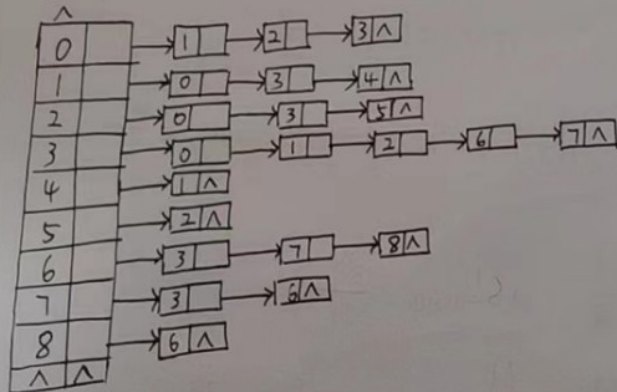


0	0	1	2	3	4	5	6	7	8
1	0	1	0	1	0	0	0	0	0
2	1	0	0	1	0	0	0	0	0
3	1	1	1	0	0	1	0	0	0
4	0	1	0	0	0	0	1	0	0
5	0	0	1	0	0	0	0	0	0
6	0	0	0	1	0	0	0	1	0
7	0	0	1	0	0	1	0	0	0
8	0	0	0	0	0	1	0	0	0

adjacency list



DFS:

$V_0 \rightarrow V_1 \rightarrow V_3 \rightarrow V_2 \rightarrow V_5 \rightarrow V_6 \rightarrow V_7 \rightarrow V_8 \rightarrow V_4$

BFS:

$V_0 \rightarrow V_1 \rightarrow V_2 \rightarrow V_3 \rightarrow V_4 \rightarrow V_5 \rightarrow V_6 \rightarrow V_7 \rightarrow V_8$

{32, 13, 49, 24, 38, 21, 4, 12}

$H(k) = 3k \bmod 11$ the size of hash table is 11.

- ① $H(32) = 8$ ① $H(32) = 96 \bmod 11 = 8$, the hash[8] is empty, can be placed.
 ② $H(13) = 39 \bmod 11 = 6$, the hash[6] is empty, can be placed.
 ③ $H(49) = 147 \bmod 11 = 4$, the hash[4] is empty, can be placed.
 ④ $H(24) = 72 \bmod 11 = 6$, not empty, can't be placed.
 $H(24) = (72+1) \bmod 11 = 7$, hash[7] is empty, can be placed.
 ⑤ $H(38) = 114 \bmod 11 = 4$, not empty, can't be placed.
 $H(38) = (114+1) \bmod 11 = 5$, hash[5] is empty, can be placed.
 ⑥ $H(21) = 63 \bmod 11 = 8$, not empty, can't be placed.
 $H(21) = (63+1) \bmod 11 = 9$, hash[9] is empty, can be placed.
 ⑦ $H(4) = 12 \bmod 11 = 1$, hash[1] is empty, can be placed.
 ⑧ $H(12) = 36 \bmod 11 = 3$, hash[3] is empty, can be placed.

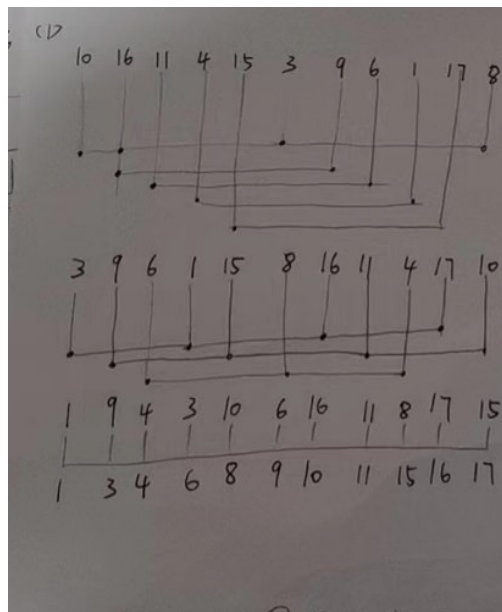
0	1	2	3	4	5	6	7	8	9	10
	4		12	49	38	13	24	32	21	

$$ASL_{succ} = \frac{1}{8} (1 + 1 + 1 + 2 + 2 + 2 + 1 + 1) = \frac{11}{8}$$

$$ASL_{unsucc} = \frac{1}{8} (1 + 2 + 1 + 8 + 7 + 6 + 5 + 4 + 3 + 2 + 1) = \frac{40}{8} = 5$$

$$\therefore ASL_{succ} = \frac{11}{8}$$

$$ASL_{unsucc} = \frac{40}{8} = 5$$



merge sort step:

(2) If the input list contains

① If the array contains only one element, return

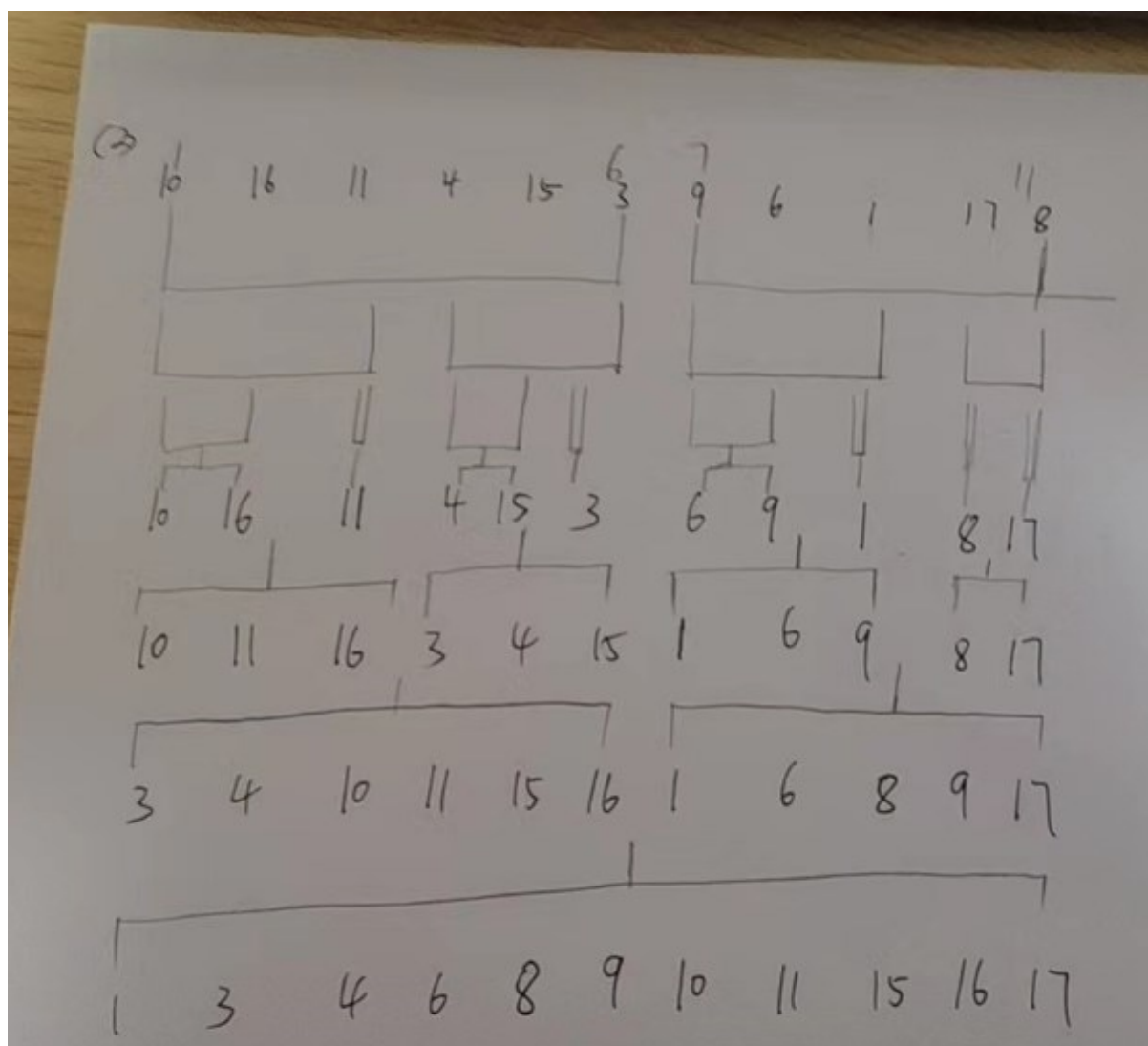
② divide the array into two smaller subarrays.

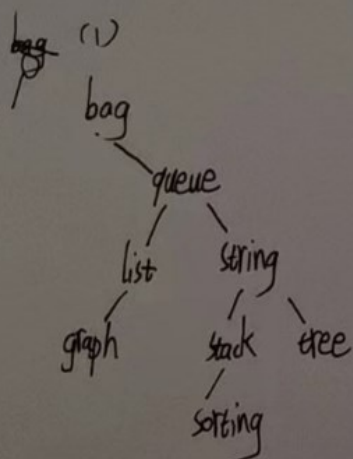
③ sort the left and the right sub arrays recursively using the merge sort

④ merge the left and right sub arrays back together, ensuring that the resulting array is in sorted order.

(3) return of first pass of quick sort:

1 3 11 4 15 16 9 6 10 17 8

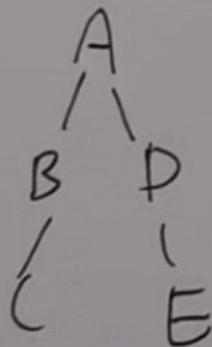




(2) Binary Sort Tree

(3) $ASL = \frac{1}{8}(1 + 2 + 3 + 3 + 4 + 4 + 4 + 5) = \frac{13}{4}$

\therefore the preorder traversal of a binary tree is A B C D E
 \therefore the postorder traversal of a binary tree is C B E D A



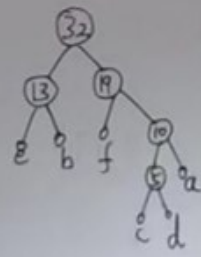
\therefore the inorder is
C B A D E

{a, b, c, d, e, f}

{5, 7, 2, 3, 6, 9}

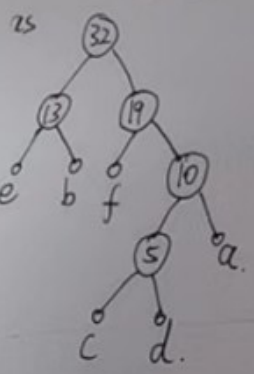


∴ the Huffman tree is



a: 111
b: 01
c: 1100
d: 1101
e: 00
f: 10

∴ the Huffman tree



a: 111
b: 01
c: 1100
d: 1101
e: 00
f: 10