```
In [1]: import numpy as np
   import pandas as pd
   import matplotlib.pyplot as plt
   import utils

2023-12-22 23:05:02.712488: I tensorflow/core/platform/cpu_feature_guard.cc:
   182] This TensorFlow binary is optimized to use available CPU instructions i
   n performance-critical operations.
   To enable the following instructions: SSE4.1 SSE4.2 AVX AVX2 FMA, in other o
   perations, rebuild TensorFlow with the appropriate compiler flags.
```

## **Decision Trees and Random Forest**

# Chronic kidney disease

```
In [2]: from sklearn.model_selection import train_test_split, cross_val_score
    ckd_data = pd.read_csv("Data/kidney_disease_cleaned.csv").set_index("id")
    X_labels = ckd_data.drop("classification", axis="columns").columns

X, Y = utils.clean_normalize_dataset("Data/kidney_disease.csv", "ckd")

# Train/Test split
    X_train, X_test, Y_train, Y_test = train_test_split(X, Y, test_size=0.20, ra
```

## Single decision tree

```
In [3]: from sklearn import tree

max_depth = 8
mean_scores = pd.DataFrame(index=pd.Index(range(2, max_depth+1), name="depth columns=["score"], dtype=np.float64)

# Crossvalidation on multiple depths to find optimal one
for depth in mean_scores.index:
    clf = tree.DecisionTreeClassifier(max_depth=depth)
    scores = cross_val_score(clf, X_train, Y_train, cv = 5) # Use training of mean_scores.loc[depth] = scores.mean()

opt_depth = mean_scores.idxmax()[0]
```

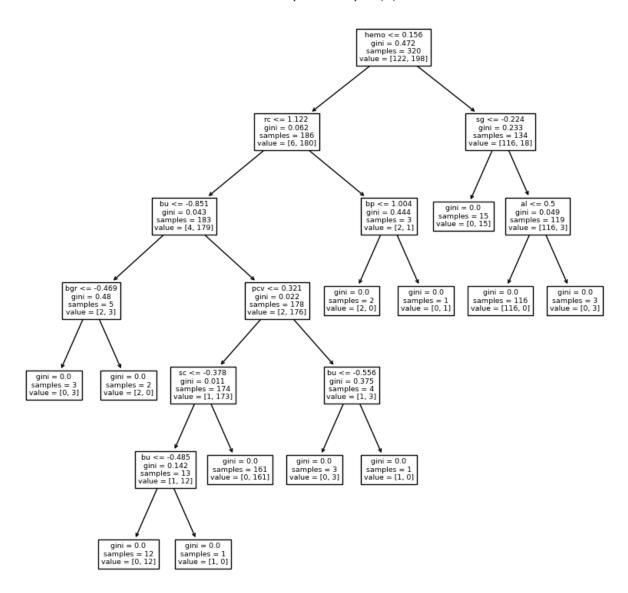
```
In [4]: # Train and test
clf = tree.DecisionTreeClassifier(max_depth=opt_depth)
clf.fit(X_train, Y_train)
acc = clf.score(X_test, Y_test)
print(f"Accuracy: {acc}")

fig, ax = plt.subplots(figsize=(10,10))
```

```
tree.plot_tree(clf, feature_names=list(X_labels), ax=ax);
ax.set_title(f"DT with optimal depth ({opt_depth})");
```

Accuracy: 0.9875

#### DT with optimal depth (6)



Usually 100% accuracy is a sign that something's wrong, but in training we didn't get 100% so it's just that we got lucky with the split

### Random forest classifier

We will assume for the sake of simplicity that the optimal max\_depth is the same as for single trees.

```
In [5]: from sklearn.ensemble import RandomForestClassifier
    n_trees_list = [5, 10, 20, 40, 60, 80, 100, 120, 150]
```

