# INTRODUCTION TO MACHINE LEARNING

Recap Days 1-2-3
Pablo Cañas
pablocanas97@gmail.com

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#### Course structure

- 1. Introduction: basic concepts, data preparation, linear regression
- Fundamental Machine Learning concepts: Loss functions, optimization, cross-validation, overfitting
- **3. Supervised learning**: naive bayes, k-NN, random forests, ...
- **4. Unsupervised learning**: clustering, dimensionality reduction.
- 5. Introduction to Deep Learning

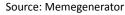
# What is Machine learning?

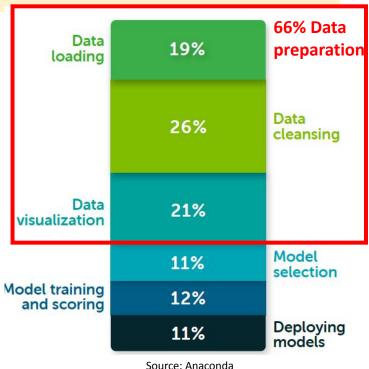
- Machine Learning is the science of getting computers to learn and act like humans do, and improve their learning over time in autonomous fashion, by feeding them data and information in the form of observations and real-world interactions
- Machine learning algorithms seek to provide knowledge to computers through **data**, observations, and interaction with the world. It is then used to make **accurate predictions** given new observations.
- Machine learning is applied statistics!

## Data preparation

- Data is the oil of machine learning
- Prepare and analyse the data before applying machine learning!







## Machine learning algorithms

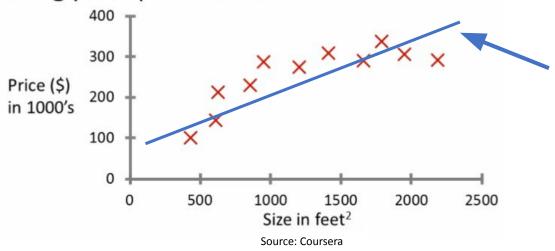
- Supervised: Models are trained with input/output pairs (X, y) which we relate via a function y = f(X). Model learns f to make predictions on new data inputs X.
  - $\triangleright$  Classification: predictions/outputs y are discrete (class labels)
  - $\triangleright$  Regression: y is continuous

- Unsupervised: Only inputs X are given. We compute f such that y = f(X) is a "simpler" representation
  - $\triangleright$  Clustering: discrete y (groups)
  - > **Dimensionality reduction**: continuous y

## Supervised Learning: Regression

• Predict continuous valued output. Ex: Housing price prediction.

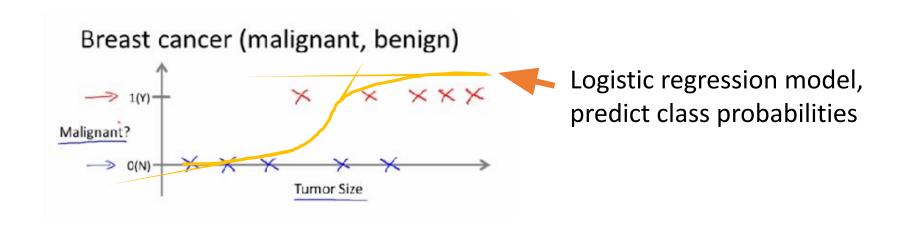
Housing price prediction.



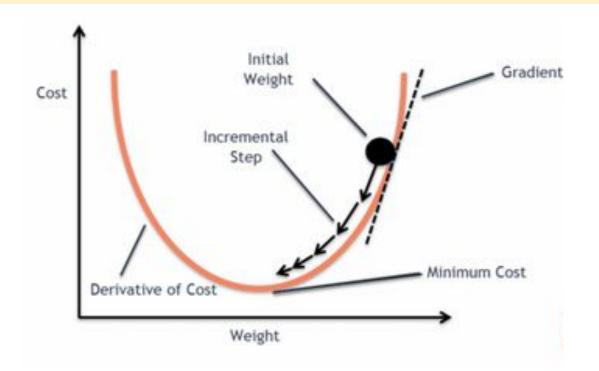
Linear regression model, predict price

## Supervised Learning: Classification

• Predict **discrete** valued output. Ex: Breast cancer diagnose  $y \in \{0,1\}$ .

