



# Bitcoins

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1. Was ist Bitcoin?

2. SHA-256

3. Sekp256k

4. Das Bitcoin Protokoll

- Elektronisches Zahlungsmittel
- Geschichte:
  - Bitcoin Paper (2008)
  - OpenSource Client (2009)
- Autor
  - Satoshi Nakamoto ([satoshin@gmx.com](mailto:satoshin@gmx.com))
  - Unbekannt / Pseudonym

# Was ist Bitcoin? (2)

- Idee:
  - Zahlung via Digitaler Signaturen
  - Double-Spending via P2P erkennen
  - Keine Zentrale Kontrollinstanz
- Komponenten
  - Secp256k1
  - SHA-256
  - Bitcoin-Protokoll (Blockchains)



## Secp256k1

**secp256k1** refers to the parameters of the ECDSA curve used in Bitcoin, and is defined in *Standards for Efficient Cryptography (SEC)* (Certicom Research, <http://www.secg.org/sec2-v2.pdf>).

secp256k1 was almost never used before Bitcoin became popular, but it is now gaining in popularity due to its several nice properties. Most commonly-used curves have a random structure, but secp256k1 was constructed in a special non-random way which allows for especially efficient computation. As a result, it is often more than 30% faster than other curves if the implementation is sufficiently optimized. Also, unlike the popular NIST curves, secp256k1's constants were selected in a predictable way, which significantly reduces the possibility that the curve's creator inserted any sort of backdoor into the curve.

### Technical details

As excerpted from *Standards*:

The elliptic curve domain parameters over  $F_p$  associated with a Koblitz curve secp256k1 are specified by the sextuple  $T = (p, a, b, G, n, h)$  where the finite field  $F_p$  is defined by:

- $p = \text{FFFFFFFF FFFFFFFF FFFFFFFF FFFFFFFF FFFFFFFF FFFFFFFF FFFFFFFE FFFFFFFC2F}$
- $= 2^{256} - 2^{32} - 2^8 - 2^7 - 2^6 - 2^4 - 1$

The curve  $E: y^2 = x^3 + ax + b$  over  $F_p$  is defined by:

- $a = \text{00000000 00000000 00000000 00000000 00000000 00000000 00000000 00000000}$
- $b = \text{00000000 00000000 00000000 00000000 00000000 00000000 00000000 00000007}$

The base point  $G$  in compressed form is:

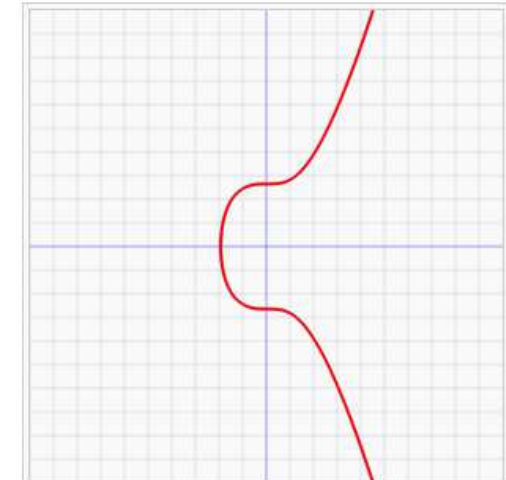
- $G = \text{02 79BE667E F9DCBBAC 55A06295 CE870B07 029BFCD8 2DCE28D9 59F2815B 16F81798}$

and in uncompressed form is:

- $G = \text{04 79BE667E F9DCBBAC 55A06295 CE870B07 029BFCD8 2DCE28D9 59F2815B 16F81798 483ADA77 26A3C465 5DA4FBFC 0E1108A8 FD17B448 A6855419 9C47D08F FB10D4B8}$

