

Chapter 5 Written

Written:

5.1: a. $i=5, k=5, j=6$

b. $i=5, k=6, j=6$

c. $i=3, k=3, j=3$

d. $i=5, k=5, j=6$

5.4: $x^2, x, x^2 + x, x^2 - x$, and $(x^3 / (x - 1))$ group with big oh

Group 1 “x”: x

Group 2 “ x^2 ”: $x^2, x^2 + x, x^2 - x, (x^3 / (x - 1))$

Last term bottom big oh is x and top is x^3 so it cancels out one of the x being x^2 also.

5.6: the total cost of solving the problem is in the first algorithm $=O(N)$ second algorithm $=O(N)$

also so $O(N)+O(N) = O(N+N)$ or just $O(N)$ which is the total cost.

5.7: the total cost is first algorithm $=O(N^2)$ and second algorithm $=O(N)$ so $O(N^2) + O(N)$ is just $O(N^2 + N)$ and with big oh that is just $O(N^2)$ for total cost.

5.8: Doing an $O(N)$ on a running the n binary searches on N element is $N * O(\log N)$ so it turns into $O(N \log N)$ then another algorithm running is $O(N)$ so equation is $O(N) + O(N \log N) + O(N)$ or just $O(N + N \log N + N)$ which with big oh it is just $O(N \log N)$ being the total cost.

Theory:

5.14 skip B: equation $500/100*.5$ a. would take 2.5 ms 4 times more. c. would take 12.5 ms raise by 2 slower. d. would take 62.5 ms raise by 3 and would be slower.

5.15 skip B: 1 minute is 60000 ms a. $60000/.5*100$ is 12000000 larger. c.

$n^2=60000/.5*(100)^2$ is 1200000000 but square root It because n^2 so answer is 34641.06

larger d. $n^3 = 60000/.5*(100)^3$ is 120000000000 cube root it to become 4932.42 larger.

5.16 skip D: equation would be $2000/1000*5$ a. for machine b linear would take 10 seconds

twice as many items twice the speed. b. $(2000)^2/(1000)^2*5$ would take 20 seconds. c.

$(2000)^3/(1000)^3*5$ would be 40 seconds.

5.19 skip $N \log 2 N$: from fastest to slowest would be 37 constant, N and $2/n$ which would be the linear. Then $N \log N$, $N \log \log N$ are the same after is $N \log(N^2)$, then $N^{1.5}$ and N^2), $N^2 \log N$ all the same quadratic, cubic after which is N^3 , and last is exponential 2^N , $2^{N/2}$.

5.20 no b or c: a. fragment 1 is linear $O(N)$. Fragment 2 is linear also. Fragment 3 is quadratic $O(N^2)$. Fragment 4 is linear has 2 separate for loops $O(N)$. Fragment 5 is cubic looks at it 3 times $O(N^3)$. Fragment 6 is linear. Fragment 7 is $O(N^5)$. fragment 8 is $\log(N)$

5.23: so unlucky joe starts off in his own company by himself he to increase in work size he has to be larger then employs N by 1 so with that said the max companies' unlucky joe could've worked for is $\log_2(N+1)$

5.29: version 1 is the fastest because big oh is $O(N)$ while the other 2 are $O(N^2)$

5.36: so, we know that if its being double it most likely is a log so the max number of times it can be increased is $\log_2(N)$

5.39: so, in the code I believe it is $O(N)$ it runs through the loop with an enhanced for loop to add the string into another array so it just reads through each element once then moves on.