

Exp No : 1

## 1. N - Queens Problem Using Backtracking in python.

Aim :- Write a program to solve N - Queens problem with python code.

Algorithm:

- i) Start
- ii) Placing empty space - Create an  $N \times N$  board filled.
- iii) Call check, if placing Queen is safe.  
 No Queen is in the same row.  
 No other is in the same diagonal.  
 No other queen is in the same lower diagonal.
- iv) If a safe position is found, place the queen ('1') and move to next column using recursion.
- v) If all Queen are successfully placed the algorithm, return True, indicating that the solution is found.
- vi) If placing the Queen is the current column does not lead to solution Algorithm Backtracks to the previous column and tries next row.

## Program:

```
def isSafe (board, row, col, n):
```

```
    for i in range (col):
```

```
        if board [row] [i] == 1:
```

```
            return False
```

```
    for i, j in zip (range (row, -1, -1) range
```

```
                    (col - 1, -1)):
```

```
        if board [i] [j] == 1:
```

```
            return False
```

```
    for i, j in zip (range (row, n, -1) range
```

```
                    (col, -1, -1)):
```

```
        if board [i] [j] == 1:
```

```
            return True
```

```
def solve NQ Util (board, col, n):
```

```
    if col >= n:
```

```
        return True
```

```
    for i in range (n):
```

```
        if isSafe (board, i, col - 1):
```

```
            board [i] [col] = 1
```

```
            if solve NQ Util (board, col + 1, n) == True
```

```
                return True
```

```
            board [i] [col] = 0
```

```
    return False
```

```
def solve NQ (n):
```

```
    board = [col] * n for _ in range (n)
```

```
    if solve NQ Util (board, 0, n) == False:
```

```
        print ("Solution does not exists")
```

```
    return False
```



for i in board :

print(i)

return True

n = int(input("enter n value : "))

olve N8(n)

Output :

Enter n value : 5

[1, 0, 0, 0, 0]

[0, 0, 0, 1, 0]

[0, 1, 0, 0, 0]

[0, 0, 0, 0, 1]

[0, 0, 1, 0, 0]

Result :

10

Aim:

To implement depth first search (DFS) to traverse a graph & explore all vertices by visiting as far along branch as possible before backtracking.

Algorithm:

- i) Start
- ii) Initialize an empty stack and a list to keep track of visited nodes.
- iii) Push the starting node onto stack & mark
- iv) while the stack is not empty, repeat 5 to 7.
- v) Pop the top node from the stack.
- vi) Print or process the popped node.
- vii) For each adjacent unvisited neighbour of the popped node.
- viii) Mark the neighbour as visited
- ix) Push the unvisited neighbour onto the stack.
- xii) Repeat until all ~~reachable~~ nodes are visited.
- ix) Stop.



Program:

```
def dfs (graph, start):
```

```
    stack = [start]
```

```
    visited = set()
```

```
    while stack:
```

```
        node = stack.pop()
```

```
        if node not in visited:
```

```
            print (node, end = " ")
```

```
            visited.add (node)
```

```
            for neighbor in graph[node]:
```

```
                if neighbor not in visited:
```

```
                    stack.append (neighbor)
```

```
graph = {
```

```
    'A': ['B', 'C'],
```

```
    'B': ['D', 'E'],
```

```
    'C': ['F'],
```

```
    'D': [],
```

```
    'E': ['F'],
```

```
    'F': []
```

```
}
```

```
print ("DFS Traversal Starting from node 'A':")
```

Output: DFS Traversal Start from node A

~~A B E~~ A C F B E D