Optimal n\_trees: 60 Accuracy: 1.0

### Banknote authentication

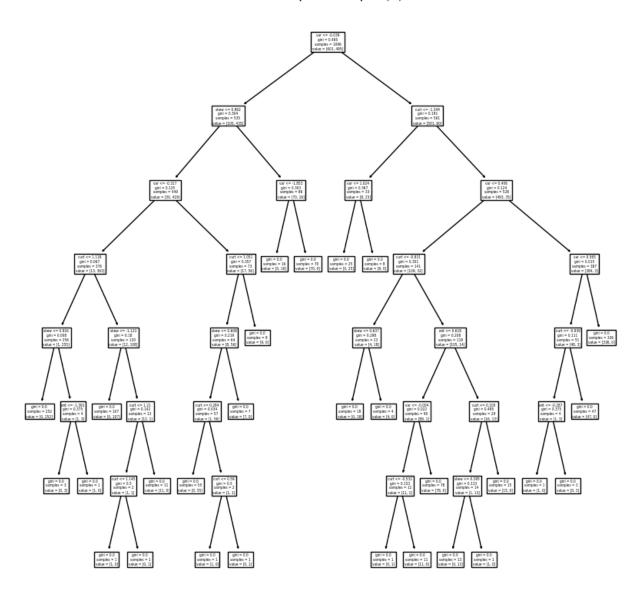
We apply the same workflow to the other dataset.

```
In [6]: X, Y = utils.clean_normalize_dataset("Data/data_banknote_authentication.txt"
    X_labels = ["var", "skew", "curt", "ent"]
# Train/Test split
    X_train, X_test, Y_train, Y_test = train_test_split(X, Y, test_size=0.20, ra
```

## Single decision tree

```
In [7]: max depth = 8
        mean scores = pd.DataFrame(index=pd.Index(range(2, max depth+1), name="depth")
                                   columns=["score"], dtype=np.float64)
        # Crossvalidation on multiple depths to find optimal one
        for depth in mean scores.index:
            clf = tree.DecisionTreeClassifier(max depth=depth)
            scores = cross val score(clf, X train, Y train, cv = 5) # Use training d
            mean scores.loc[depth] = scores.mean()
        opt depth = mean scores.idxmax()[0]
        # Train and test
        clf = tree.DecisionTreeClassifier(max depth=opt depth)
        clf.fit(X train, Y train)
        acc = clf.score(X test, Y test)
        print(f"Accuracy: {acc}")
        fig, ax = plt.subplots(figsize=(10,10))
        tree.plot tree(clf, feature names=list(X labels), ax=ax);
        ax.set title(f"DT with optimal depth ({opt depth})");
```

#### DT with optimal depth (8)



### Random forest classifier

```
clf = RandomForestClassifier(n_estimators=opt_n_trees, max_depth=opt_depth,
  clf.fit(X_train, Y_train)
  acc = clf.score(X_test, Y_test)
  print(f"Accuracy: {acc}")
```

