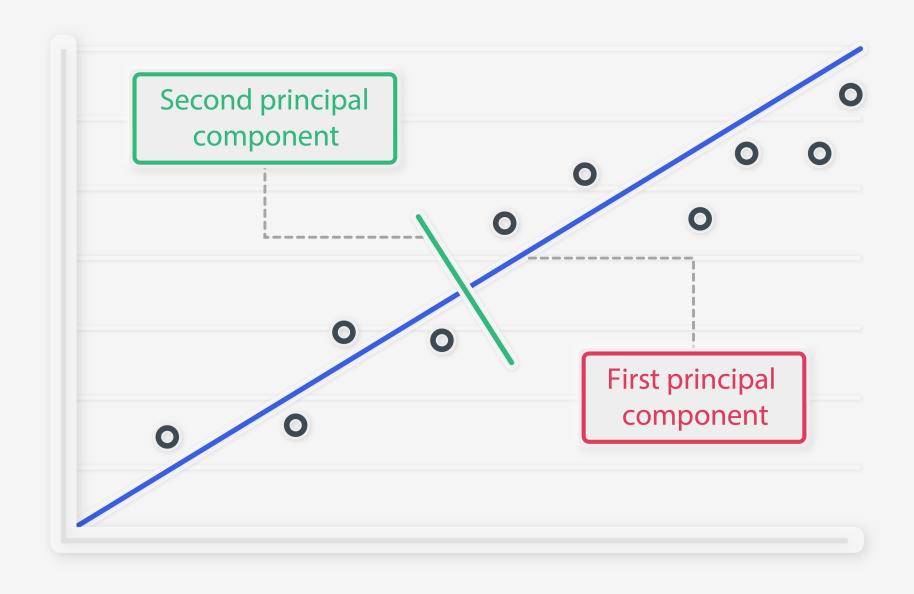
### PRINCIPAL COMPONENT ANALYSIS

PCA projects the features onto the principal components. The motivation is to reduce the features dimensionality while only losing a small amount of information.





### **STEP 1: STANDARDIZATION**

The aim of this step is to standardize the range of the continuous initial variables so that each one of them contributes equally to the analysis.

$$z = \frac{value - mean}{standard\ deviation}$$



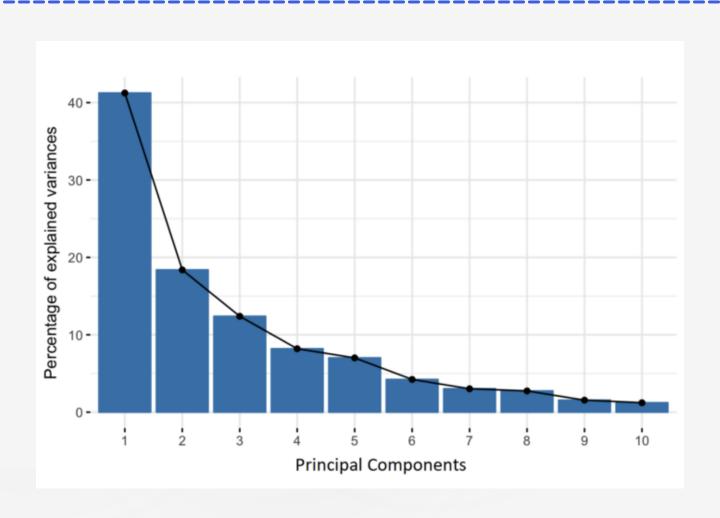
#### STEP 2: COVARIANCE MATRIX COMPUTATION

The aim of this step is to understand how the variables of the input data set are varying from the mean with respect to each other, or in other words, to see if there is any relationship between them.

$$\left[ \begin{array}{cccc} Cov(x,x) & Cov(x,y) & Cov(x,z) \\ Cov(y,x) & Cov(y,y) & Cov(y,z) \\ Cov(z,x) & Cov(z,y) & Cov(z,z) \end{array} \right]$$



## STEP 3: COMPUTE THE EIGENVECTORS AND EIGENVALUES OF THE COVARIANCE MATRIX TO IDENTIFY THE PRINCIPAL COMPONENTS





#### **STEP 4: FEATURE VECTOR**

In this step, we choose whether to keep all these components or discard those of lesser significance (of low eigenvalues), and form with the remaining ones a matrix of vectors that we call Feature vector.

we can either form a feature vector with both of the eigenvectors v1 and v

$$0.6778736 -0.7351785$$
  
 $0.7351785 0.6778736$ 

Or discard the eigenvector v2, which is the one of lesser significance, and form a feature vector with v1 only:

$$0.6778736$$
 $0.7351785$ 



## LAST STEP: RECAST THE DATA ALONG THE PRINCIPAL COMPONENTS AXES

In the previous steps, apart from standardization, you do not make any changes on the data, you just select the principal components and form the feature vector, but the input data set remains always in terms of the original axes (i.e, in terms of the initial variables).

 $Final Data Set = Feature Vector^{T} * Standardized Original Data Set^{T}$ 



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