



Welcome to the Quick Reference guide for the Journal Archives service.

Journal Archives brings together over 600 journals from 8 major publishers with material spanning the 19th and 20th centuries, encompassing a wealth of subject areas. The journals can be searched or browsed and all articles can be downloaded as PDFs. The following publisher archives are included:

- Brill Journal Archive Online - Part 1 (Vol 1 to 1999) and Part 2 (2000 -2009)
- Cambridge Journals Digital Archive (1827 – 1996)
- Institution of Civil Engineers Virtual Library Archive (1836-2001)
- Institute of Physics (IOP) Journal Archive (1874-1998)
- Periodicals Archive Online - Jisc Collections Selection (1891 – 2000)
- Oxford Journals Archive and Archive Upgrade (Oxford University Press) (1849 - 1995)
- Royal Society of Chemistry (RSC) Journals Archive (1841-2004)
- Taylor & Francis Geography, Planning, Urban and Environment Online Archive (1885 to 1996)

In addition, the plus the complete run of the Feminist magazine “Spare Rib” is hosted as open access, available to all.

The Quick Reference guide will help users to get going on the Journal Archives service as quickly as possible. It isn’t intended to cover every feature or possible usage scenario. If you have any queries or require assistance please contact the Journal Archives helpdesk at journalarchives@jisc.ac.uk.



Search View, with results shown below

The screenshot shows the Journal Archives search results for the query "chaos theory". The page displays a list of search results with callouts explaining various features:

- Shows how many results matched your search terms.**: Points to the "Matched 13882 hits" text.
- Click here to display the Advanced Search options**: Points to the "More Search Options" link.
- Toggle thumbnail images on and off here.**: Points to the "Thumbnail images: On Off" toggle.
- Click here to reorder your search results by Relevance, Author, Year of Publication or Title.**: Points to the "Sort by: Relevance" dropdown menu.
- Change the number of results per page here.**: Points to the "Results per page: 30" dropdown menu.
- Toggle between list and tile views of your search results.**: Points to the "View mode:" toggle.
- Click on the thumbnail or the title of a result to open an article in the Viewer.**: Points to the first search result's thumbnail and title.
- You can download an directly article from your results list by clicking the "Download PDF" button.**: Points to the "Download PDF" button for the first result.

The search results list includes the following entries:

- Review of Chaos. From Theory to Applications**
 Author: Main, Ian G.
 Press. TSONIS A. A. 1992. *Chaos. From Theory to Applications*, xii + 274 pp. New York, London, time series. The second part of the book is dedicated to the *theory* of *chaos*. Chapter 5 introduces, modern idea of '*chaos*' even in popular bookshops, with a plethora of volumes on the subject, apparently unpredictable phenomena. But does *chaos* have more than just a pretty face - does it really, a variety of scientific ills. The mathematical idea of deterministic *chaos* has its roots...
 Journal: *Geologica*
 Volume: 133 | Issue:
 Publication date: J
 DOI: 10.1017/S001675680000...
[Download PDF](#)
- The anharmonic route to chaos: kneading theory**
 Author: Glendinning, P
 Nonlinearity 6 (1993) 349-367. Printed in the UK The anharmonic route to *chaos*: kneading *theory*, give a topological description of maps on the The anharmonic route to *chaos*: kneading *theory*, ..., 1, ..., AN-1 is odd. The anharmonic route to *chaos*: kneading *theory* 353 Similarly, A < B iff A < Bo, - 1" SC kk). (iii) If g(0) < 0 and g'(0) The anharmonic route to *chaos*: kneading *theory* 355,) class C The anharmonic route to *chaos*: kneading *theory* 357 Definifiori 3.1. Let (f), p E
 Journal: *Nonlinearity*
 Volume: 6 | Issue: 3 | Pages: 349 - 367
 Publication date: May 1993
 DOI: 10.1088/0951-7715/6/3/001
[Download PDF](#)
- Bifurcations and chaos in the ϕ_4 theory on a lattice**
 Author: Bak, P., Jensen, M. Høgh
 being stable (elliptic) Bifurcations and *chaos* in the cP4 *theory* on a lattice 1895 to being unstable. Bifurcations and *chaos* in the q54 *theory* on a lattice 1897 X X Figure 3. (a) Orbits calculated for a, should search the full (x, y) space. However, Bifurcations and *chaos* in the cP4 *theory* on a, conditions (x1, y 1) which are Bifurcations and *chaos* in the 44 *theory* on a lattice l 1 _T, 'banana split' occurs, and we Bifurcations and *chaos* in the cP4 *theory* on a lattice l 1 J, -
 Journal: *Journal of Physics A: Mathematical and General*
 Volume: 15 | Issue: 6 | Pages: 1893 - 1907
 Publication date: 1 June 1982
 DOI: 10.1088/0305-4470/15/6/030
[Download PDF](#)

