CS51 Spring 2024

Code Review 8: Object-Oriented Programming

1 Terminology and Syntax

Objected-Oriented Programming (OOP) is a programming paradigm where we organize code based on **objects**, which contain **fields** and **methods**. **Please review Section 18.1 and 18.2 of the textbook and the notes in the Lab 16 solutions** for discussion about the motivation behind object-oriented programming.

Definition 1.1 (OOP Terminology). **Objects** contain **data** and **code**. **Data** is stored using **instance variables**, and **methods** are code that provides the functionality of an object.

A **class** specifies how to create an object, and a new object is created by **instantiating** a class. The **class interface** specifies which values and methods an object provides.

When we use a method, we **invoke** the method.

The following table summarizes OOP syntax that you'll need for this course:

Concept	Syntax	Table 18.2: Syntactic extensions in OCaml supporting object-oriented programming.
Class interfaces	class type ⟨interfacename⟩ =	
Class definition	class (classname) (args) =	
Object definition	object end	
Instance variables	val (mutable) $\langle varname \rangle = \dots$	
Methods	method $\langle methodname \rangle \langle args \rangle = \dots$	
Instance variable update	<	
Instantiating classes	new (classname) (args)	
Invoking methods	⟨object⟩#⟨methodname⟩ ⟨args⟩	

Figure 1: OOP Syntax

Example 1.2 (Circle Class). Let's define a class interface display_elt:

Listing 1: display_elt

```
type point = {x : int; y : int} ;;
class type display_elt =
  object
  method draw : unit
  method set_pos : point -> unit
  method get_pos : point
  method area : int
end ;;
```

Here, we specify that classes satisfying the <code>display_elt</code> have three methods, with the types described above.

Here's how we can define a class satisfying the display_elt interface.

Listing 2: circle

```
class circle (p : point) (r : int) : display_elt =
  object

val mutable pos = p

method draw = G.fill_circle pos.x pos.y r

method set_pos p = pos <- p

method get_pos = pos
method area = Float.pi * r * r
end ;;</pre>
```

Class definitions can take in *arguments*, used to **instantiate** a class object. Note that the pos variable isn't accessible to users outside the class definition (however, we could make it accessible by including it in the class interface).

Here's, how we can create a new circle object.

Listing 3: Creating Objects

```
let c : display_elt = new circle {x = 50; y = 100} 20 ;;

c#set_pos {x = 100; y = 50} ;;

c#draw ;;
```

We can use the new keyword to create objects of a class. Note that class interface names can be used as types. We invoke methods by using the # symbol.

Remark 1.3 (Object Types vs Class Types). In OCaml, when we create objects, **they are values**. In the example above, we created an object c that can be used like any other value in an expression. Since all **values have types**, **class objects have types**.

OCaml distinguishes between **class types** and **object types**. See the discussion here under "Class Types vs Just Types". Objects types refer to the types of the actual OCaml values when we create a class, while class types refer to the class interface. For instance, when we define the **class type** display_elt, we describe the methods provided by classes satisfying the interface. OCaml also implicitly creates an **object type** called display_elt.

2 Inheritance

Definition 2.1 (Class Inheritance). A class can **inherit** behavior from another class.

The **subclass** inherits behavior from its **superclass**.

In OCaml, we can use the inherit keyword inside the subclass definition.

The inherit specification works as if all the contents of the superclass definition were copied into the subclass definition.

Example 2.2 (Rectangles). We can define a class rectangle, which will be a subclass of shape.

Listing 4: Rectangle Class

```
class shape (p : point) : display_elt =
    object
     val mutable pos = p
3
     val mutable color = G.black
     method set pos p = pos <- p
     method get_pos = pos
6
     method set_color c = color <- c</pre>
     method get_color = color
8
     method draw = failwtih "to be implemented in subclass"
9
     method area = failwith "to be implemented in subclass"
10
    end ;;
12
  class rect (p : point) (w : int) (h : int) : display_elt =
14
    object (this)
      inherit shape p as super
16
      method! draw = G.fill_square pos.x pos.y w h
17
      method! area = w * h
    end ;;
```

Note that when we use inherit, we also inherit methods and values not specified in the display_elt class interface (i.e. instance variables pos and color and methods set_color and get_color.

We can invoke methods from the super class in the subclass definition by naming the superclass super (note we can use any name we want), and invoking methods by doing something like super#method_name.

We can also **bind the object itself to a variable**, as here this is a variable representing the object itself.

Subclasses can also **override** methods from the superclass using the method! syntax to indicate that the method is overridden.

We recommend you carefully review Labs 16 and 17 to make sure you're comfortable with the OOP syntax.

