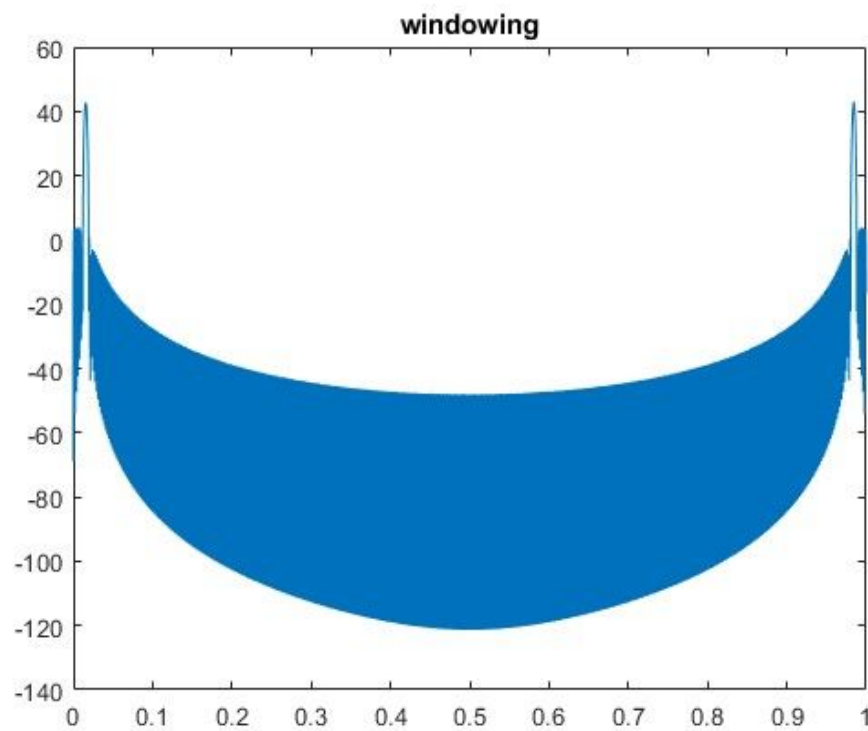
Window type	Mainlobe width	First sidelobe	Highest sidelobe	Sidelobes change with f
	Normalized freq.	dB below mainl.	dB below mainl.	describe shortly
rectangular	0.1	0.6	0.6	Decreases with higher f
hamming	0.24	0.66	0.71	Decreases with higher f





Task 7:





here , zero-padding and then hamming windowing ($20\log_{10}$ scale) was applied to obtain a better and more precise version of the plot of input signal.