



**HACETTEPE UNIVERSITY**  
**FACULTY OF ECONOMICS & ADMINISTRATIVE SCIENCES**  
**DEPARTMENT of ECONOMICS**

**ECO 346**  
**Econometrics II**

**Term Project**

**S. Duru (2021), “Investigate of the Effect of Food Inflation on the  
Agricultural and Food Products Export Using Multiple Linear Regression  
Analysis in Turkey “**

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## Introduction

Our reference article examines the export of agricultural products and its determinants, such as the inflation rate in food, the Producer Price Index (PPI), the agricultural producer index, and the food and beverages retail sale index. In our homework, we aimed to apply some of the econometrics techniques we learned in class to USA data, using this article as a reference. First, we reviewed the reference article thoroughly. Then, we searched for relevant data for a new regression analysis, focusing on the USA from 1991 to 2023. Using Gretl, we applied the econometrics methods we had learned to the data we collected. We also included our results and commentary in our homework. Before detailing our applications, here is a review of the article “Determinants of Export of Agricultural Products in the USA.”

## Review of Article

The term paper dives into how food prices affect farm exports, exploring economic factors shaping food costs and trade dynamics. It looks at data from 2010 to 2019, using a regression model to study how inflation affects farm and food exports. The paper stresses the importance of farm exports for underdeveloped countries but notes the challenge of rising food prices due to faster population growth than production.

It highlights various factors behind food inflation, like supply-demand shifts, natural disasters, and currency changes. It also mentions how poor organization and higher production costs contribute to inflation. The paper cites studies showing that while food costs can drive up inflation, farm exports tend to withstand changes in exchange rates and local prices.

In the material and method section of the study, it is stated that a multiple linear regression model was applied to determine the statistical relationship between variables. In this model, the relationship between a single dependent variable and more than one independent variable is examined. The multiple linear regression analysis model used in the model is given in equation 1:

$$Y = \beta_0 + \beta_1 X_1 + \beta_2 X_2 + \beta_3 X_3 + \beta_4 X_4 + \varepsilon \dots (1)$$

The symbols used in the multiple linear regression model in Equation 1 are;

$Y$  = Exports of agricultural and food products (dependent variable) (TGUI)

$X_1$  = Year-end food and non-alcoholic beverages inflation rate (GAIEO)

$X_2$  = Producer price index (PPI)

$X_3$  = Agriculture PPI

$X_4$  = Food, beverage and tobacco products retail sales volume index

( $\beta_1, \beta_2, \beta_3$  and  $\beta_4$  = Parameters of the variables to be estimated,  $\beta_0$  = constant term,  $\varepsilon$  = error term (random))

In Formula 1,  $X_1, X_2, X_3$  and  $X_4$  were accepted as independent variables and the effects of these variables on the export of agricultural and food products were examined. The error term  $\varepsilon$  is random and represents the variables not included in the model. The exchange rate isn't included in the model because it's highly correlated with the producer price indices, which rely on imported goods and services.

Default assumptions of the multiple linear regression model: The error term ( $\varepsilon$ ) should show a normal distribution. The expected mean value of the errors should be 0. The number of observations ( $n$ ) should be at least 5 times the number of independent variables (ideally 20 times). There should be a linear relationship between the variables. There should not be a high correlation between error terms ( $\varepsilon$ ) and explanatory variables. Variance Inflation Value (VIF) should be less than 10 to avoid multicollinearity problems.

The multiple correlation coefficient ( $R$ ) indicates the strength of the relationship between  $Y$  and  $X$ 's, while the coefficient of determination ( $R^2$ ) shows the proportion of variance in the  $Y$  explained by the  $X$ 's. Both coefficients range between 0 and +1, higher values stronger relationships and better explanatory power, approaching +1. ( $f^2$ ) represents the ratio of explained variance to unexplained variance. It's calculated using Equation 2:

$$f^2 = R^2 / (1 - R^2)$$

Values between 0.02 and 0.15 for  $f^2$  indicate small effects, 0.15 to 0.35 suggest medium effects, and values  $\geq 0.35$  represent large effects. For the coefficient of determination ( $R^2$ ), values between 0.02 and 0.13 are small, 0.13 to 0.26 are medium, and values  $\geq 0.26$  are large effect sizes.