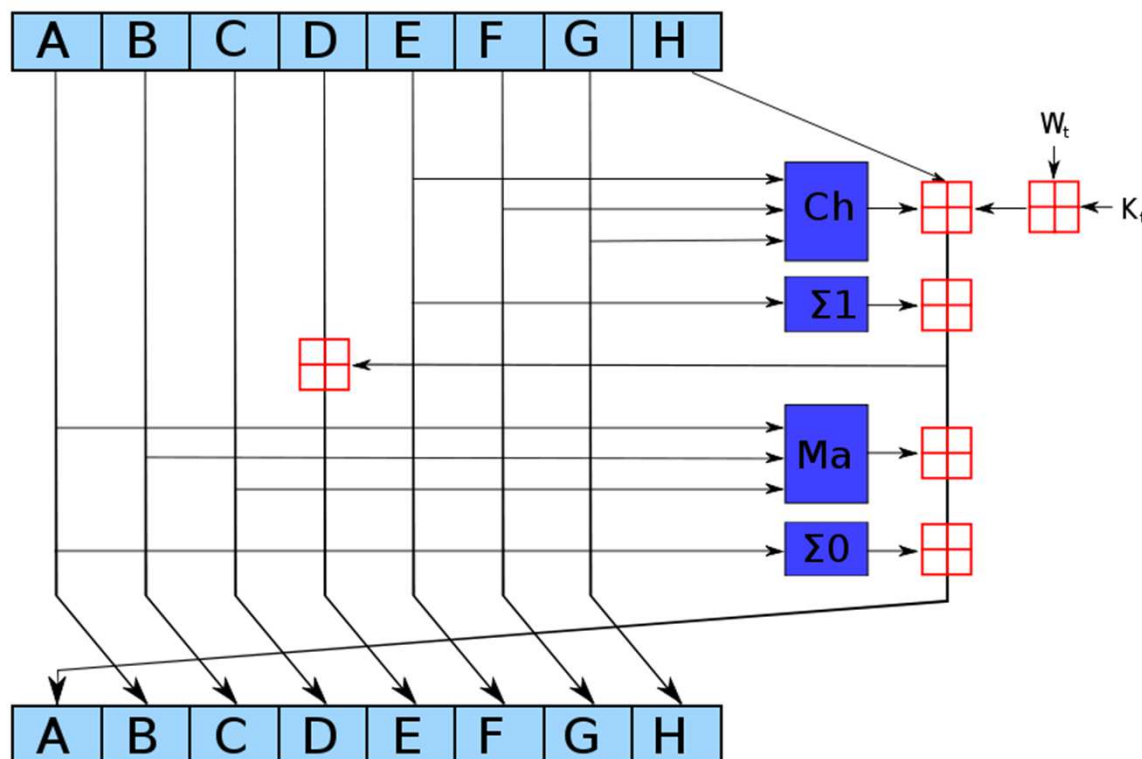
Finally the order  $n$  of  $G$  and the cofactor are:

- $n = \text{FFFFFFFF FFFFFFFF FFFFFFFF FFFFFFFF FFFFFFFE BAAEDCE6 AF48A03B BFD25E8C D0364141}$
- $h = 01$



This is a graph of secp256k1's elliptic curve  $y^2 = x^3 + 7$  over the real numbers. Note that because secp256k1 is actually defined over the field  $Z_p$ , its graph will in reality look like random scattered points, not anything like this.

# SHA-2



## SHA-2

### General

<b>Designers</b>	National Security Agency
<b>First published</b>	2001
<b>Series</b>	(SHA-0), SHA-1, SHA-2, SHA-3
<b>Certification</b>	FIPS PUB 180-4, CRYPTREC, NESSIE

### Detail

<b>Digest sizes</b>	224, 256, 384, or 512 bits
<b>Structure</b>	Merkle–Damgård construction
<b>Rounds</b>	64 or 80