Optimal n trees: 60

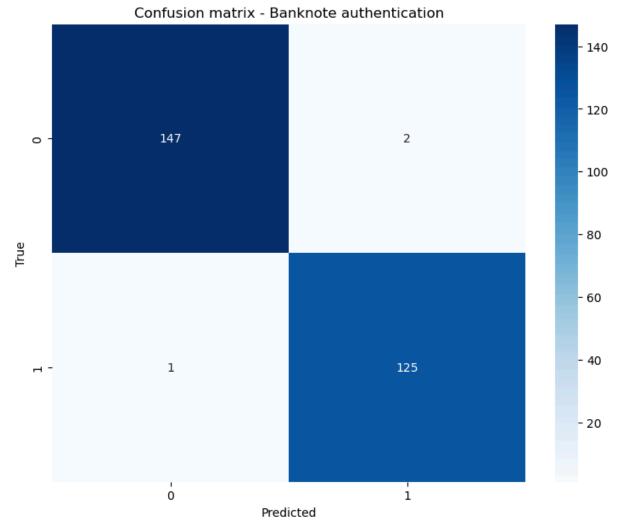
Accuracy: 0.9890909090909091

# **Neural Networks**

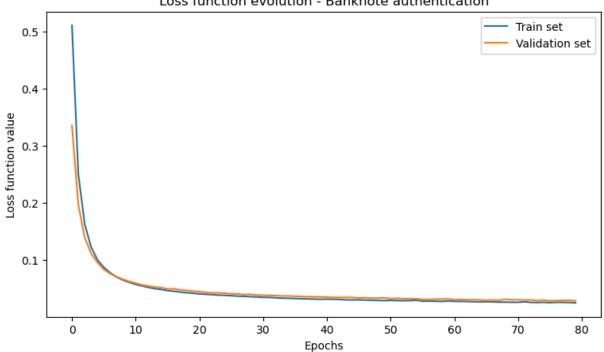
```
In [9]: # Load, process and split the banknote authentication data
ba, y_ba = utils.clean_normalize_dataset("Data/data_banknote_authentication.
    X_train_ba, X_test_ba, y_train_ba, y_test_ba = train_test_split(ba, y_ba, te)
In [10]: # Load, process and split the chronic kidney disease data
    ckd, y_ckd = utils.clean_normalize_dataset("Data/kidney_disease.csv", "ckd")
    X_train_ckd, X_test_ckd, y_train_ckd, y_test_ckd = train_test_split(ckd, y_c)
In [11]: # Banknote authentication
    # Train the model
    model_ba, history_ba = utils.fit_NN(X_train_ba, X_test_ba, y_train_ba, y_test
    #Make predictions
    y_pred, cm_ba = utils.predict_NN(model_ba, X_test_ba, y_test_ba)
    utils.plot_cm(cm_ba, 'Banknote authentication')
# Plot the loss function evolution
    utils.plot_loss(history_ba, 'Banknote authentication')
2023-12-22 23:05:19.168963: I tensorflow/core/common runtime/process util.c
```

c:146] Creating new thread pool with default inter op setting: 2. Tune using

inter op parallelism threads for best performance.



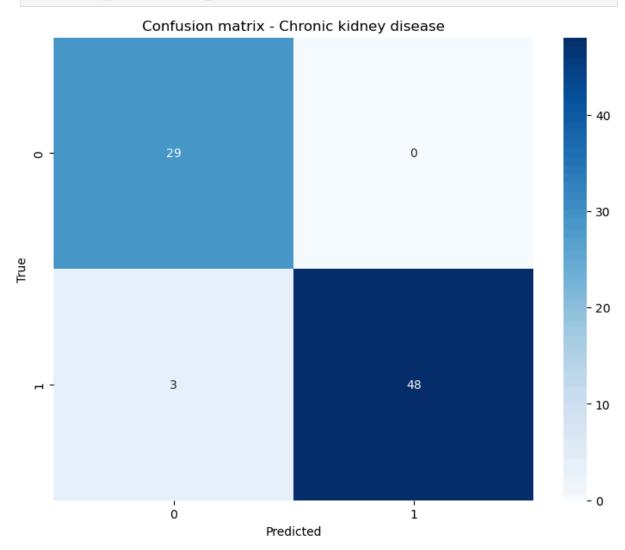
Training loss: 0.024390550330281258 , Validation loss: 0.02781415544450283 Loss function evolution - Banknote authentication



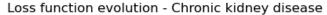
```
In [12]: # Chronic kidney disease
# Train the model
model_ckd, history_ckd = utils.fit_NN(X_train_ckd, X_test_ckd, y_train_ckd,

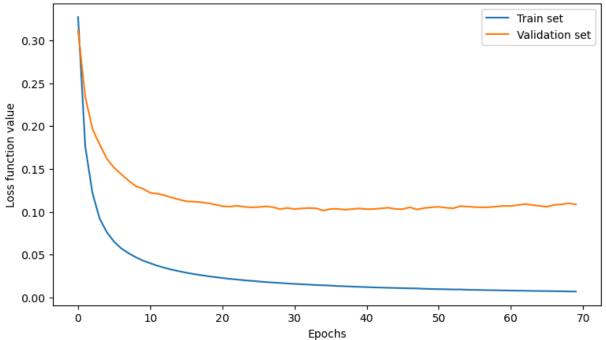
#Make predictions
y_pred, cm_ckd = utils.predict_NN(model_ckd, X_test_ckd, y_test_ckd)
utils.plot_cm(cm_ckd, 'Chronic kidney disease')

# Plot the loss function evolution
utils.plot loss(history ckd, 'Chronic kidney disease')
```



Training loss: 0.007106180302798748 , Validation loss: 0.10872243344783783





The models perform well. However, there are still improvements and verifications that could be made:

- use cross-validation
- check how categorical variables are handled
- check the metrics
- use different validation set instead of test set

# **Support Vector Machine**

```
In [13]: random_state = 42
  test_size = 0.20
```

### Banknote authentication

```
In [14]: X, y = utils.clean_normalize_dataset("Data/data_banknote_authentication.txt"
    X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=test_siz)
In [15]: y_pred = utils.fit_pred_SVM(X_train, y_train, X_test, y_test, "ba")
    Accuracy for SVM on 'ba' dataset:
    0.99272727272727
```

# Chronic Kidney Disease

```
In [16]: X, y = utils.clean_normalize_dataset("Data/kidney_disease.csv", "ckd")
    X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=test_siz)
In [17]: y_pred = utils.fit_pred_SVM(X_train, y_train, X_test, y_test, "ckd")
    Accuracy for SVM on 'ckd' dataset:
    0.9875
```

# K-Nearest Neighbours

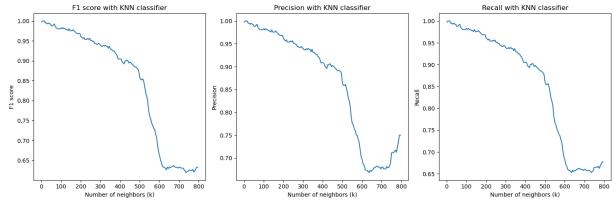
```
In [18]: from sklearn.metrics import accuracy_score, classification_report
```

# First approach

```
In [19]: ba = pd.read csv("Data/data banknote authentication.txt")
         ba, y ba = utils.clean normalize ba(ba, normalize = False)
         X = np.array(ba.to numpy())
         y = np.array(y ba.to numpy())
In [21]: # Evaluate KNN for different values of k
         k values, f1 score list, precision list, recall list, conf matrix list = uti
         # Create a figure with 1 row and 3 columns
         plt.figure(figsize=(15, 5)) # Adjust the figsize as needed
         # Plot for the first subplot
         plt.subplot(1, 3, 1)
         plt.plot(k_values, f1_score_list)
         plt.title('F1 score with KNN classifier')
         plt.xlabel('Number of neighbors (k)')
         plt.ylabel('F1 score')
         # Plot for the second subplot
         plt.subplot(1, 3, 2)
         plt.plot(k_values, precision list)
         plt.title('Precision with KNN classifier')
         plt.xlabel('Number of neighbors (k)')
         plt.ylabel('Precision')
         # Plot for the third subplot
         plt.subplot(1, 3, 3)
         plt.plot(k values, recall list)
         plt.title('Recall with KNN classifier')
         plt.xlabel('Number of neighbors (k)')
         plt.ylabel('Recall')
         # Adjust layout to prevent overlapping
         plt.tight layout()
```

```
# Show the plots
plt.show()

print("Confusion matrix for k = 1")
print(conf_matrix_list[0])
```



Confusion matrix for k = 1
[[228 1]
 [ 0 183]]

F1 score, precision and recall show very similar behaviors, so F1 score will be considered from now on as it contains both the recall and precision through the next formula:

$$F1 score = \frac{2}{\frac{1}{precision} + \frac{1}{recall}}$$

Taking k=1 seems to be the best choice given the F1 score (even for k=1 no overfitting seems to be taking place).

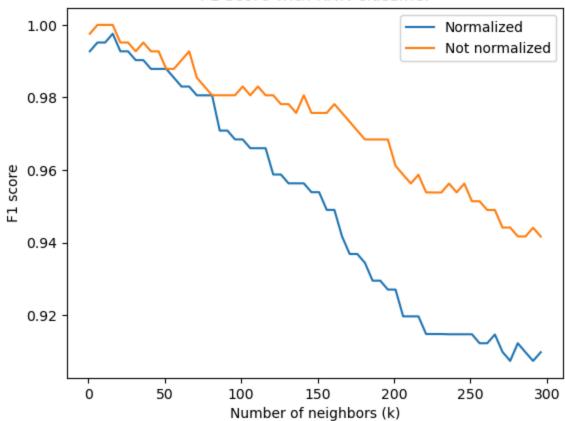
### Data normalization

```
In [22]: X_normalized = utils.normalize(X)

Mean of the unscaled features:
    [-1.24383849e-16     4.14612829e-17 -5.18266036e-17 -1.16609858e-17]
    Standard deviation of the unscaled features:
    [1. 1. 1.]

In [23]: k_values, f1_score_list_normalized, _, _, conf_matrix_list_normalized = util k_values, f1_score_list, precision_list, recall_list, conf_matrix_list = util plt.plot(k_values, f1_score_list_normalized, label='Normalized')
    plt.plot(k_values, f1_score_list, label='Not normalized')
    plt.title('F1 score with KNN classifier')
    plt.xlabel('Number of neighbors (k)')
    plt.ylabel('F1 score')
    plt.legend(loc = 'upper right')
```