Using data from TURKSTAT, the paper rigorously analyzes the relationship between different factors, boosting the credibility of its findings. In the discussion, it links its results to Turkey's economy, showing how high inflation hurts consumers and leads to policy changes like cutting agricultural subsidies and giving direct support to farmers.

The paper suggests ways to tackle food inflation, like boosting local food production and offering incentives for exports. These measures aim to stabilize food prices and support farm exports.

### **Article Results**

In the paper author mentions that inflation of agricultural goods has affected consumers negatively. In order to stabilise these volatile prices government has taken some actions. Like signing a stand-by agreement with IMF. Then the committee of tracking and evaluating the food and agricultural products has been founded to assess the situation correctly and then create appropriate policies. Then the author mentions that the inflation of agricultural products has external factors. Such factors are the risk of volatile exchange rate, interest and inflation in economy as a whole.

During the research, the author used a data set from 2010-2019 and converted into a monthly data set and found that in the 10-year period the export of agricultural goods and food products has been increased by almost 50%. However, the producer price index (PPI) has increased more than the food products inflation. The reason for this may be the PPI gets effected by variety of other external factors. Also, agricultural PPI got doubled in the same period because of the fixated input prices to exchange rate.

Before making the analysis, the author tested for autocorrelation between variables and found that such problem does not exist. In the variance analysis, the author found that model as

a whole is significant as in  $F_{\text{stat}} > F_{\text{crit}}$  ( $F_{\text{stat}}=13.248$ ;  $p<0.001$ ) when tested individually with  $p<0.10$ , author finds that  $X_1$ ,  $X_2$  and  $X_4$  to be significant but  $X_3$  to be not significant. After estimating the regression, the author finds the  $R^2$  to be 0.32 which means the regression can only explain about 32% of variations in  $Y$  is explained by the variations in  $X$ s. Which means data about inflation has a weak explanatory power about export data. In other words, the inflation is not a highly effective macroeconomic variable about explaining the export of agricultural and food products.

### **Our Regression Analysis**

For our regression analysis, we tried to do the same regression analysis method into different data set. Our aim for changing the data set is to find if the data set has changed, can we get a better explanation about effects of inflation in export of agricultural and food products. So, we changed the data set to span 1991-2023 and made it annual so we can properly see the effect of inflation in agricultural and food products. Lastly, we chose USA as our country of analysis because it is one of the largest exporters and has a relatively stable inflation figures.

We defined our regression as:

$$Y = \beta_1 + \beta_2 X_1 + \beta_3 X_2 + \beta_4 X_3 + \beta_5 X_4 + u$$

$Y$  = Export of Agricultural Products

$X_1$  = Inflation Rate in Food and Beverages

$X_2$  = Producer Price Index

$X_3$  = Agricultural Producer Price Index

$X_4$  = Food Beverages and Tobacco Goods Retail Sale Volume Index

$u$  = error term

At first, we did an OLS estimation.

```

gretl: model 1
File Edit Tests Save Graphs Analysis LaTeX
Model 1: OLS, using observations 1991-2023 (T = 33)
Dependent variable: export_of_agricultural_products

-----
               coefficient      std. error    t-ratio    p-value
-----
const          -84.3956         13.0660      -6.459    5.37e-07 ***
inflation_rate_i~  1.62478         0.644110     2.523    0.0176 **
producer_price_i~  0.824946         0.316184     2.609    0.0144 **
agricultural_pro~ -0.133625         0.264943    -0.5044   0.6180
Food_beverages_a~ -0.000461183      0.000229751  -2.007    0.0545 *

Mean dependent var    100.2581    S.D. dependent var    48.73995
Sum squared resid     3380.523    S.E. of regression    10.98786
R-squared              0.955530    Adjusted R-squared    0.949178
F(4, 28)              150.4107    P-value(F)            1.70e-18
Log-likelihood         -123.2081    Akaike criterion      256.4161
Schwarz criterion      263.8987    Hannan-Quinn          258.9338
rho                   0.732325    Durbin-Watson          0.628479

Excluding the constant, p-value was highest for variable 4 (agricultural_producer_index)

