```
1 #data-set 8.csv
 2 # https://github.com/michaelofsbu/CSE-544-Datasets
 5 #imports
 6 from google.colab import drive
 7 import numpy as numpy
 8 import numpy as np
 9 import pandas as pd
10 import seaborn
11 import matplotlib.pyplot as plt
12 from scipy.stats import poisson
13 from scipy.stats import geom
14 from scipy.stats import binom
15 from numpy.linalg import inv
16 from numpy import dtype
17 from scipy.stats import gamma
18 import itertools
19 import math
20 plt.style.use('ggplot')
 1 drive.mount('/content/gdrive')
```

Drive already mounted at /content/gdrive; to attempt to forcibly remount, call d:

Basic Info about Datafile 8.csv

```
1 df = pd.read csv('gdrive/MyDrive/Colab Notebooks/8.csv')
 3 df cumm = df
 5
 6
 7
 9 print(df.head())
10 print()
11 print("Data start date: "+ str(df['Date'].min()))
12 print("Data start date: "+ str(df['Date'].max()))
13 print("Total days in the data: "+ str(len(df)))
14
15 totalrows = df.shape[0]
16
                    IL confirmed
                                  IN confirmed
                                                 IL deaths
                                                             IN deaths
              Date
       2020-01-22
                               0
                                              0
       2020-01-23
```

| 2 | 2020-01-24 | 1 | 0 | 0 | 0 |
|----|-----------------|-------------|---|---|---|
| 3 | 2020-01-25 | 1 | 0 | 0 | 0 |
| 4 | 2020-01-26 | 1 | 0 | 0 | 0 |
| | | | | | |
| Da | ta start date: | 2020-01-22 | | | |
| Da | ta start date: | | | | |
| To | tal days in the | e data: 438 | | | |

PART1 : Data Pre-Processing

Let's look at various statistics of the data

Step1: Converting cumulative datapoints to daily datapo

Step2: Searching for missing values as a part of cleaning data

Step3: Removing outliers if any

Converting cummulative data points to daily data points

```
1 df1 = df.iloc[:,0]
 2 #print(df1)
 3 df.drop(df.columns[[0]], axis = 1, inplace = True)
 4 #print(df)
 5 for key, value in df.iteritems():
      po = value
 7
      #print(type(po))
      ope = []
      for j in range(len(po)):
 9
10
           if(j>0):
11
               ope.append(po[j]-po[j-1])
12
           else:
13
               ope.append(po[0])
      df[key] = ope
15 df["Date"] = df1.values
16
17
18 features = []
19
20 for i in range(len(df.columns)-1):
       features.append(df.columns[i])
22
23 print("Dataset features : " + str(features))
    Dataset features : ['IL confirmed', 'IN confirmed', 'IL deaths', 'IN deaths']
```

Removing missing values

```
1 data = pd.DataFrame([])
 2 for feature in features:
 3
      tempDict = {}
      tempDict['Feature'] = feature
 4
 5
      tempDict['Mean'] = df[feature].mean()
 6
      tempDict['Std Dev'] = df[feature].std()
 7
      tempDict['Missing values count'] = totalrows - len(df[df[feature].notna()])
      tempDict['Missing values %'] = tempDict['Missing values count']
 9
      data = data.append(tempDict, ignore_index=True)
10
11 print(data)
12
13
14
                                       Missing values count
            Feature
                            Mean ...
                                                                  Std Dev
    0 IL confirmed 2863.442922 ...
                                                         0.0 3183.408897
    1 IN confirmed 1583.433790 ...
                                                         0.0 1980.552477
    2
          IL deaths 48.812785
                                                         0.0
                                                                48.251834
    3
          IN deaths
                       29.858447 ...
                                                         0.0
                                                                78.234074
    [4 rows x 5 columns]
```

There are no missing values in any of the columns. So we need not care much about cleaning the data. Let's check for outliers in the next step using Tukey's rule.

Tukey's rule for detecting outliers

```
1 #outliers
 2 outlier index = set()
 3 for feature in features:
       Q1 = np.percentile(df[feature], 25)
 5
       Q3 = np.percentile(df[feature], 75)
       IOR = O3 - O1
 7
       outlier = df[(df[feature] < Q1 - IQR*1.5) | (df[feature] > Q3 + 1.5*IQR)].indeterminents
 8
 9
       outlier index = outlier index.union(outlier )
11 print(outlier index)
12
13 print(str(len(outlier index))+" outliers are found\n")
14 df = df.drop(outlier index, axis=0)
15
```

```
17 print("After dropping the outliers, we have "+str(df.shape[0])+" datapoints")
{282, 284, 287, 288, 289, 290, 291, 292, 293, 294, 295, 296, 297, 298, 299, 300, 76 outliers are found
After dropping the outliers, we have 362 datapoints
```

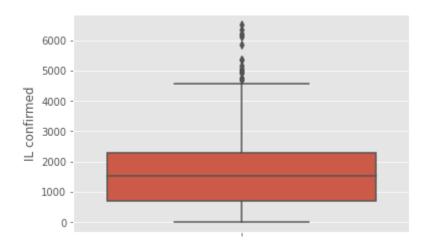
I have used Tukey's rule on each column individually. Even if one attribute classify it as outlier, the whole data point is considered as outlier. This I've attained using a set() datastructure and update it whenever I detect a outlier.

Finally as you can see, the set() is notempty with 76 index values. So we can conclude there are 76 outliers. I'm removing all the outliers.

Data Analysis

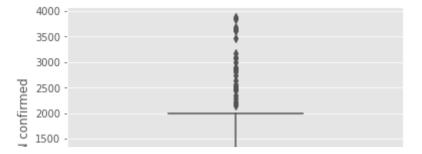
Box plot of 'IL confirmed'

1 fig1 = seaborn.boxplot(y=df[features[0]])

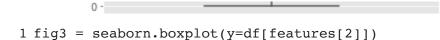


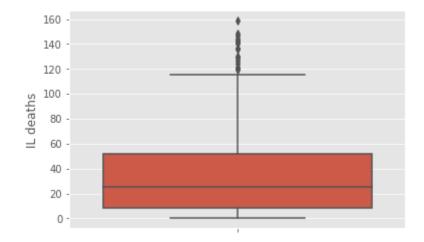
Box plot of 'IN confirmed'

```
1 fig2 = seaborn.boxplot(y=df[features[1]])
```



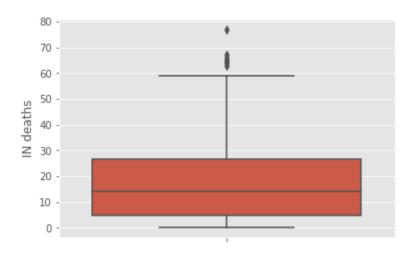
▼ Box plot of 'IL deaths'





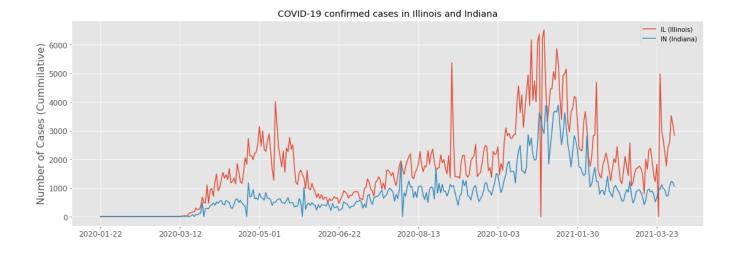
▼ Box plot of 'IN deaths'

1 fig4 = seaborn.boxplot(y=df[features[3]])



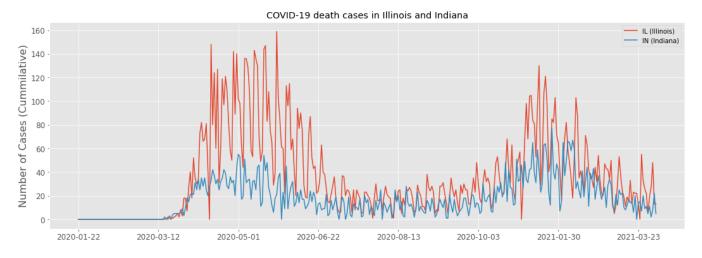
Comparison of cases in IL and IN states

```
1 fig, ax = plt.subplots(figsize=(18,6))
2 plt.plot(df['Date'], df['IL confirmed'], label="IL (Illinois)")
3 plt.plot(df['Date'], df['IN confirmed'], label="IN (Indiana)")
4 plt.legend(loc='best')
5 plt.title('COVID-19 confirmed cases in Illinois and Indiana')
6 plt.ylabel('Number of Cases (Cummilative)', fontsize = 16)
7 plt.xticks(np.arange(0, len(df), 50))
8 plt.xticks(fontsize = 12)
9 plt.yticks(fontsize = 12)
10 plt.show()
11
12
```