Search View, expanded to show Advanced Options

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Matched **13882** hits

Date ☐ All e.g. 1900 or 1905-1906 or 1950, 1953-1956

Volume ☐ All

Issue ☐ All e.g. 5 or May

Start page ☐ All e.g. 12 or 2

DOI ☐ All e.g. 10.1038

Thumbnail images: ☐ On ☐ Off


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Review of Chaos. From Theory to Applications

Author: Main, Ian G.

Press. TSONIS A. A. 1992. *Chaos. From Theory to Applications*, xii + 274 pp. New York, London, time series. The second part of the book is dedicated to the *theory of chaos*. Chapter 5 introduces, modern idea of '*chaos*' even in popular bookshops, with a plethora of volumes on the subject, apparently unpredictable phenomena. But does *chaos* have more than just a pretty face - does it really, a variety of scientific ills. The mathematical idea of deterministic *chaos* has its roots in the

Journal: Geological Magazine
Volume: 133 | Issue: 1 | Pages: 114 - 115
Publication date: January 1996
DOI: 10.1017/S0016756800007342

Using the Viewer to look at a document

Journal Archives << Results [Click here to return to your list of search results.](#)

Click the button to expand the Search panel.

Zoom in and out or reset the view to default from this toolbar.

Click the numbered buttons to jump to the page of that number, or use the arrow buttons to move a page at a time.

Click the down-arrow icon to download the whole article as a PDF, or the citation data in the .RIS format.

Click the button to expand the Details panel.

The first page of one of our results in the Viewer.

Nonlinearity 6 (1993) 349–367. Printed in the UK

The anharmonic route to chaos: kneading theory

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Received 6 January 1992, in final form 2 October 1992
Accepted by R S MacKay

Abstract. The kneading theory for maps which model the anharmonic route to chaos is developed. We show that the transition to chaos in a range of problems is via a sequence of period-doubling and homoclinic bifurcations, and that this route to chaos is robust in the sense that if a family of differential equations undergoes this transition to chaos, then so do sufficiently close families. The sequence of bifurcations generates orbits of period (p_n) , $n \geq 1$, related by $p_{n+1} = 2p_n + (-1)^n k$ which exist for maps on the boundary of chaos.

AMS classification scheme numbers 58F13, 58F14

1. Introduction

In [9] a new route to chaos (in the sense of having a topological horseshoe or, equivalently, positive topological entropy) was described, where maps on the boundary of chaos have orbits of period (p_n) , $n \geq 0$, where

$$p_{n+1} = 2p_n + (-1)^n k \quad (1.1)$$

(for any non-zero integer k), together with an orbit of period $|k|$ and, possibly, an orbit of period $2|k|$. The aim of this paper is to give topological proofs for this new route to chaos, showing that this transition is stable to small perturbations of the defining equations.

To date several robust routes to chaos have been described in maps of the interval and diffeomorphisms of the disc (which can be thought of as return maps for families of differential equations). The most well-known is probably period-doubling [6, 7], where maps on the boundary of chaos have orbits of period (p_n) , $n \geq 1$, with

$$p_{n+1} = 2p_n \quad (1.2)$$

for some choice of $p_1 \geq 1$ ($p_1 = 1$ for continuous maps of the interval). Most other transitions are abrupt, and maps on the boundary of chaos have only a finite number of periods as, for example, in circle intermittency [14], a mechanism related to circle intermittency on the Lorenz surface [8, 21–23] and the homoclinic explosions of Lorenz maps [1, 19]. Thus the new sequence of periods (1.1) can be seen as a second

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The Viewer, with the Search and Details panels open

Journal Archives

Click these tabs to switch between thumbnails, a list of pages where your search terms were matched, and a list of related publications.

Click the right-arrow icon to access a permanent URL to this article.

Click these tabs to switch between bibliographic data and full text here.

Click any thumbnail to jump directly to that page in the Viewer.

You can scroll through the article using this bar.

Journal: Nonlinearity
Article: The anharmonic route to chaos: kneading theory
Author: Glendinning, P
Volume: 6 | **Issue:** 3 | **Pages:** 349 - 367
Publication date: May 1993
DOI: 10.1088/0951-7715/6/3/001

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