

B06505004 莊博翰 HW2

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- \* Explain briefly how you implemented the randomized queue and deque.
- \* Which data structure did you choose (array, linked list, etc.)
- \* and why?

對於 Deque 我採用了 linklist 的資料結構，為了確保 constant time 的 insert 和 pop 同時要兼顧資料的順序，implement 上我令一個 node 是 root 不存資料前後分別接到資料的頭跟尾。這樣實做較為簡易

而 randomized queue 我使用 array，因為不需考慮順序，pop 時隨機取一個並把最後一個補入空位即可，不會有需要依序 pop 第一個的問題。這樣使用的 memory 會比 linklist 小(linklist 每個 node 要存比較多東西)。至於 array 容量不足時就會將容量乘 2 如同 dynamic array，remove 到最大容量的 1/4 時會將容量減半。

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- \* How much memory (in bytes) do your data types use to store n items
- \* in the worst case? Use the 64-bit memory cost model from Section
- \* 1.4 of the textbook and use tilde notation to simplify your answer.
- \* Briefly justify your answers and show your work.
- \*
- \* Do not include the memory for the items themselves (as this
- \* memory is allocated by the client and depends on the item type)
- \* or for any iterators, but do include the memory for the references
- \* to the items (in the underlying array or linked list).

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Randomized Queue: ~  $20n+20$  bytes

計算

Randomized Queue 的本體是 array of object( reference )

size=容量\*(reference size) =  $n*8$  bytes

然後加上 object overhead 16bytes+4bytes(int length)

然而未必會用滿。

worst case:

4(要到 1/4 最大容量才會縮小) \* 8bytes(reference)\*n+20bytes= $32n+20$  bytes

best case:

1(用滿)\* 8n +20=  $8n+20$  bytes

average :  $20n+20$  bytes

Deque:  $\sim 48n + 68$  bytes

計算: 每個 node 有 3 個 reference: next, data, previous:  $3 \times 8 \text{ bytes}$

+16 bytes (overhead)

+8 byte (inner class overhead) node 是 Deque 的 inner class

=48 bytes

總共有  $n+1$  個 node (包含 root):  $48 \times n + 48 +$

$16$  (deque object overhead) +  $4$  (int size) bytes

= $48n + 68$

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\* Known bugs / limitations.

總是無可避免的有機會遇到 Randomized Queue 的 worst case