```

Since the  $R^2$  is 0.96, variations in  $X_s$  can explain about 96% of variations in  $Y$ . Which means model as a whole has a very high explanatory power. However, we stumbled the same insignificance problem in  $X_3$ , which is Agricultural Producer Price Index.

```

gretl: LM test (heteroskedasticity)
Breusch-Pagan test for heteroskedasticity
OLS, using observations 1991-2023 (T = 33)
Dependent variable: scaled uhat^2

-----
               coefficient      std. error    t-ratio    p-value
-----
const          -3.39941         1.57215      -2.162    0.0393 **
inflation_rate_i~ -0.0118152         0.0775015    -0.1525   0.8799
producer_price_i~ -0.0450840         0.0380443    -1.185    0.2460
agricultural_pro~  0.0473995         0.0318788     1.487    0.1482
Food_beverages_a~  5.18621e-05        2.76444e-05    1.876    0.0711 *

Explained sum of squares = 23.5684

Test statistic: LM = 11.784212,
with p-value = P(Chi-square(4) > 11.784212) = 0.019030

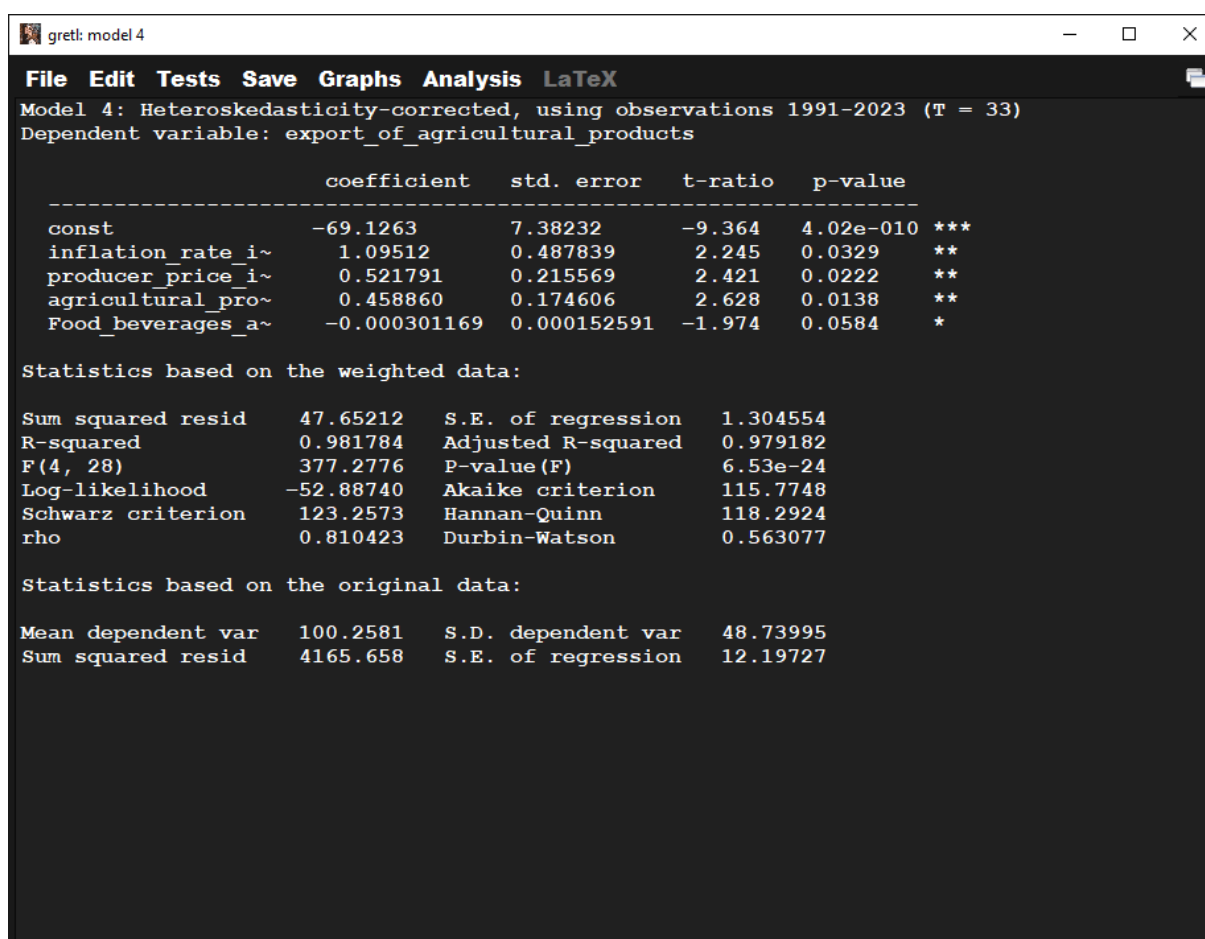
```

