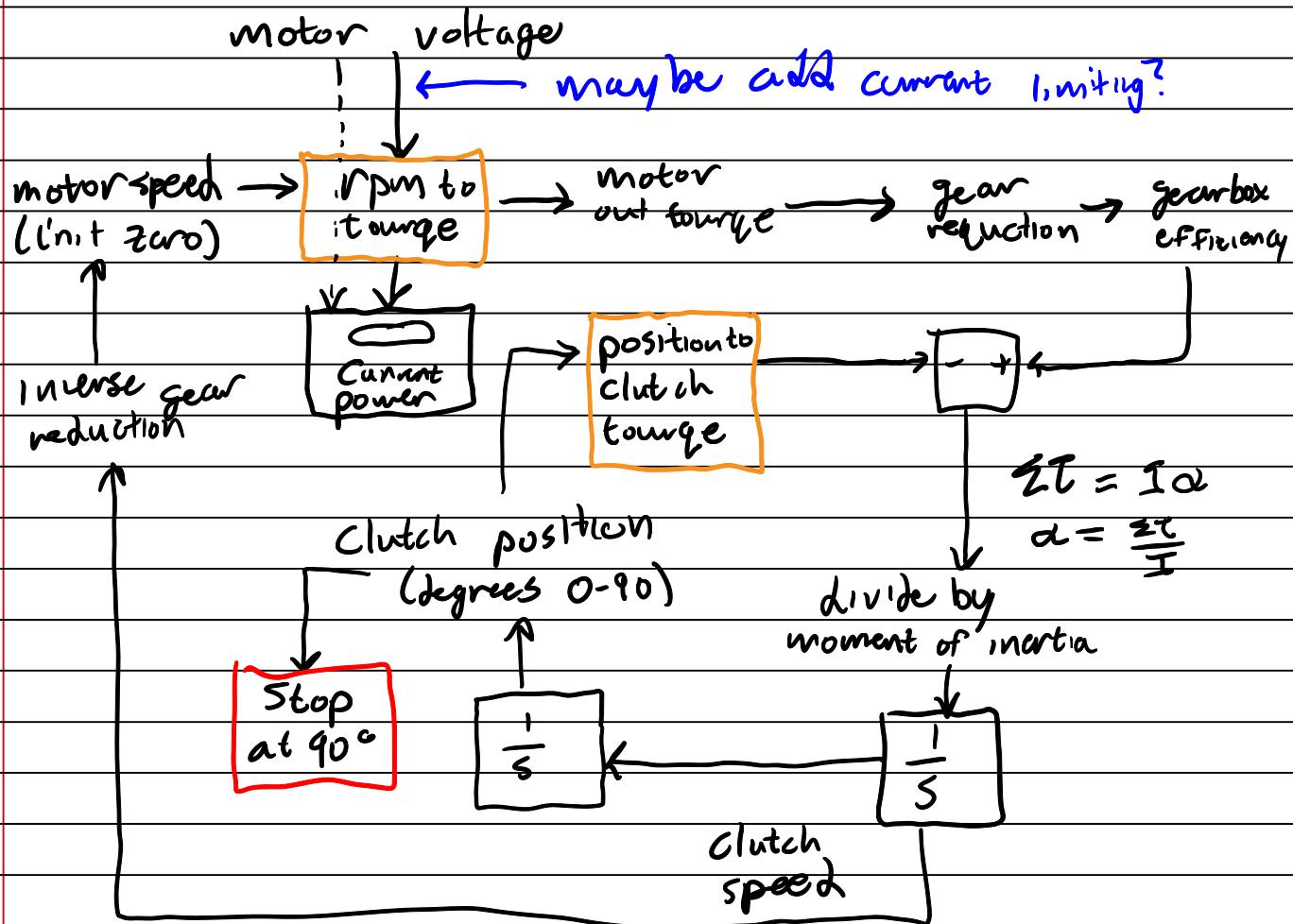


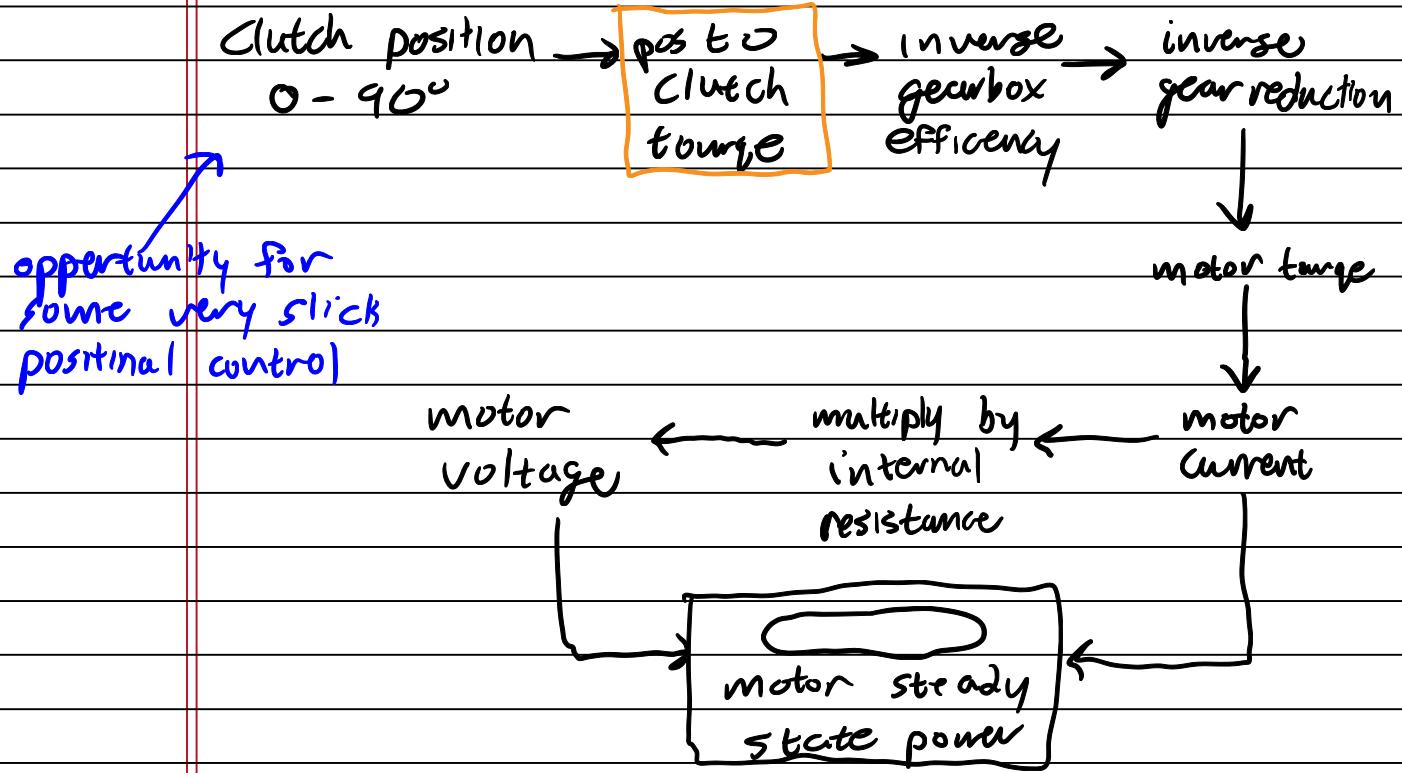
# Clutch Model planning

Calvin  
Motor

