

# ARRAY AND STRINGS.

## Hash Tables:-

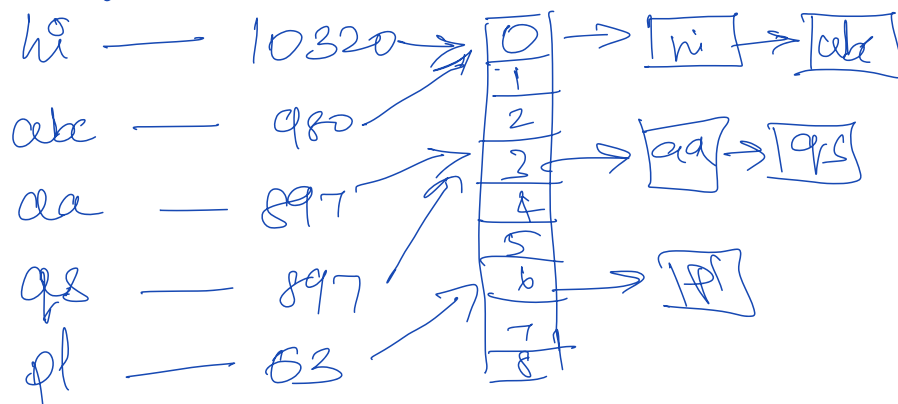
1. Maps keys to values.
2. Highly efficient lookups
3. infinite number of keys & finite ents.

1. Compute key's hash code
2. Map hashcode to index
3. Every index has linked list of key and values

⊗ two keys can have same hash code

⊗ two hash codes can be linked to same index.

eg:-



ALT:- we can complement hash tables with balanced binary search tree.

# Linked List

1. No constant time access to  $n^{\text{th}}$  element
2. Sequence of nodes
3. Each node points to next and previous node
4. Add or Remove from beginning.

eg:



ALT: Number of Linked List Problems rely on Recursion.

If a linked list cannot solve a problem. Recursion can be used.

eg: problems:

1. Remove duplicates from unsorted array.
2. To find  $k^{\text{th}}$  to last element of a singly linked list
3. Delete a node in middle of a singly linked list.
4. To check if a LL is palindrome
5. Circular LL, beginning of the loop.
6. Two 3-digit numbers stored in reverse of a linked list add them and return LL.

# Stacks & Queue

Stacks - LIFO

pop()

push(i)

peek()

isEmpty()

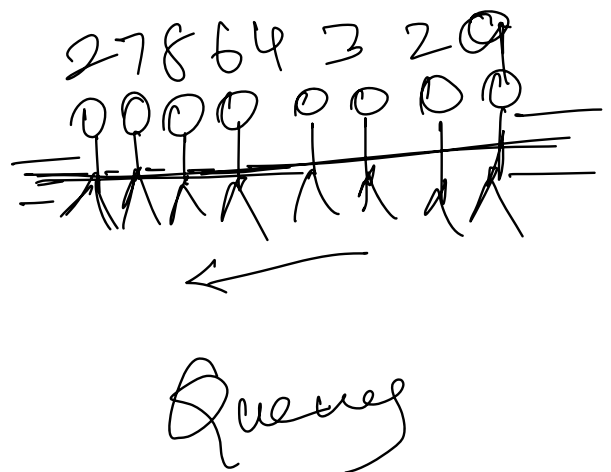
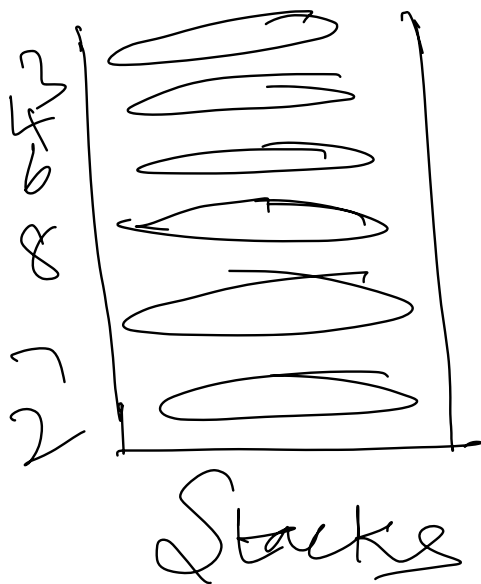
Queues - FIFO

add(i)

Remove()

peek()

isEmpty()



