

WEEK 4

Face Recognition: One Shot Learning.

learning a similarity function: $d(\text{img}_1, \text{img}_2) = \text{degree of diff b/w images.}$

if $d(\text{img}_1, \text{img}_2) < \tau$ "same"
 $> \tau$ "different" } verification.

Siamese network: (to learn func. 'd')

Triplet loss

A, P & N images; $f(x)$ - encoding of x .

$$\text{Want: } \underbrace{\|f(A) - f(P)\|^2}_{d(A,P)} \leq \underbrace{\|f(A) - f(N)\|^2}_{d(A,N)}$$

$$\|f(A) - f(P)\|^2 - \|f(A) - f(N)\|^2 \leq 0$$

$0 - 0 \leq 0$ — satisfies \uparrow this equation.

So, add margin α , ~~and~~

$$\text{Anchor} - \text{Negative} + \alpha \leq 0$$

α - pushes (A,P) & (A,N) pair further apart

If $(A,P) = 0.5$ & $(A,N) = 0.51$, the case will pass.

So, to \uparrow (A,N) or \downarrow (A,P) we use ' α '.

loss function:

Given: 3 images - A, P, N.

$$L(A,P,N) = \max(\|f(A) - f(P)\|^2 - \|f(A) - f(N)\|^2 + \alpha, 0)$$

NEURAL STYLE TRANSFER

- 1) What is style transfer? Painting an image with the style of another.
- 2) Visualization of deep layers (complex shapes in images) in convolutional layers.
- 3) Cost functions $\underset{G}{\text{min}} \frac{C}{\alpha} + \frac{S}{\beta}$

min: $J(G)$: measures how good is $J(G)$ & use GD to minimize

$$J(G) = \alpha J_{\text{content}}(C, G) + \beta J_{\text{style}}(S, G)$$

paper: Gatys et al (A Neural Algo of artistic style)

Algo: i) Initialize G randomly.

ii) use GD to min $J(G)$: $G_i = G_i - \frac{d}{dG} J(G)$

4) Content Cost Function

$$J(G) = \alpha J_{\text{content}}(C, G) + \beta J_{\text{style}}(S, G)$$

→ Use hidden layer 'l' to generate content cost.

If $l=1$, it forces G to have same pixel values as C .

If $l = \text{deep}$, it makes sure if there is an object in

C then the same obj is in G .

$$J_{\text{content}}(C, G) = \frac{1}{2} \sum_{l=1}^L \left\| \frac{a^l(C)}{a^l(G)} - \frac{a^l(G)}{a^l(G)} \right\|_2^2$$

Style loss function

Style? Correlation between activations across channels.

Intuition: channel 1 captures horizontal ~~img~~ edges
channel 2 captures orange color

⇒ style = orange horizontal edges.

Let $a_{i,j,k}^{[l]}$ = activation at (i,j,k) . $G^{[l]}$ is $n_c^{[l]} \times n_c^{[l]}$

$$G_{kk'}^{[l](s)} = \sum_{i=1}^{n_h^{[l]}} \sum_{j=1}^{n_w^{[l]}} a_{ijk}^{[l](s)} a_{ijk'}^{[l](s)} \rightarrow \text{style img.}$$

$$G_{kk'}^{[l](G)} = \dots \rightarrow \text{generated img.}$$

$$J_{\text{style}}^{[l]}(S, G) = \left\| G^{[l](s)} - G^{[l](G)} \right\|_F^2$$

$$= \frac{1}{2} \sum_{k,k'} \left(G_{kk'}^{[l](s)} - G_{kk'}^{[l](G)} \right)^2$$

$$J_{\text{style}}(S, G) = \sum_l \lambda^{[l]} J_{\text{style}}^{[l]}(S, G)$$

↪ weighted by λ ; use diff weights for earlier simple layers & later layers (hi-level)

$$J(G) = \alpha J_{\text{content}}(C, G) + \beta J_{\text{style}}(S, G)$$