# CONWAY'S GAME OF LIFE IN 3D SPACE

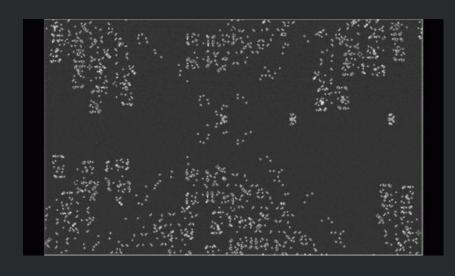
Gourav Pullela



## WHAT IS CONWAY'S GAME OF LIFE

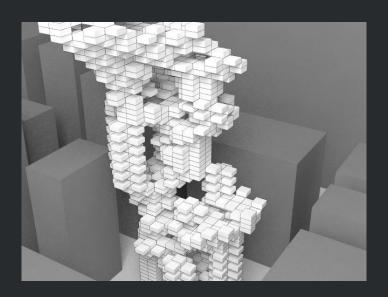
Conway's Game of Life is a cellular automaton devised by John Conway.

The game of life is a zero-player game and is determined by its initial state.

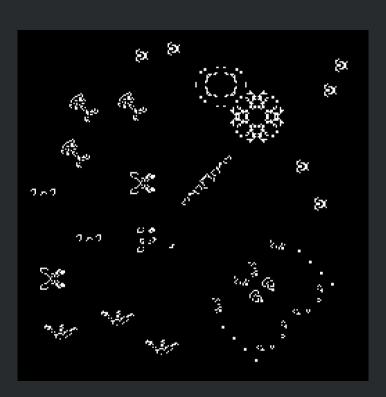


# **PROJECT GOALS**

The goal of this project was to implement Conway's Game of Life as a simulation in three dimensional space.



# THE RULES OF THE GAME

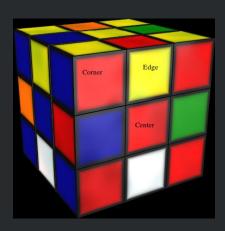


- 1. Any live cell with 2 or 3 live neighbours survives.
- 2. Any dead cell with 3 neighbors becomes a live cell.
- 3. All other live cells die before the next cycle.

#### IMPLEMENTATION OF THE GAME

I chose to use OpenMP C to implement the game in 3D.

The reason I chose to OpenMP is because it is easy to use and allowed scalability for code when I converted the 2D game to 3D.



#### **MODIFIED RULES**

- Any live cell with less than 6 or greater than 11 live neighbours dies.
- Any dead cell with more than 7 and less than 12 live neighbours lives.
- Each cell has a total of 26 neighbors, which can be horizontally, vertically, or diagonally adjacent to that cell.

#### **OUTLINING THE TEST CASE**

- Used srand(time(NULL)) to seed rand() based on current time
- A 3D Array of **20\*20\*20** was used as the test set.
- Approximately **33**% of the matrix has live cells when initially populated using the rand() function.
- Simulation cycles are run until the total population is **0**.

#### **CODE SNIPPET**

```
//Returns number of living neighbors
int numAlive(struct Cell game[N][N][N], struct Cell point, struct Vector* n) {
   int i,alive = 0;
   #pragma omp parallel for
        for(i=0; i < 26; i++) {
        if((-1 < n[i].x && n[i].x < N) && (-1 < n[i].y && n[i].y < N) && (-1 < n[i].z && n[i].z < N)) {
        if(game[n[i].x][n[i].y][n[i].z].doa == 1) {
            alive += 1;
        }
    }
   return alive;
}</pre>
```

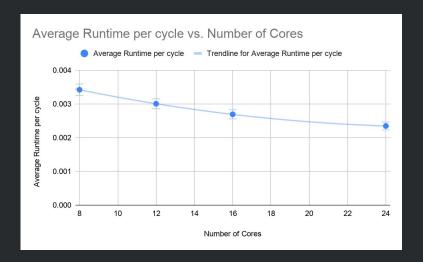
This function is used to find the number of living neighbours around a cell, which can in turn be used to determine its state.

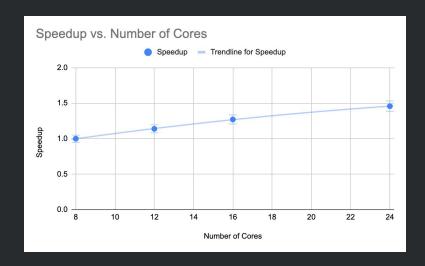
#### **CODE SNIPPET**

```
while(count > 0) {
   #pragma omp parallel for collapse(3)
      for(i=0; i < N; i++) {</pre>
         for(j=0; j < N; j++) {
            for(k=0; k < N; k++) {</pre>
               input = neighbors(game[i][j][k]);
               alive = numAlive(game, game[i][j][k], input);
               if(game[i][j][k].doa == 1 && (alive < 6 || alive > 11)) {
                  game[i][j][k].doa = 0;
                  count -= 1;
               if(game[i][j][k].doa == 0 && (alive > 7 && alive < 12)) {</pre>
                  game[i][j][k].doa = 1;
                  count += 1;
               if(count > maxcount) {
                  maxcount = count;
   steps += 1;
```

This code block is the simulation segment of the program.

### PERFORMANCE WITH WEAK SCALING





8000 Cell Simulation with  $\sim$  33% initial population.

#### FURTHER IMPLEMENTATION/ADDITIONS

- Studying population density in real time.
- Visualization of the simulation.
- Studying the average lifespan of cells and how modification of the rules affects it.
- Studying growth and decay rate of the cell environment.
- Implementation of the project in CUDA C.

# THANK YOU

Do you have any questions?

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