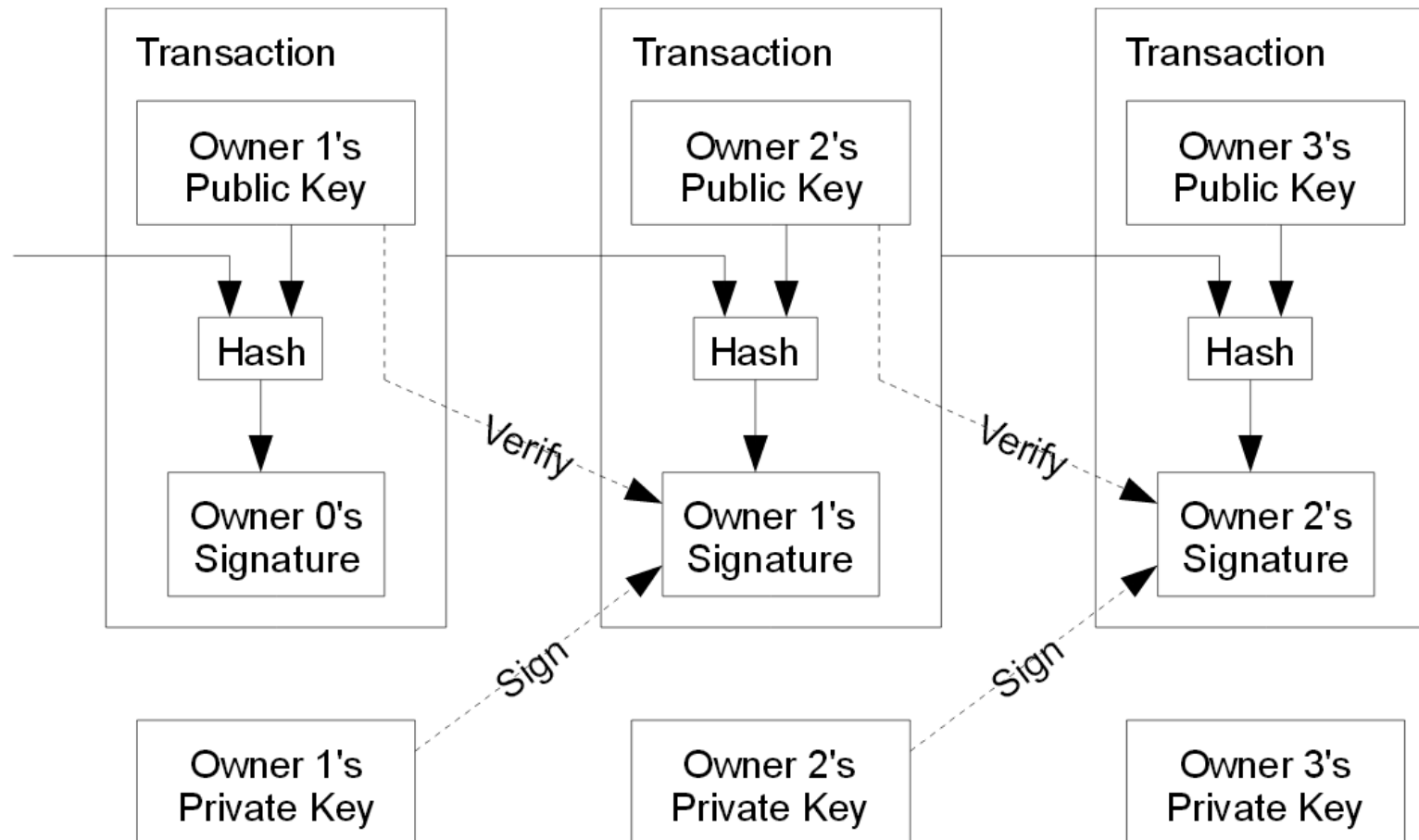
### Best public cryptanalysis

A 2011 attack breaks [preimage resistance](#) for 57 out of 80 rounds of SHA-512, and 52 out of 64 rounds for SHA-256.<sup>[1]</sup>

Pseudo-collision attack against up to 46 rounds of SHA-256.<sup>[2]</sup>

Quelle: Wikipedia

- Was ist eine Bitcoin?





## ● Die Blockchain

Longest Proof-of-Work Chain

