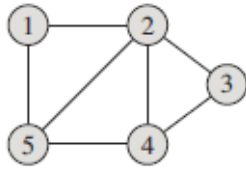
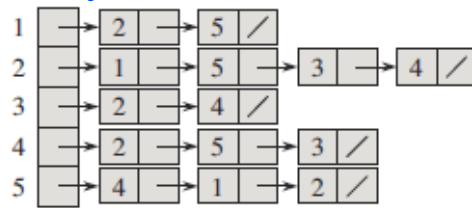


# Graph Algorithms

## Adjacency List

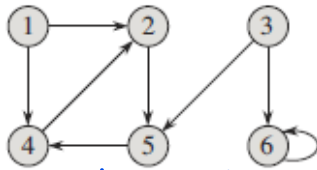


Undirected graph

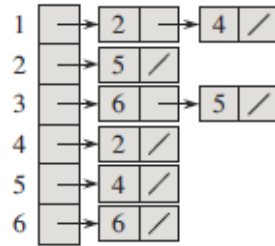


## Adjacency matrix

	1	2	3	4	5
1	0	1	0	0	1
2	1	0	1	1	1
3	0	1	0	1	0
4	0	1	1	0	1
5	1	1	0	1	0

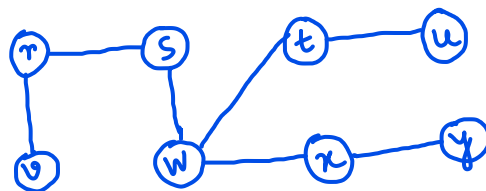
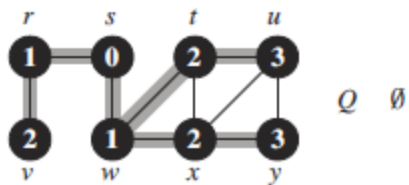
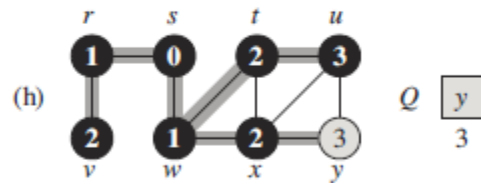
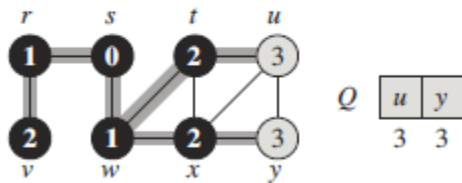
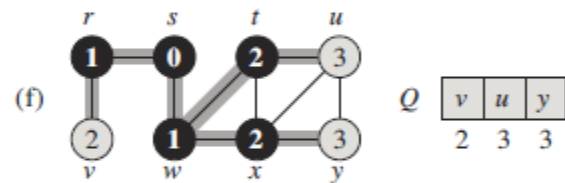
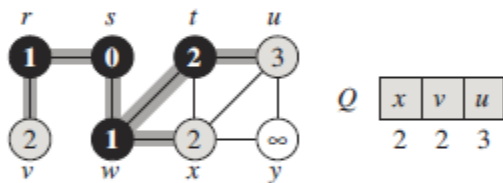
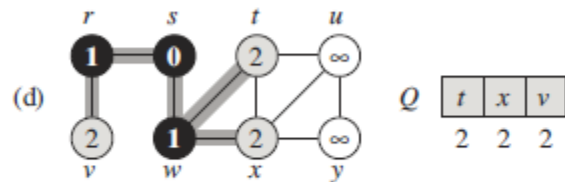
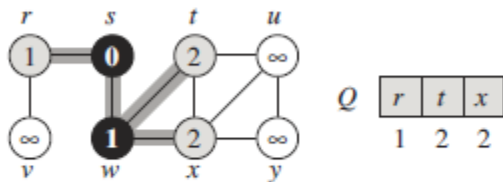
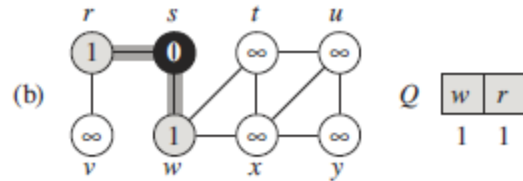
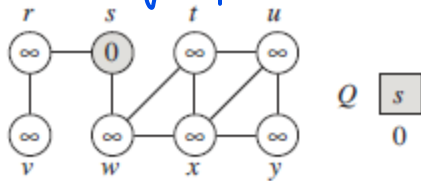


Directed graph



	1	2	3	4	5	6
1	0	1	0	1	0	0
2	0	0	0	0	1	0
3	0	0	0	0	1	1
4	0	1	0	0	0	0
5	0	0	0	1	0	0
6	0	0	0	0	0	1

BFS:  
(Breadth  
First  
Search)



BFS tree

BFS( $G, s$ )

$O(V)$  {  
1 for each vertex  $u \in G.V - \{s\}$   
2      $u.color = WHITE$   
3      $u.d = \infty$   
4      $u.\pi = NIL$   
5  $s.color = GRAY$   
6  $s.d = 0$   
7  $s.\pi = NIL$   
8  $Q = \emptyset$   
9 ENQUEUE( $Q, s$ )  
10 while  $Q \neq \emptyset$   
11      $u = DEQUEUE(Q)$   
12     for each  $v \in G.Adj[u]$   
13         if  $v.color == WHITE$   
14              $v.color = GRAY$   
15              $v.d = u.d + 1$   
16              $v.\pi = u$   
17             ENQUEUE( $Q, v$ )  
18      $u.color = BLACK$

ENQUEUE & DEQUEUE  $\rightarrow O(1)$   
 $E \rightarrow$  No. of edges present in  $G$ .  
Total time spent in  
scanning adjacency list  
 $= O(E)$

$\therefore O(V+E)$