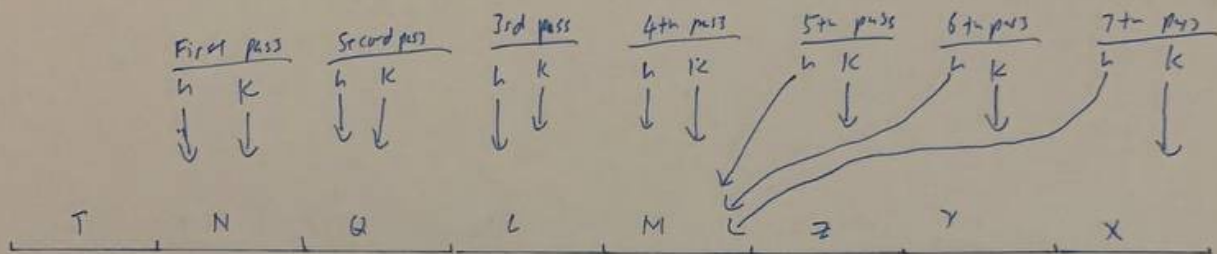


Goh Zu Hong U2021167E EE35 *why*

$$2 \times 1 \times 1 \times 6 \times 7 = 84$$

(e) T is chosen as pivot; k is for loop of array; h is the partition



once for loop ends, T will swap with M (pointed by h)

M, N, Q, L, T, Z, Y, X

After partition

(f) After first partition: (from e)

choose M and Z as ~~sub~~ pivots for sub arrays

M, N, Q, L, T, Z, Y, X

L, M, Q, N, X, Y, Z

choose \* Q and X as pivot

L, N, Q, X, Y

consisting all sub arrays

L, M, N, Q, T, X, Y, Z

(g) sort-by-odd-even(arr) {

# Assume index-0 base

h = 0;

for (k = 1 to arr.len()-1) {

if (arr[k] % 2 == 1) {

h = h + 1;

swap(arr, h, k)

}

swap(arr, 0, h)

}

Similar to partition algorithm.

ignore first element. At end of function,

swap it with the last odd element.

(h) smallest-in-max-heap(~~arr~~) {

# only ~~sort~~ find smallest value in leaf nodes

start =  $\lfloor \text{arr.len} / 2 \rfloor + 1$ ;

end = arr.len()

partition(arr, start, end)

}

partition(arr, start, end) {

if (start == end) {

return arr[start]}

val = arr[start]; h = start

for (i = start to end) {

if (arr[i] < val) {

h = h + 1

swap(arr, h, i)

}

}

swap(arr, start, h)

partition(arr, start, h-1)

}

!! Assume index-1 base.