3 Subtyping

Definition 3.1 (Subtype). We say that datatype α is a **subtype** of datatype β if a value of type α can be used in any context in which a value of type β is used. β is called a **supertype**.

Although the notion of subtyping can be generalized to any types, in this class, we will restrict our focus to object types or types that contain object types (e.g. display_elt list, display_elt option).

In terms of objects, we say that an object type o_1 is a **subtype** of object type o_2 if o_1 has an at least as wide as an interface as o_2 (i.e. o_1 has all the same methods as o_2 and potentially more). **Note two methods are the same** if they have the **same name** and **same type**.

Example 3.2 (Drawable). Suppose we defined the following class interface:

Listing 5: Drawable Class Interface

```
class type drawable =
  object
  method draw : unit
  end ;;
```

display_elt is a subtype of drawable, as display_elt has a wider interface.

Definition 3.3 (Coercion Operator). The OCaml interpreter doesn't infer the subtype relation, meaning it cannot infer whether type α is a subtype of type β , which makes sense given that different systems can define the subtyping relation differently. OCaml essentially allows you, the programmer, to define what types are subtypes of other types.

In OCaml, we can say that an expression e of type t1 can be used to a value of type t2 using the :> operator. We write e:> t2 or e: t1:> t2.

Example 3.4 (Subtyping in OCaml). Suppose we define a function draw that takes in a drawable and simply draws that shape.

Listing 6: Draw Example

```
let draw_shape (d : drawable) : unit =
    d#draw ;;

let c : display_elt = new circle {x = 50; y = 100} 20 ;;

draw_shape (c : display_elt :> drawable) ;;

(* Could also do draw_shape (c :> drawable) ;; *)
```

Here, we tell OCaml that $display_elt$ is a subtype of drawable, so c can be passed in to the draw_shape function.

4 Practice Problems

Problem 4.1 (Object Oriented Counters).

1. See section 18.6 in the textbook

Problem 4.2 (Social Network). "ConnectU" is a social media site for college students. Suppose we want to define a user class.

- 1. Define a class interface for a user user that includes the following methods:
 - (a) Get a user's username
 - (b) Get a user's student id (a string)
 - (c) Add a friend to a user's list of friends; note that friendships are mutual, so if Alice is a friend of Bob, then Bob is a friend of Alice.
 - (d) Get a user's friend list
 - (e) Add a post (a string) to a user's list of posts
 - (f) Remove a post
 - (g) Retrieve all the user's posts
- 2. Define an implementation that satisfies the class interface which takes in a username and an id.
- 3. Define a class interface called student which has the same functionality as the user class but an additional method which outputs the school a student attends.
- 4. Define an implementation that satisfies the student interface which takes in a username, id, and the school the student attends.
- 5. Define a function form_friend_group that takes in a list of users, and for each user in the list, sets their friends to be everyone else in the list.
- 6. Define a list of four students and use form_friend_group on the student list.

Problem 4.3 (Polynomial). In this problem, you will define classes that work with (univariate) polynomials.

A polynomial is an expression consisting of coefficients and variables.

We define a class interface polynomial_type.

Listing 7: polynomial_type

```
class type polynomial_type =
  object
  method get_coeffcients : float list (* int list returns the coefficients of the polynomial in order from lowest degree to highest degree. For example, [5, 3, 2] would represent the polynomial 5 + 3x + 2x^2. *)

method evalulate : float -> float (* evalulates a polynomial f(x) *)
```

Now we define the class definition for a polynomial class.

Listing 8: polynomial

```
class polynomial (coefficents : float list) : polynomial_type =
object

method get_coeffcients : float list

method evalulate (x : float) : float =
   failwith "to be implemented"

method solve (c: float) : float list option =
   None
end
```

- 1. Implement the evaluate method for the polynomial class. For example, for a polynomial $5 + 3x + 2x^2$ with coefficients [5.0, 3.0, 2.0], the evaluate method called on 5 should return $5 + 3(5) + 2(5)^2 = 70$.
- 2. Implement a linear_polynomial class satisfying the polynomial_type class interface. A linear polynomial is an expression that has **at most two coefficients**. For example, 5x + 2 (with coefficients as [2.0, 5.0]), 3x ([0., 3.]), and 11 ([11.]) are all polynomial functions. *Hint*: You may define a type so that users can only define at most two coefficients.

For a constant polynomial c, solve a should return [Float.infinity] if c = a, None otherwise.

Implement a quadratic_polynomial class satisfying the polynomial_type class interface.

Quadratic polynomials have at most three coefficients. To solve quadratic polynomials, we can use the quadratic formula.

The solutions to a quadratic $ax^2 + bx + c = 0$ is given by the formula: $\frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$.

Remember to properly handle cases when there are no real solutions or infinitely many solutions.