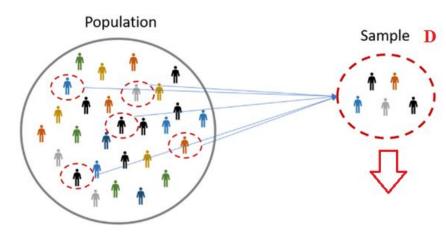


### Gradient descent: find the weights minimizing cost



## Model performance: finite samples

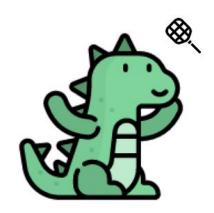
- Most datasets are samples taken from an infinite population.
- We are interested in modelling the **whole population**, we just have access to a **finite sample**.

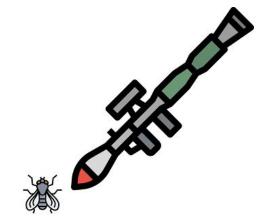


Source: Hotcubator

# Underfitting and overfitting

- Simple models might not be able to fit the training data (underfit)
- Complex models fit the training data very well (**overfit**), but fail to **generalize** to new examples





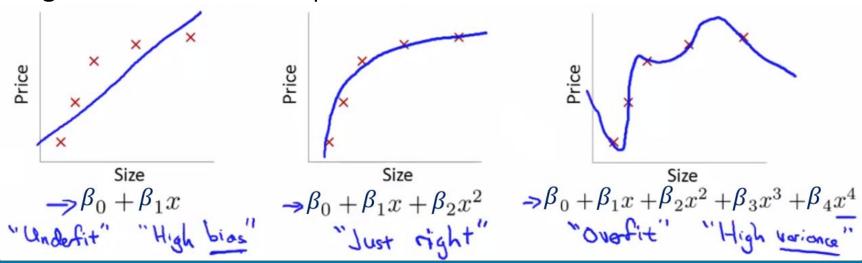
Underfitting

Overfitting

Credits: <a href="https://livebook.manning.com/">https://livebook.manning.com/</a>

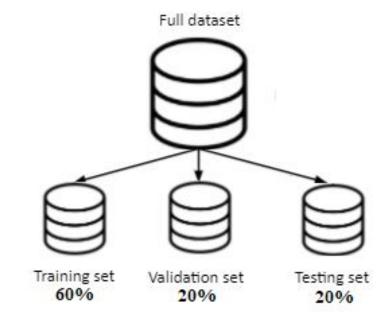
# Underfitting and overfitting

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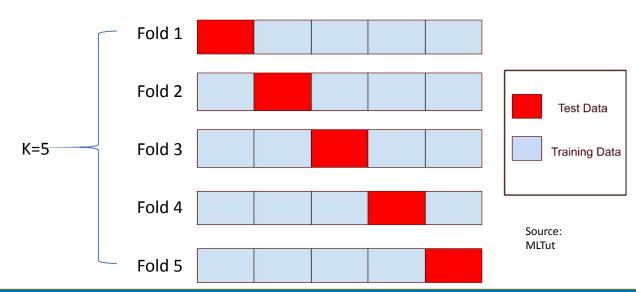
# Model selection: Train/Validation/Test sets

- 1. Fit model parameters on training set
- Choose model/hyperparameter configuration with lower validation error
- Evaluate model performance with testing set



#### Model evaluation: k-fold cross-validation

- More efficient way to compute validation error if we have little data
- Average error over the k red portions
   Validation error



#### Performance metrics for classification

- In binary classification (Yes/no, 0/1), we use the **confusion matrix** which has 4 values:
  - ☐ True positives: positive examples classified as positive
  - ☐ True negatives: negative examples classified as negative
  - ☐ False positives: negative examples classified as positive
  - ☐ False negatives: positive examples classified as negative



Credit: Robert West, EPFL

## Accuracy: overview

Represents the % of correctly predicted cases

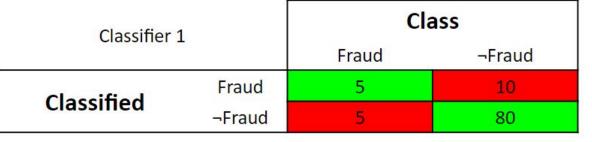
$$A = \frac{TP + TN}{TP + TN + FP + FN} = \frac{TP + TN}{N}$$

