DDA Line Drawing Algorithm When, m < 11x>1x  $n_{K+1} = n_K + 1$  $y_{K+1} = y_K + \frac{4y}{4x}$  $= y_K + m$  $\sqrt{m>1}$ when, m>1  $y_{K+1} = y_K + I$   $\eta_{K+1} = \eta_K + I$   $\eta_{K+1} = \eta_K + I$ = nx + = m  $y_{k+1} = y_k + 1$  $\eta_{K+1} = \eta_K + 1$ 

DDA Algorithm Sudo Code: DDA (n, y, nz, yz)  $dn = n_2 - n$ , 14= 42-41 if (abs (dr) > abs(dy))

Steps = (dri) steps=abs(dy) n inc = dn/steps y inc = 44/ steps for (int i=1; K=steps; itt) 3 polpixal (21, 41);  $n_1 = n_1 + n_{ine}$ 

y, = y, + yinc

Bresenham Algorithm Sudo code: Bresenham (n, J, n2, y2) Polo, CXKHI, 9K PK+1 = PK + 20% 9 = 7, P)O, Cnk+1, yk dn= n2- 21 PK+1 = PK+204 dy = y2-y1 P = 2xdy - dnWhile (n <= n2) E put pixel (n,y); ハナナラ if CP(0) P=P+ ?dy; else { P=P+2dy-2dx; y++;

}

(0,0), 2 > n2+y=0 Cincle: (-2, 10) 3 1/1 3 (0,0) (-2,2) (-x,y) -(0,0)(8) (10,-2) X 5 (n,-y) (-10,-2) (2,-2) (-2,-2) (-n,-y) (2,-10) (-2,-10)

Cincle: Set of points that lie at an equalitation of fixed point called distance from a fixed point called center.

Brute fonce approach for cincle drawing: way  $n \rightarrow 1 + 0$ y=? [ We haveto find y for all n  $n^2 + y^2 = p^2$ y= 7 2 - x2 Drawback: => For each step we have to find square moot, which is very complex. > It will take much time & Computation Bresenhamis Cincle Drawing Algo. Sudo Code  $(0,0) \longrightarrow \infty$ cincle (n,y) while (n<=9) Eset. péxel (2,7); -iP(d(0))-2+-(1+) d = d + 9n + 6elsez d=d+4(n-y)+10 スキナ;

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Mid point cincle training Algo Sudo code;
                      (0,0) -> o
cincle (2,y)
    P = \frac{5}{4} - 2 = 1 - 2
while (2<=y)
   Eselpixel(n,y);
    HCP(0)
       P = P + 2n + 3;
    else
       \xi_{P=P+2(2-4)+5;}
```

B.L.

$$P_0 = 24y - 4\pi$$
 $P(0) (n++,y), P_{k+1} = P_k + 24y$ 
 $P \ge 0 (n++,y++), P_{k+1} = P_k + 24y - 24y\pi$ 
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 $P \ge 0 (n++,y++), P_{k+1} = P_k + 24y - 24y\pi$ 
 $P \ge 0 (n+$ 

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Flood-Fill algo: Sudo code: 4 connected Flood Fill Cint, n, int y, fill colon, original-colon get pixel (n, y, colon);

if ( colon = = original\_colon) {

Set pixel (n, y, = fill\_colon); { int colon; Ford Fill (n+1, y, fill\_colon, oniginal\_colon) 11 11 (n, yt1, fill-colon, original-colon). 17 17 (n-1, y, fill-colon; oniginal clony 11 (n, g-1, fill-colon; oniginal colon)) Boundary till algo. Subcode: 4 connected Boundary-fill Cint n, inty, fill Colon, boundary Colon) ¿ int colon; get pixel (x, y, colon); if Coolor! = boundary color 88 color! = fill color E set Pixel (n, y, fill\_colors); Boundary-Pill (n, y, Fill\_colon, boundary-Colo