F1 score with KNN classifier



Low values of k are more attractive for KNN implementation, since the offer a better perfomance but also because of the small size of the dataset. For low values of k it is observed that feature normalization does not actually improve the performance of the model. For values of k higher than 100, the unnormalized case outperforms the use of normalized features. This last phenomenon is quite logical, since unnormalized data will give more weight to some variables in the implementation of KNN algorithm, which in this case seems to improve the predicition (probably due to the fact that the features with the higher values were, by mere luck, more relevant).

## Feature selection

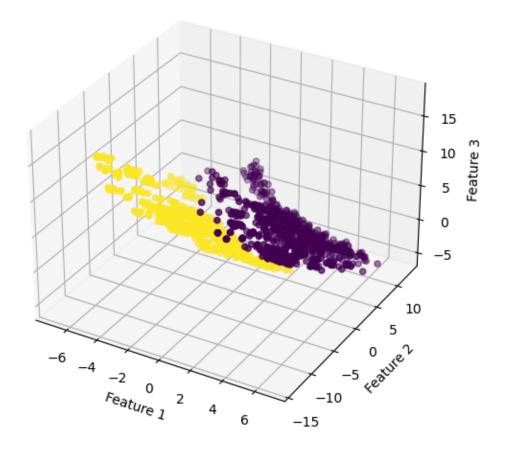
```
In [24]: from sklearn.feature_selection import SelectKBest, f_classif

def select_k_best_features(X, y, k):

# Initialize SelectKBest with the f_classif statistical test
selector = SelectKBest(score_func = f_classif, k = k)
X_selected = selector.fit_transform(X, y)

# Get the indices of the selected features
selected_indices = selector.get_support(indices=True)
```

```
# Get feature scores
             feature scores = selector.scores
             print("Indices of selected features:", selected indices)
             print("Feature scores for normalized data:", feature scores)
             # Now X selected contains the selected features
             return X selected, selected indices
In [25]: X selected, indices = select k best features(X, y, 3)
         X selected normalized, indices normalized = select k best features(X normali
        Indices of selected features: [0 1 2]
        Feature scores for normalized data: [1.51386490e+03 3.36676646e+02 3.3854045
        7e+01 7.37255535e-01]
        Indices of selected features: [0 1 2]
        Feature scores for normalized data: [1.51386490e+03 3.36676646e+02 3.3854045
        7e+01 7.37255535e-01]
In [26]: from mpl toolkits.mplot3d import Axes3D
         # Create a 3D plot
         fig = plt.figure(figsize=(6, 6))
         ax = fig.add subplot(111, projection='3d')
         # Scatter plot
         ax.scatter(X selected[:, 0], X selected[:, 1], X selected[:, 2], c=y, cmap='
         # Set labels
         ax.set xlabel('Feature 1')
         ax.set ylabel('Feature 2')
         ax.set zlabel('Feature 3')
         ax.set_title('3D Scatter Plot of Selected Features for Banknote Dataset - ur
         # Show the plot
         plt.show()
```

