A PDF that contains the expected results, along with any descriptions you feel may help in the understanding/interpretation of your results.

Understanding:

According to my understanding, the koch snowman starts with an equilateral triangle. For every iteration, each line is replaced with a new one that is split into 4 so that a new equilateral triangle pokes out of the middle. This can go on infinitely, creating the snowflake shape.

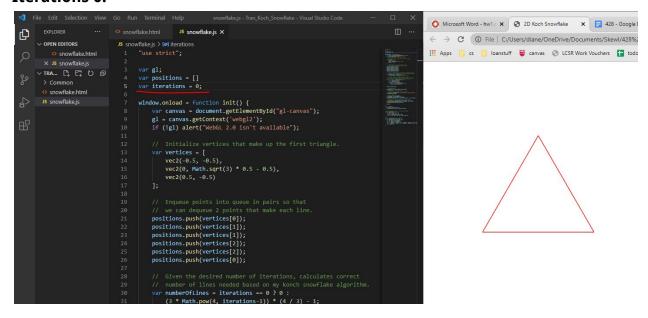
Algorithm:

I used a queue to keep track of the sets of vertices between each line. So if we had 3 vertices, [A, B, C], it would be stored in a queue as [A, B, B, C, C, A]. I dequeue 2 vertices at a time to grab the line I want to replace. The first would be the line A, B, then B,C, then C,A. As I create new lines, I follow the same pattern adding in new pairs of vertices to the queue.

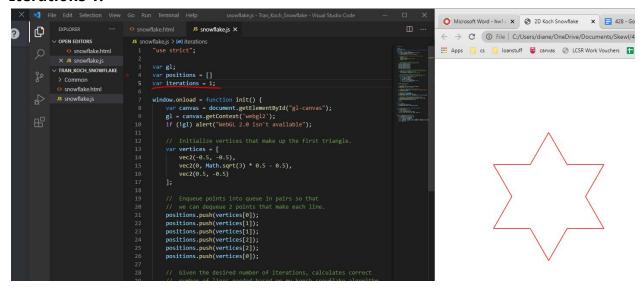
First, a line is split into 3 lines and we get 2 new vertices at the 1/3 and 2/3 mark. Then the two new vertices are rotated to get the final middle vertex, and all 5 vertices are ordered into the new line and returned to be enqueued.

This algorithm's loop will replace one line for each iteration. I adjusted the number of lines/loops based on iterations right before the loop to create our koch snowflake shown below.

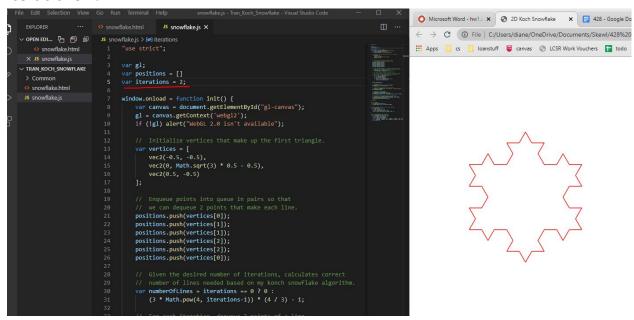
Iterations 0:



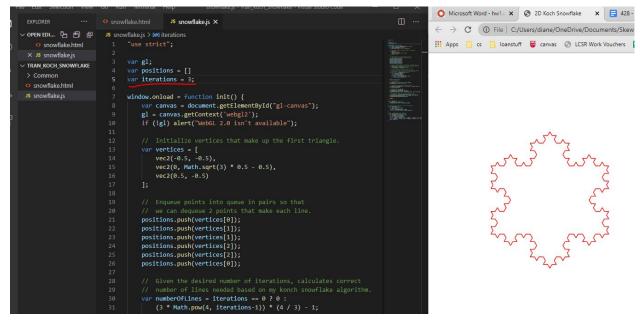
Iterations 1:



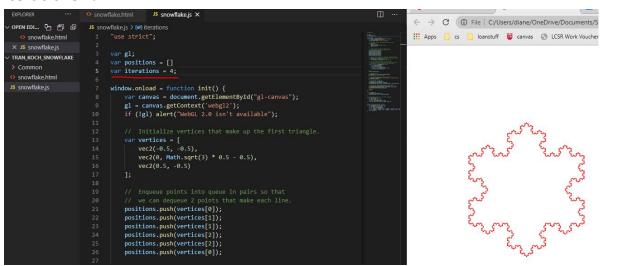
Iterations 2:



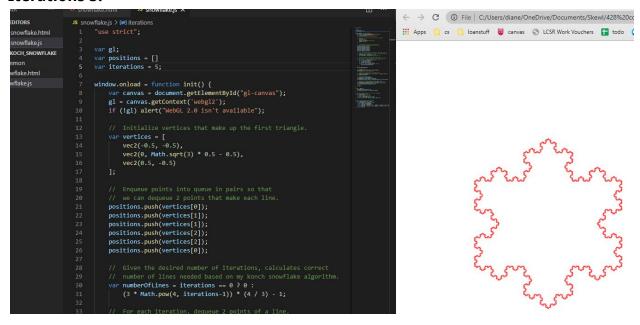
Iterations 3:



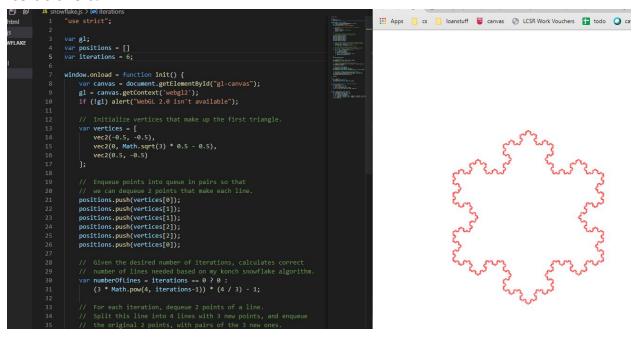
Iterations 4:



Iterations 5:



Iterations 6:



Iterations 7:

```
var gl;
var positions = []
var iterations = 2;
window.onload = function init() {
    var canvas = document.getElementById("gl-canvas");
    gl = canvas.getContext("webgl2');
    if (!gl) alert("WebGl 2.0 isn't available");

// Initialize vertices that make up the first triangle.
var vertices = [
    vec2(-0.5, -0.5),
    vec2(0.5, -0.5),
    vec2(0.5, -0.5);
};

// Enqueue points into queue in pairs so that
// we can dequeue 2 points that make each line.
positions.push(vertices[1]);
positions.push(vertices[1]);
positions.push(vertices[2]);
positions.push(vertices[2]);
positions.push(vertices[2]);
positions.push(vertices[2]);
positions.push(vertices[2]);
// Given the desired number of iterations, calculates correct
// number of lines needed based on my konch snowflake algorithm.
var numberOfilnes = iterations = 0 ? 0;
    (3 * Math.pow(4, iterations-1)) * (4 / 3) - 1;

// for each iteration, dequeue 2 points of a line.
// Split this line into 4 lines with 3 new points, and enqueue
// the original 2 points, with pairs of it 0 3 new ones.
```

After 7 iterations, there is no visible difference.