Secondly, we checked for the heteroskedasticity problem in our model. We set the hypothesis as

$H_0$  = There isn't heteroskedasticity problem

$H_1$  = There is heteroskedasticity problem

The results show a p value less than 0.10. So, we reject the null hypothesis. This means there is heteroskedasticity problem. Which in turn affects our efficiency while making further analysis. However, we can do a heteroskedasticity corrected test and get these results.



The screenshot shows the gretl model 4 output window. The title bar reads 'gretl: model 4'. The menu bar includes 'File', 'Edit', 'Tests', 'Save', 'Graphs', 'Analysis', and 'LaTeX'. The main text area displays the following information:

Model 4: Heteroskedasticity-corrected, using observations 1991-2023 (T = 33)  
 Dependent variable: export\_of\_agricultural\_products

	coefficient	std. error	t-ratio	p-value	
const	-69.1263	7.38232	-9.364	4.02e-010	***
inflation_rate_i~	1.09512	0.487839	2.245	0.0329	**
producer_price_i~	0.521791	0.215569	2.421	0.0222	**
agricultural_pro~	0.458860	0.174606	2.628	0.0138	**
Food_beverages_a~	-0.000301169	0.000152591	-1.974	0.0584	*

Statistics based on the weighted data:

Sum squared resid	47.65212	S.E. of regression	1.304554
R-squared	0.981784	Adjusted R-squared	0.979182
F(4, 28)	377.2776	P-value(F)	6.53e-24
Log-likelihood	-52.88740	Akaike criterion	115.7748
Schwarz criterion	123.2573	Hannan-Quinn	118.2924
rho	0.810423	Durbin-Watson	0.563077

Statistics based on the original data:

Mean dependent var	100.2581	S.D. dependent var	48.73995
Sum squared resid	4165.658	S.E. of regression	12.19727

Lastly, we checked if our model has an autocorrelation problem or not. So, we set our hypotheses as follows:

$H_0$  = There isn't autocorrelation problem

$H_1$  = There is autocorrelation problem

```

gretl: autocorrelation
Breusch-Godfrey test for first-order autocorrelation
OLS, using observations 1991-2023 (T = 33)
Dependent variable: uhat

      coefficient    std. error    t-ratio    p-value
-----
const          8.94064         9.93701      0.8997    0.3762
inflation_rate_i~  0.0807969         0.481517     0.1678    0.8680
producer_price_i~ -0.0814397         0.236831    -0.3439    0.7336
agricultural_pro~  0.0366378         0.198089     0.1850    0.8546
Food_beverages_a~ -3.43707e-05         0.000171799  -0.2001    0.8429
uhat_1          0.788917         0.163921     4.813    5.04e-05 ***

Unadjusted R-squared = 0.461755

Test statistic: IMF = 23.163024,
with p-value = P(F(1,27) > 23.163) = 5.04e-005

Alternative statistic: TR^2 = 15.237913,
with p-value = P(Chi-square(1) > 15.2379) = 9.48e-005

Ljung-Box Q' = 12.3649,
with p-value = P(Chi-square(1) > 12.3649) = 0.000437

```

The results show a very low p-value. Since this number is less than the significance level of 0.10, we reject the null hypothesis. This means there is an autocorrelation problem.