# Trees & Graphs

Trees are node & child structures

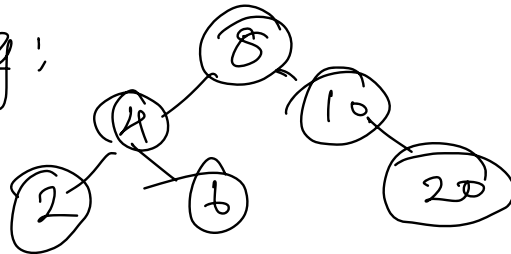
Root node can have zero or more child

## Binary Trees:

Can have only two child

node without child is leaf

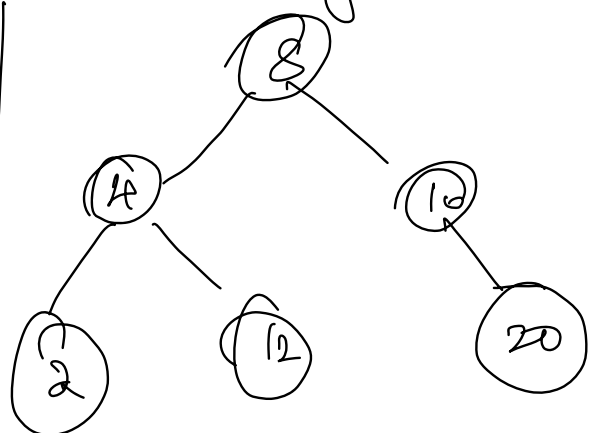
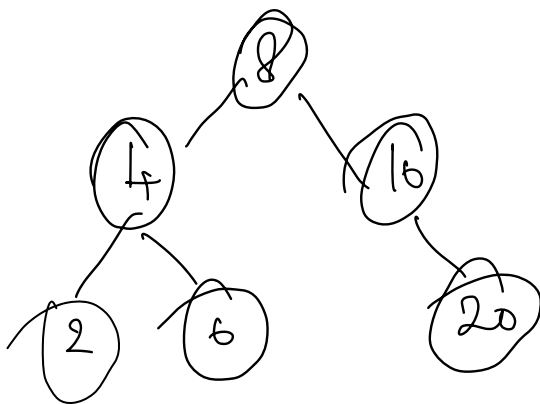
eg:



Binary Tree

vs

Binary Search Tree



for each node

BST has all left descendant  $\leq n <$  all right

ALT: Complete tree vs non complete tree

Heaps are complete BSTs.

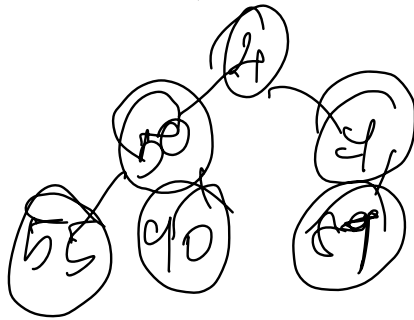
Two types MIN and MAX

# Min Heaps

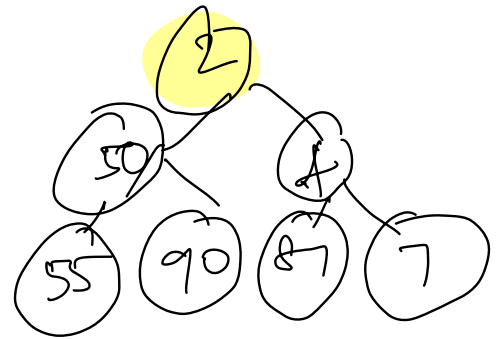
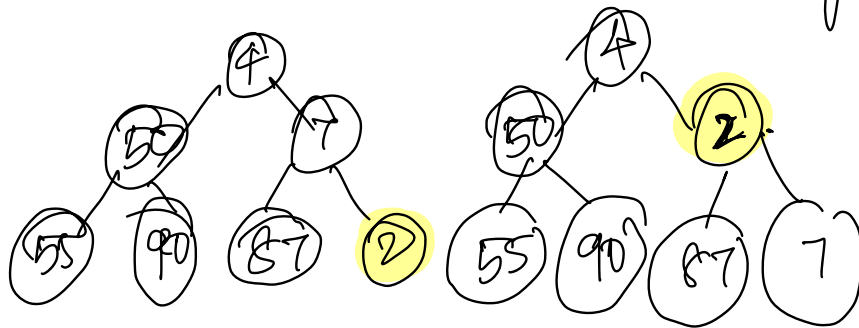
Each node smaller than its child.

Root is minimum element

Totally filled other than rightmost last.



Insert in Heaps:



Extract Min