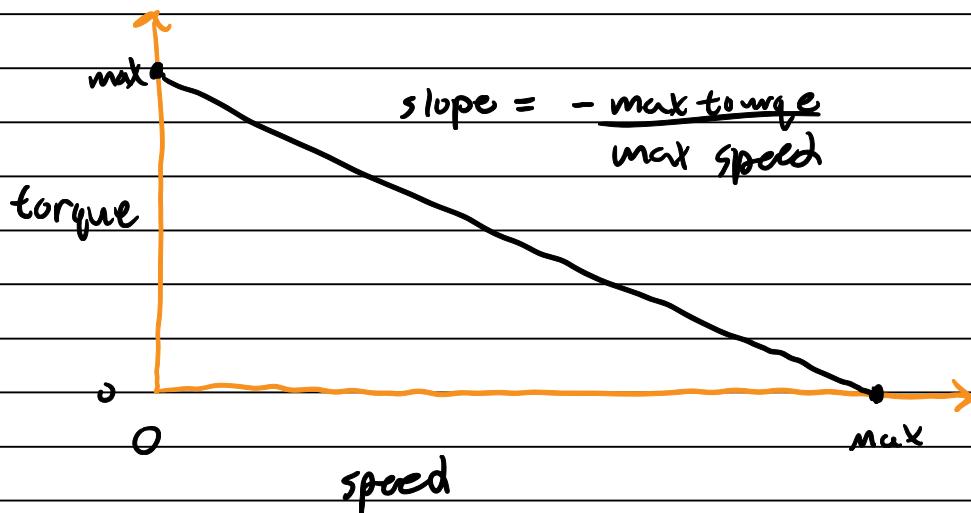
Clutch transient (get as much torque as possible to actuate as fast as possible (max voltage))