Comparison of deaths in IL and IN states

```
1 fig, ax = plt.subplots(figsize=(18,6))
2 plt.plot(df['Date'], df['IL deaths'], label="IL (Illinois)")
3 plt.plot(df['Date'], df['IN deaths'], label="IN (Indiana)")
4 plt.legend(loc='best')
5 plt.title('COVID-19 death cases in Illinois and Indiana')
6 plt.ylabel('Number of Cases (Cummilative)', fontsize = 16)
7 plt.xticks(np.arange(0, len(df), 50))
8 plt.xticks(fontsize = 12)
9 plt.yticks(fontsize = 12)
10 plt.show()
```



- PART 2a: Prediction in August '20 month

Error Functions for reporting the accuracy of my predictions

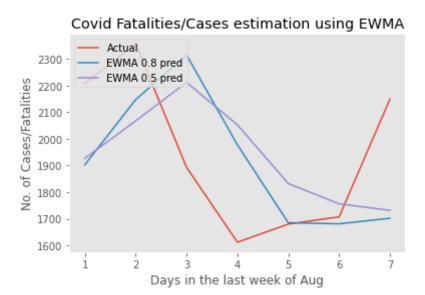
```
1 #Error Functions MAPE and MSE
    2 def MSE(Y act, Y pred):
    3
           SSE = 0
           Y_sse = Y_act-Y_pred
    5
           for i in range(0,len(Y pred)):
                SSE = SSE + Y sse[i]*Y sse[i]
     6
    7
           return SSE/len(Y act)
    8
    9 def MAPE(Y act,Y pred):
    10
           err = (abs(Y_act-Y_pred))/Y_act
   11
           MAPE = 0
   12
           for i in range(0, len(Y act)):
   13
               MAPE = MAPE + err[i]
   14
           return 100*MAPE/len(Y act)
    1
    2 #Beta function and Auto Regression
    3 def Beta(X,Y):
    4
           return np.matmul(np.matmul(inv(np.matmul(np.transpose(X),X)),np.transpose(X)),
    5
    6 def AR(aug month, p, col):
    7
           aug_3, aug_1 = aug_month[0:-7], aug_month[-7:0]
           aug 3 = aug 3.to numpy()
https://colab.research.google.com/drive/1iol4tj5AOiNhc0JSxle0Yqh7lUGxS4un\#scrollTo=l0hZFiHhRuDl\&uniqifier=1\&printMode=true
                                                                                                 7/44
```

```
14/05/2021
                                        final_project_cse544.ipynb - Colaboratory
          aug_s_cases = aug_s[:,co1]
   10
          X_train = []
   11
          Y train = []
   12
          for i in range(len(aug_3_cases)-p):
   13
              X_train = X_train + [aug_3_cases[i:i+p]]
   14
              Y_train = Y_train + [aug_3_cases[i+p]]
   15
          X_train, Y_train = np.array(X_train,dtype=float),np.array(Y_train,dtype=float)
   16
          one app = np.ones((len(X train),), dtype=float)
   17
          one_app = np.reshape(one_app,(len(one_app),1))
   18
          X_train = np.append(one_app , X_train, axis = 1)
   19
          beta = Beta(X train, Y train)
   20
          aug_np = aug_month.to_numpy()
   21
          aug_cases = aug_np[:,col]
   22
          x = []
   23
          Y pred = []
   24
          Y_act = []
   25
          for i in range(len(aug_cases)-7,len(aug_cases)):
   26
              x = [aug cases[i-p:i]]
   27
              x = np.append([1],x)
   28
              y = np.matmul(x, beta)
   29
              Y pred = Y pred + [y]
   30
              Y_act = Y_act + [aug_cases[i]]
   31
          Y pred, Y act = np.array(Y pred),np.array(Y act)
   32
          Y_pred = np.reshape(Y_pred,(len(Y_act),))
   33
          return Y pred, Y act
   34
   35 def EWMA(aug month, alpha, col):
   36
          aug np = aug month.to numpy()
   37
          aug cases = aug np[:,col]
   38
          Y pred = [aug cases[0]]
   39
          Y pred = np.array(Y pred,dtype=float)
   40
          Y act = []
   41
          for i in range(1,len(aug cases)):
   42
              Y_pred = np.append(Y_pred , [(alpha*aug_cases[i-1] +(1-alpha)*Y_pred[i-1])
   43
          Y act = aug cases
   44
          Y_pred, Y_act = np.array(Y_pred[-7:]), np.array(Y_act[-7:])
   45
          Y pred = np.reshape(Y pred,(len(Y act),))
   46
          return Y pred, Y act
    1 aug month = df[(df['Date'] >= '2020-08-01') & (df['Date'] <= '2020-08-28')]
    2 print("----- TIME SERIES ANALYSIS FOR THE ILLIONIS STATE-----")
    3 \text{ col} = [0,2,1,3]
    4 for c in col:
    5
          print( "Time Series Analysis using : AR ")
    6
          ar = [3, 5]
    7
          for a in ar:
    8
              Y pred, Y act = AR(aug month,a,c)
    9
              if( c == 1 \text{ or } c == 2):
                              MSE using AR(",a,") for # of COVID cases: ",MSE(Y act, Y pr
   10
                            MAPE using AR(",a,") for # of COVID cases : ",MAPE(Y act, Y
   11
                  print( "
   12
                              MOD wains AD/" a "N for # of CONTD fotalities a " MOD/N a
```

```
14/05/2021
                                      final_project_cse544.ipynb - Colaboratory
                 print( " MSE using AR(",a,") for # of COVID fatalities : ",MSE(Y_act,
   LЗ
                            MAPE using AR(",a,") for # of COVID fatalities : ",MAPE(Y_ac
   14
         print( " Using EWMA time series analysis ")
   15
   16
         ar = [0.5, 0.8]
   17
         for a in ar:
   18
             Y pred, Y act = EWMA(aug month,a,c)
             if( c == 1 \text{ or } c == 2):
   19
                           MSE using EWMA(",a,") for # of COVID cases: ",MSE(Y act, Y
   20
                 print( "
                            MAPE using EWMA(",a,") for # of COVID cases : ",MAPE(Y_act,
   21
                 print( "
   22
             else:
   23
                 print( " MSE using EWMA(",a,") for # of COVID fatalities : ",MSE(Y ac
                            MAPE using EWMA(",a,") for # of COVID fatalities : ",MAPE(Y
   24
                 print( "
   25
         if(c == 3):
             print("----- TIME SERIES ANALYSIS FOR THE INDIANA STATE-----
   26
   27
   28 \# col = [0,2,1,3]
   29
           ----- TIME SERIES ANALYSIS FOR THE ILLIONIS STATE-----
       Time Series Analysis using : AR
          MSE using AR( 3 ) for # of COVID fatalities: 122872.72205712622
          MAPE using AR( 3 ) for # of COVID fatalities: 12.720051390973742
          MSE using AR( 5 ) for # of COVID fatalities: 164291.9795117699
          MAPE using AR( 5 ) for # of COVID fatalities: 16.740613726507025
        Using EWMA time series analysis
          MSE using EWMA( 0.5 ) for # of COVID fatalities: 93981.0120588206
          MAPE using EWMA( 0.5 ) for # of COVID fatalities: 14.35864988607015
          MSE using EWMA( 0.8 ) for # of COVID fatalities: 92653.51727834626
          MAPE using EWMA( 0.8 ) for # of COVID fatalities : 12.893428483645723
       Time Series Analysis using : AR
          MSE using AR( 3 ) for # of COVID cases: 50.61458137982926
          MAPE using AR( 3 ) for # of COVID cases: 41.931729930360724
          MSE using AR( 5 ) for # of COVID cases: 66.20707908762164
          MAPE using AR( 5 ) for # of COVID cases: 33.69360565652969
        Using EWMA time series analysis
          MSE using EWMA( 0.5 ) for # of COVID cases : 91.89441084356743
          MAPE using EWMA( 0.5 ) for # of COVID cases: 62.68739372822626
          MSE using EWMA( 0.8 ) for # of COVID cases: 95.6192281461625
          MAPE using EWMA( 0.8 ) for # of COVID cases: 52.16492605323872
       Time Series Analysis using : AR
          MSE using AR( 3 ) for # of COVID cases: 147223.00351167255
          MAPE using AR( 3 ) for # of COVID cases: 25.505557020173747
          MSE using AR( 5 ) for # of COVID cases: 172647.89981848048
          MAPE using AR( 5 ) for # of COVID cases: 30.957691736776912
        Using EWMA time series analysis
          MSE using EWMA( 0.5 ) for # of COVID cases: 177565.48419546496
          MAPE using EWMA( 0.5 ) for # of COVID cases: 33.97358098284393
          MSE using EWMA( 0.8 ) for # of COVID cases : 246036.86266481175
          MAPE using EWMA( 0.8 ) for # of COVID cases: 39.380694490480856
       Time Series Analysis using : AR
          MSE using AR( 3 ) for # of COVID fatalities: 31.21891969688699
          MAPE using AR(3) for # of COVID fatalities: 97.93763823096482
          MSE using AR( 5 ) for # of COVID fatalities: 19.945044550772376
          MAPE using AR(5) for # of COVID fatalities: 63.32794190309236
        Using EWMA time series analysis
          MSE using EWMA( 0.5 ) for # of COVID fatalities : 58.14365420638482
```