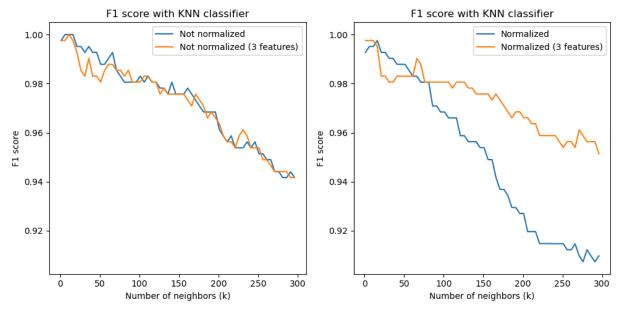


```
In [27]: k values, f1 score list 3 features, , , conf matrix list normalized 3 feat
         k_values, f1_score_list_normalized_3_features, _,_, conf_matrix_list_3_features
         # Set the same y-axis limits for both subplots
         y min = min(min(f1 score list), min(f1 score list 3 features), min(f1 score
         y max = max(max(f1 score list), max(f1 score list 3 features), max(f1 score
         # Create a figure with 1 row and 3 columns
         plt.figure(figsize=(10, 5)) # Adjust the figsize
         plt.subplot(1, 2, 1)
         plt.plot(k values, f1 score list, label='Not normalized')
         plt.plot(k values, f1 score list 3 features, label='Not normalized (3 feature)
         plt.title('F1 score with KNN classifier')
         plt.xlabel('Number of neighbors (k)')
         plt.ylabel('F1 score')
         plt.legend(loc = 'upper right')
         plt.ylim(y min, y max)
         plt.subplot(1, 2, 2)
         plt.plot(k values, f1 score list normalized, label='Normalized')
         plt.plot(k values, f1 score list normalized 3 features, label='Normalized (3
```

```
plt.title('F1 score with KNN classifier')
plt.xlabel('Number of neighbors (k)')
plt.ylabel('F1 score')
plt.legend(loc = 'upper right')
plt.ylim(y_min, y_max)

plt.tight_layout()

plt.show()
```



For unnormalized data, erasing one feature (by choosing the 3 more relevant features) does not seem to improve the model for most values of k. For normalized data, it is clear that for k < 70 the model works better when considering the 4 features, but for k > 100 using 3 features works the best.

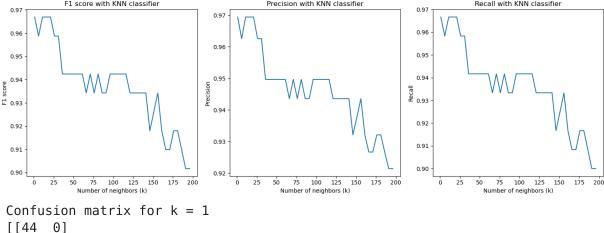
## KNN for Kidney Disease dataset

```
In [28]: ckd = pd.read_csv("Data/kidney_disease.csv")
    ckd, y_ckd = utils.clean_normalize_ckd(ckd)
    X = np.array(ckd.to_numpy())
    y = np.array(y_ckd.to_numpy())

In [29]: # Evaluate KNN for different values of k
    k_values, fl_score_list, precision_list, recall_list, conf_matrix_list = uti
    # Create a figure with 1 row and 3 columns
    plt.figure(figsize=(15, 5)) # Adjust the figsize as needed

# Plot for the first subplot
    plt.subplot(1, 3, 1)
    plt.plot(k_values, fl_score_list)
    plt.title('Fl score with KNN classifier')
    plt.xlabel('Number of neighbors (k)')
    plt.ylabel('Fl score')
```

```
# Plot for the second subplot
plt.subplot(1, 3, 2)
plt.plot(k values, precision list)
plt.title('Precision with KNN classifier')
plt.xlabel('Number of neighbors (k)')
plt.ylabel('Precision')
# Plot for the third subplot
plt.subplot(1, 3, 3)
plt.plot(k values, recall list)
plt.title('Recall with KNN classifier')
plt.xlabel('Number of neighbors (k)')
plt.ylabel('Recall')
# Adjust layout to prevent overlapping
plt.tight layout()
# Show the plots
plt.show()
print("Confusion matrix for k = 1")
print(conf matrix list[0])
       F1 score with KNN classifier
                                    Precision with KNN classifier
                                                                  Recall with KNN classifier
                                                          0.97
                            0.97
                            0.96
                                                          0.95
```