- Good metric when
  - >Classes are not skewed
  - Errors (FP, FN) have the same importance



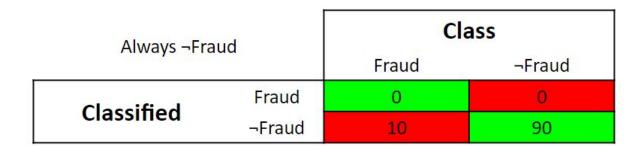
# Accuracy: skewed example

$$A = \frac{85}{100} = 0.85$$



Credit: Robert West, EPFL

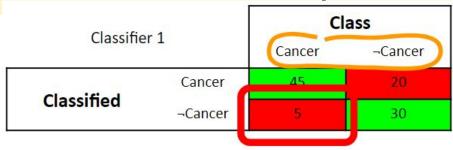
$$A = \frac{90}{100} = 0.90$$



Credit: Robert West, EPFL

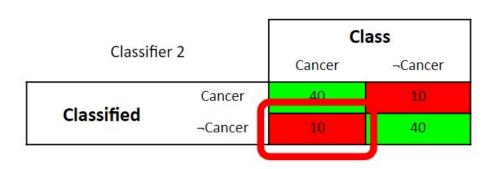
# Accuracy: errors with different importance

$$A = \frac{75}{100} = 0.75$$



Credit: RobertWest, EPFL

$$A = \frac{80}{100} = 0.80$$



Credit: RobertWest, EPFL

## Precision, recall, F1-score

• **Precision**: What fraction of positive predictions are actually positive?

$$P = \frac{TP}{TP + FP}$$

Recall: What fraction of positive examples did I recognize as such?

$$R = \frac{TP}{TP + FN}$$

• F1-score: Harmonic mean of precision and recall

$$F1 = 2 \frac{P \cdot R}{P + R}$$

## **Naive Bayes**

- Naive Bayes: classification algorithm based on Bayes rule:  $P(A|B) = \frac{P(B|A)P(A)}{P(B)}$
- Dataset (X, y) samples, where
  - $\triangleright$  y: class variable (play golf yes/no)
  - $\triangleright X$ : features or parameters
- Given a new sample X we want to predict class y

	OUTLOOK	TEMPERATURE	HUMIDITY	WINDY	PLAY GOLF
0	Rainy	Hot	High	False	No
1	Rainy	Hot	High	True	No
2	Overcast	Hot	High	False	Yes
3	Sunny	Mild	High	False	Yes
4	Sunny	Cool	Normal	False	Yes

## K-nearest neighbours

1. Given a new x, find its **k** nearest neighbours according to some distance measure

2. Classify the point according to the majority of labels of its

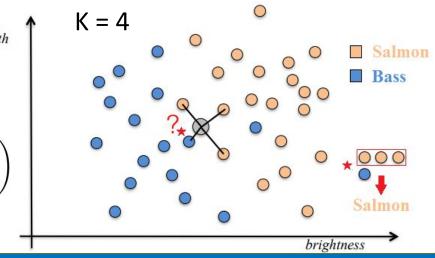
nearest neighbours

Is it a bass or a salmon?



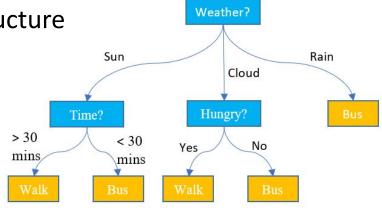
$$\xrightarrow{\textit{Some algorithms}} \mathbf{x} = \left( \begin{array}{c} \textit{brightness} \\ \textit{length} \end{array} \right)$$

Credit: Bob West, EPFL



#### Decision trees

- Supervised algorithm that can be used for classification or regression tasks.
- The model follows a flow-chart tree structure
  - ☐ Nodes are tests on a single attribute
  - ☐ Branches are attribute values
  - Leaves are class labels (classification) or output values (regression)



Source: SQLshack

# WE WANT TO HEAR FROM YOU



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