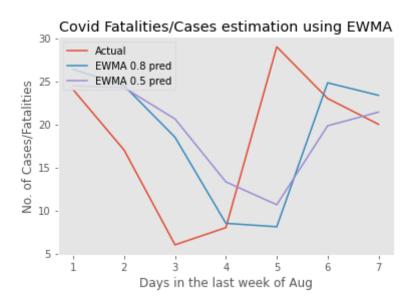
▼ EWMA with aplha=0.5,0.8 for IL Confirmed

```
2 \text{ columns} = [1,3,0,2]
 3 col = 0
 5 Y_pred_8,Y_act = EWMA(aug_month,0.8,col)
 6
 7
 8 Y_pred_5,Y_act = EWMA(aug_month,0.5,col)
10 X = [i \text{ for } i \text{ in } range(1,8)]
11 plt.figure('EWMA')
12 plt.plot(X, Y_act ,label='Actual')
13 plt.plot(X, Y_pred_8 ,label='EWMA 0.8 pred')
14 plt.plot(X, Y_pred_5 ,label='EWMA 0.5 pred')
15 plt.xlabel('Days in the last week of Aug')
16 plt.ylabel('No. of Cases/Fatalities')
17 plt.title('Covid Fatalities/Cases estimation using EWMA')
18 plt.legend(loc="upper left")
19 plt.grid()
20 plt.show()
21
22
23
```



EWMA with aplha=0.5,0.8 for IL Deaths

```
1 col = 2
2 Y_pred_8,Y_act = EWMA(aug_month,0.8,col)
3 Y_pred_5,Y_act = EWMA(aug_month,0.5,col)
4
5 X = [i for i in range(1,8)]
6 plt.figure('EWMA')
7 plt.plot(X, Y_act ,label='Actual')
8 plt.plot(X, Y_pred_8 ,label='EWMA 0.8 pred')
9 plt.plot(X, Y_pred_5 ,label='EWMA 0.5 pred')
10 plt.xlabel('Days in the last week of Aug')
11 plt.ylabel('No. of Cases/Fatalities')
12 plt.title('Covid Fatalities/Cases estimation using EWMA')
13 plt.legend(loc="upper left")
14 plt.grid()
15 plt.show()
```

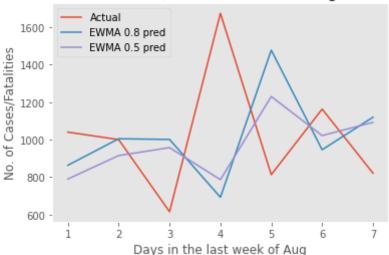


▼ EWMA with aplha=0.5,0.8 for IN Confirmed

```
1 col = 1
2 Y_pred_8,Y_act = EWMA(aug_month,0.8,col)
3 Y_pred_5,Y_act = EWMA(aug_month,0.5,col)
4
5 X = [i for i in range(1,8)]
6 plt.figure('EWMA')
7 plt.plot(X, Y_act ,label='Actual')
8 plt.plot(X, Y_pred_8 ,label='EWMA 0.8 pred')
9 plt.plot(X, Y_pred_5 ,label='EWMA 0.5 pred')
10 plt.xlabel('Days in the last week of Aug')
11 plt.ylabel('No. of Cases/Fatalities')
12 plt.title('Covid Fatalities/Cases estimation using EWMA')
13 plt.legend(loc="upper left")
```

14 plt.grid()
15 plt.show()

Covid Fatalities/Cases estimation using EWMA



▼ EWMA with aplha=0.5,0.8 for IN Deaths

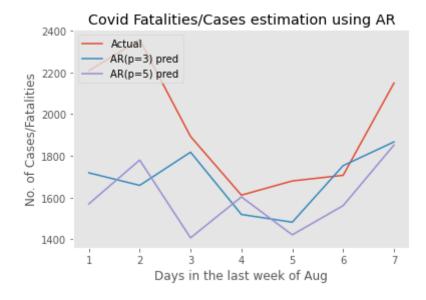
```
1 col = 3
2 Y_pred_8,Y_act = EWMA(aug_month,0.8,col)
3 Y_pred_5,Y_act = EWMA(aug_month,0.5,col)
4
5 X = [i for i in range(1,8)]
6 plt.figure('EWMA')
7 plt.plot(X, Y_act ,label='Actual')
8 plt.plot(X, Y_pred_8 ,label='EWMA 0.8 pred')
9 plt.plot(X, Y_pred_5 ,label='EWMA 0.5 pred')
10 plt.xlabel('Days in the last week of Aug')
11 plt.ylabel('No. of Cases/Fatalities')
12 plt.title('Covid Fatalities/Cases estimation using EWMA')
13 plt.legend(loc="upper left")
14 plt.grid()
15 plt.show()
```

Covid Fatalities/Cases estimation using EWMA



→ Auto Regression with p=3,5 for IL Confirmed

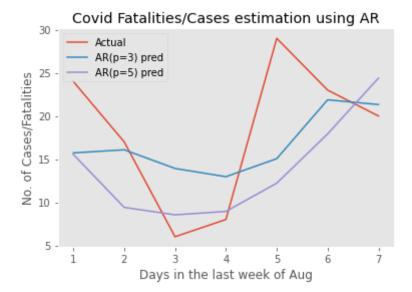
```
1 col = 0
2 Y_pred_ar5,Y_act = AR(aug_month,5,col)
3 Y_pred_ar3,Y_act = AR(aug_month,3,col)
4 plt.figure('AR')
5 plt.plot(X, Y_act ,label='Actual')
6 plt.plot(X, Y_pred_ar3 ,label='AR(p=3) pred')
7 plt.plot(X, Y_pred_ar5 ,label='AR(p=5) pred')
8 plt.xlabel('Days in the last week of Aug')
9 plt.ylabel('No. of Cases/Fatalities')
10 plt.title('Covid Fatalities/Cases estimation using AR')
11 plt.legend(loc="upper left")
12 plt.grid()
13 plt.show()
```



→ Auto Regression with p=3,5 for IL Deaths

```
1 col = 2
2 Y_pred_ar5,Y_act = AR(aug_month,5,col)
3 Y_pred_ar3,Y_act = AR(aug_month,3,col)
4 plt.figure('AR')
5 plt.plot(X, Y_act ,label='Actual')
6 plt.plot(X, Y_pred_ar3 ,label='AR(p=3) pred')
7 plt.plot(X, Y_pred_ar5 ,label='AR(p=5) pred')
8 plt.xlabel('Days in the last week of Aug')
9 plt.ylabel('No. of Cases/Fatalities')
```

```
10 plt.title('Covid Fatalities/Cases estimation using AR')
11 plt.legend(loc="upper left")
12 plt.grid()
13 plt.show()
```



Auto Regression with p=3,5 for IN Confirmed

```
1 col = 1
2 Y_pred_ar5,Y_act = AR(aug_month,5,col)
3 Y_pred_ar3,Y_act = AR(aug_month,3,col)
4 plt.figure('AR')
5 plt.plot(X, Y_act ,label='Actual')
6 plt.plot(X, Y_pred_ar3 ,label='AR(p=3) pred')
7 plt.plot(X, Y_pred_ar5 ,label='AR(p=5) pred')
8 plt.xlabel('Days in the last week of Aug')
9 plt.ylabel('No. of Cases/Fatalities')
10 plt.title('Covid Fatalities/Cases estimation using AR')
11 plt.legend(loc="upper left")
12 plt.grid()
13 plt.show()
```

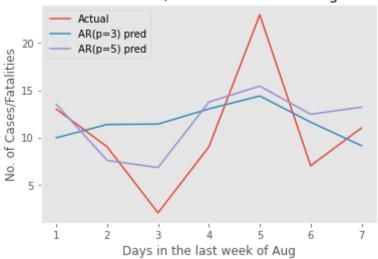
Covid Fatalities/Cases estimation using AR

```
1600 - Actual AR(p=3) pred
```

→ Auto Regression with p=3,5 for IN Deaths

```
1 col = 3
2 Y_pred_ar5,Y_act = AR(aug_month,5,col)
3 Y_pred_ar3,Y_act = AR(aug_month,3,col)
4 plt.figure('AR')
5 plt.plot(X, Y_act ,label='Actual')
6 plt.plot(X, Y_pred_ar3 ,label='AR(p=3) pred')
7 plt.plot(X, Y_pred_ar5 ,label='AR(p=5) pred')
8 plt.xlabel('Days in the last week of Aug')
9 plt.ylabel('No. of Cases/Fatalities')
10 plt.title('Covid Fatalities/Cases estimation using AR')
11 plt.legend(loc="upper left")
12 plt.grid()
13 plt.show()
```