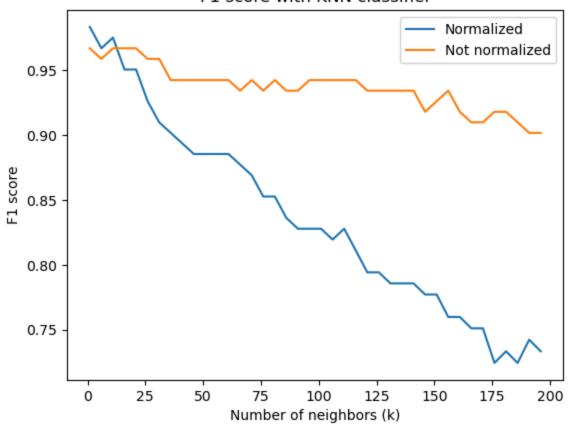
```
In [30]: X_normalized = utils.normalize(X)
    X_selected, indices = select_k_best_features(X, y, 3)
    X_selected_normalized, indices_normalized = select_k_best_features(X_normali
```

[ 4 72]]

```
Mean of the unscaled features:
       [ 8.88178420e-18  0.00000000e+00 -7.10542736e-17  3.55271368e-17
         1.77635684e-17 2.13162821e-16 -1.42108547e-16 1.77635684e-17
        -5.32907052e-17 1.77635684e-17 1.77635684e-17 0.00000000e+00
         1.77635684e-17 0.00000000e+00 0.00000000e+00 3.55271368e-17
        -1.77635684e-17 -7.10542736e-17 3.55271368e-17 -7.10542736e-17
        -9.76996262e-17 0.00000000e+00 -1.77635684e-17 0.00000000e+001
       Standard deviation of the unscaled features:
       Indices of selected features: [ 2 14 15]
       Feature scores for normalized data: [ 21.30380871 36.71059968 380.16675662
       156.74878444 47.91879344
         34.55541872 65.18965517 30.13701923 14.40131579 76.43119693
         63.93581681 37.67863422 52.81829989 2.36894798 453.07789236
        361.80745153 17.50848727 213.53495655 213.00728155 180.94911504
         23.49305556 72.84821429 65.18965517 47.13157895]
       Indices of selected features: [ 2 14 15]
       Feature scores for normalized data: [ 21.30380871 36.71059968 380.16675662
       156.74878444 47.91879344
         34.55541872 65.18965517 30.13701923 14.40131579 76.43119693
         63.93581681 37.67863422 52.81829989 2.36894798 453.07789236
        361.80745153 17.50848727 213.53495655 213.00728155 180.94911504
         23.49305556 72.84821429 65.18965517 47.13157895]
In [31]: k values, f1 score list normalized, , , conf matrix list normalized = util
        k values, f1 score list, precision list, recall list, conf matrix list = uti
        plt.plot(k values, f1 score list normalized, label='Normalized')
        plt.plot(k values, f1 score list, label='Not normalized')
        plt.title('F1 score with KNN classifier')
        plt.xlabel('Number of neighbors (k)')
        plt.ylabel('F1 score')
        plt.legend(loc = 'upper right')
```

Out[31]: <matplotlib.legend.Legend at 0x7fb333378a90>

### F1 score with KNN classifier



```
In [32]: X_selected, indices = select_k_best_features(X_normalized,y, 3)

# Create a 3D plot
fig = plt.figure(figsize=(6, 6))
ax = fig.add_subplot(111, projection='3d')

# Scatter plot
ax.scatter(X_selected[:, 0], X_selected[:, 1], X_selected[:, 2], c=y, cmap='

# Set labels
ax.set_xlabel('Feature 1')
ax.set_ylabel('Feature 2')
ax.set_zlabel('Feature 3')
ax.set_title('3D Scatter Plot of Selected Features for Banknote Dataset - ur

# Show the plot
plt.show()
Indices of selected features: [ 2 14 15]
```

```
Feature scores for normalized data: [ 21.30380871 36.71059968 380.16675662 156.74878444 47.91879344 34.55541872 65.18965517 30.13701923 14.40131579 76.43119693 63.93581681 37.67863422 52.81829989 2.36894798 453.07789236 361.80745153 17.50848727 213.53495655 213.00728155 180.94911504 23.49305556 72.84821429 65.18965517 47.13157895]
```