In order to solve this autocorrelation problem, we did Hildreth-Lu test.



```

gretl: model 3
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rho      ESS      rho      ESS      rho      ESS
-0.99    8949.40   -0.90    8301.85   -0.80    7617.94
-0.70    6970.28   -0.60    6357.61   -0.50    5778.78
-0.40    5232.96   -0.30    4719.77   -0.20    4239.40
-0.10    3792.50   0.00     3379.92   0.10     3002.30
0.20     2659.68   0.30     2351.36   0.40     2076.19
0.50     1833.25   0.60     1622.49   0.70     1443.94
0.80     1292.15   0.90     1141.26   0.99     1039.76

ESS is minimized for rho = 0.98

Model 3: Hildreth-Lu, using observations 1992-2023 (T = 32)
Dependent variable: export_of_agricultural_products
rho = 0.98

      coefficient      std. error      t-ratio      p-value
-----
const          266.198          136.595          1.949      0.0618      *
inflation_rate_i~ -1.42450          0.654591      -2.176      0.0385      **
producer_price_i~  0.989431          0.158407          6.246      1.11e-06     ***
agricultural_pro~  0.193365          0.144084          1.342      0.1908
Food_beverages_a~ -0.000347619      0.000234187      -1.484      0.1493

Statistics based on the rho-differenced data:

Sum squared resid    1036.604    S.E. of regression    6.196186
R-squared            0.985693    Adjusted R-squared    0.983573
F(4, 27)            18.07309    P-value(F)            2.51e-07
rho                 0.310965    Durbin-Watson          1.342011

Statistics based on the original data:

Mean dependent var    102.1379    S.D. dependent var    48.28919

Excluding the constant, p-value was highest for variable 4 (agricultural_producer_index)

```

Nevertheless, we got a  $\rho=0.98$  which means there is severe autocorrelation problem.

So, we removed the insignificant variable which is  $X_3$  from regression and re-ran the tests.

gretl: model 14

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Model 14: OLS, using observations 1991-2023 (T = 33)  
Dependent variable: export\_of\_agricultural\_products

	coefficient	std. error	t-ratio	p-value	
const	-83.2606	12.7042	-6.554	3.53e-07	***
inflation_rate_i~	1.59087	0.632304	2.516	0.0177	**
producer_price_i~	0.714064	0.224299	3.184	0.0035	***
Food_beverages_a~	-0.000410451	0.000203889	-2.013	0.0535	*

Mean dependent var	100.2581	S.D. dependent var	48.73995
Sum squared resid	3411.235	S.E. of regression	10.84568
R-squared	0.955126	Adjusted R-squared	0.950484
F(3, 29)	205.7529	P-value(F)	1.23e-19
Log-likelihood	-123.3573	Akaike criterion	254.7146
Schwarz criterion	260.7006	Hannan-Quinn	256.7287
rho	0.755598	Durbin-Watson	0.614174

Since the  $R^2$  is 0.96, variations in Xs can explain about 96% of variations in Y. Which means model as a whole has a very high explanatory power. It still retains the high explanatory power even with the omitted variable.

Secondly, we checked again for the heteroskedasticity problem in our model. We set the hypothesis as

$H_0$  = There isn't heteroskedasticity problem

$H_1$  = There is heteroskedasticity problem

We again ran into same heteroskedasticity problem. P-value is less than 0.10. Again, we did the heteroskedasticity corrected test and get these results.

```

gretl: model 15
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Model 15: Heteroskedasticity-corrected, using observations 1991-2023 (T = 33)
Dependent variable: export_of_agricultural_products

-----
               coefficient      std. error    t-ratio    p-value
-----
const          -74.9179         7.74755    -9.670    1.41e-010 ***
inflation_rate_i~  0.679541         0.506603     1.341    0.1902
producer_price_i~  1.01132         0.164880     6.134    1.10e-06 ***
Food_beverages_a~ -0.000312848    0.000153048   -2.044    0.0501 *

Statistics based on the weighted data:

Sum squared resid    58.82572    S.E. of regression    1.424245
R-squared            0.978923    Adjusted R-squared    0.976743
F(3, 29)             448.9782    P-value(F)            2.16e-24
Log-likelihood       -56.36315    Akaike criterion      120.7263
Schwarz criterion    126.7123    Hannan-Quinn          122.7404
rho                  0.819783    Durbin-Watson         0.435902

Statistics based on the original data:

Mean dependent var    100.2581    S.D. dependent var    48.73995
Sum squared resid     3835.429    S.E. of regression    11.50027

Excluding the constant, p-value was highest for variable 2 (inflation_rate_in_food_and_beve)