Covid Fatalities/Cases estimation using AR



```
1 df out = pd.DataFrame()
2 df out['Date'] = aug month['Date'][-7:]
3 df out['Actual Cases'] = Y act
4 df out['Predicted_cases_AR(3)'] = Y_pred_ar3
5 df out['Predicted cases AR(5)'] = Y pred ar5
6 df ar = df out.reset index()
7 del df ar['index']
8 print('PREDICTIONS USING AR(3) and AR(5)')
9 print(df ar)
   PREDICTIONS USING AR(3) and AR(5)
            Date
                 Actual Cases
                                 Predicted cases AR(3)
                                                         Predicted cases AR(5)
      2020-08-21
                                              9.962786
                                                                     13,510117
```

| 1 | 2020-08-22 | 9 | 11.369561 | 7.564766 |
|---|------------|----|-----------|-----------|
| 2 | 2020-08-23 | 2 | 11.414789 | 6.796103 |
| 3 | 2020-08-24 | 9 | 13.021625 | 13.748345 |
| 4 | 2020-08-25 | 23 | 14.396010 | 15.442694 |
| 5 | 2020-08-27 | 7 | 11.618570 | 12.455057 |
| 6 | 2020-08-28 | 11 | 9.123464 | 13.208006 |

PART 2b : Stats between Feb and Mar '21

```
1 feb_month = df[(df['Date'] >= '2021-02-01') & (df['Date'] <= '2021-02-28')]</pre>
 2 \text{ mar\_month} = df[(df['Date'] \ge '2021-03-01') & (df['Date'] \le '2021-03-31')]
 4
 5 def variance(list feature):
       sum_of_squared = 0
 7
      mean = list_feature.mean()
 8
       n = len(list feature)
 9
       for i in list feature:
           sum_of_squared = sum_of_squared + (i -mean)*(i-mean)
10
11
       return sum of squared/(n-1)
12
```

▼ Walds 1 sample testing for mean of Mar '21

```
1 def walds test single(feature, sample mean feb):
       lambda mar = mar month[feature].mean()
 3
       W = (lambda_mar - sample_mean_feb)/(np.sqrt(lambda_mar/len(mar_month)))
 4
 5
      W = abs(W)
 6
 7
       if(W > 1.96):
           print("We are rejecting NULL HYPOTHESIS for '" + feature + "' because abso]
 8
 9
       else:
           print("We are Accepting NULL HYPOTHESIS for '" + feature + "' because absol
10
11
12
       # print(W)
13
       print('\n\n')
14
15
16
17 for feature in features:
18
       sample_mean_feb = feb_month[feature].mean()
19
20
       # print(mar month[feature].mean())
21
       walds test single(feature, sample mean feb)
22
```

We are rejecting NULL HYPOTHESIS for 'IL confirmed' because absolute value of Wal we are rejecting NULL HYPOTHESIS for 'IN confirmed' because absolute value of Wal we are rejecting NULL HYPOTHESIS for 'IL deaths' because absolute value of Walds we are rejecting NULL HYPOTHESIS for 'IN deaths' because absolute value of Walds

Result of Walds 1 sample testing for mean of cases and death

Null hypothesis (H0):

Mean of cases/deaths in Mar '21 = Mean of cases/deaths in Feb '21.

Alternate hypothesis(H1):

Mean of cases/deaths in Mar '21 not equals Mean of cases/deaths in Feb '21.

Result:

We are rejecting NULL HYPOTHESIS for 'IL confirmed' because absolute value of Walds 1 sample testing(W) is 268.9736251180282 and it's greater than Z value(at 0.025) = 1.96

We are rejecting NULL HYPOTHESIS for 'IN confirmed' because absolute value of Walds 1 sample testing(W) is 179.87439845233195 and it's greater than Z value(at 0.025) = 1.96

We are rejecting NULL HYPOTHESIS for 'IL deaths' because absolute value of Walds 1 sample testing(W) is 38.92535543737809 and it's greater than Z value(at 0.025) = 1.96

We are rejecting NULL HYPOTHESIS for 'IN deaths' because absolute value of Walds 1 sample testing(W) is 44.35531245905998 and it's greater than Z value(at 0.025) = 1.96

Is the test applicable?

Since we used MLE as estimator, it is Asymptotically Normal as n tends to infinity (n>=30 is satisfied). This is the only condition, hence the test is applicable.

Z 1 sample testing for mean of Mar '21

```
1
2 def Z_test_single(feature, sample_mean_feb, true_variance):
https://colab.research.google.com/drive/liol4tj5AOiNhc0JSxle0Yqh7lUGxS4un#scrollTo=l0hZFiHhRuDl&uniqifier=1&printMode=true
```

```
14/05/2021
                                        final_project_cse544.ipynb - Colaboratory
    3
          lambda_mar = mar_month[feature].mean()
          Z = (lambda mar - sample mean_feb)/np.sqrt(true_variance/len(mar_month))
    4
    5
    6
          Z = abs(Z)
    7
          if(Z > 1.96):
    8
    9
              print("We are rejecting NULL HYPOTHESIS for '" + feature + "' because abso]
   10
          else:
   11
              print("We are Accepting NULL HYPOTHESIS for '" + feature + "' because abso]
   12
          # print(Z)
   13
          print('\n\n')
   14
   15
   16
   17
   18 for feature in features:
          sample_mean_feb = feb_month[feature].mean()
   19
          true_variance = variance(df[feature].values)
   20
          # print(np.sqrt(true_variance))
   21
   22
          Z test single(feature, sample mean feb, true variance)
   23
   24
   25
   26
   27
   28
        We are Accepting NULL HYPOTHESIS for 'IL confirmed' because absolute value of Z
       We are rejecting NULL HYPOTHESIS for 'IN confirmed' because absolute value of Z
       We are rejecting NULL HYPOTHESIS for 'IL deaths' because absolute value of Z 1 sa
       We are rejecting NULL HYPOTHESIS for 'IN deaths' because absolute value of Z 1 sa
```

Result of Z 1 sample testing for mean of cases and death

Null hypothesis (H0):

Mean of cases/deaths in Mar '21 = Mean of cases/deaths in Feb '21.

Alternate hypothesis(H1):

Mean of cases/deaths in Mar '21 not equals Mean of cases/deaths in Feb '21.

Result:

We are Accepting NULL HYPOTHESIS for 'IL confirmed' because absolute value of Z 1 sample testing(Z) is 0.6754221197921421 and it's greater than Z value(at 0.025) = 1.96

We are Accepting NULL HYPOTHESIS for 'IN confirmed' because absolute value of Z 1 sample testing(Z) is 0.5955376536202984 and it's greater than Z value(at 0.025) = 1.96

We are Accepting NULL HYPOTHESIS for 'IL deaths' because absolute value of Z 1 sample testing(Z) is 0.8191724665851586 and it's greater than Z value(at 0.025) = 1.96

We are Accepting NULL HYPOTHESIS for 'IN deaths' because absolute value of Z 1 sample testing(Z) is 1.2191958440379214 and it's greater than Z value(at 0.025) = 1.96

Is the test applicable?

There are 2 requirements for the Z test to be applicable:

- 1. std dev of the distribution is known: Satisfied
- 2. Either n tends to infinity (n>=30) or dataset is normal: Satisfied because n >= 30

Hence the test is applicable

T 1 sample testing for mean of Mar '21

```
1 def T test single(feature, sample mean feb, sample variance mar):
       lambda mar = mar month[feature].mean()
 3
       T = (lambda mar - sample mean feb)/np.sqrt(sample variance mar/len(mar month))
 5
      T = abs(T)
 6
 7
       if(T > 2.042):
           print("We are rejecting NULL HYPOTHESIS for '" + feature + "' because abso]
 8
 9
       else:
10
           print("We are Accepting NULL HYPOTHESIS for '" + feature + "' because absol
11
12
       # print(T)
       print('\n\n')
13
14
15
16
17 for feature in features:
18
       sample mean feb = feb month[feature].mean()
       sample variance mar = variance(mar month[feature].values)
19
20
       # print(np.sqrt(sample variance mar))
       T test single(feature, sample mean feb, sample variance mar)
21
```

We are rejecting NULL HYPOTHESIS for 'IL confirmed' because absolute value of T

We are rejecting NULL HYPOTHESIS for 'IN confirmed' because absolute value of T 1 so We are rejecting NULL HYPOTHESIS for 'IL deaths' because absolute value of T 1 so We are rejecting NULL HYPOTHESIS for 'IN deaths' because absolute value of T 1 so

Result of T 1 sample testing for mean of cases and death

Null hypothesis (H0):

Mean of cases/deaths in Mar '21 = Mean of cases/deaths in Feb '21.

Alternate hypothesis(H1):

Mean of cases/deaths in Mar '21 not equals Mean of cases/deaths in Feb '21.

Result:

We are rejecting NULL HYPOTHESIS for 'IL confirmed' because absolute value of T 1 sample testing(Z) is 17.790801279678224 and it's greater than T(30,0.025) = 2.042

We are rejecting NULL HYPOTHESIS for 'IN confirmed' because absolute value of T 1 sample testing(Z) is 20.298201597921185 and it's greater than T(30,0.025) = 2.042

We are rejecting NULL HYPOTHESIS for 'IL deaths' because absolute value of T 1 sample testing(Z) is 25.70299698367066 and it's greater than T(30,0.025) = 2.042

We are rejecting NULL HYPOTHESIS for 'IN deaths' because absolute value of T 1 sample testing(Z) is 37.58384741574119 and it's greater than T(30,0.025) = 2.042

Is the test applicable?