Steady state holding  
(minimize current to keep  
the clutch hold out)



Motor RPM + motor voltage  $\rightarrow$  motor torque



$$\text{max torque} = \left( \frac{\text{max voltage}}{\text{internal resistance}} \right) \left( K_T \left( \frac{\text{Nm}}{\text{A}} \right) \right)$$

$$\text{max speed} = \left( \frac{\text{max voltage}}{\text{internal resistance}} \right) \left( K_V \left( \frac{\text{RPM}}{\text{volt}} \right) \right)$$

$$\text{slope} = -\frac{\text{max torque}}{\text{max speed}} = \left( \frac{\text{max voltage}}{\text{internal res}} \right) K_T \cdot \frac{1}{\text{max voltage} \cdot K_V}$$

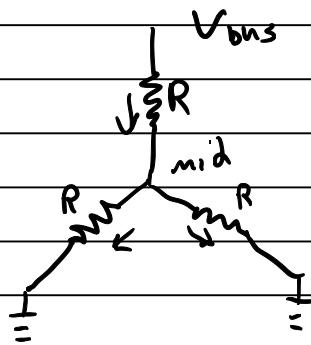
$$\text{slope} = -\frac{K_T}{(K_V)(iR)}$$

$$\text{intercept} = \text{max torque} = \frac{\text{max voltage}}{\text{internal res}} K_T$$

$$\text{Torque} = \frac{V K_T}{iR} - \frac{K_T}{(K_V) iR} (\text{speed})$$

Torque =  $\frac{K_T}{iR} V - \frac{\text{speed}}{K_V}$

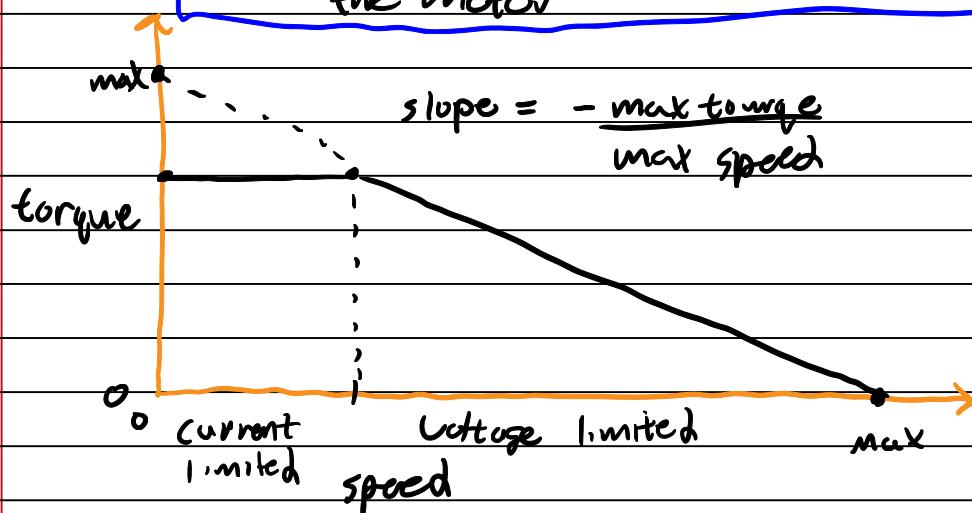
## Coil Resistance → internal resistance



$$iR = R + R \parallel r$$

$$iR = \frac{3}{2} R$$

## Calculating voltage and current in the motor



- Current is mostly limited by heat dissipation in the motor

$$\text{power diss}(W) = (\text{motor current})^2 (iR)$$

- Torque output can give us current
- Current can give us power dissipated
- power dissipated + mechanical power gives total power
- $(\text{motor current})(\text{motor voltage}) = \text{total power}$

### Block diagram:

Calc current.

↳ if current too high, set the torque to the max possible torque using the current limit

↓  
Set new current accordingly

Clutch position  $\rightarrow$  clutch torque

at  $0^\circ$ , torque = ?

at  $90^\circ$ , torque = ?  $T_c < T_0$