```

Lastly, we checked if our model has an autocorrelation problem or not. So, we set our hypotheses as follows:

$H_0$  = There isn't autocorrelation problem

$H_1$  = There is autocorrelation problem

```

gretl: autocorrelation
Breusch-Godfrey test for first-order autocorrelation
OLS, using observations 1991-2023 (T = 33)
Dependent variable: uhat

      coefficient    std. error    t-ratio    p-value
-----
const          9.49001         9.60594      0.9879    0.3316
inflation_rate_i~  0.0255447         0.468626    0.05451   0.9569
producer_price_i~ -0.0322203         0.166353   -0.1937   0.8478
Food_beverages_a~ -4.07900e-05      0.000151323  -0.2696   0.7895
uhat_1          0.824154         0.165488     4.980    2.93e-05 ***

Unadjusted R-squared = 0.469716

Test statistic: LMF = 24.801857,
with p-value = P(F(1,28) > 24.8019) = 2.93e-005

Alternative statistic: TR^2 = 15.500615,
with p-value = P(Chi-square(1) > 15.5006) = 8.25e-005

Ljung-Box Q' = 11.7243,
with p-value = P(Chi-square(1) > 11.7243) = 0.000617

```

Again, we ran into same problem, the results show a very low p-value. Since this number is less than the significance level of 0.10, we reject the null hypothesis. This means there is an autocorrelation problem.

In order to solve this autocorrelation problem, we did Hildreth-Lu test.

```

gretl: model 16
File Edit Tests Save Graphs Analysis LaTeX
rho      ESS      rho      ESS      rho      ESS
-0.99    9157.82   -0.90    8452.86   -0.80    7715.42
-0.70    7025.76   -0.60    6383.06   -0.50    5786.10
-0.40    5233.20   -0.30    4722.10   -0.20    4250.02
-0.10    3813.79   0.00    3410.30   0.10    3036.96
0.20     2692.39   0.30    2376.72   0.40    2091.53
0.50     1839.38   0.60    1623.14   0.70    1445.06
0.80     1302.95   0.90    1179.66   0.99    1109.20

ESS is minimized for rho = 0.98

Model 16: Hildreth-Lu, using observations 1992-2023 (T = 32)
Dependent variable: export_of_agricultural_products
rho = 0.98

-----
              coefficient      std. error      t-ratio      p-value
-----
const          220.093          134.081          1.641        0.1119
inflation_rate_i~ -1.04906          0.600203        -1.748        0.0915  *
producer_price_i~  1.04277          0.155517         6.705        2.81e-07 ***
Food_beverages_a~ -0.000330085        0.000237144      -1.392        0.1749

Statistics based on the rho-differenced data:

Sum squared resid    1105.751    S.E. of regression    6.284194
R-squared             0.984725    Adjusted R-squared    0.983089
F(3, 28)              22.84357    P-value(F)            1.10e-07
rho                   0.281970    Durbin-Watson         1.413171

Statistics based on the original data:

Mean dependent var    102.1379    S.D. dependent var    48.28919

Excluding the constant, p-value was highest for variable 5 (Food_beverages_and_tobacco_good)

```

Again, we got a  $\rho=0.98$  which means there is severe autocorrelation problem.

Rerunning the tests did not yield efficient results. So, changing the data set did not yield efficient results. It may have a high explanatory power but it has many efficiency problems. With these many problems the estimated regression may not satisfy the efficiency criterion.

**Yararlanılan Kaynaklar:**

- Duru, S. (2021) Investigate of the Effect of Food Inflation on the Agricultural and Food Products Export Using Multiple Linear Regression Analysis in Turkey
- <https://fred.stlouisfed.org/>