T test is applicable when n value is very small, but here $n \ge 30$ which means n tends to infinity. Hence the test is not applicable

Walds 2 sample testing for mean of Feb '21 and Mar '21

```
1 def walds_test_double(feature):
2    lambda_feb = feb_month[feature].mean()
3    lambda_mar = mar_month[feature].mean()
```

We are rejecting NULL HYPOTHESIS for 'IL confirmed' because absolute value of Wal

We are rejecting NULL HYPOTHESIS for 'IN confirmed' because absolute value of Wall

We are rejecting NULL HYPOTHESIS for 'IL deaths' because absolute value of Walds

We are rejecting NULL HYPOTHESIS for 'IN deaths' because absolute value of Walds

Result of Walds 2 sample testing for mean of cases and death

Null hypothesis (H0):

Mean of cases/deaths in Mar '21 = Mean of cases/deaths in Feb '21.

Alternate hypothesis(H1):

Mean of cases/deaths in Mar '21 not equals Mean of cases/deaths in Feb '21.

Result:

We are rejecting NULL HYPOTHESIS for 'IL confirmed' because absolute value of Walds 2 sample testing(W) is 187.4665744482369 and it's greater than Z value(at 0.025) = 1.96

We are rejecting NULL HYPOTHESIS for 'IN confirmed' because absolute value of Walds 2 sample testing(W) is 125.21233437856539 and it's greater than Z value(at 0.025) = 1.96

We are rejecting NULL HYPOTHESIS for 'IL deaths' because absolute value of Walds 2 sample testing(W) is 27.16225354349577 and it's greater than Z value(at 0.025) = 1.96

We are rejecting NULL HYPOTHESIS for 'IN deaths' because absolute value of Walds 2 sample testing(W) is 31.136159361564246 and it's greater than Z value(at 0.025) = 1.96

Is the test applicable?

Since we used MLE in case of estimator, it is Asymptotically Normal as n tends to infinity (n>=30 is satisfied). This is the only condition, hence the test is applicable.

▼ T 2 sample unpaired testing for mean of Feb '21 and Mar '21

```
1 def T test double(feature, sample variance feb, sample variance mar):
       lambda_feb = feb_month[feature].mean()
 3
       lambda_mar = mar_month[feature].mean()
 4
 5
 6
      delta = lambda mar - lambda feb
 7
      T = (delta)/(np.sqrt(sample variance feb/len(feb month) + sample variance mar/
 8
      T = abs(T)
 9
10
      if(T > 2.0025):
           print("We are rejecting NULL HYPOTHESIS for '" + feature + "' because absol
11
12
           print("We are Accepting NULL HYPOTHESIS for '" + feature + "' because absol
13
14
15
      # print(T)
      print('\n\n')
16
17
18
19 for feature in features:
20
       sample variance feb = variance(feb month[feature].values)
21
       sample variance mar = variance(mar month[feature].values)
22
      # print(np.sqrt(sample_variance_mar))
23
       T test double(feature, sample variance feb, sample variance mar)
24
    We are Accepting NULL HYPOTHESIS for 'IL confirmed' because absolute value of T :
    We are rejecting NULL HYPOTHESIS for 'IN confirmed' because absolute value of T :
```

We are rejecting NULL HYPOTHESIS for 'IL deaths' because absolute value of T 2 sa

We are rejecting NULL HYPOTHESIS for 'IN deaths' because absolute value of T 2 sa

Result of Walds 2 sample testing for mean of cases and death

Null hypothesis (H0):

Mean of cases/deaths in Mar '21 = Mean of cases/deaths in Feb '21.

Alternate hypothesis(H1):

Mean of cases/deaths in Mar '21 not equals Mean of cases/deaths in Feb '21.

Result:

We are rejecting NULL HYPOTHESIS for 'IL confirmed' because absolute value of T 2 sample testing(Z) is 12.023210757714896 and it's greater than T(57,0.025) = 2.0025

We are rejecting NULL HYPOTHESIS for 'IN confirmed' because absolute value of T 2 sample testing(Z) is 11.557631363866554 and it's greater than T(57,0.025) = 2.0025

We are rejecting NULL HYPOTHESIS for 'IL deaths' because absolute value of T 2 sample testing(Z) is 12.279530786054828 and it's greater than T(57,0.025) = 2.0025

We are rejecting NULL HYPOTHESIS for 'IN deaths' because absolute value of T 2 sample testing(Z) is 6.490636933322033 and it's greater than T(57,0.025) = 2.0025

Is the test applicable?

T test is applicable when n value is very small, but here $n \ge 30$ which means n tends to infinity. Hence the test is not applicable

PART 2c : Stats of last 3 months in 2020

Calculating MME parameters required

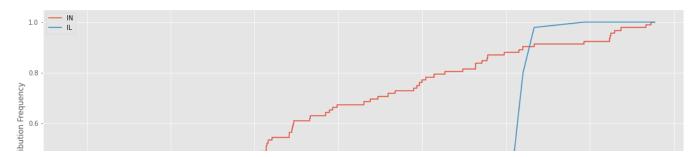
** Calculating all the MME parameters for IL(ILLINOIS) state and using them for all the 1 sample KS tests below as guess values on IN

state(INDIANA) **

```
1 def calculate MSE(y1, y2):
       return numpy.sum((y1 - y2) * (y1 - y2)) / len(y1)
 3
 4
 5 def plot_eCDF(input_list, label, color):
       input list.sort()
 7
      # sort input array
      n = len(input list)
 8
 9
      # initialize x and y to plt CDF
10
      x = [input list[0]]
11
12
      y = [0]
      for point in input list:
13
           value = y[len(y) - 1] + 1 / n
14
          # update x and y values
15
          x = x + [point, point]
16
17
          y = y + [y[len(y) - 1], value]
18
       # eCDF step function plot
19
      plt.plot(x, y, label=label, color=color)
20
       return x[1:], y[1:]
21
22
23
24 data = df.iloc[0:,0:4].to numpy()
25 data = data[253:345, 0:].astype(numpy.float64)
26
27 # NUMBER OF CASES
28 cases il = data[:, 0]
29 cases states sample mean = numpy.mean(cases il)
30 cases states sample variance = numpy.var(cases il)
31 cases states mme poisson = cases states sample mean
32 cases state mme geometric = 1/cases states sample mean
33 cases states mme p binomial = 1 - cases_states_sample_variance / cases_states_sampl
34 cases state mme n binomial = cases states sample mean**2/(cases states sample mean-
35
36 # NUMBER OF DEATHS
37 deaths il = data[:, 2]
38 deaths sample mean = numpy.mean(deaths il)
39 deaths sample variance = numpy.var(deaths il)
40 deaths mme poisson = deaths sample mean
41 deaths mme geometric = 1 / deaths sample mean
42 deaths mme p binomial = 1 - deaths sample variance / deaths sample mean
43 deaths mme n binomial = deaths sample mean ** 2 / (deaths sample mean - deaths samp
44
45
```

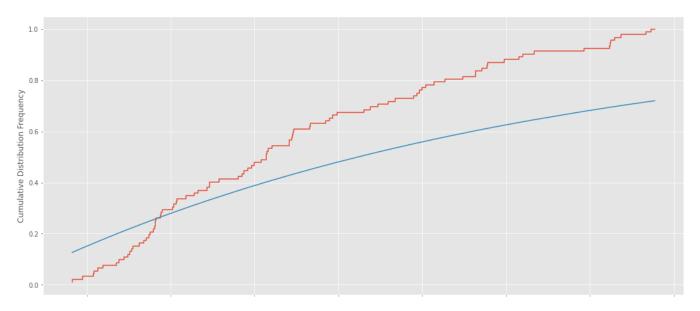
KS 1 sample test with poisson as distribution for IN Confirmed

```
1 # print(cases_states_mme_poisson)
 2 cases in = data[:, 1]
 3 cases_in = numpy.sort(cases_in)
 4 cdf_y = numpy.array([])
 5 \text{ cdf} = 0
 6 n = len(cases_in)
 7 \max diff = 0
 8 poisson_xpoint = 0
 9 poisson cdf = numpy.array([])
10 for i in cases in:
       poisson point = poisson.cdf(i, cases states mme poisson)
11
12
       poisson cdf = numpy.append(poisson cdf, poisson point)
13
       if max diff < numpy.abs(cdf-poisson point):</pre>
14
           max diff = numpy.abs(cdf-poisson point)
15
           poisson xpoint = poisson point
       cdf += 1/n
16
17
       cdf y = numpy.append(cdf y, cdf)
18
19 plt.figure('Cases Case', figsize=(18,8))
20 plt.xlabel('Poisson Distribution')
21 plt.ylabel('Cumulative Distribution Frequency')
22 plt.step(cases in, cdf y, label = "IN")
23 plt.plot(cases_in, poisson_cdf, label = "IL")
24 plt.legend(loc="upper left")
25 plt.show()
26
27 if max diff > 0.05:
28
       print("We reject NULL hypothesis, because Max value is "+str(max diff)+" > c :
29 else:
30
       print("We accept NULL hypothesis, because Max value is "+str(max diff)+" <= c :</pre>
```



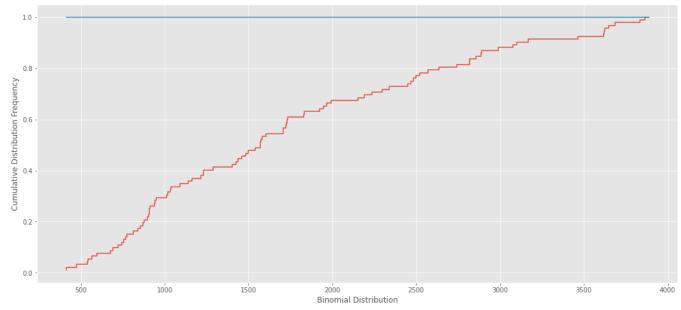
KS 1 sample test with geometric as distribution for IN Confirmed

```
1 # print(cases_state_mme_geometric)
 2 cdf y = numpy.array([])
 3 \text{ cdf} = 0
 4 \max diff = 0
 5 geom cdf = numpy.array([])
 6 geometric_dipoint = 0
 7 for i in cases in:
       geom point = geom.cdf(i, cases state mme geometric)
 9
       geom cdf = numpy.append(geom cdf, geom point)
10
       if max diff < numpy.abs(cdf - geom point):</pre>
11
           max diff = numpy.abs(cdf - geom point)
12
           geometric dipoint = geom point
       cdf += 1 / n
13
14
       cdf y = numpy.append(cdf y, cdf)
15
16 plt.figure('Cases Case', figsize=(18,8))
17 plt.xlabel('Geometric Distribution')
18 plt.ylabel('Cumulative Distribution Frequency')
19 plt.step(cases in, cdf y, label = "IN")
20 plt.plot(cases in, geom cdf, label = "IL")
21 plt.show()
22
23 if max diff > 0.05:
       print("We reject NULL hypothesis, because Max value is "+str(max diff)+" > c :
24
25 else:
       print("We accept NULL hypothesis, because Max value is "+str(max_diff)+" <= c :</pre>
26
```



KS 1 sample test with binomial as distribution for IN Confirmed

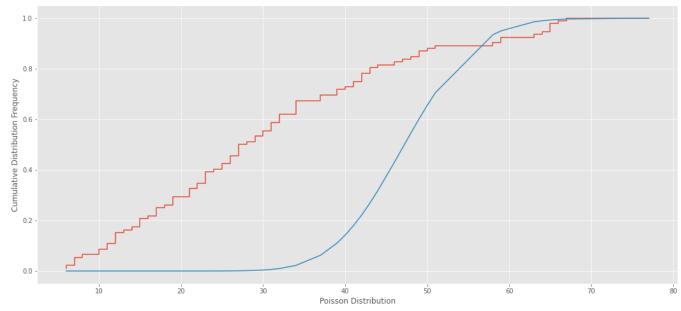
```
1 cdf_y = numpy.array([])
 2 \text{ cdf} = 0
 3 \max_{diff} = 0
 4 binom_cdf = numpy.array([])
 5 for i in cases in:
       binom point = binom.cdf(i, cases state mme n binomial, cases states mme p binom
 6
       binom cdf = numpy.append(binom cdf, binom point)
 7
       if max_diff < numpy.abs(cdf - binom_point):</pre>
 9
           max diff = numpy.abs(cdf - binom point)
10
       cdf += 1 / n
11
       cdf y = numpy.append(cdf y, cdf)
12
13 plt.figure('Cases Case', figsize=(18,8))
14 plt.xlabel('Binomial Distribution')
15 plt.ylabel('Cumulative Distribution Frequency')
16 plt.step(cases in, cdf y, label = "IN")
17 plt.plot(cases_in, binom_cdf, label = "IL")
18 plt.show()
19
20 if max diff > 0.05:
       print("We reject NULL hypothesis, because Max value is "+str(max diff)+" > c :
21
22 else:
23
       print("We accept NULL hypothesis, because Max value is "+str(max diff)+" <= c :</pre>
```



We reject NULL hypothesis, because Max value is 1.0 > c: 0.05

KS 1 sample test with poission as distribution for IN Deaths

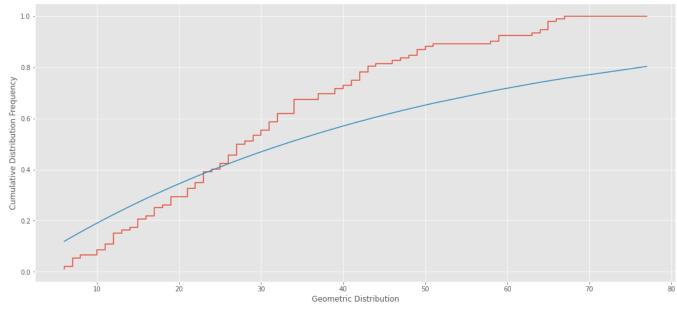
```
2 # print(deaths mme poisson)
 3 deaths_in = data[:, 3]
 4 deaths in = numpy.sort(deaths in)
 5 cdf y = numpy.array([])
 6 \text{ cdf} = 0
 7 n = len(deaths in)
 8 \max diff = 0
 9 poisson cdf = numpy.array([])
10 for i in deaths in:
11
       poisson point = poisson.cdf(i, deaths mme poisson)
12
       poisson cdf = numpy.append(poisson cdf, poisson point)
13
       if max_diff < numpy.abs(cdf - poisson_point):</pre>
14
           max diff = numpy.abs(cdf - poisson point)
       cdf += 1 / n
15
16
       cdf y = numpy.append(cdf y, cdf)
17
18 plt.figure('Deaths Case', figsize=(18,8))
19 plt.xlabel('Poisson Distribution')
20 plt.ylabel('Cumulative Distribution Frequency')
21 plt.step(deaths in, cdf y, label = "IN")
22 plt.plot(deaths in, poisson cdf, label = "IL")
23 plt.show()
24
25 if max diff > 0.05:
26
       print("We reject NULL hypothesis, because Max value is "+str(max diff)+" > c :
27 else:
       nrint/"We accent NIII.I. hypothesis hecause May value is "+str/may diff)+"
```



We reject NULL hypothesis, because Max value is 0.6300783615975943 > c: 0.05

KS 1 sample test with geometric as distribution for IN Deaths

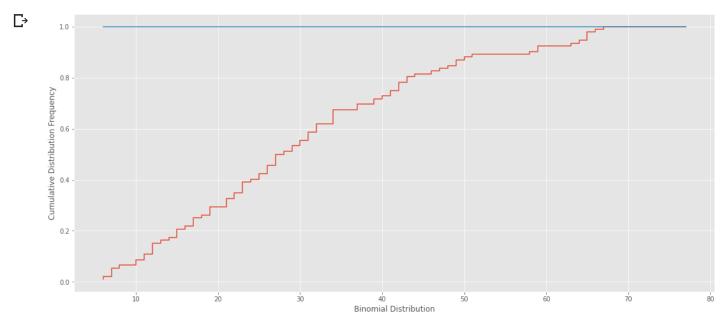
```
1
 2 # print(deaths mme geometric)
 3 cdf_y = numpy.array([])
 4 \text{ cdf} = 0
 5 \max diff = 0
 6 geom_cdf = numpy.array([])
 7 for i in deaths in:
 8
       geom_point = geom.cdf(i, deaths_mme_geometric)
 9
       geom cdf = numpy.append(geom cdf, geom point)
       if max diff < numpy.abs(cdf - geom_point):</pre>
10
11
           max_diff = numpy.abs(cdf - geom_point)
12
       cdf += 1 / n
13
       cdf_y = numpy.append(cdf_y, cdf)
14
15 plt.figure('Deaths Case', figsize=(18,8))
16 plt.xlabel('Geometric Distribution')
17 plt.ylabel('Cumulative Distribution Frequency')
18 plt.step(deaths_in, cdf_y, label = "IN")
```



We reject NULL hypothesis, because Max value is 0.22147478129654763 > c : 0.05

KS 1 sample test with binomial as distribution for IN Deaths

```
1
2 # print(deaths_mme_n_binomial, deaths_mme_p_binomial)
3 cdf_y = numpy.array([])
4 cdf = 0
5 max_diff = 0
6 binom_cdf = numpy.array([])
7 for i in cases_in:
8    binom_point = binom.cdf(i, deaths_mme_n_binomial, deaths_mme_p_binomial)
9    binom_cdf = numpy.append(binom_cdf, binom_point)
10    if max diff < numpy.abs(cdf - binom_point):</pre>
```



print("We accept NULL hypothesis, because Max value is "+str(max_diff)+" <= c :</pre>

We reject NULL hypothesis, because Max value is 1.0 > c : 0.05

KS 2 sample test with IL Confirmed as dataset1 and IN confirmed as dataset2

NULL HYPOTHESIS:

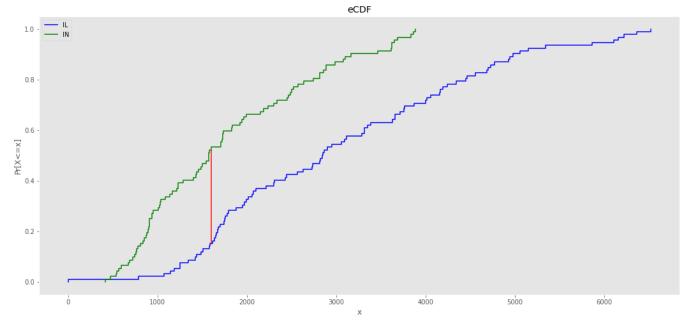
25 else:

26

Distribution of dataset1 = Distribution of dataset2

```
1
  2 # TWO POPULATION TEST
  3 X = data[:, 0]
  4 Y = data[:, 1]
  6 # PLOT THE GRAPHS
  7 plt.figure('eCDF', figsize=(18,8))
  8 x1, y1 = plot eCDF(X, 'IL', color='blue')
  9 x2, y2 = plot_eCDF(Y, 'IN', color='green')
10
11 \text{ max difference} = 0
12 point = 0
13 \text{ point } y1 = 0
14 \text{ point } y2 = 0
15 i = 0
16 j = 0
17 while i < len(x2):
                 y2 left, y2_right = y2[i], y2[i + 1]
18
                 while j + 2 < len(x1) and x1[j + 2] < x2[i]:
19
                            j += 2
20
21
                  if x2[i] == x1[j]:
22
                            y1_{left}, y1_{right} = y1[j], y1[j + 1]
23
                 else:
24
                            y1_{left}, y1_{right} = y1[j + 1], y1[j + 1]
                  if max difference < numpy.max([max difference, numpy.absolute(y1 left - y2 left
25
                            max difference = numpy.max([max difference, numpy.absolute(y1 left - y2 left - y2
26
27
                            point y1 = y1 left
                            point y2 = y2 left
28
29
                            point = x2[i]
30
                  i += 2
31 print('Max Difference: ', max difference)
32 print('Point with max Difference: ', point)
33
34 # GRAPH ATTRIBUTES
35 plt.plot([point, point], [point y1, point y2], color='red')
36 plt.xlabel('x')
37 plt.ylabel('Pr[X<=x]')</pre>
38 plt.title('eCDF')
39 plt.legend(loc="upper left")
40 plt.grid()
41 plt.show()
42
43
44 if max difference > 0.05:
                 print("We reject NULL hypothesis, because Max value is "+str(max difference)+"
45
46 else:
47
                  print("We accept NULL hypothesis, because Max value is "+str(max difference)+"
```

Max Difference: 0.3804347826086955 Point with max Difference: 1605.0



We reject NULL hypothesis, because Max value is 0.3804347826086955 > c: 0.05

KS 2 sample test with IL Deaths as dataset1 and IN Deaths as dataset2

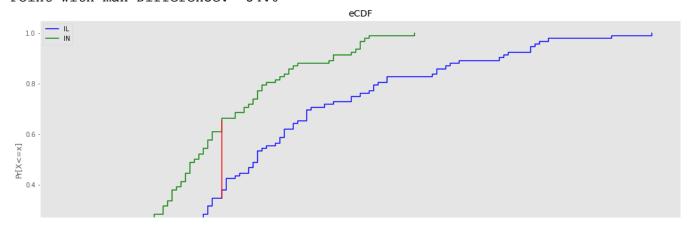
NULL HYPOTHESIS:

Distribution of dataset1 = Distribution of dataset2

```
1
2 # TWO POPULATION TEST
3 X = data[:, 2]
4 Y = data[:, 3]
5
6 # PLOT THE GRAPHS
7 plt.figure('eCDF', figsize=(18,8))
8 x1, y1 = plot_eCDF(X, 'IL', color='blue')
9 x2, y2 = plot_eCDF(Y, 'IN', color='green')
10
11 max_difference = 0
12 point = 0
13 point y1 = 0
```

```
14 point_y2 = 0
15 i = 0
16 j = 0
17 while i < len(x2):
       y2_{i} = y2_{i}, y2_{i} = y2_{i}, y2_{i} + 1_{i}
18
       while j + 2 < len(x1) and x1[j + 2] < x2[i]:
19
20
           j += 2
       if x2[i] == x1[j]:
21
           y1_left, y1_right = y1[j], y1[j + 1]
22
23
       else:
24
           y1_{left}, y1_{left} = y1[j + 1], y1[j + 1]
       if max difference < numpy.max([max difference, numpy.absolute(y1 left - y2 left
25
           max difference = numpy.max([max difference, numpy.absolute(y1 left - y2 left)
26
27
           point y1 = y1 left
28
           point_y2 = y2_left
29
           point = x2[i]
30
       i += 2
31 print('Max Difference: ', max difference)
32 print('Point with max Difference: ', point)
33
34 # GRAPH ATTRIBUTES
35 plt.plot([point, point], [point y1, point y2], color='red')
36 plt.xlabel('x')
37 plt.ylabel('Pr[X<=x]')</pre>
38 plt.title('eCDF')
39 plt.legend(loc="upper left")
40 plt.grid()
41 plt.show()
42
43
44 if max difference > 0.05:
       print("We reject NULL hypothesis, because Max value is "+str(max_difference)+"
46 else:
       print("We accept NULL hypothesis, because Max value is "+str(max_difference)+"
47
```

Max Difference: 0.3152173913043484
Point with max Difference: 34.0



Permutation test

0.0 -

Permutation test with IL Confirmed as dataset1 and IN Confirmed as dataset2

NULL HYPOTHESIS:

Distribution of dataset1 = Distribution of dataset2

```
2 data = df.iloc[0:,0:4].to numpy()
 3 data = data[253:345, 0:].astype(numpy.float64)
 5 # CASES
 6 x1 = data[:, 0]
 7 y1 = data[:, 1]
 9 \times avg = numpy.mean(x1)
10 Y avg = numpy.mean(y1)
11 t obs = numpy.absolute(X avg - Y avg)
12
13 \text{ number} = 0
14 combined = numpy.append(x1, y1, axis=0)
15 for i in range(1000):
       permutation = numpy.random.permutation(combined)
16
17
       X_permutation = permutation[: len(x1)]
18
       Y permutation = permutation[len(x1):]
19
       t predict = numpy.absolute(numpy.mean(X permutation) - numpy.mean(Y permutatior
20
       if t predict > t obs:
21
           number += 1
22
23 p_value = number / 1000
24 print(p value)
25 if n value > 0.05:
```

Permutation test with IL Deaths as dataset1 and IN Deaths as dataset2

Accept Null Hypothesis as p value is 0.0 which is greater than 0.5

NULL HYPOTHESIS:

Distribution of dataset1 = Distribution of dataset2

```
1 # DEATHS
 2 \times 2 = data[:, 2]
 3 y2 = data[:, 3]
 5 X_avg = numpy.mean(x2)
 6 Y_avg = numpy.mean(y2)
 7 t obs = numpy.absolute(X avg - Y avg)
 9 \text{ number} = 0
10 combined = numpy.append(x2, y2, axis=0)
11 for i in range(1000):
       permutation = numpy.random.permutation(combined)
12
       X permutation = permutation[: len(x2)]
13
14
      Y permutation = permutation[len(x2):]
15
       t_predict = numpy.absolute(numpy.mean(X_permutation) - numpy.mean(Y_permutation)
16
       if t predict > t obs:
17
           number += 1
18
19 p value = number / 1000
20 print(p value)
21 if p value > 0.05:
      print('Reject Null Hypothesis as p value is '+str(p value)+' which is greater t
22
23 else:
      print('Accept Null Hypothesis as p value is '+str(p value)+' which is greater t
24
    0.0
    Accept Null Hypothesis as p value is 0.0 which is greater than 0.5
```

PART 2d : Prediction using Bayesian Inference

```
1 INdeaths = df[df['Date'] > '2020-05-31']['IN deaths']
 2 ILdeaths = df[df['Date'] > '2020-05-31']['IL deaths']
 4 # print(sum(INdeaths[:35]+ILdeaths[:35]))
 6 INandILdeaths=list(INdeaths+ILdeaths)
 7
 8 # print(INandILdeaths)
 9
10 def plot gamma distribution(alpha=1, beta=1, label="0"):
    x = np.linspace(gamma.ppf(0.01, alpha, scale=1/beta),gamma.ppf(0.99, alpha, scale
12
    plt.title("Posterior gamma distributions")
    label= label + " MAP: " + str(round((alpha/beta),3))
14
   plt.xlabel("Deaths")
15
    plt.ylabel("Gamma distribution")
16
    plt.plot(x, gamma.pdf(x, alpha, scale=1/beta), label=label)
17
    plt.legend()
18
19 beta=np.mean(INandILdeaths[:28])
20 # print(beta)
21 # print(sum(INandILdeaths[:35]))
22 # print(sum(INandILdeaths[:42]))
23 plt.figure(figsize=(12,8))
24
25 for i in range(4,8):
26
    alpha = sum(INandILdeaths[:(i+1)*7])+1
27
    # print(beta)
28
    scale = (i+1)*7 + 1/beta
29
    plot gamma distribution(alpha, scale, 'Week-'+str(i+1))
30
31 plt.show()
```

Posterior gamma distributions



These diagrams portrays that as the weeks advances, the quantity of passings are expanding and hence the MAP for the Lambda boundary is expanding.

Trust in MAP esteem is expanding as the weeks are expanding.

We can likewise see that the pace of increment of MAP of Lambda is diminishing. Along these lines we can induce that increment in passings each week is going towards immersion.

PART 3 : EXPLORATORY TASK

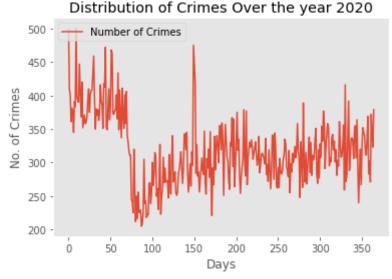
Our data set is the San Francisco crime data set. California State COVID data is used for the inferences.

Inference 1: Correlation between SanFransisco crime and California Covid data

```
1 def CorrelationCoeff(X,Y):
 2
       X = X[57:88,1]
 3
       Y = Y[57:88,1]
       X = X.astype(np.int)
 5
       Y = Y.astype(np.int)
       return np.corrcoef(X, Y)
 6
 7
 8
 9 def Preprocessdata( X ):
10
       l = len(X)
11
       prev = X[0][0]
12
       count = 1;
13
       Y = []
       for i in range(0,1):
14
15
           if(X[i][0]==prev):
16
               count=count+1
17
           else:
18
               temp = [prev,int(count)]
19
               Y = Y + temp
20
                prev = X[i][0]
```

```
19 \text{ end20} = "2020/12/31"
20 aft_covid_data = df[(df['Incident Date'] >= start20) & (df['Incident Date'] <= end2
21
22 bef_covid_data = np.sort(bef_covid_data.to_numpy(), axis = 0)
23
24 bef covid data = Preprocessdata(bef covid data)
25
26 aft covid data = np.sort(aft covid data.to numpy(), axis = 0)
27 aft covid data = Preprocessdata(aft covid data)
 1 print("Correlation Coefficient considering the whole Year 2020 is: ", Correlation(
 3 X = [i \text{ for } i \text{ in } range(365)]
 4 plt.figure('Correlation of Covid and Number of Crimes')
 5 plt.plot(X, aft_covid_data[:,1].astype(int) ,label='Number of Crimes')
 6 plt.xlabel('Days')
 7 plt.ylabel('No. of Crimes')
 8 plt.title('Distribution of Crimes Over the year 2020')
 9 plt.legend(loc="upper left")
10 plt.grid()
11 plt.show()
12 print("Correlation Coefficient considering the month of March 2020 is: ", Correlat
13
```

Correlation Coefficient considering the whole Year 2020 is: -0.031275034531885



Correlation Coefficient considering the month of March 2020 is: -0.76849992518

We tried to find the effect of COVID on the San Francisco Crime. For this, we computed the correlation between the COVID data set of California state with San Francisco.

Correlation in the Year of Covid 2020 is found to be -0.03

This tells us that there is no correlation between crimes and COVID. We are expecting a strong negative correlation of cases with the COVID due to the factors like lockdown etc. So, we observed the plot for the crimes in the year 2020. It is found that the cases went down suddenly in the months of MARCH and then slowly rose. So, in total there is not much correlation throughout the year. So, we tried to get the correlation in the month of MARCH.

Correlation in the Month of MARCH is found to be -0.77

This can be assumed as a good negative correlation. Key Point observed is the Emergency lockdown has happened in the month of MARCH resulting in the reduction of number of crimes. So, we can conclude that our estimate is reasonable.

Inference 2 : Permutation test to check whether the distribution of Sanfransico crime before covid and after covid is same or not bold text

```
1 def PermutationTest(X, Y, rounds):
      X = X.astype(np.int)
2
3
      Y = Y.astype(np.int)
      count = 0
4
5
      diff = abs(np.mean(X) - np.mean(Y))
6
      tot = X+Y
7
      n = len(tot)
      for i in range(0, rounds):
8
          a=np.random.permutation(tot)[:n//2]
9
          b=np.random.permutation(tot)[n//2:]
10
11
          if (abs(a.mean() - b.mean())>diff):
12
               count+=1
       return (count/rounds)
14 print("P-value in Permutation Test", PermutationTest(bef covid data[:,1],aft covid
    P-value in Permutation Test 0.0
```

Null Hypothesis (Ho) Distribution of Crimes an year before Covid 19 equals with after Covid 19 **Alternate Hypothesis (H1)** Distribution of Crimes an year before Covid 19 not equals with after Covid 19

Procedure:

We have permuted all the data for 365 days of Crimes before the Covid i.e for 2019 and for all the data for 365 days of Crimes after Covid start i.e for 2020 for 1000 permutations.

Result:

We have got a permutation test value of 0.0 which is much less than the threshold of 0.05. So we reject the null Hypothesis and accept the Alternate hypothesis.

Hence with the Permutation test, we can infer that the distribution of crimes before and after covid are not equal.

▼ Inference 3 : Chi-Square Independence test

```
1 def chi square(matrix covid vehicle):
       rows = matrix_covid_vehicle.shape[0]
      cols = matrix covid vehicle.shape[1]
 3
 4
      df = (rows-1)*(cols-1)
 5
      total row1, total row2 = np.sum(matrix covid vehicle, axis=0)
      total col1,total col2 = np.sum(matrix covid vehicle,axis=1)
 6
 7
      total = total_row1+total_row2
 8
      expected values = np.zeros([2,2])
      expected_values[0][0] = (float(total_col1)*total_row1)/(total)
 9
      expected_values[0][1] = (float(total_col2)*total_row1)/(total)
10
      expected_values[1][0] = (float(total_col1)*total_row2)/(total)
11
      expected_values[1][1] = (float(total_col2)*total_row2)/(total)
12
13
      q = 0.0
14
      for i in range(rows):
15
           for j in range(cols):
16
               q expected = q expected + ((expected values[i][j] - matrix covid vehic]
17
       return (q expected,df)
18
19 def initial():
20
      df = pd.read csv('gdrive/MyDrive/Colab Notebooks/SF CrimeDataset.csv')
       start2019 = "2019/01/01"
21
      end2019 = "2019/12/31"
22
23
      bef covid data = df[(df['Incident Date'] >= start2019) & (df['Incident Date'] <
24
25
26
      start20 = "2020/01/01"
      end20 = "2020/12/31"
27
      aft covid data = df[(df['Incident Date'] >= start20) & (df['Incident Date'] <=
28
29
30
      features = ["Incident Datetime"]
31
       X1 = bef covid data.loc[:,features].values
      Y1 = aft covid data.loc[:,features].values
32
33
34
      am count precovid = 0
35
      pm count precovid = 0
       am count postcovid = 0
36
      pm_count_postcovid = 0
37
38
      for i in range(len(X1)):
39
          stry = str(X1[i])
           if stry.find("PM") != -1:
40
41
              pm count precovid = pm count precovid + 1
42
          else:
```

```
14/05/2021
                                         final_project_cse544.ipynb - Colaboratory
   4 ح
                   am count precovia = am count precovia + i
   44
          for i in range(len(Y1)):
   45
   46
               stry = str(Y1[i])
   47
               if stry.find("PM") != -1:
                   pm count postcovid = pm count postcovid + 1
   48
   49
               else:
   50
                   am count postcovid = am count postcovid + 1
   51
   52
   53
          matrix covid crime = np.zeros([2,2])
   54
          matrix covid crime[0][0] = am count precovid
          matrix_covid_crime[0][1] = am_count_postcovid
   55
   56
          matrix_covid_crime[1][0] = pm_count_precovid
   57
          matrix covid crime[1][1] = pm count postcovid
   58
   59
          q observed,df = chi square(matrix covid crime)
   60
          print(q observed,df)
   61
   62 initial()
        90645.90707603919 1
```

In chi-square test we will check whether the Covid-19 affects the crimes taking place in the AM and PM timings.

In this we check whether the 2 sets (X = Crimes Count in AM/PM, Y = Covid19 Dataset) are independent or not.

Our null hypothesis is that X is dependent on Y

Ideally, the X has to be dependent on Y because due the Covid 19 there were a lot of restrictions on movement of people and hence it should have reduced the number of crimes that takes place either during AM or PM.

We calcluate the chi-square value to find this.

If p-value > alpha, we will reject the null hypothesis, assuming alpha to be 0.05

We will have 2 rows and 2 columns. The columns will be Pre-Covid and Post-Covid, while the rows are Crimes during AM time and Crimes during PM time

Result: Given alpha = 0.05. Since Q statistic is really large, from the table we find that the p-value will be really small. i.e p-value <<<< alpha

So we fail to reject the null hypothesis and accept the null. *Hence, X is dependent on Y * With this we can infer that the crimes during AM time and PM time both have a significant change due to Covid 19.

✓ 8s completed at 16:38

×